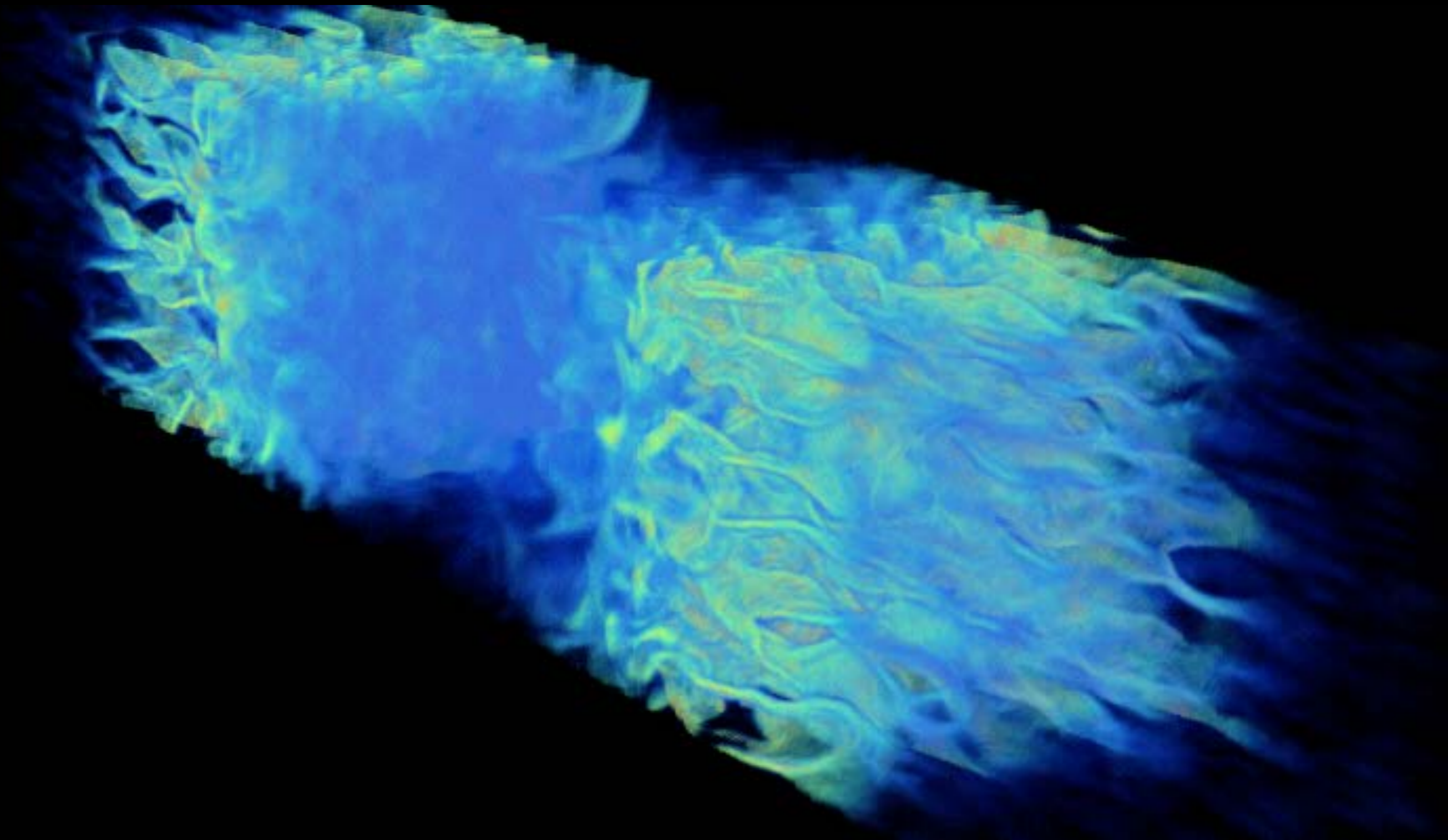


Kinetic Simulations of Astrophysical Plasmas II: Applications

Anatoly Spitkovsky (Princeton)

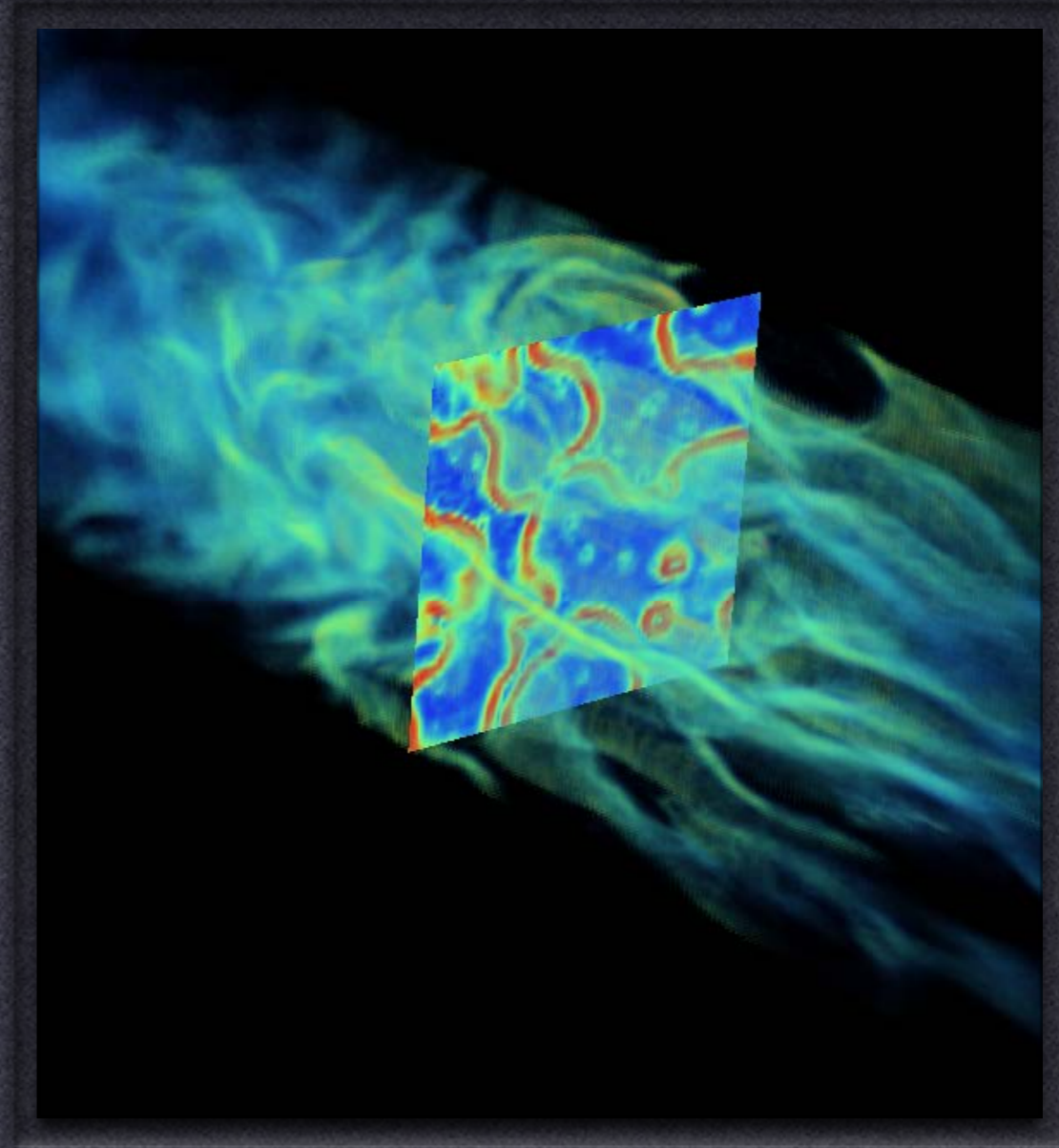


**Acceleration, reconnection and dissipation:
adventures in plasma astrophysics**

Anatoly Spitkovsky (Princeton)

What is plasma astrophysics?

- ✦ Most astrophysical processes involve plasmas
- ✦ Plasma scales \ll astro scales
frequency = $10^4 (n/1\text{cc})^{1/2}$ Hz;
spatial scale = $10^5 (n/1\text{cc})^{-1/2}$ cm
- ✦ Most interesting: when **microscopic** physics affects **macroscopic** observables
- ✦ Most disturbing: these effects typically are either badly parameterized or ignored...



Plasma effects and HEA

✦ Accretion disks

Origin of collisionless viscosity

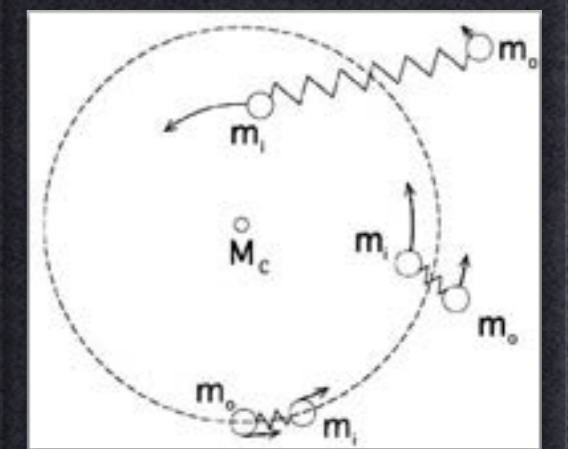
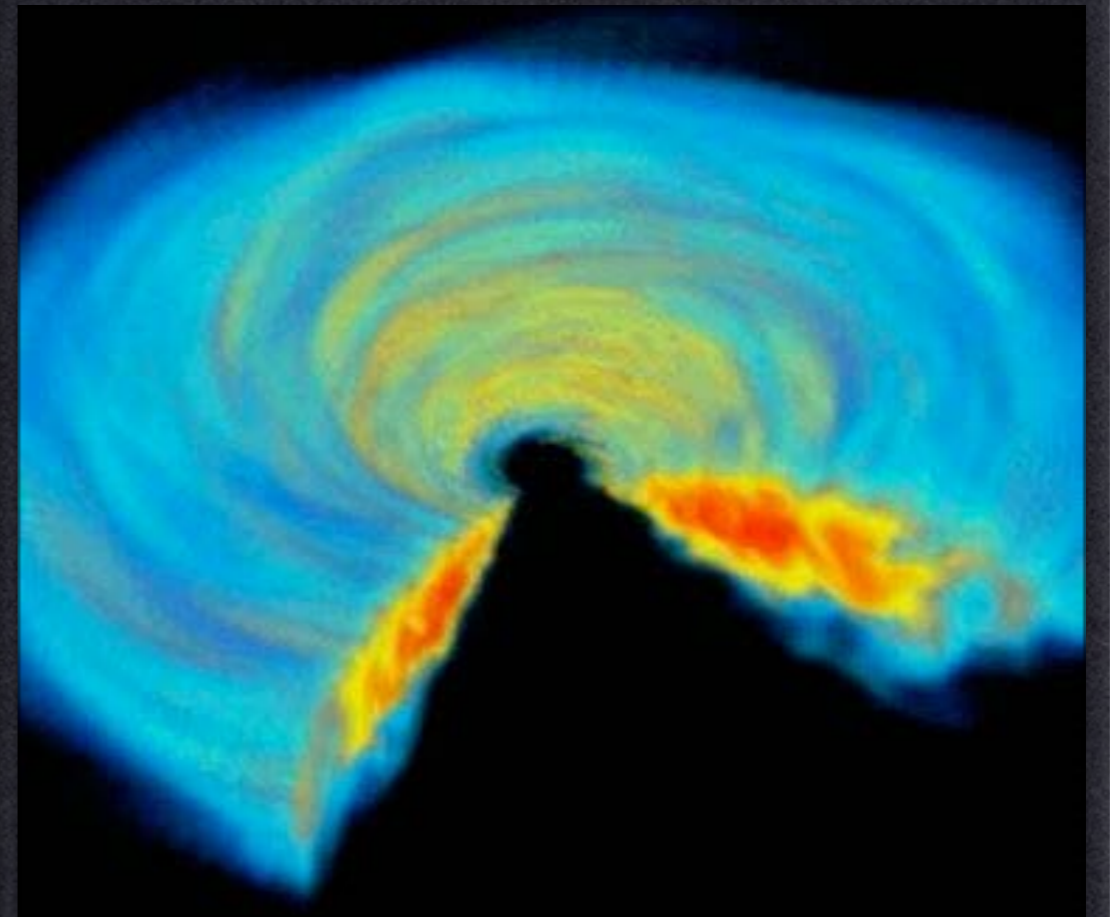
MRI: cascade termination, two-temperature flows, e-ion equilibration

Energization of disk coronae

✦ Clusters of galaxies:

heat conduction and resistivity;
transport in tangled fields

Nonthermal pressure & CRs



Plasma effects and HEA

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**heat conduction and resistivity;
transport in tangled fields**

Nonthermal pressure & CRs



Plasma effects and HEA

- ✦ **Supernova remnants**

 - CRs & magnetic field amplification**

 - Electron-ion equilibration**

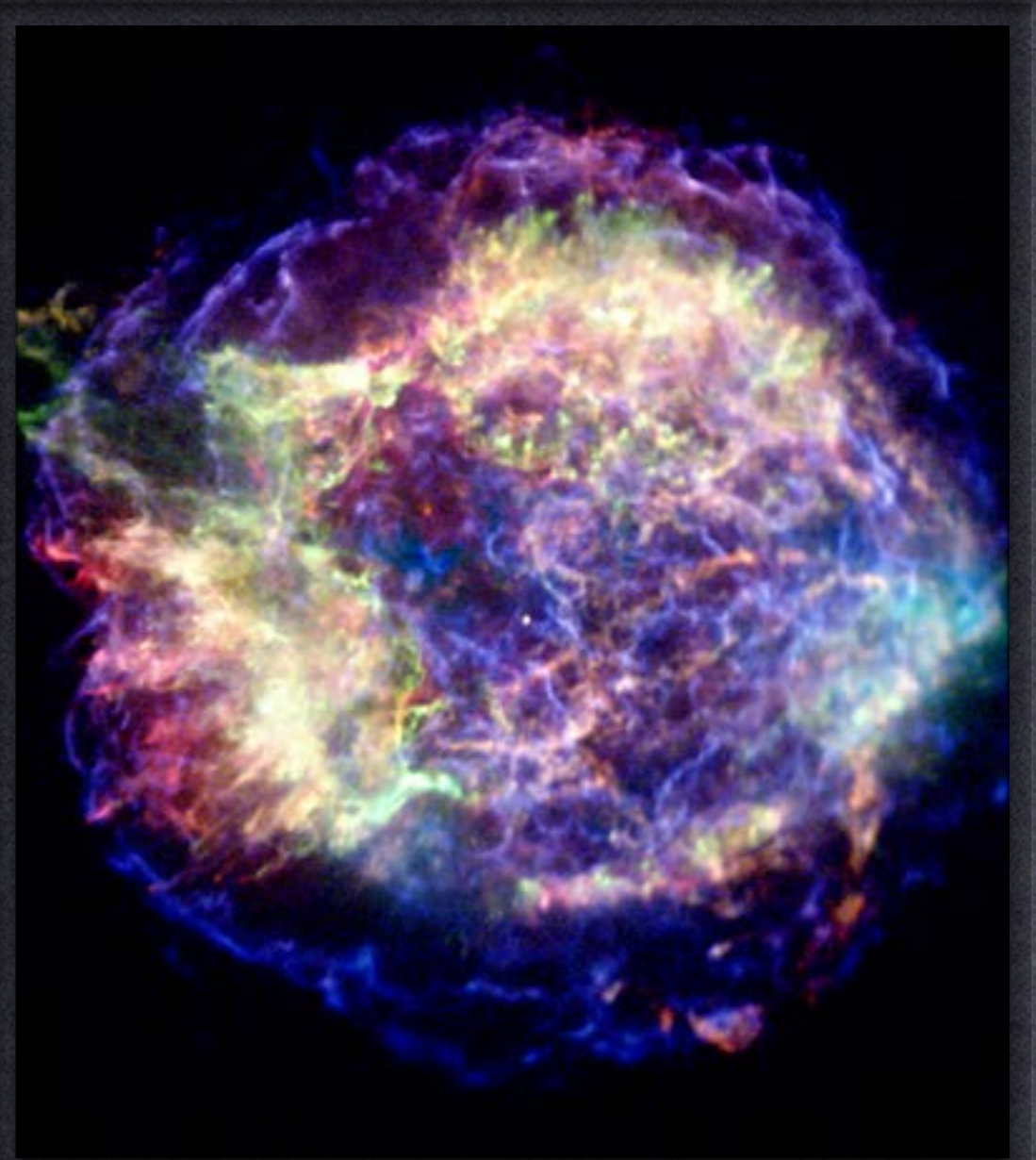
- ✦ **Nonthermal Sources (SNRs, PWNe, GRBs, jets, clusters)**

 - Particle injection and acceleration**

 - Physics of collisionless shocks**

 - Magnetic field generation**

 - Non-shock acceleration possibilities?**



Plasma effects and HEA

- ✦ **Supernova remnants**

 - CRs & magnetic field amplification**

 - Electron-ion equilibration**

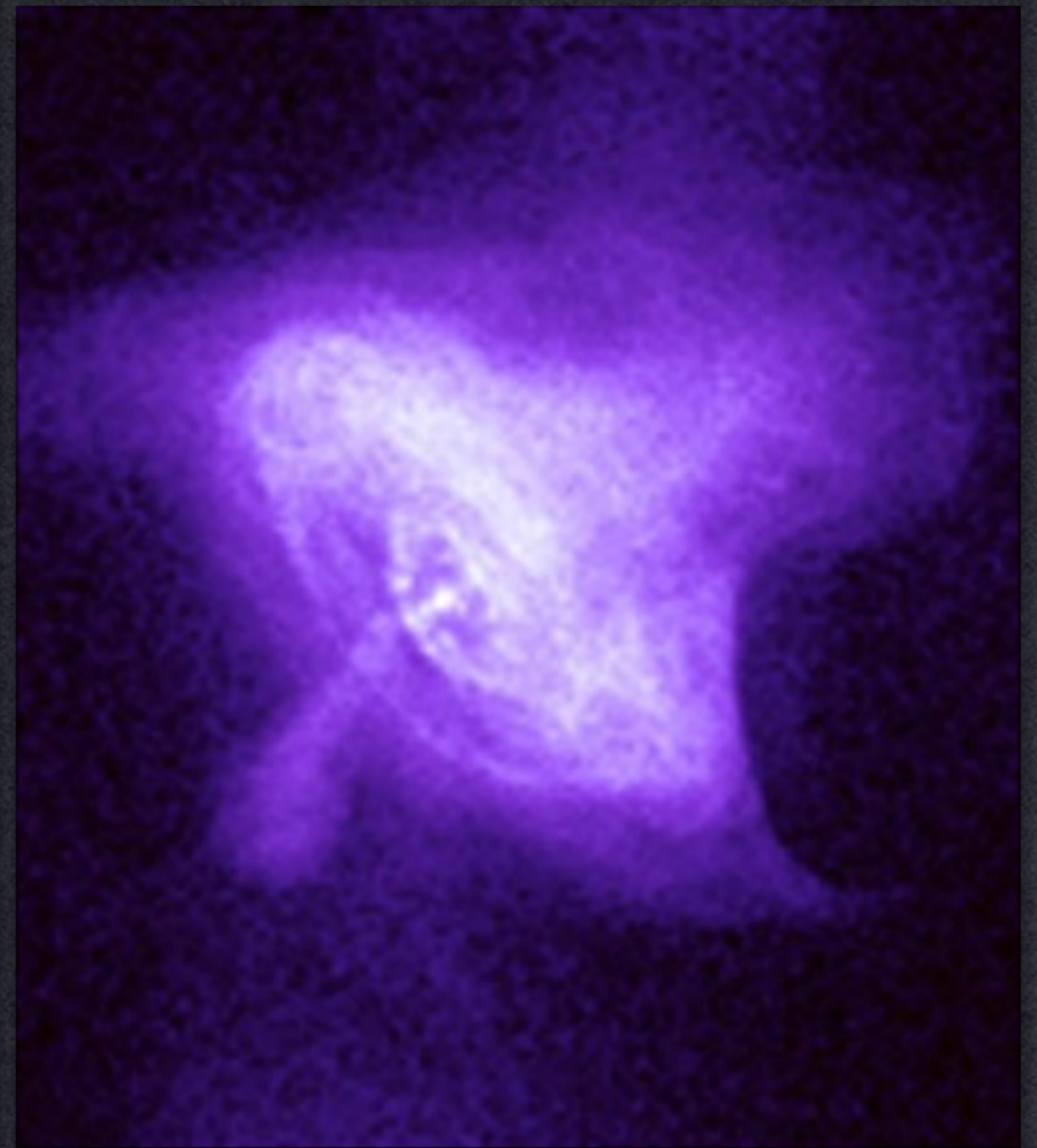
- ✦ **Nonthermal Sources (SNRs, PWNe, GRBs, jets, clusters)**

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Plasma effects and HEA

✦ Neutron star magnetospheres

Plasma creation and acceleration

Physics of strong currents

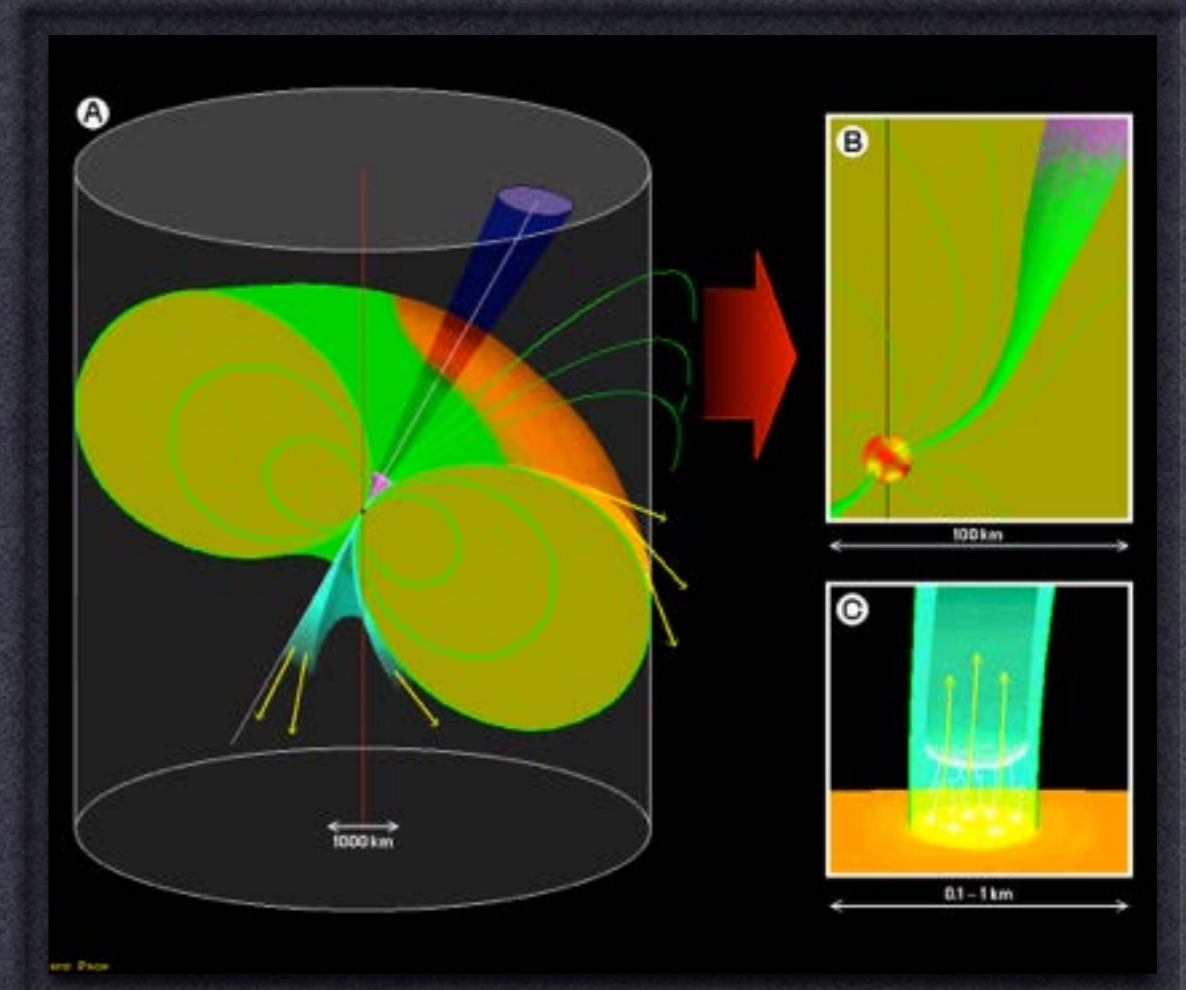
Importance of rel. reconnection

Origin of radiation

✦ Relativistic jets and winds

Collimation + acceleration

Conversion of magnetic to kinetic energy, dissipation.



Plasma effects and HEA

- ✦ **Neutron star magnetospheres**

 - Plasma creation and acceleration**

 - Physics of strong currents**

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- ✦ **Relativistic jets and winds**

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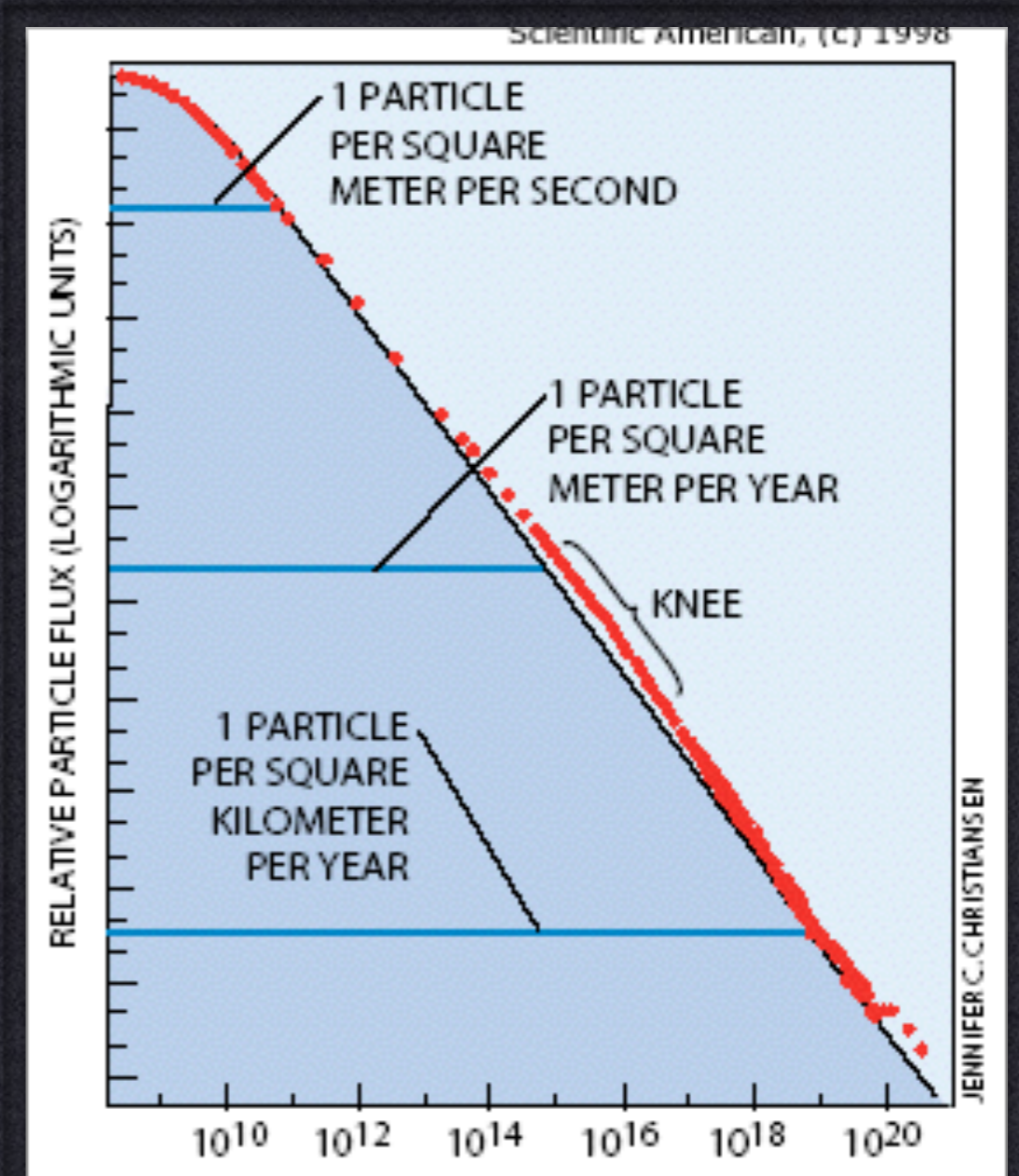
Plasma effects and HEA

- ✦ **Cosmic rays**

Sources of galactic and extra-galactic CRs

Influence of CRs on galaxies

CR transport



Goals:

model astrophysical systems with microphysical parameterizations determined from plasma simulations;

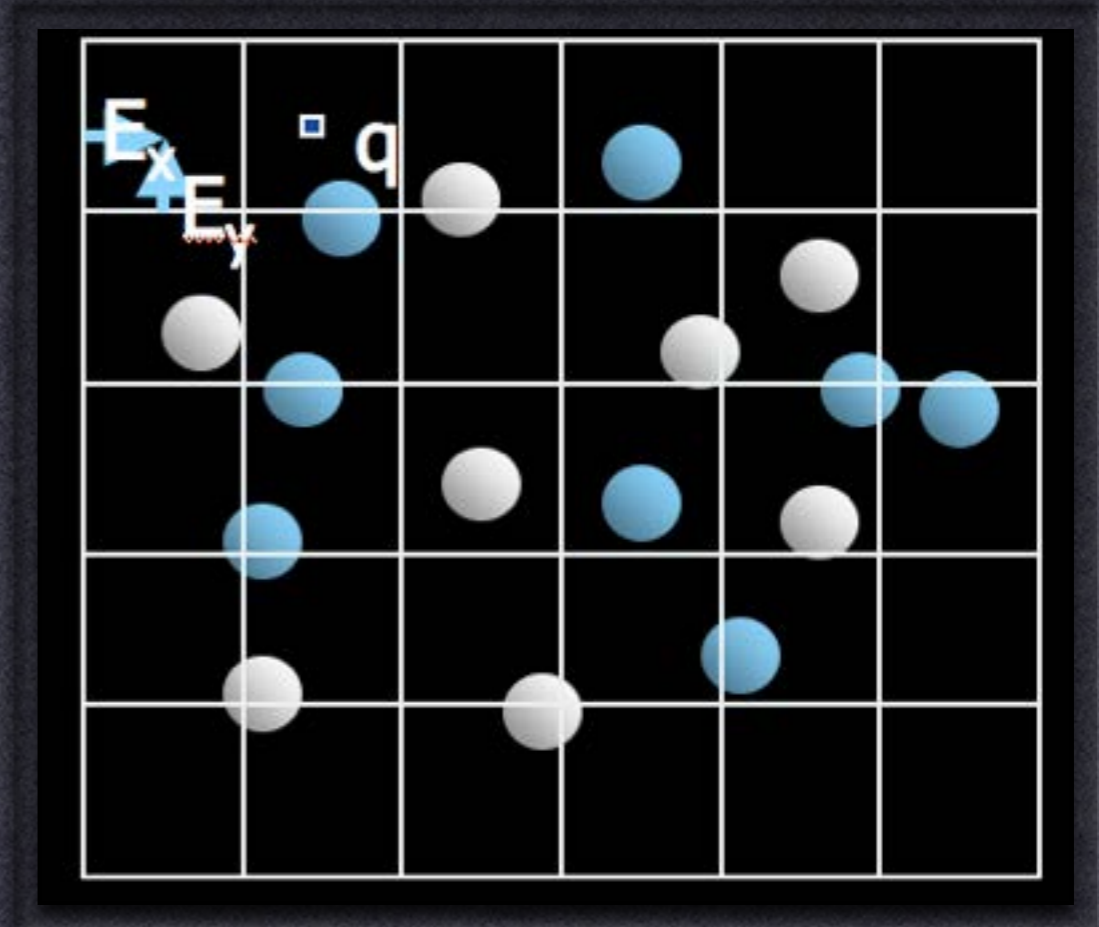
constrain astrophysical scenarios based on realistic plasma physics, and determine plasma conditions based on astrophysical observables.

Outline

- ✦ **Plasmas in high-energy astrophysics**
 - ✦ Collisionless shocks and particle acceleration
 - ✦ Relativistic magnetospheres
 - ✦ Heating and acceleration in relativistic reconnection
- ✦ **Earthy connections (laboratory experiments)**

Tools

- ✦ **Ab-initio plasma simulations (Particle-In-Cell): Tristan-MP**
3D, relativistic EM PIC code, massively parallel
- ✦ **Hybrid code: dHybrid**
Kinetic ions, fluid e, 3D
- ✦ **MHD, RMHD, force-free codes**
Pencil, Athena, HARM, FFcode



Collisionless shocks

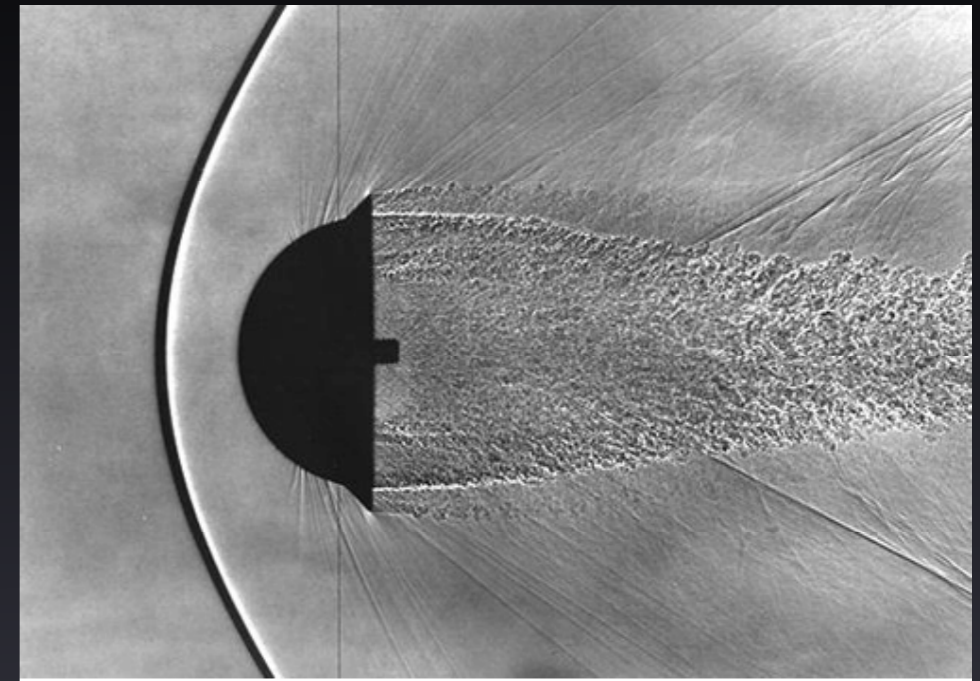
with L. Sironi, D. Caprioli, M. Riquelme, J. Park, L. Gargate

The physics of collisionless shocks

Shock: sudden change in density, temperature, pressure that decelerates supersonic flow

Thickness \sim mean free path
in air: mean free path \sim micron

On Earth, most shocks are mediated by collisions



Astro: Mean free path to Coulomb collisions in enormous: 100pc in supernova remnants, \sim Mpc in galaxy clusters

Mean free path $>$ scales of interest

shocks must be mediated without direct collision, but through interaction with collective fields

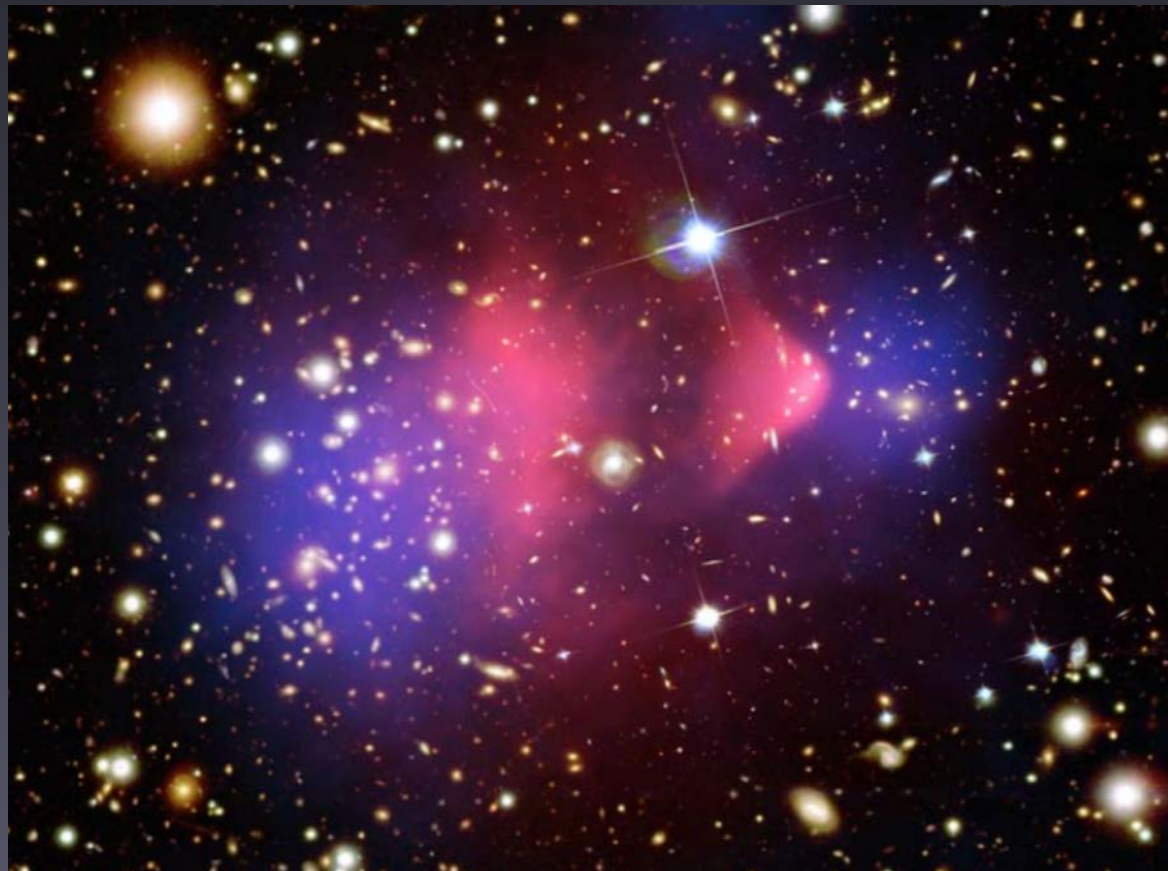
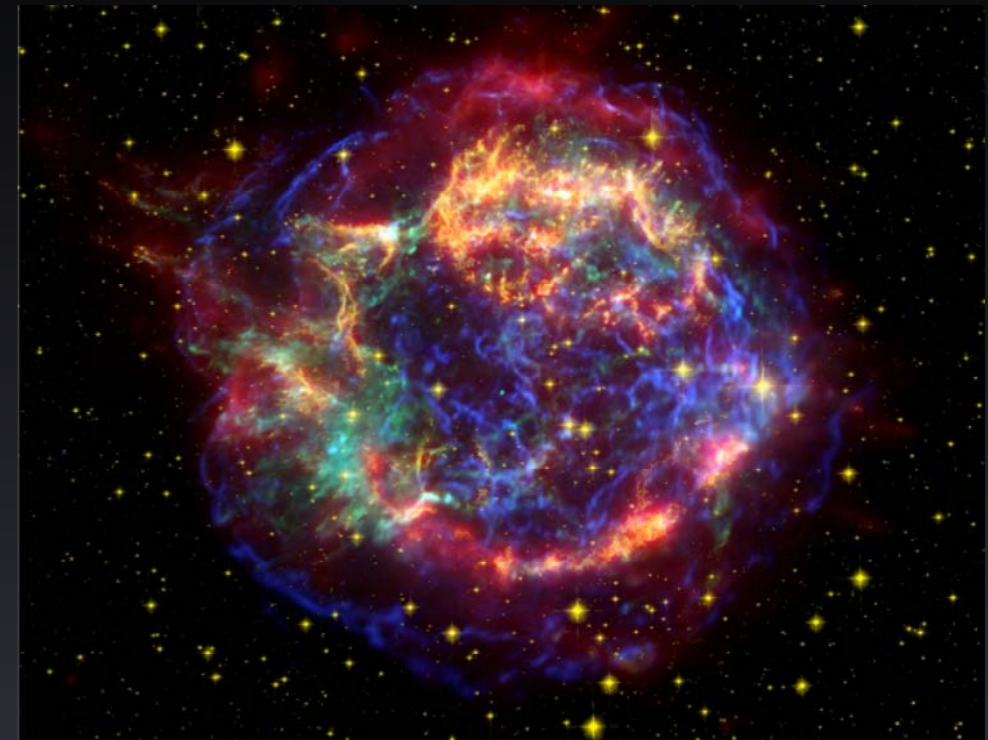
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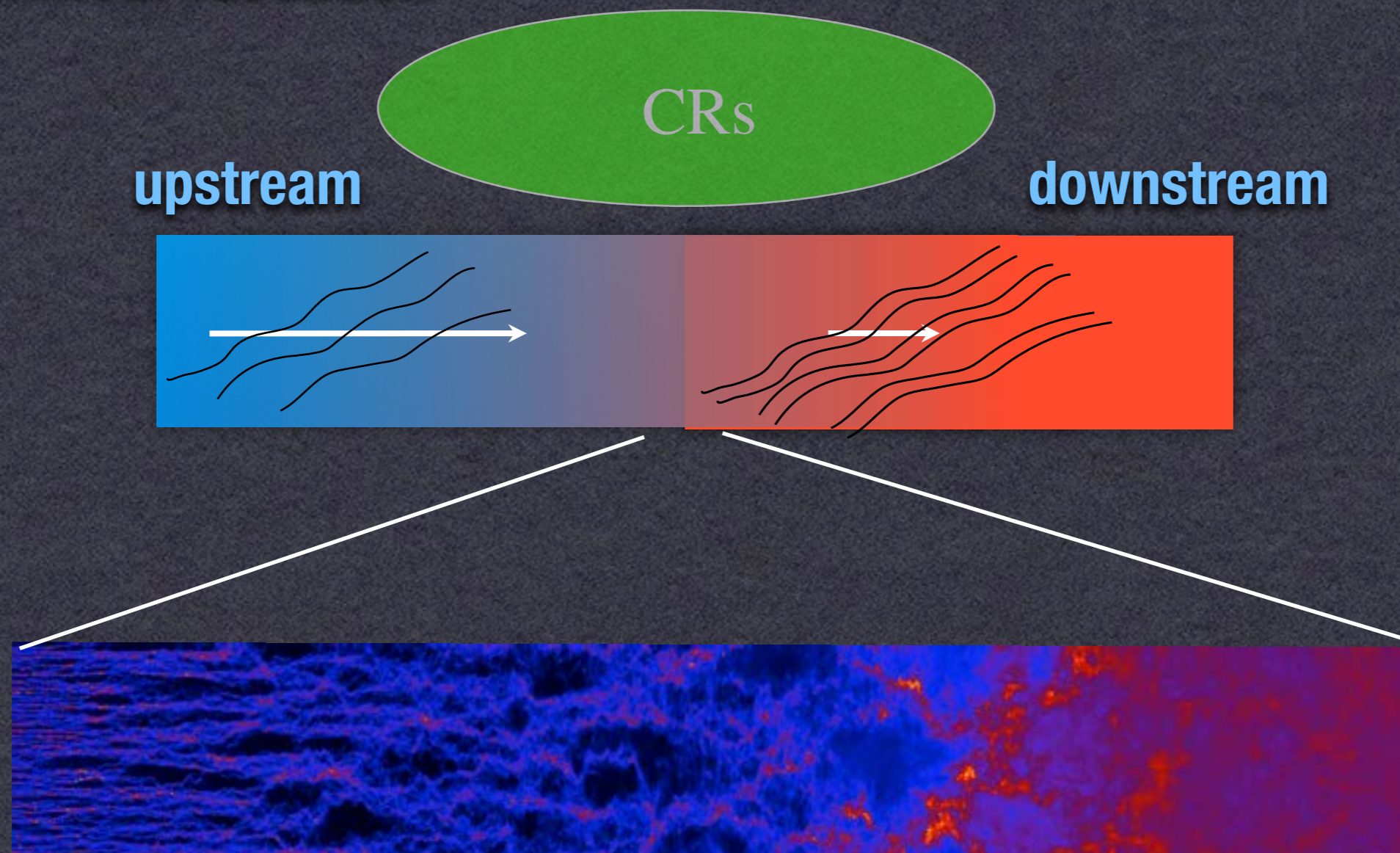
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collisionless shocks

Collisionless shocks

- ✦ **Complex interplay between micro and macro scales and nonlinear feedback**



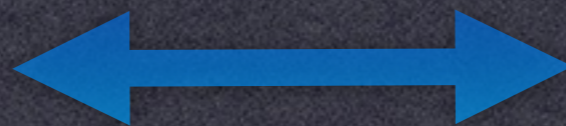
Collisionless shocks

- ✦ **Complex interplay between micro and macro scales and nonlinear feedback**

Shock structure

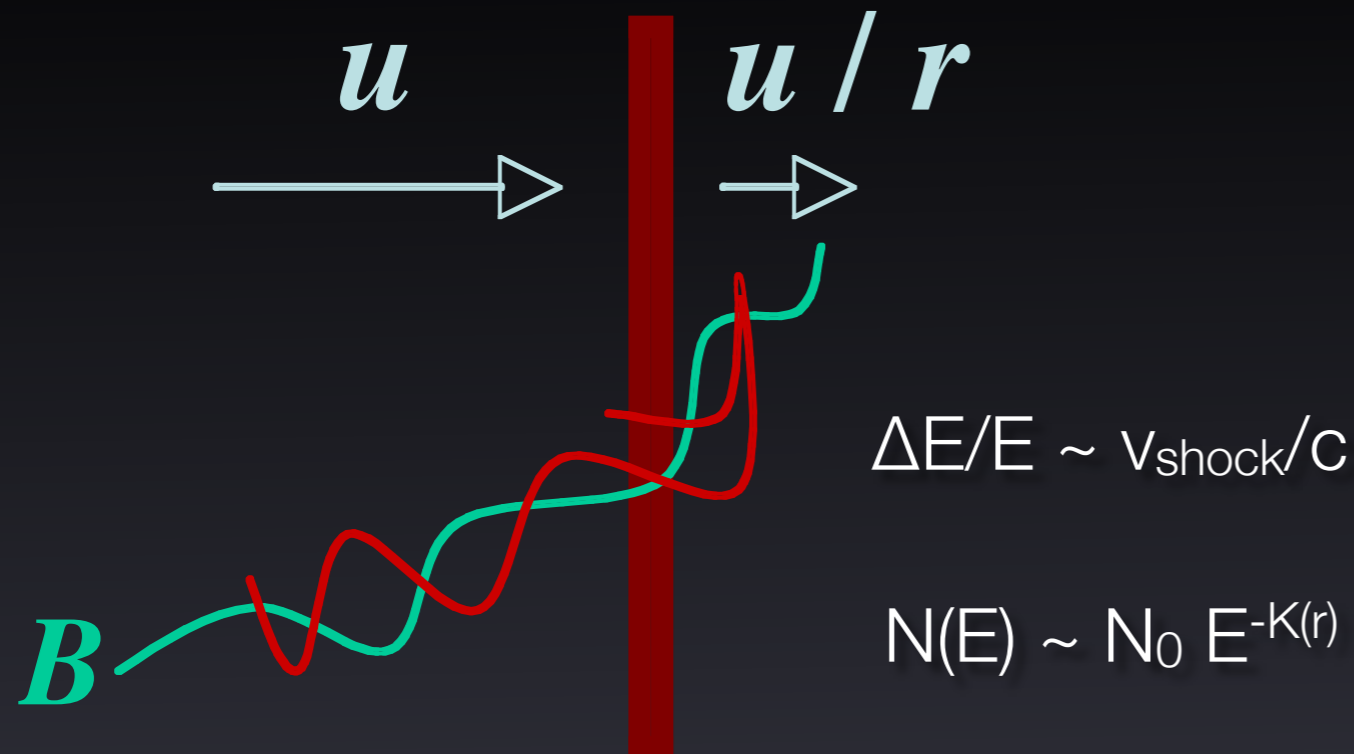


Magnetic turbulence

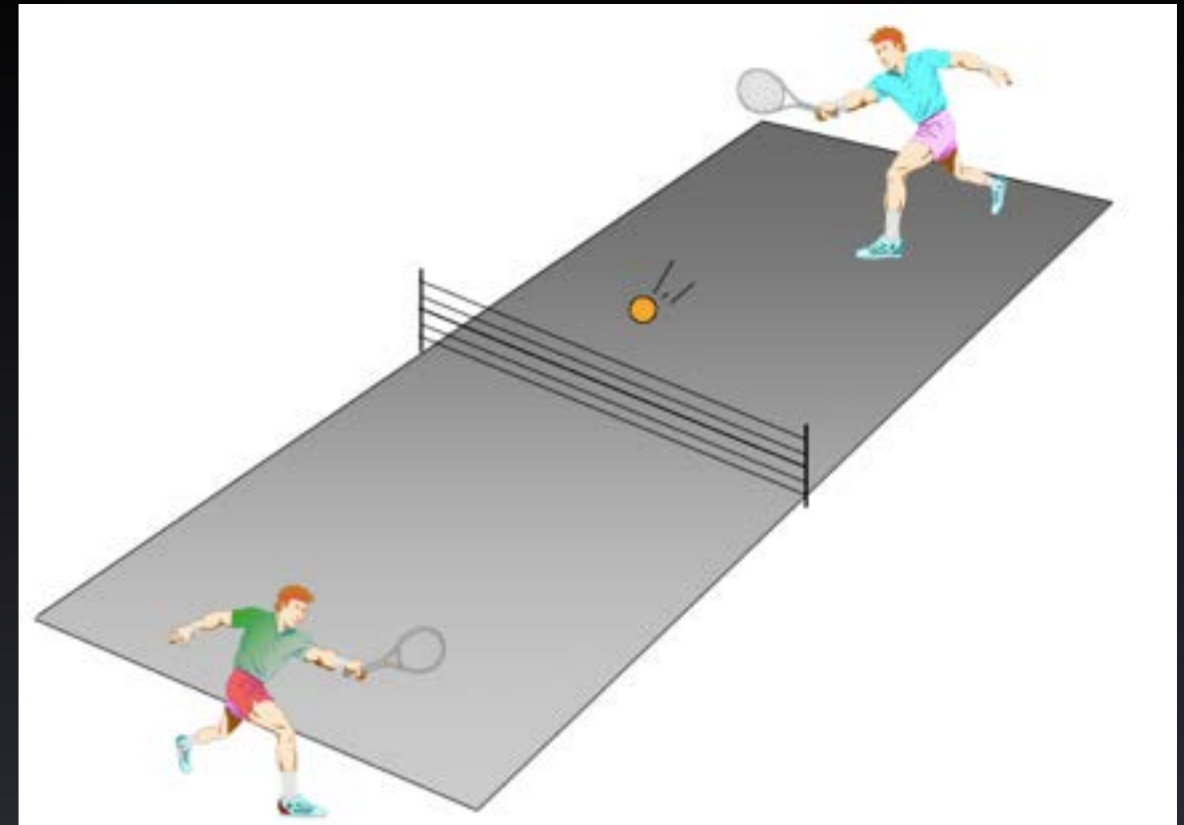


Particle Acceleration

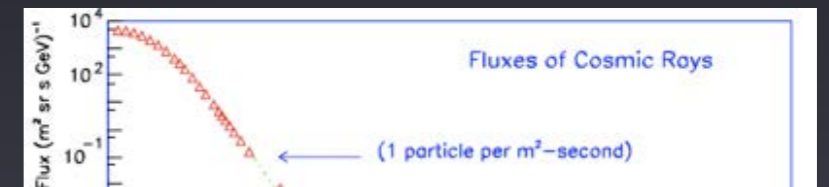
Particle acceleration:



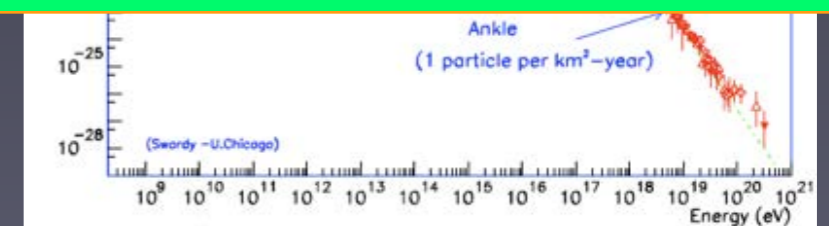
- Original idea -- Fermi (1949) -- scattering off moving clouds. Too slow (second order in v/c) to explain CR spectrum, because clouds both approach *and* recede.
- In shocks, acceleration is first order in v/c , because flows are always converging (Blandford & Ostriker 78, Bell 78, Krymsky 77)
- Efficient scattering of particles is required. Particles diffuse around the shock. Monte Carlo simulations show that this implies very high level of turbulence. Is this realistic? Are there specific conditions?



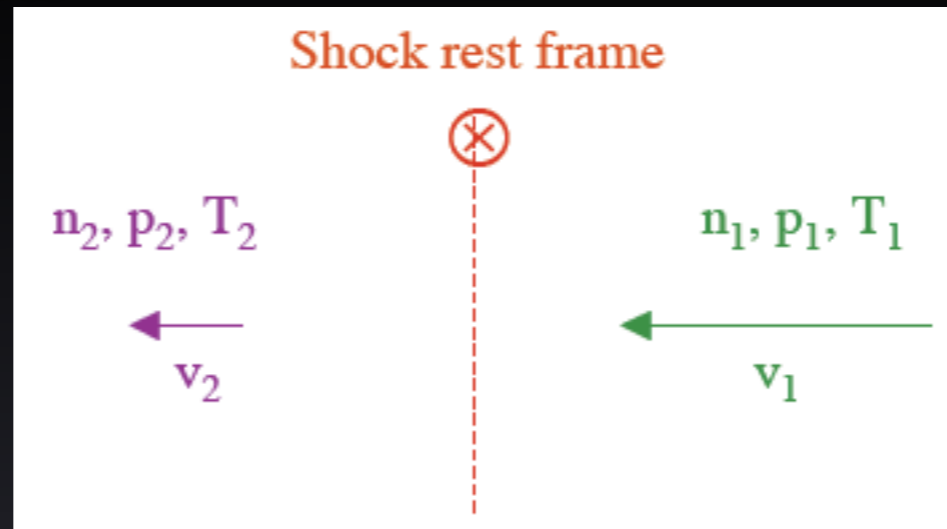
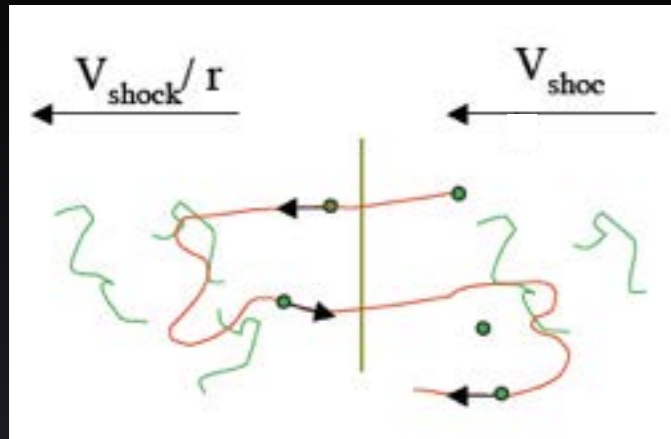
Free energy: converging flows



We need to understand the microphysics of collisionless shocks with plasma simulations

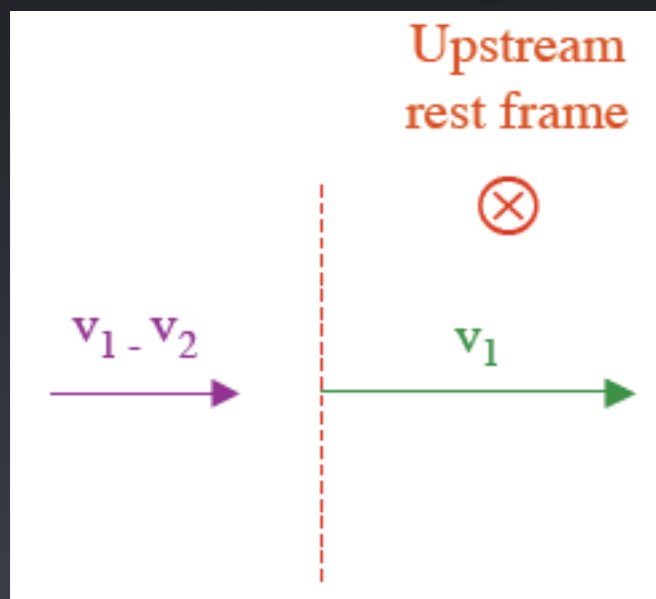


Particle acceleration:



From upstream, the downstream is approaching

From downstream, the upstream is approaching

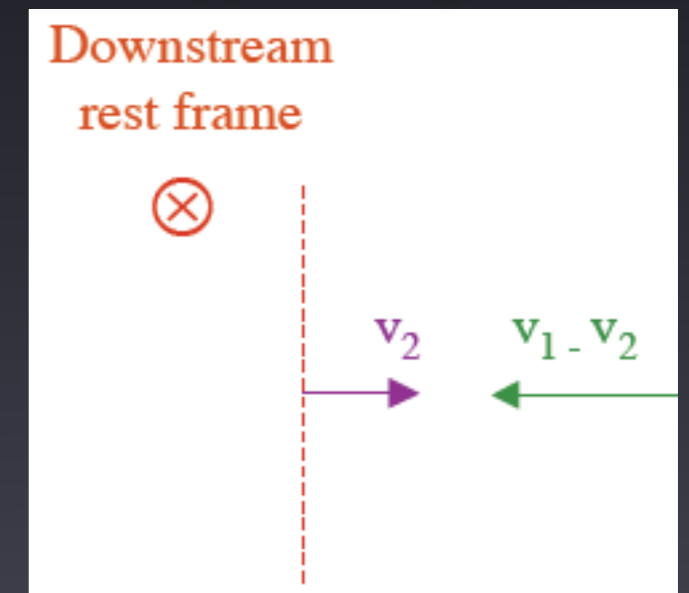


$$E' = E + p_x \Delta v$$

$$p_x = E/c$$

$$\frac{\Delta E}{E} = \frac{\Delta v}{c} \quad \text{for head-on kick}$$

Either crossing results in energy gain first order in velocity of the shock



How does this lead to power law?

$$E_{new} = E_{old} \beta \quad E = E_0 \beta^j$$

$$N = N_0 P^j$$

$$\frac{\log(N/N_0)}{\log(E/E_0)} = \frac{\log P}{\log \beta}$$

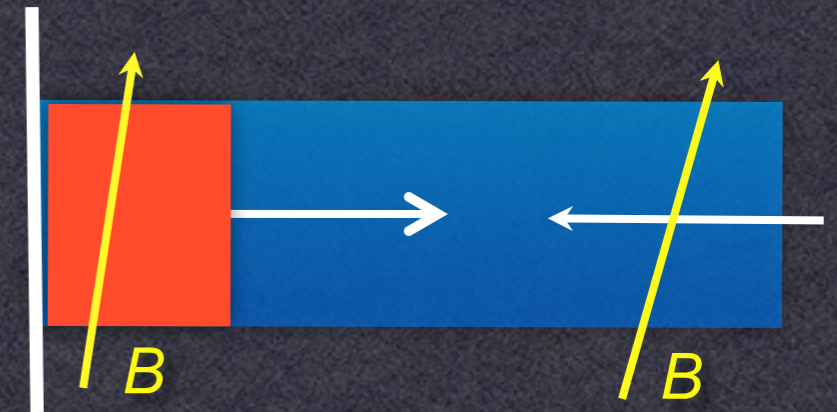
$$\frac{N(> E)}{N_0} = \left(\frac{E}{E_0} \right)^{\log P / \log \beta}$$

$$n(E) = E^{(\log P / \log \beta) - 1} = E^k$$

For strong shock $k=-2$, $n(p)=p^{-4}$

Survey of Collisionless Shocks

We simulated relativistic and nonrelativistic shocks for a range of upstream B fields and flow compositions, **ignoring pre-existing turbulence.**



Main findings:

Dependence of shock mechanism on upstream magnetization

Ab-initio particle acceleration in relativistic shocks

Shock structure and acceleration in non-relativistic shocks

Ion acceleration vs Mach # in quasipar shocks; DSA; D coeff.

Evidence for simultaneous e-ion acceleration in parall. shks

Electron acceleration in quasiperpendicular shocks

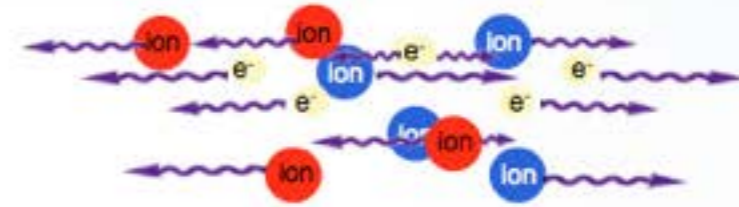
Field amplification and CR-induced instabilities

How collisionless shocks work

Collisionless plasma flows



Coulomb mean free path is large



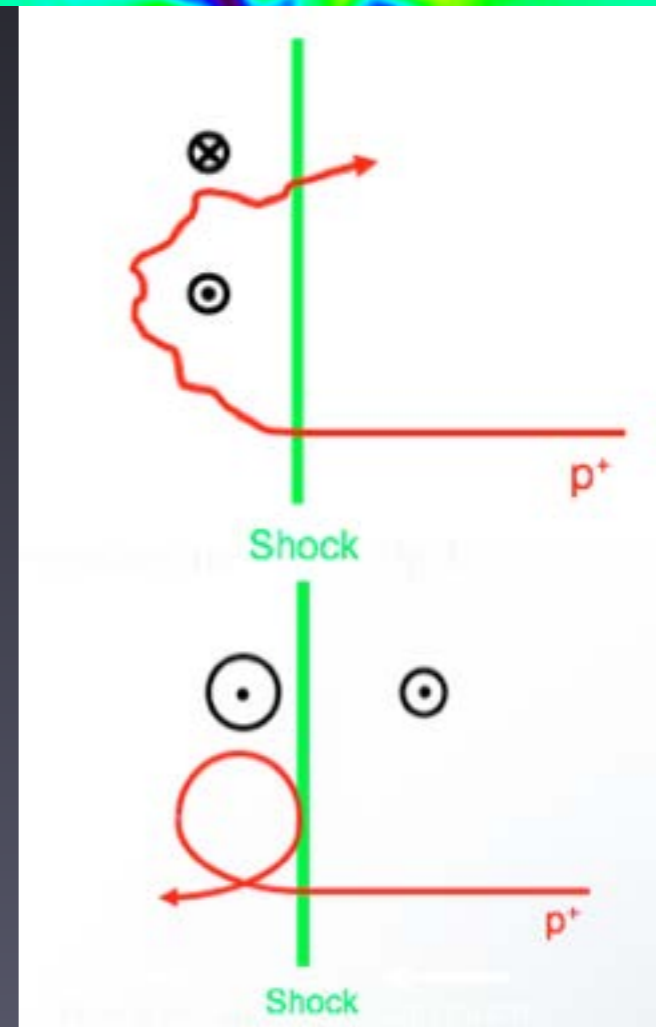
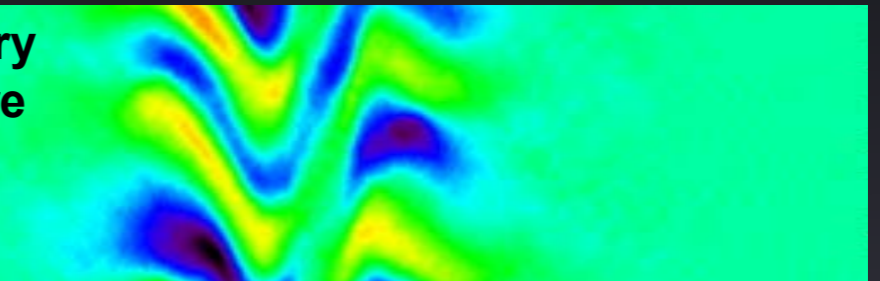
Do ions pass through without creating a shock?

Two main mechanisms for creating collisionless shocks:

1) For low initial B field, particles are deflected by self-generated magnetic fields (filamentation/Weibel instability)

2) For large initial B field, particles are deflected by compressed pre-existing fields

Filamentary B fields are created

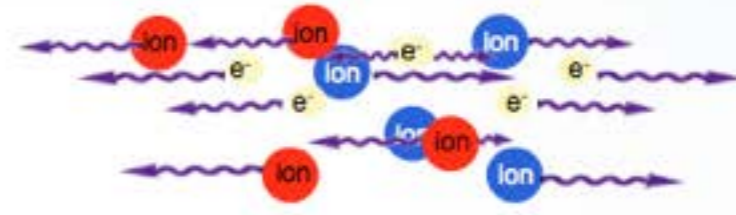


How collisionless shocks work

Collisionless plasma flows



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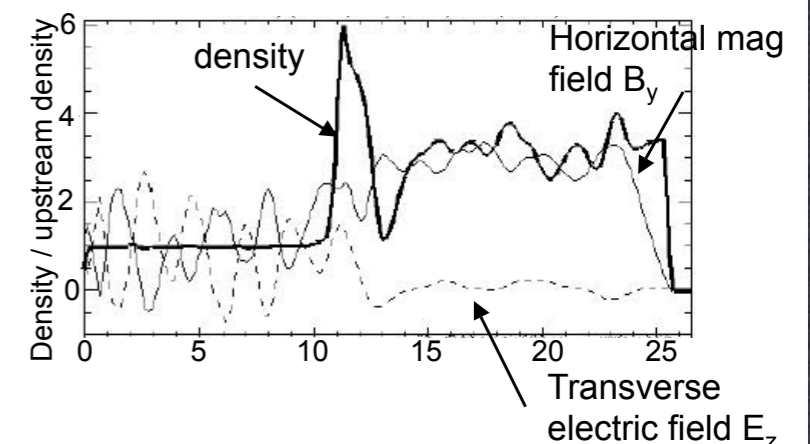
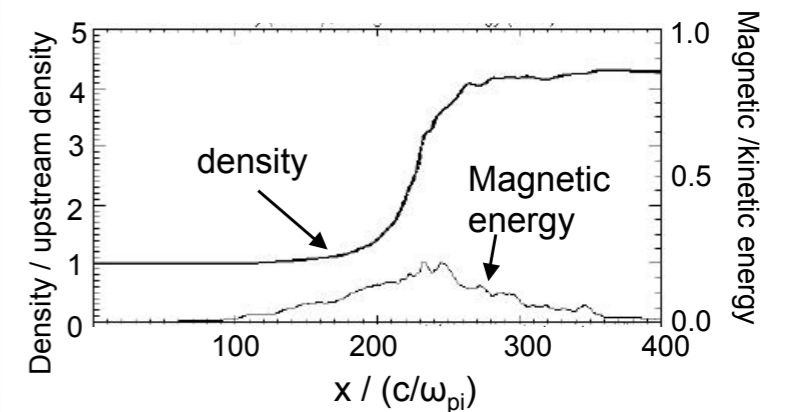
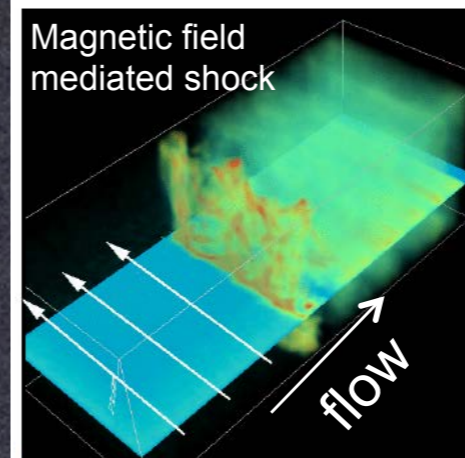
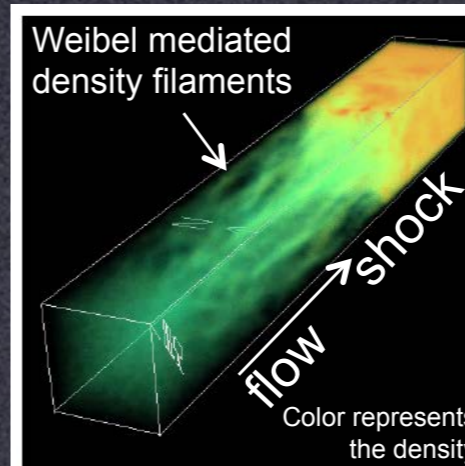
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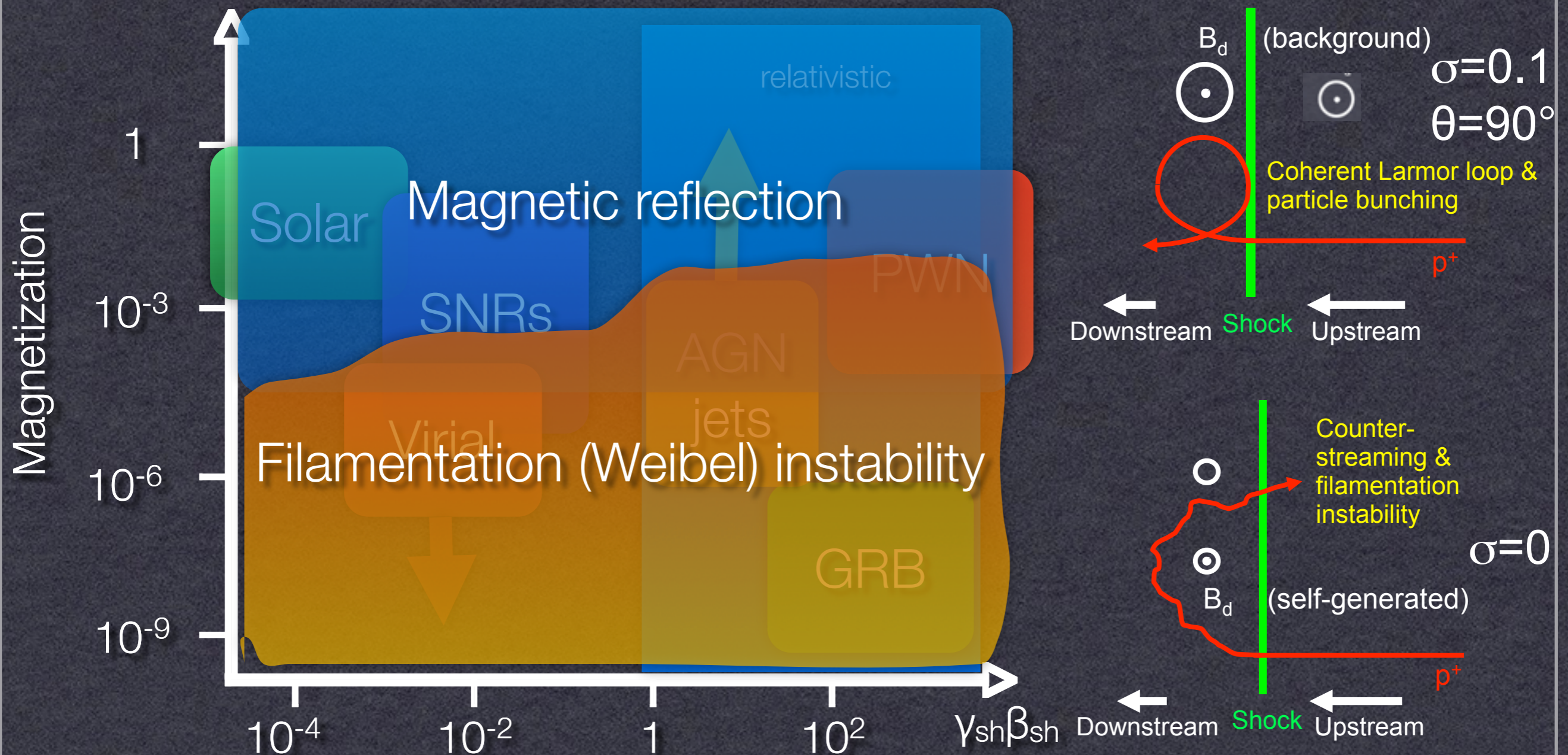
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Spitkovsky (2005)



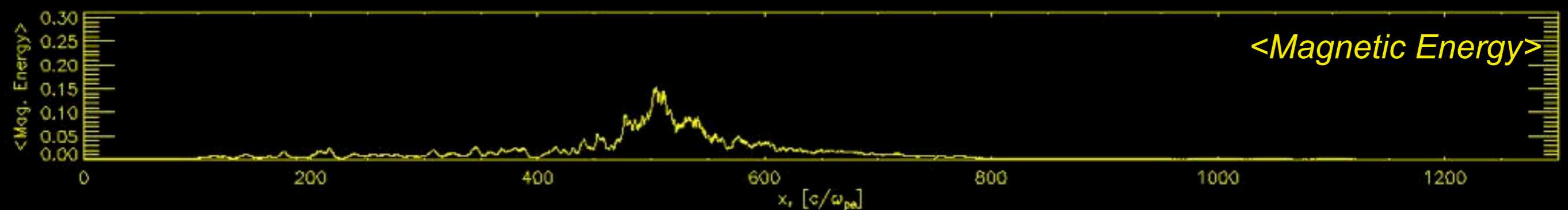
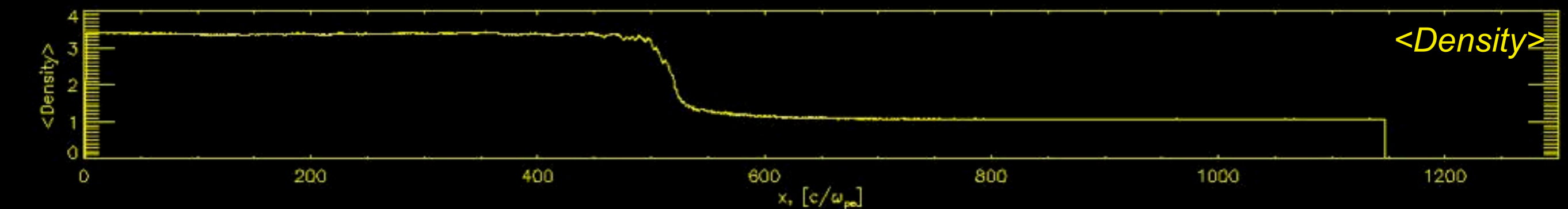
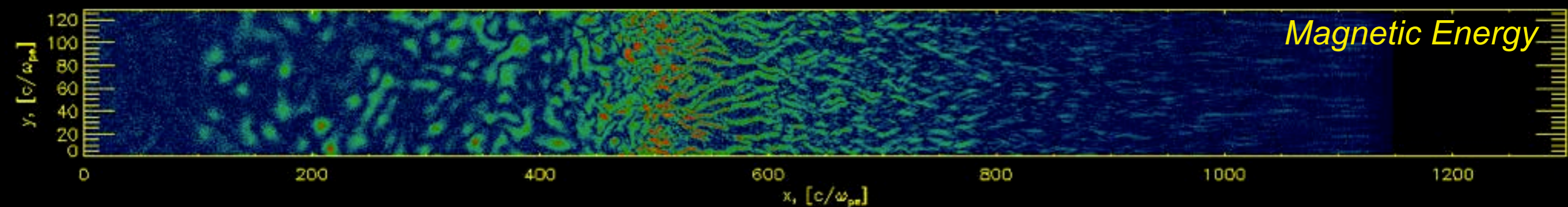
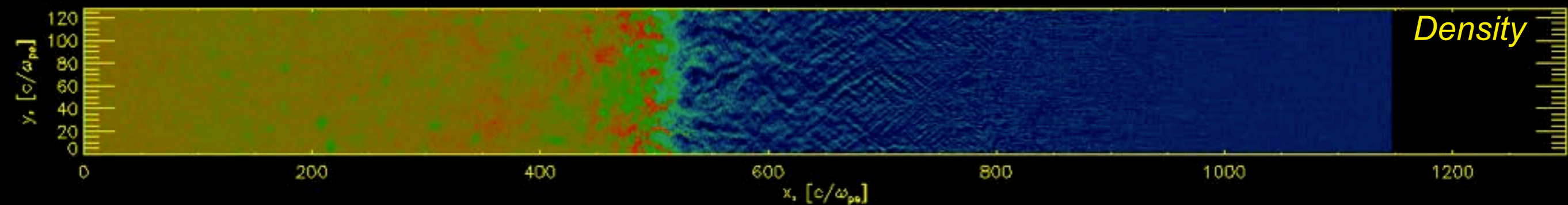
Parameter Space of shocks

$$\sigma \equiv \frac{B^2/4\pi}{(\gamma - 1)nm c^2} = \frac{1}{M_A^2} = \left(\frac{\omega_c}{\omega_p}\right)^2 \left(\frac{c}{v}\right)^2 = \left[\frac{c/\omega_p}{R_L}\right]^2$$



Collisionless shocks

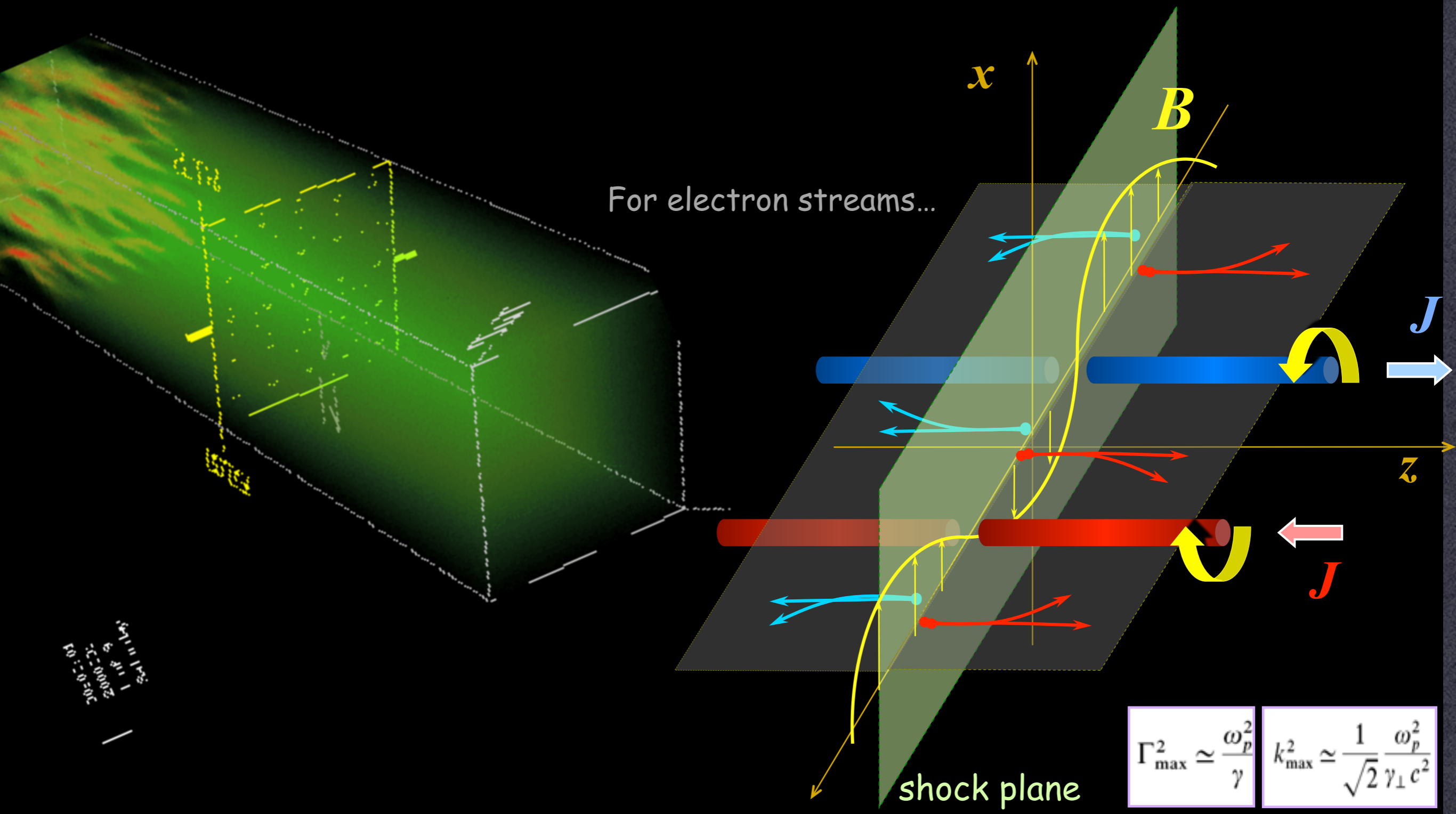
Structure of an unmagnetized relativistic pair shock



Weibel instability

growth of field from skin-depth scale by current filament mergers

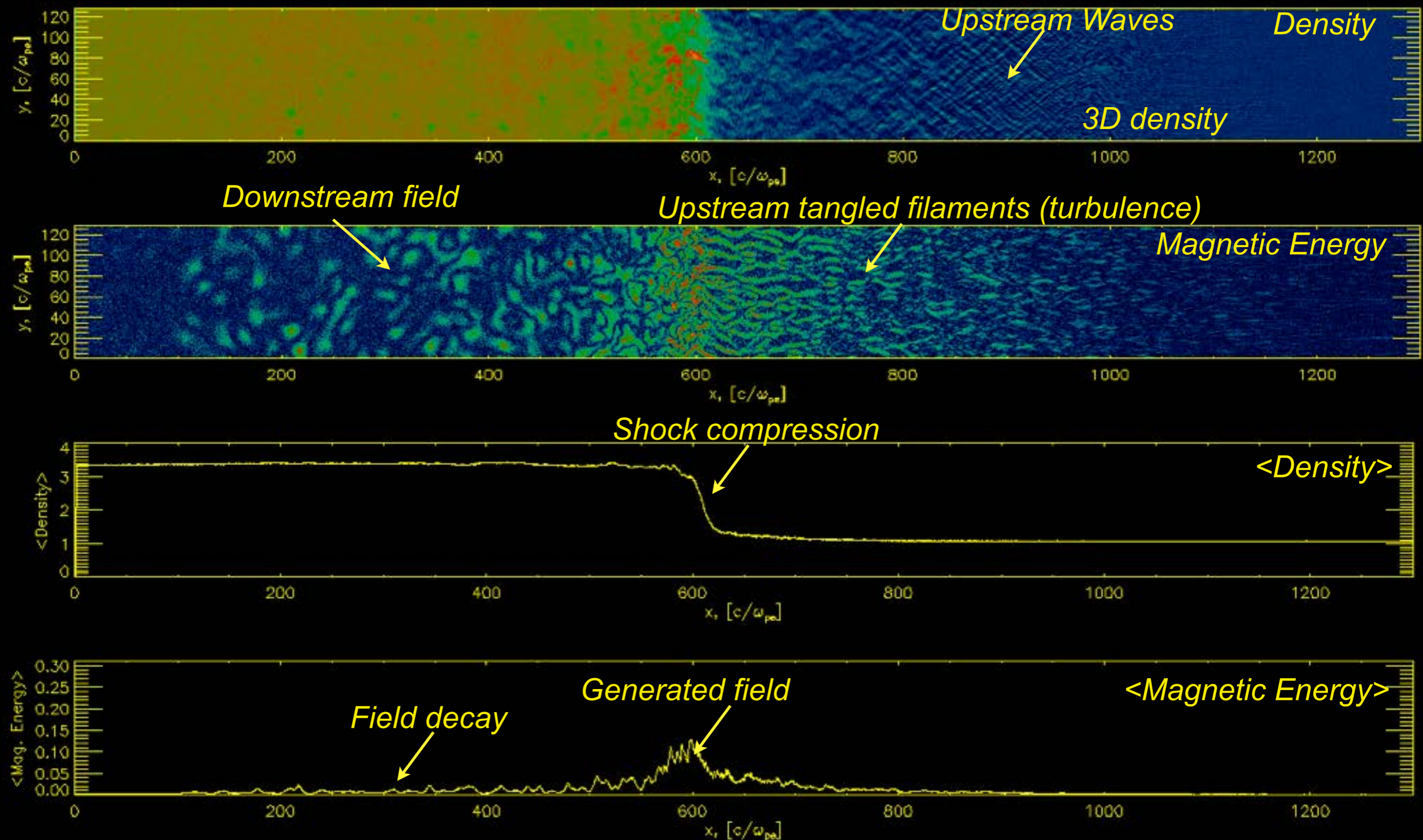
(Medbedev & Loeb, 1999, ApJ)



20:00:00
2000-02-18
Sat 11:49

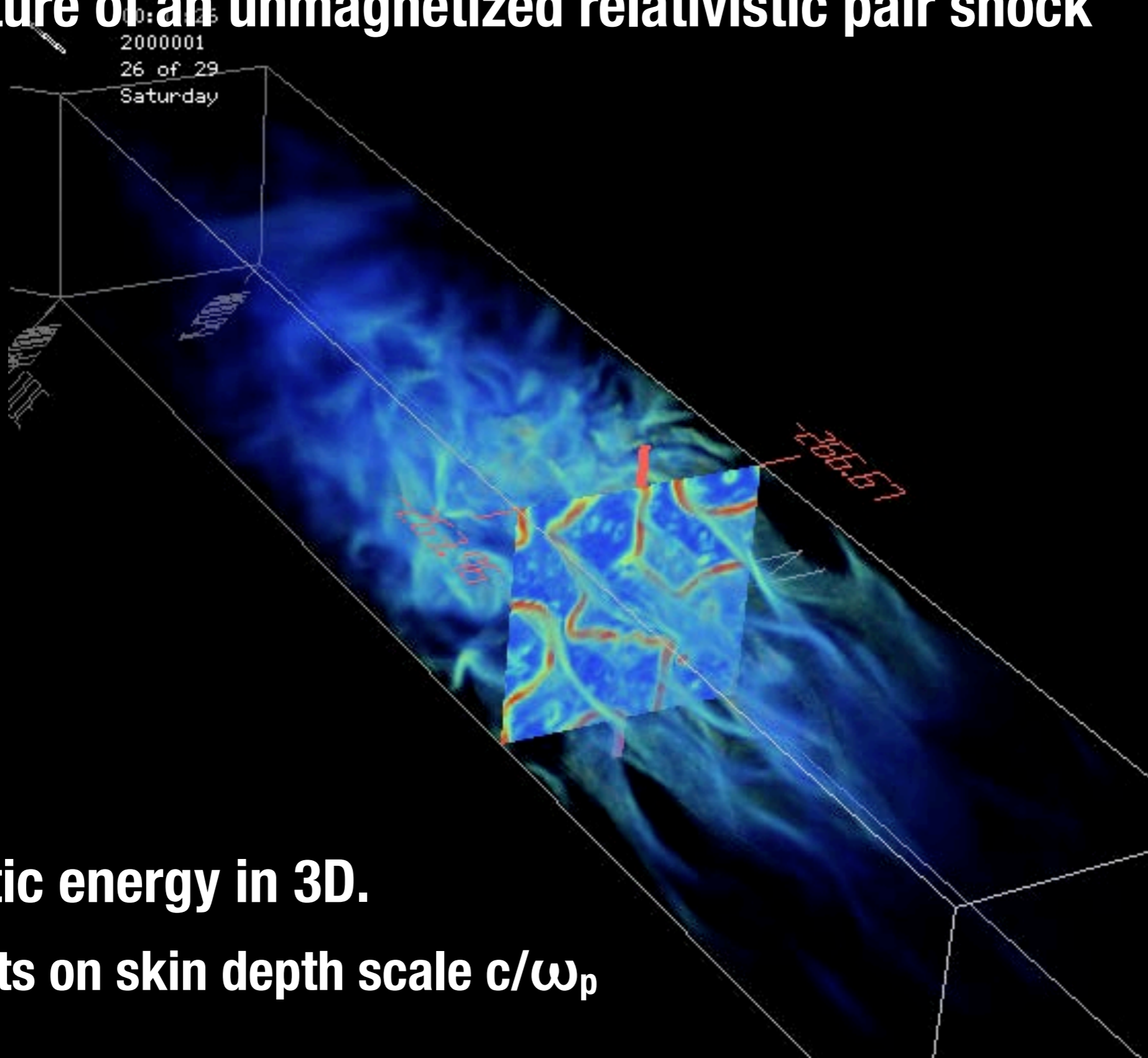
Collisionless shocks

Structure of an unmagnetized relativistic pair shock



Collisionless shocks

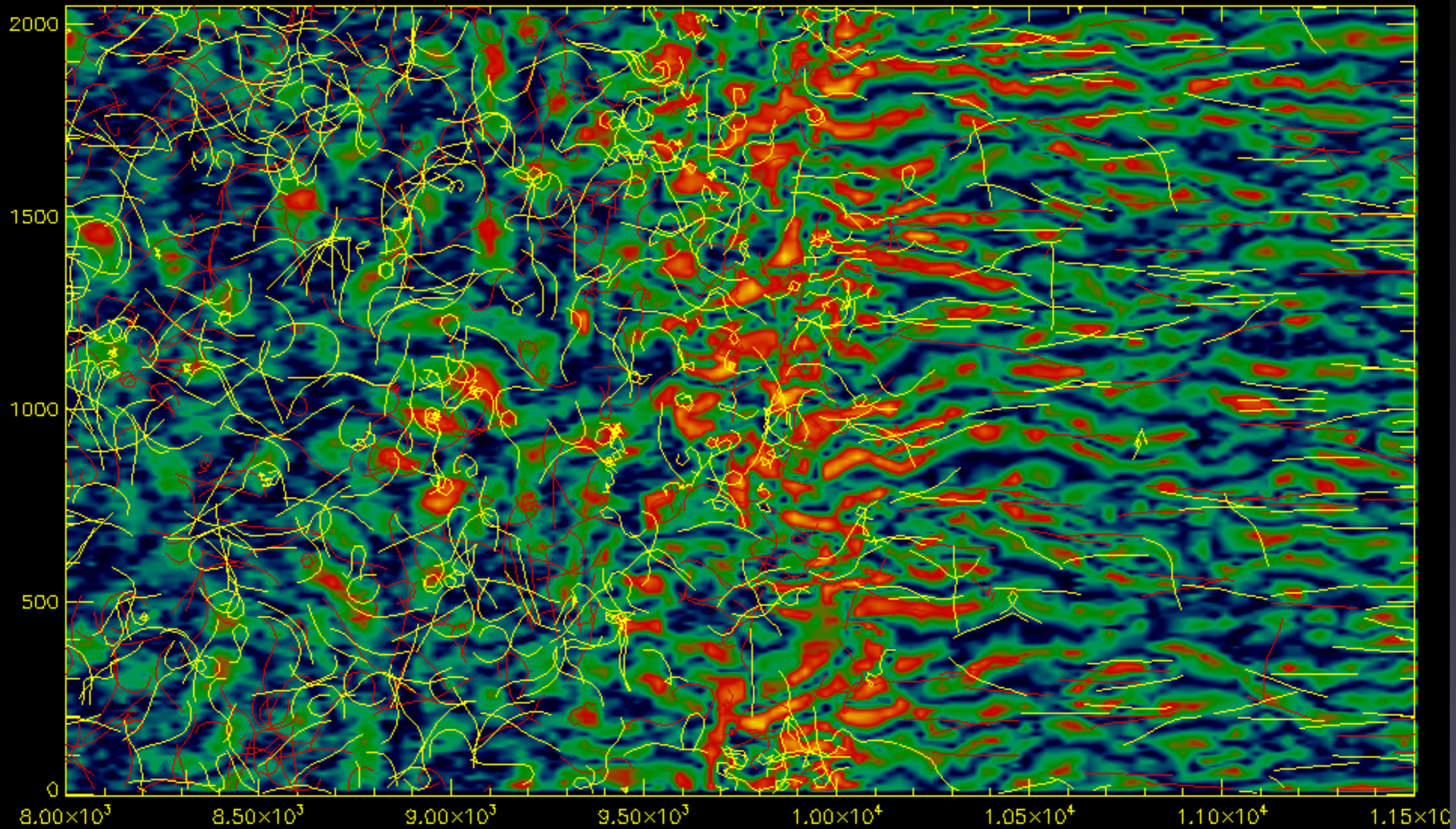
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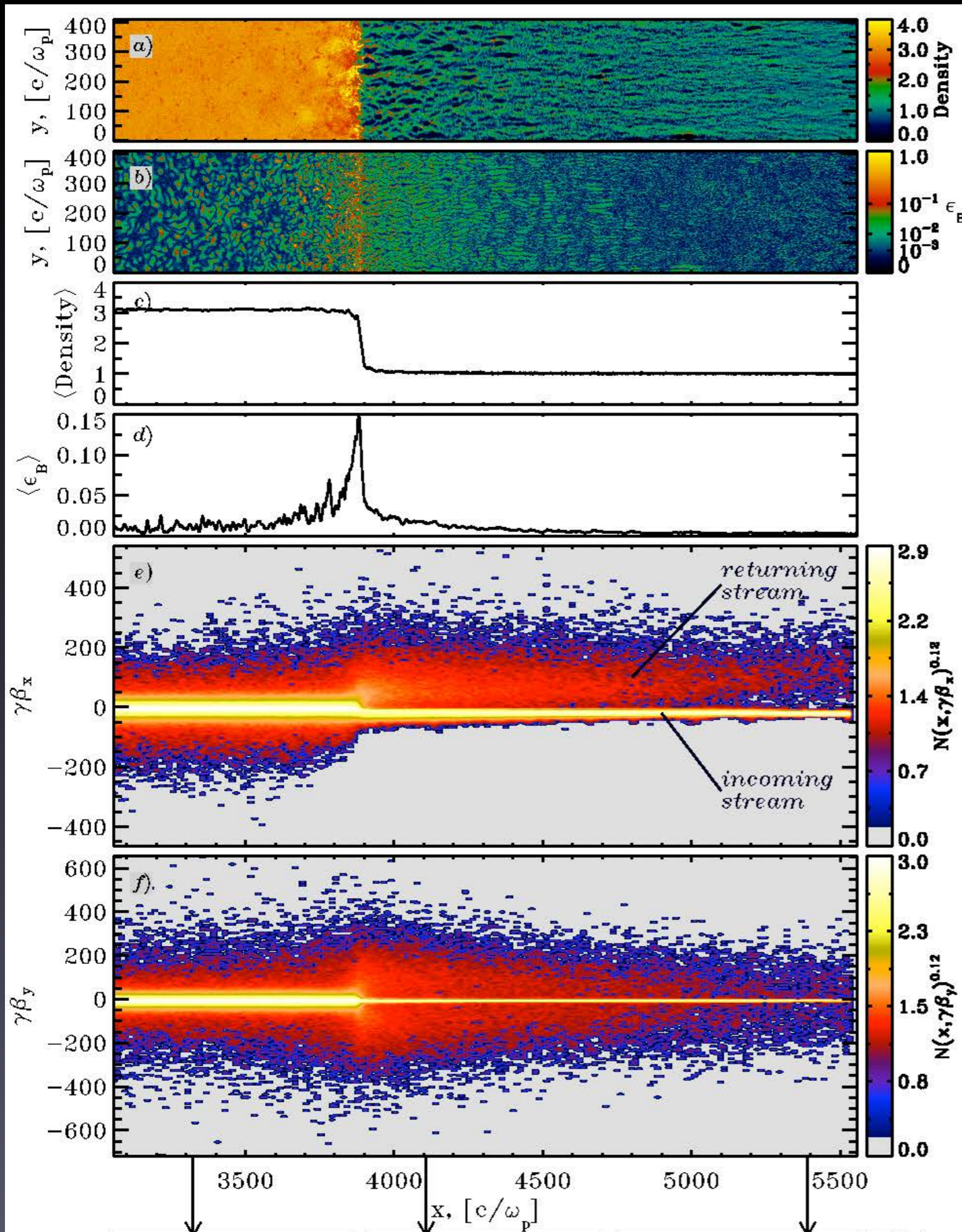
Magnetic energy in 3D.

Filaments on skin depth scale c/ω_p

Unmagnetized pair shock: particle trajectories



color: magnetic energy density



Unmagnetized shock:
shock is driven by
returning particle
precursor (CR!)

*Steady counterstreaming
leads to self-replicating shock
structure*

*x - p_x momentum
space*

*x - p_y momentum
space*

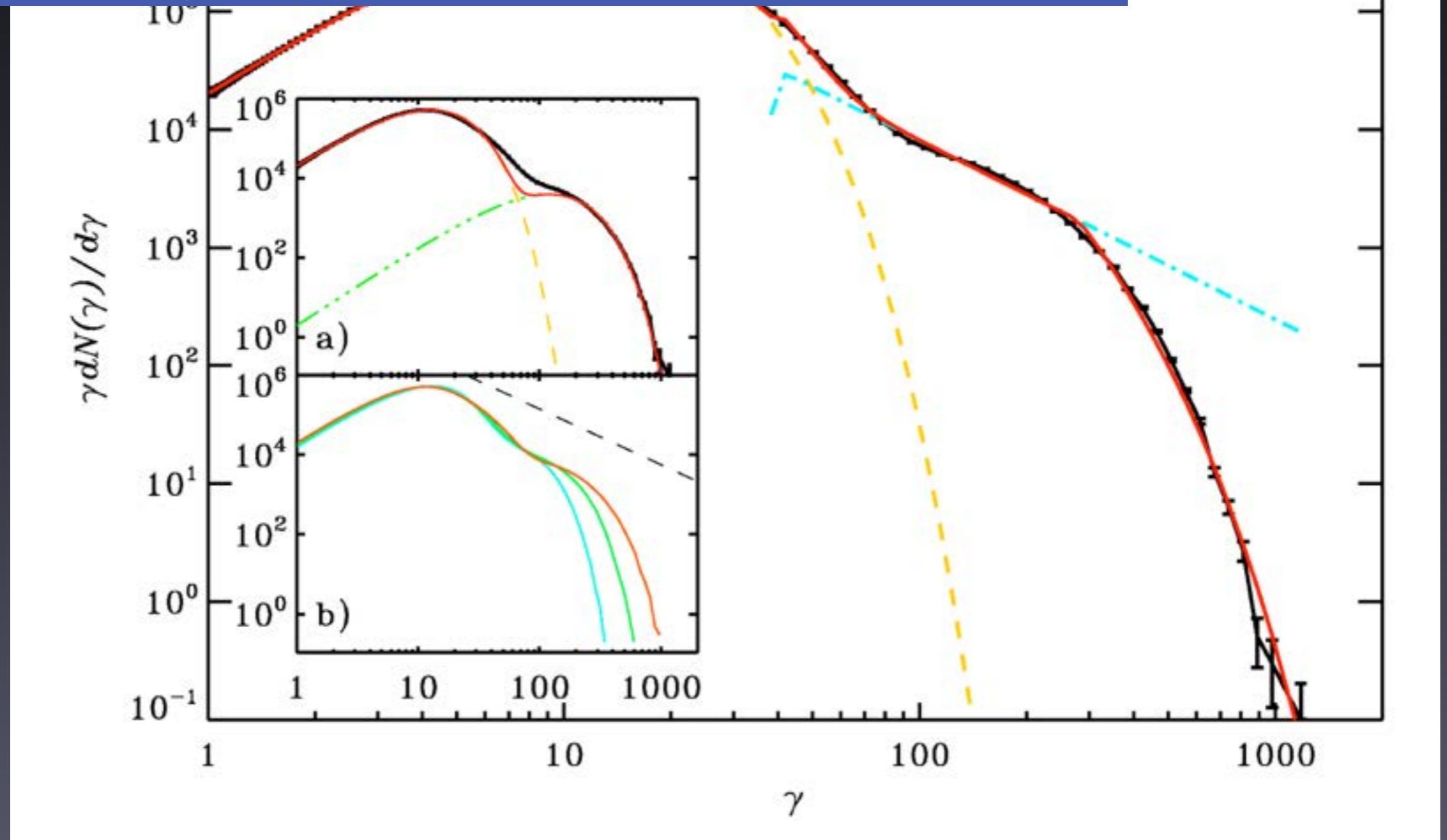
Shock structure for $\sigma=0$ (AS '08)

Unmagnetized pair shock:

downstream spectrum: development of nonthermal tail!

Nonthermal tail develops, $N(E) \sim E^{-2.4}$. Nonthermal contribution is 1% by number, $\sim 10\%$ by energy.

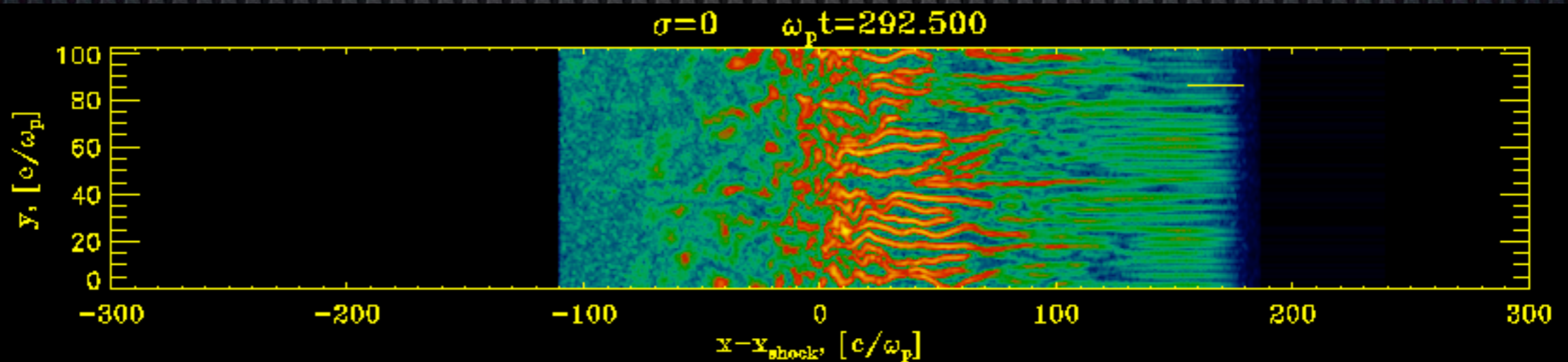
Early signature of this process is seen in the 3D data as well.



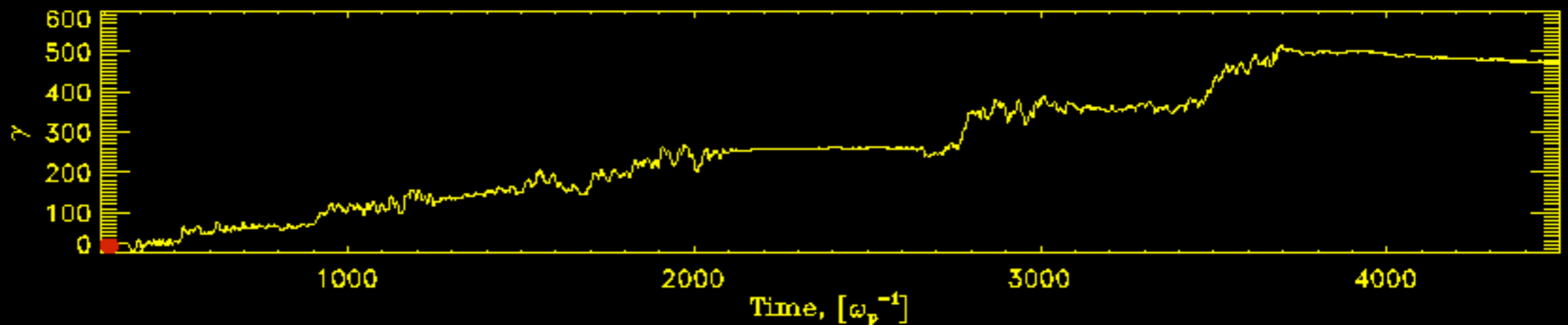
Particle acceleration

Self-generated magnetic turbulence scatters particles across the shock; each crossing results in energy gain -- Fermi process

Magnetic filaments

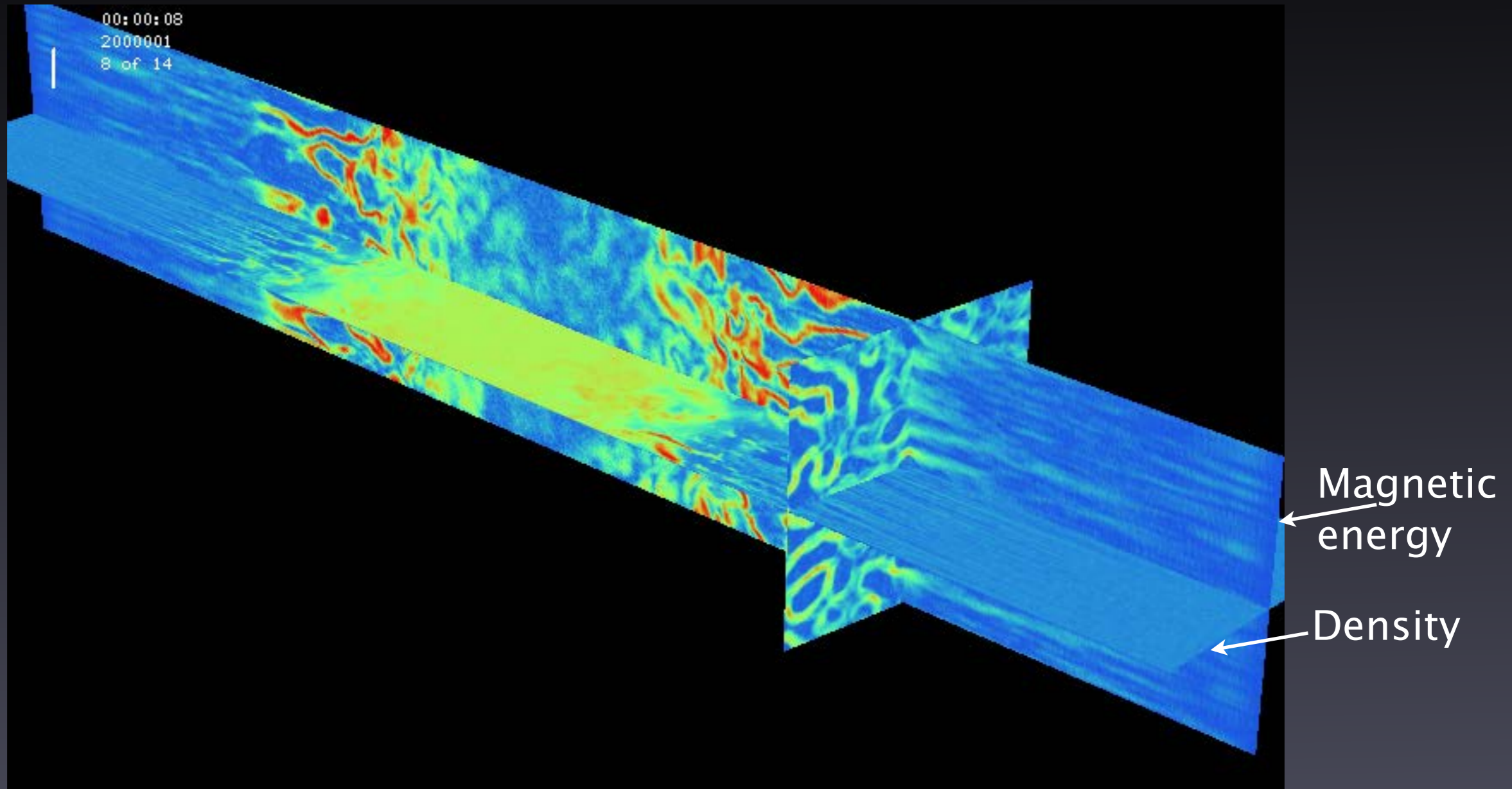


Particle energy



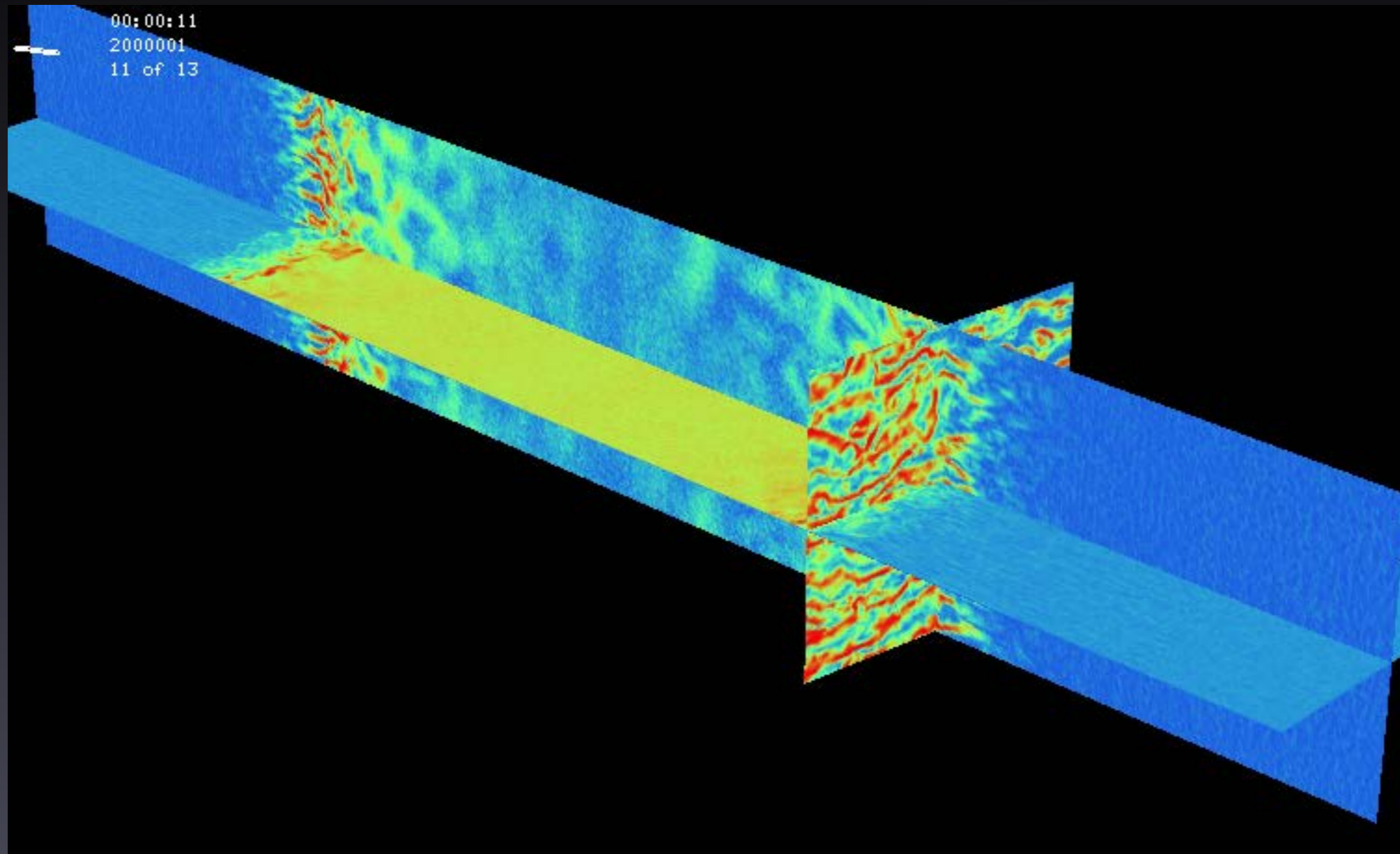
Transition between magnetized and unmagnetized shocks:

$\sigma=0$

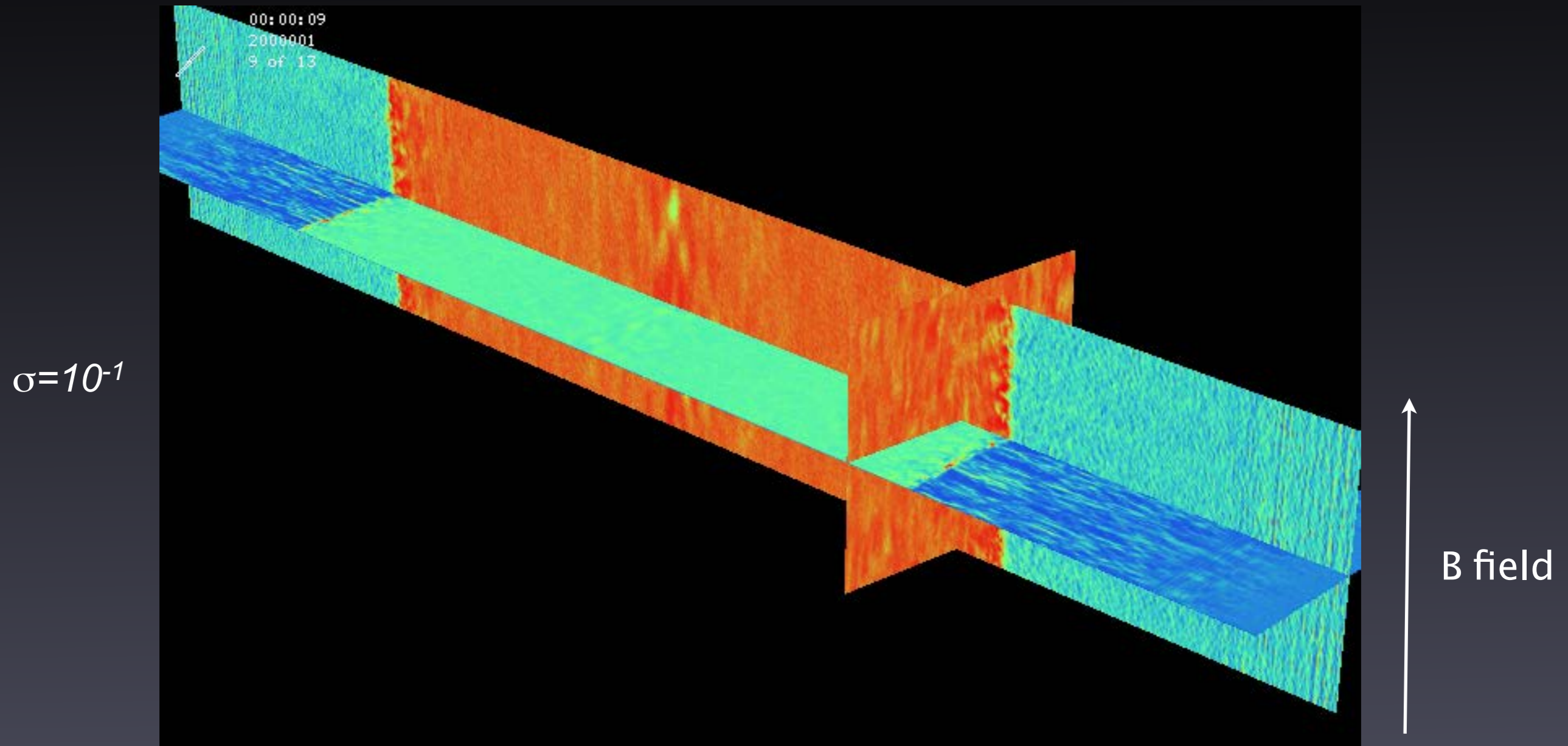


Transition between magnetized and unmagnetized shocks:

$\sigma=10^{-3}$



Transition between magnetized and unmagnetized shocks:



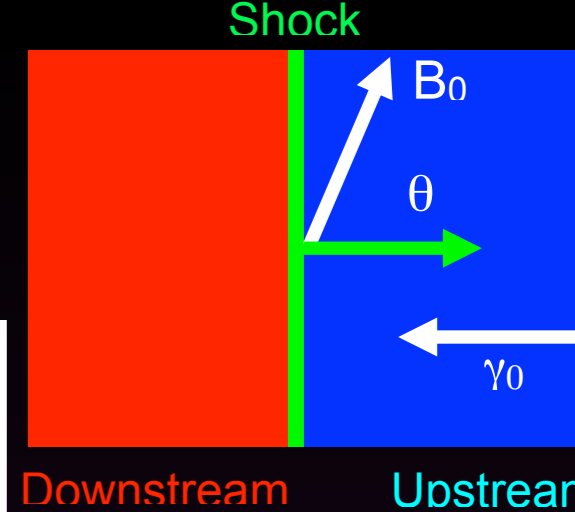
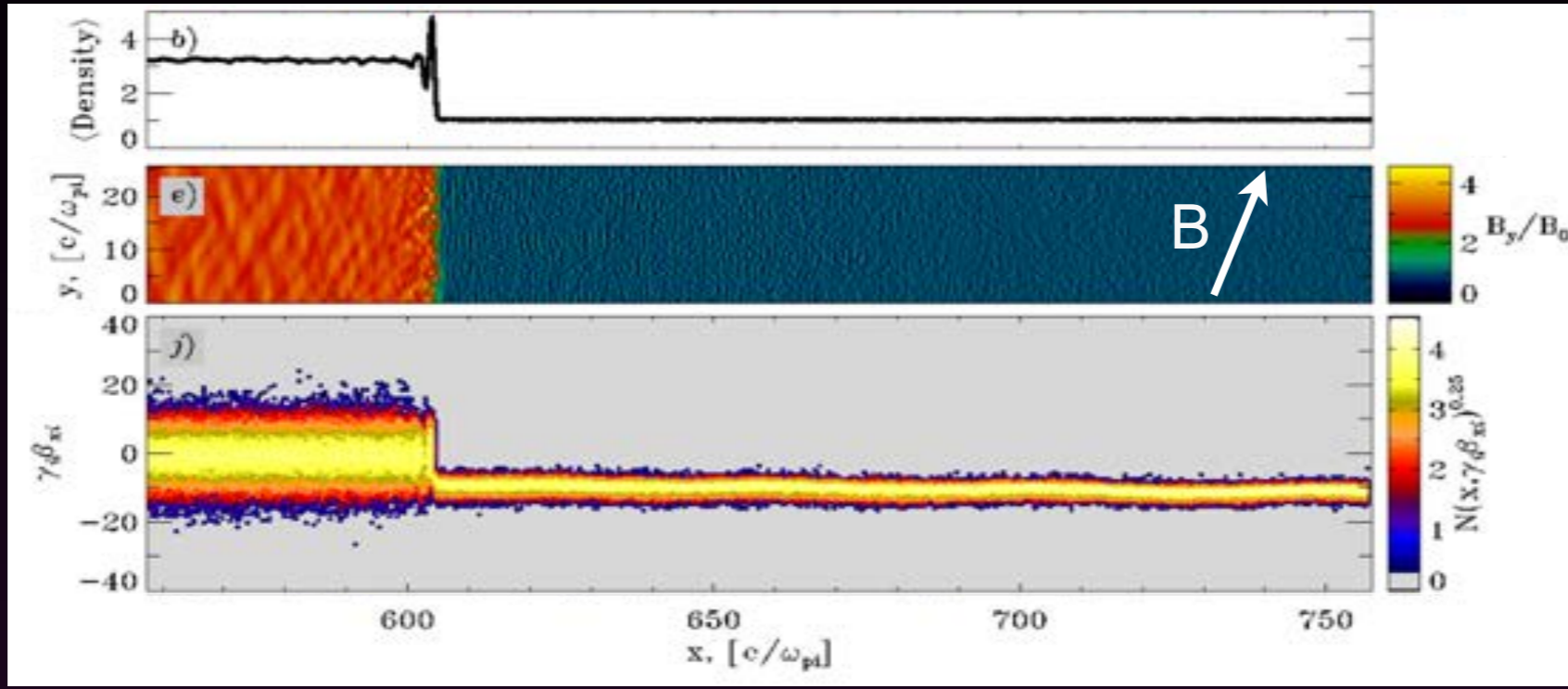
Acceleration: $\sigma < 10^{-3}$ produce power laws, $\sigma > 10^{-3}$ just thermalize

Perpendicular vs parallel shocks

- Quasi-perpendicular shocks: mediated by magnetic reflection

<Density>

$\sigma=0.1$
 $\theta=75^\circ$
 $\gamma_0=15$
 e^-p^+



Downstream Upstream

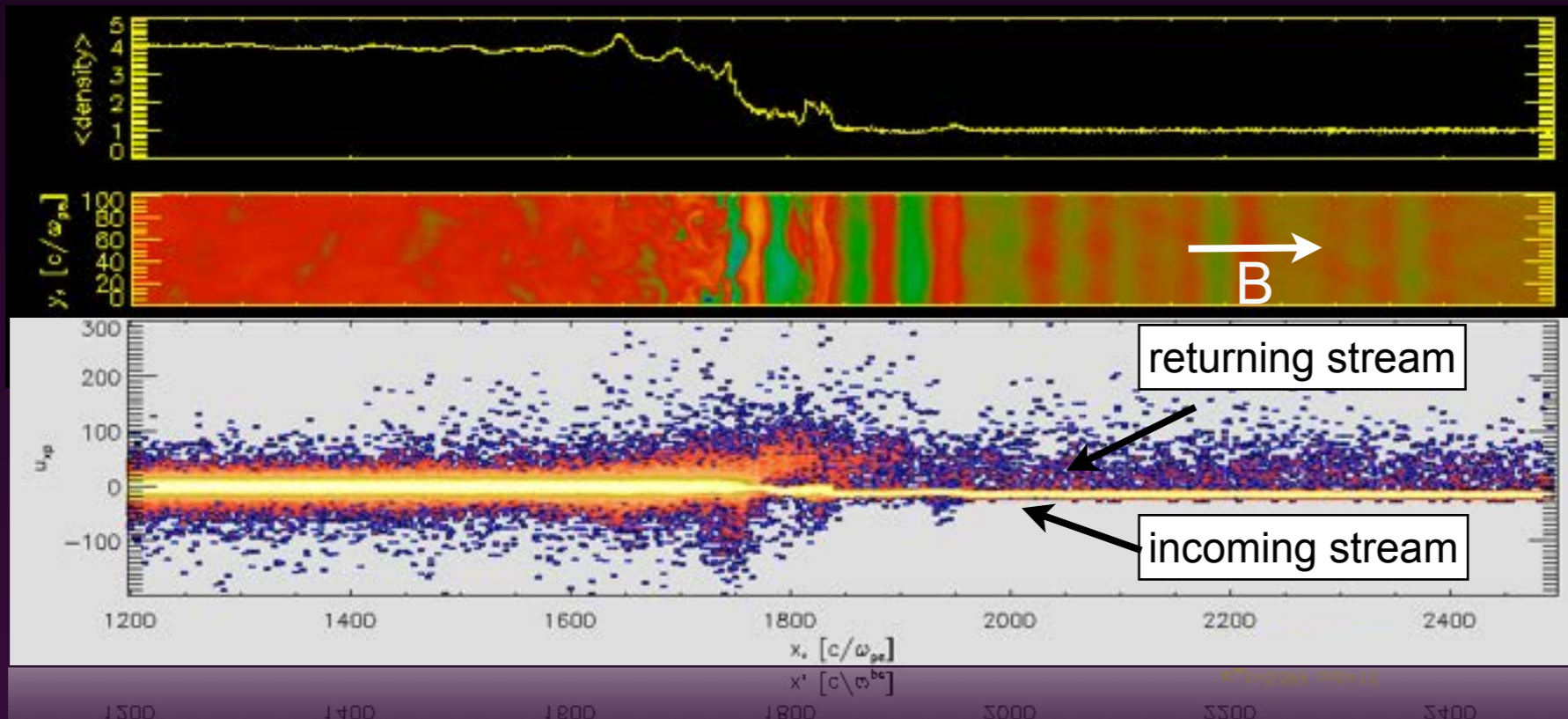
B_y

$\gamma\beta_x$

(Sironi and AS 11)

- Quasi-parallel shocks: instabilities amplify transverse field component

$\sigma=0.1$
 $\theta=15^\circ$
 $\gamma_0=15$
 e^-p^+



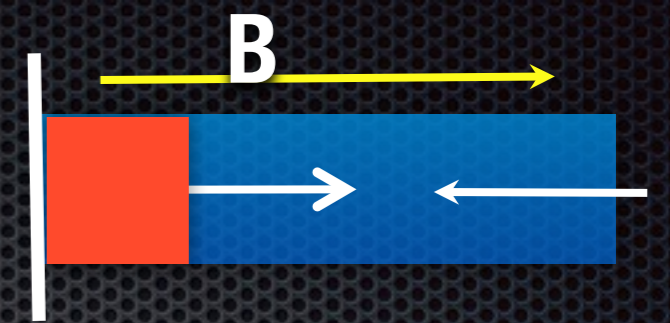
<Density>

B_y

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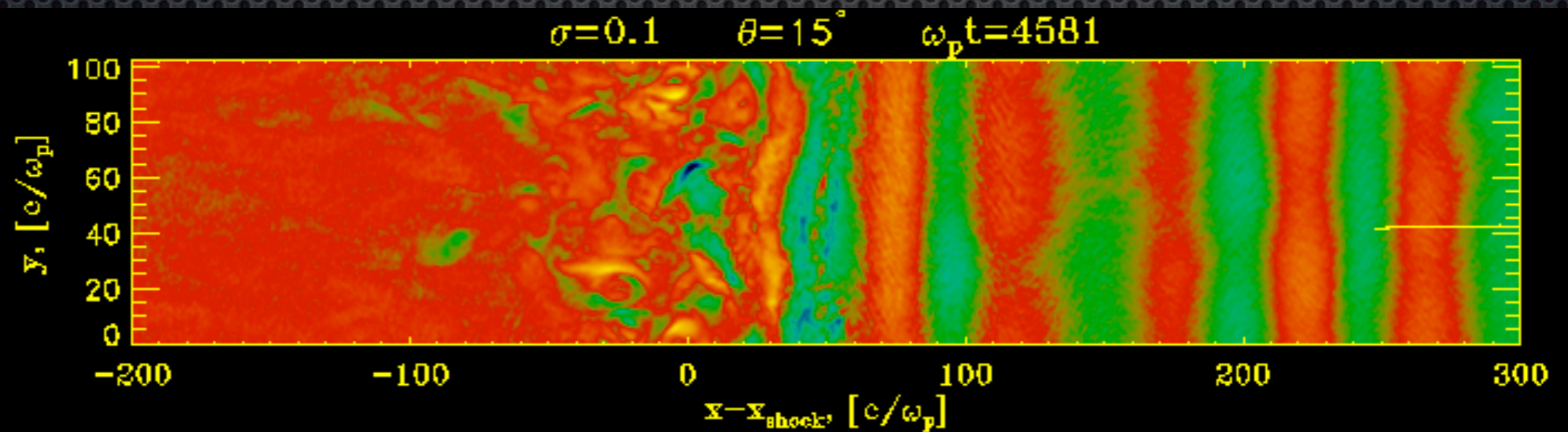
(Sironi & AS 11)

Particle acceleration

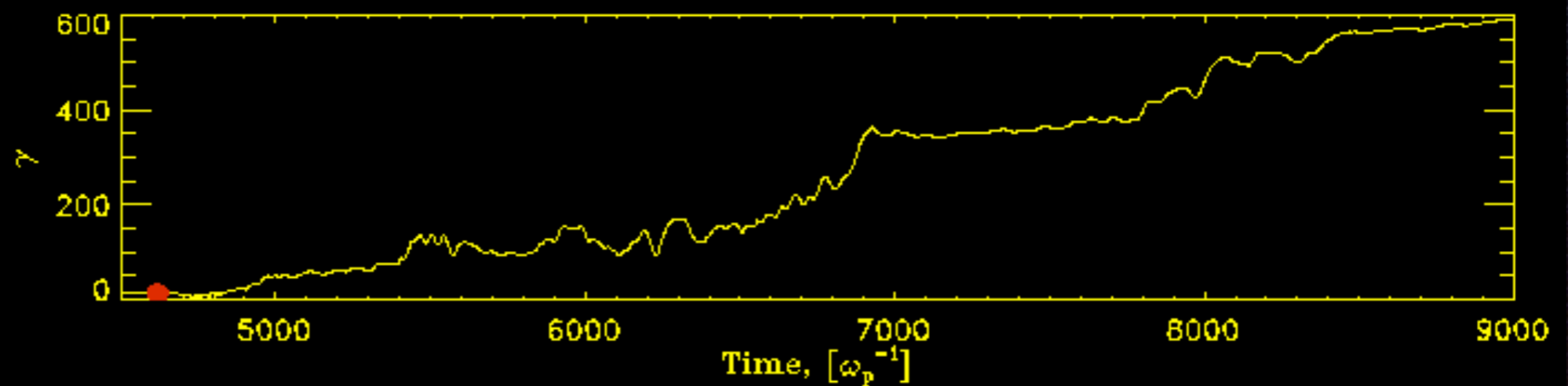


Magnetized shock (parallel, e-p): scattering on self-generated upstream waves

Magnetic energy

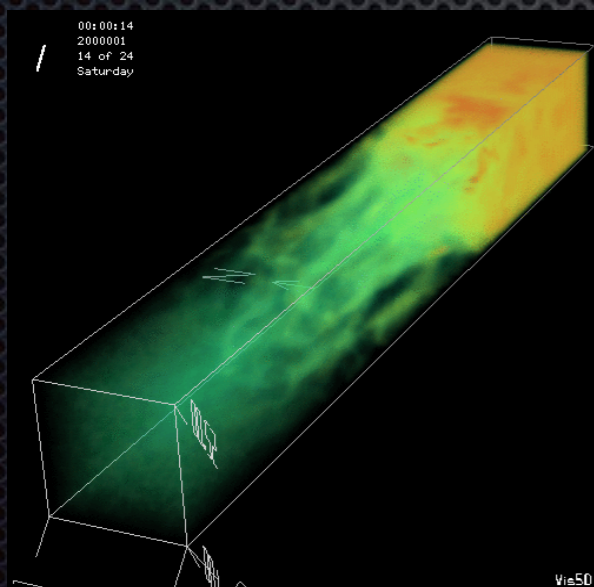
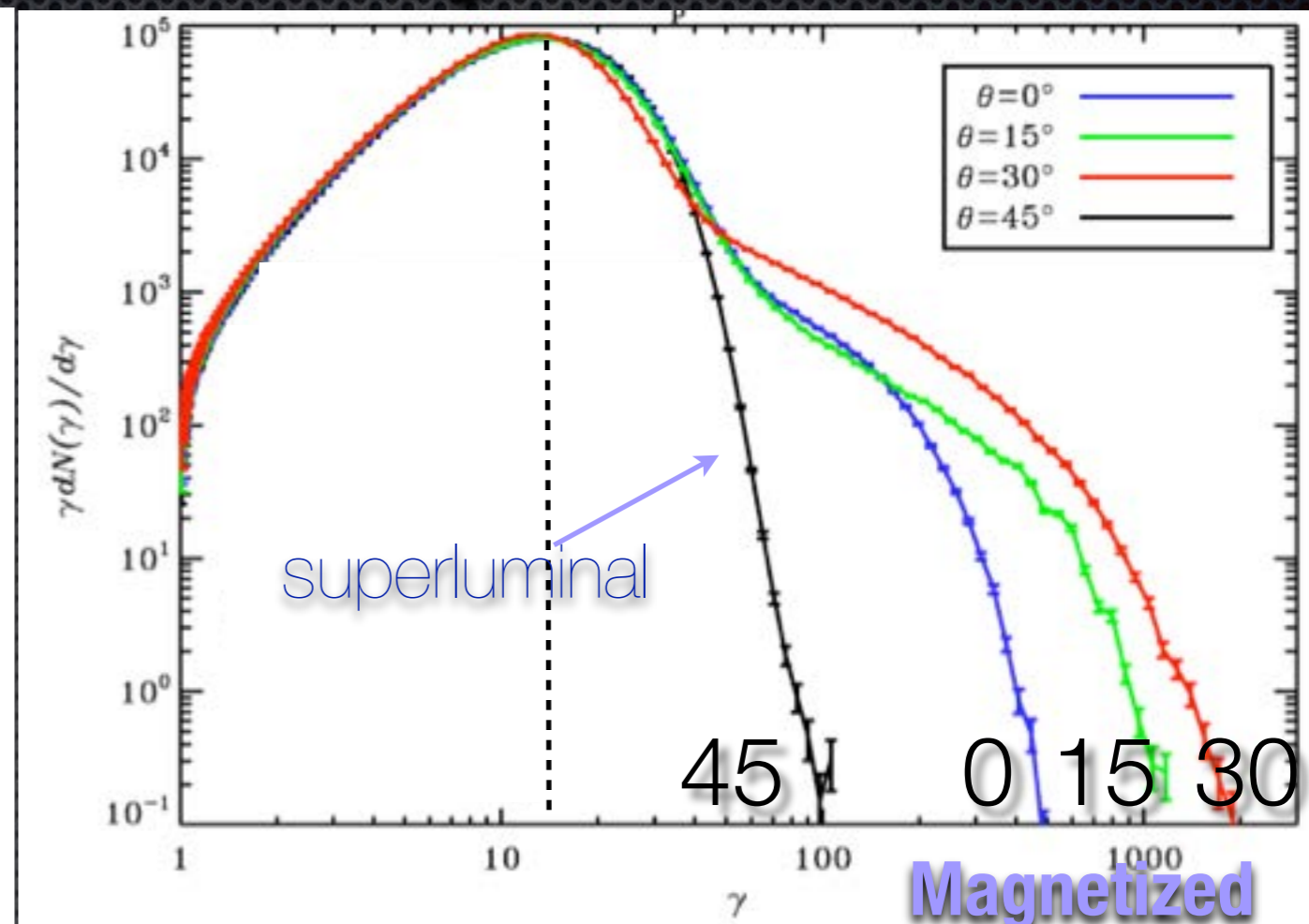
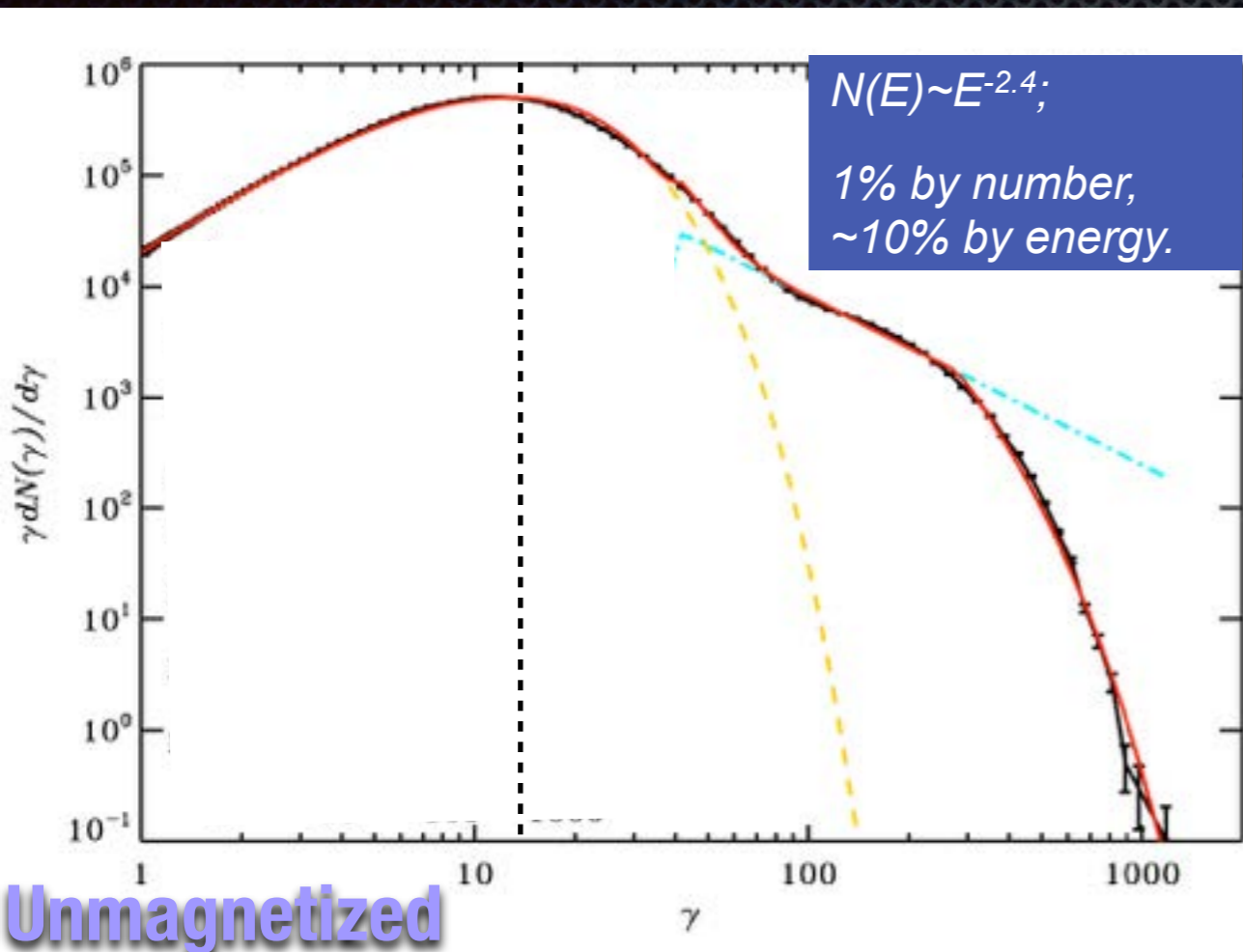


Particle energy

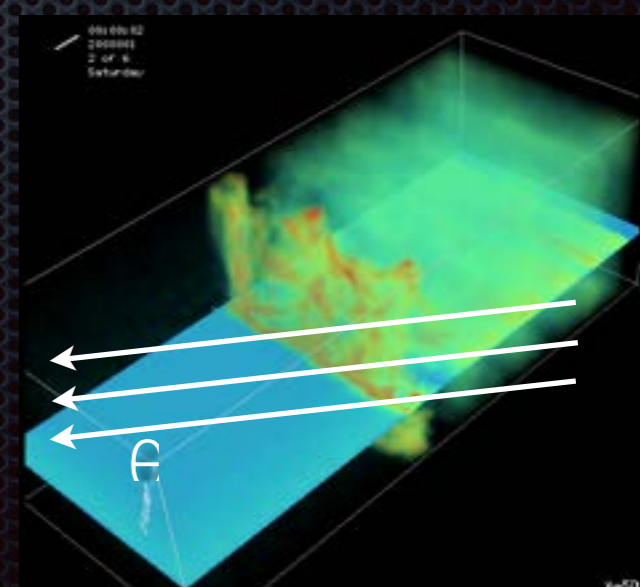


Particle acceleration: pairs

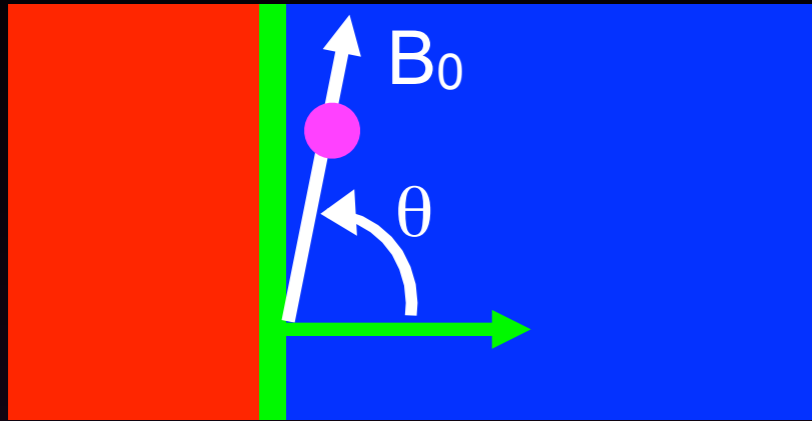
Sironi & AS 09



Conditions for acceleration in relativistic shocks:
low magnetization of the flow
or quasi-parallel B field.

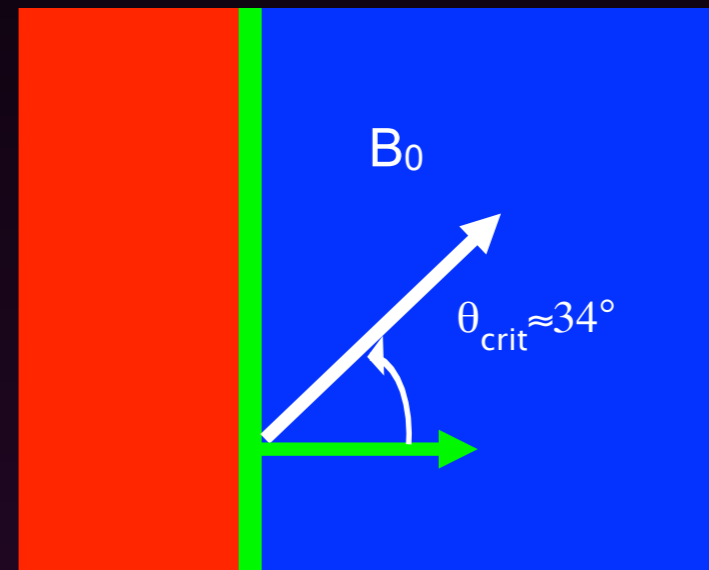
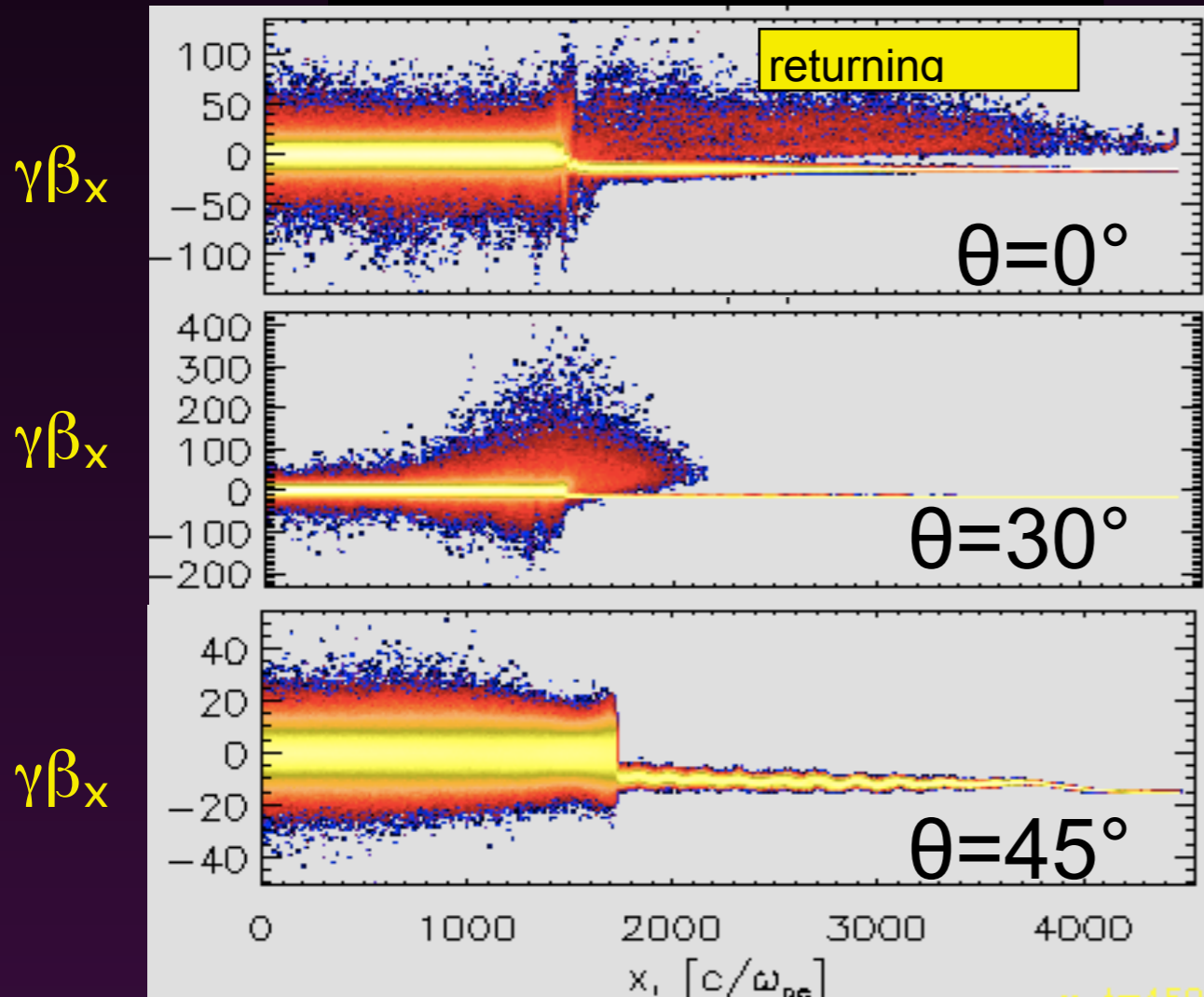


Superluminal vs subluminal shocks



σ is large \rightarrow particles slide along field lines
 θ is large \rightarrow particles cannot outrun the shock
 unless $v > c$ ("superluminal" shock)
 \Rightarrow no returning particles in superluminal shocks

$\sigma=0.1 \ \gamma_0=15 \ e^-p^+$ shock



Subluminal / superluminal
 boundary at $\theta \sim 34^\circ$

\rightarrow Fermi acceleration
 should be suppressed

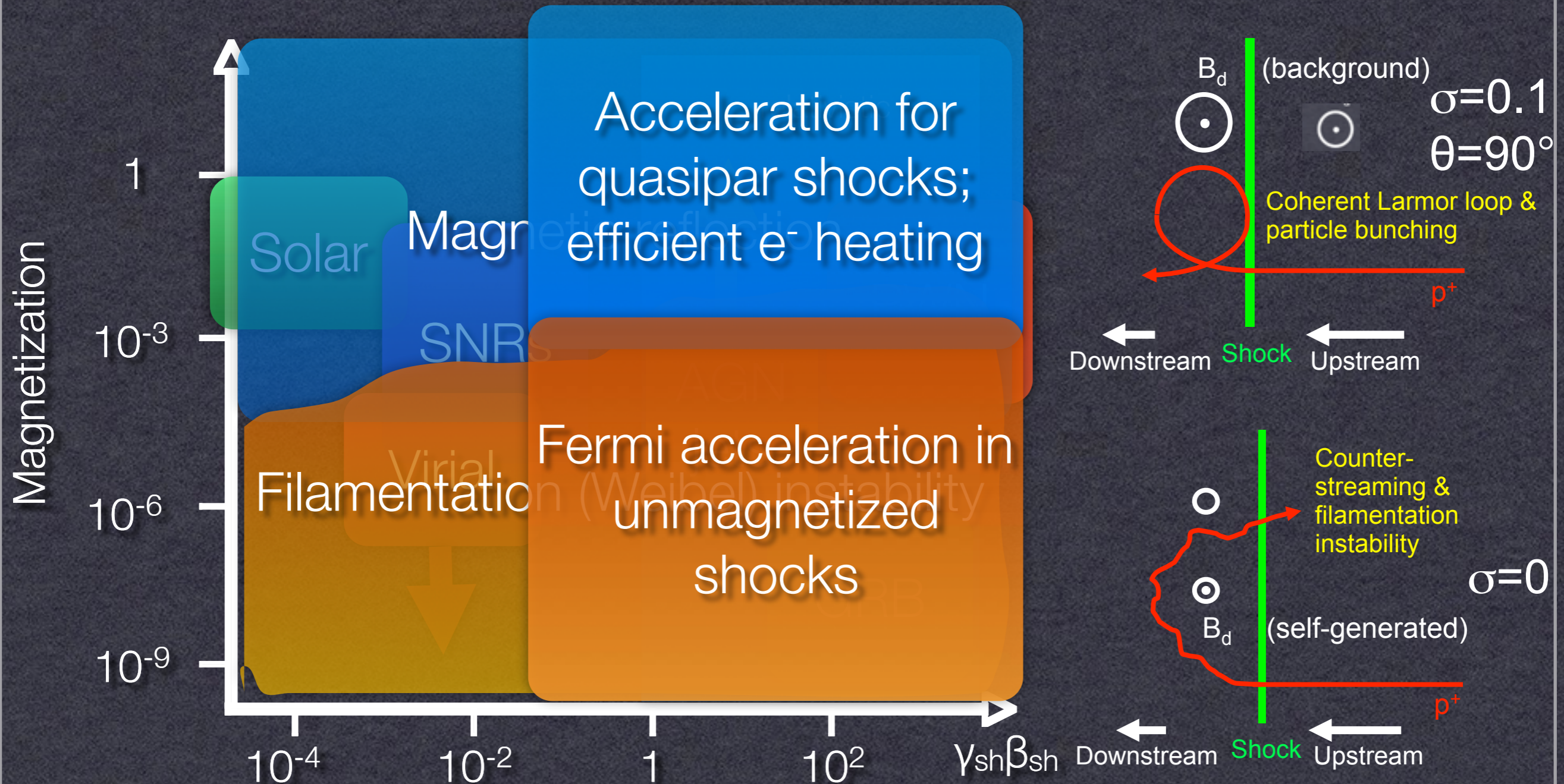
If $\sigma > 10^{-3}$, particle acceleration only for:

$\theta < \theta_{crit} \approx 34^\circ$ (downstream frame)

$\theta' < 34^\circ / \gamma_0 \ll 1$ (upstream frame)

Parameter space of shocks

$$\sigma \equiv \frac{B^2/4\pi}{(\gamma - 1)nm c^2} = \frac{1}{M_A^2} = \left(\frac{\omega_c}{\omega_p}\right)^2 \left(\frac{c}{v}\right)^2 = \left[\frac{c/\omega_p}{R_L}\right]^2$$



Astrophysical implications

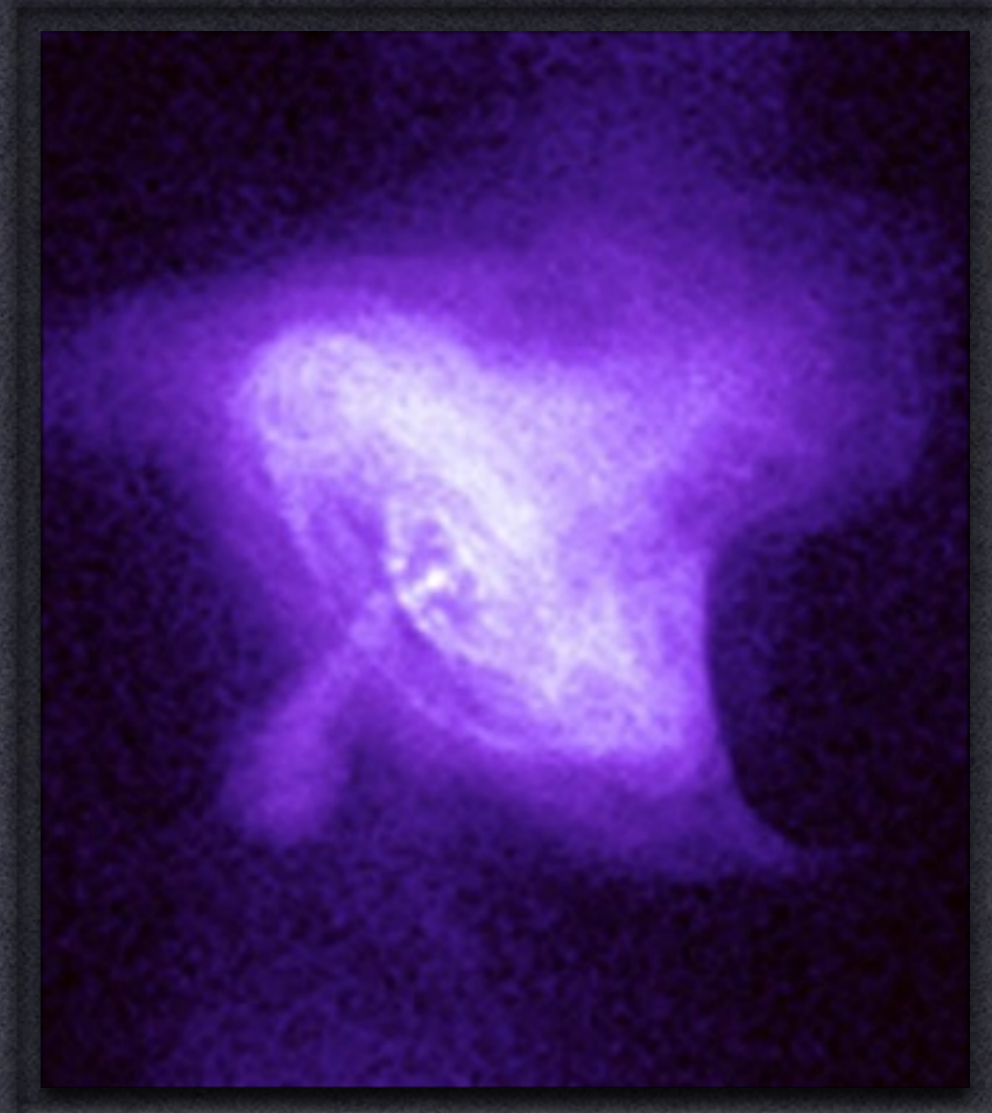
✦ Pulsar Wind Nebulae

Toroidal magnetic geometry will accelerate particles if field is weak at the shock

Implies efficient magnetic dissipation in the wind

Low equatorial magnetization -- consistent with PWN morphology

Alternative: magnetic dissipation at the shock (reconnection)



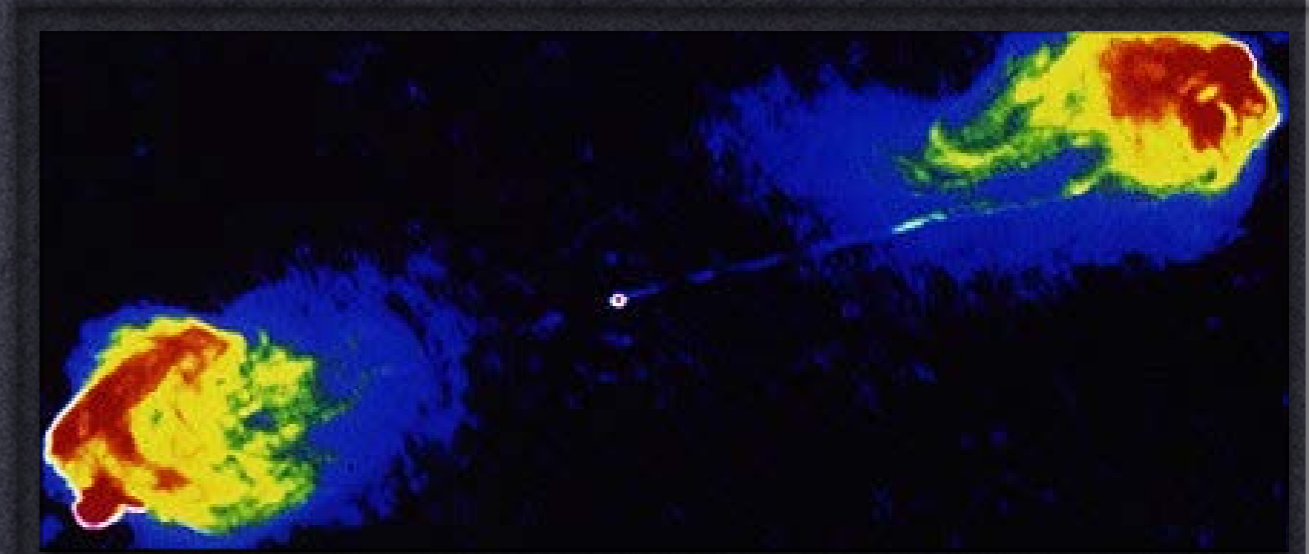
Astrophysical implications

✦ AGN Jets

High magnetization toroidal field configuration is disfavored

Either magnetic field is dissipated in the process of acceleration,

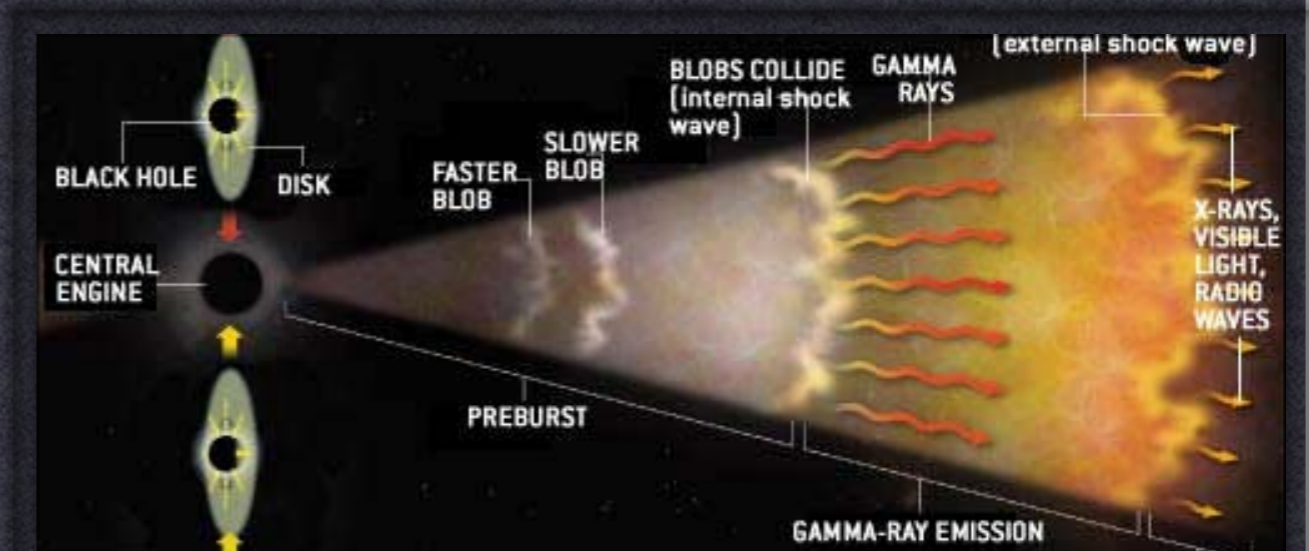
or field is reoriented to lie along the flow (sheath vs spine flows?)



✦ GRB jets

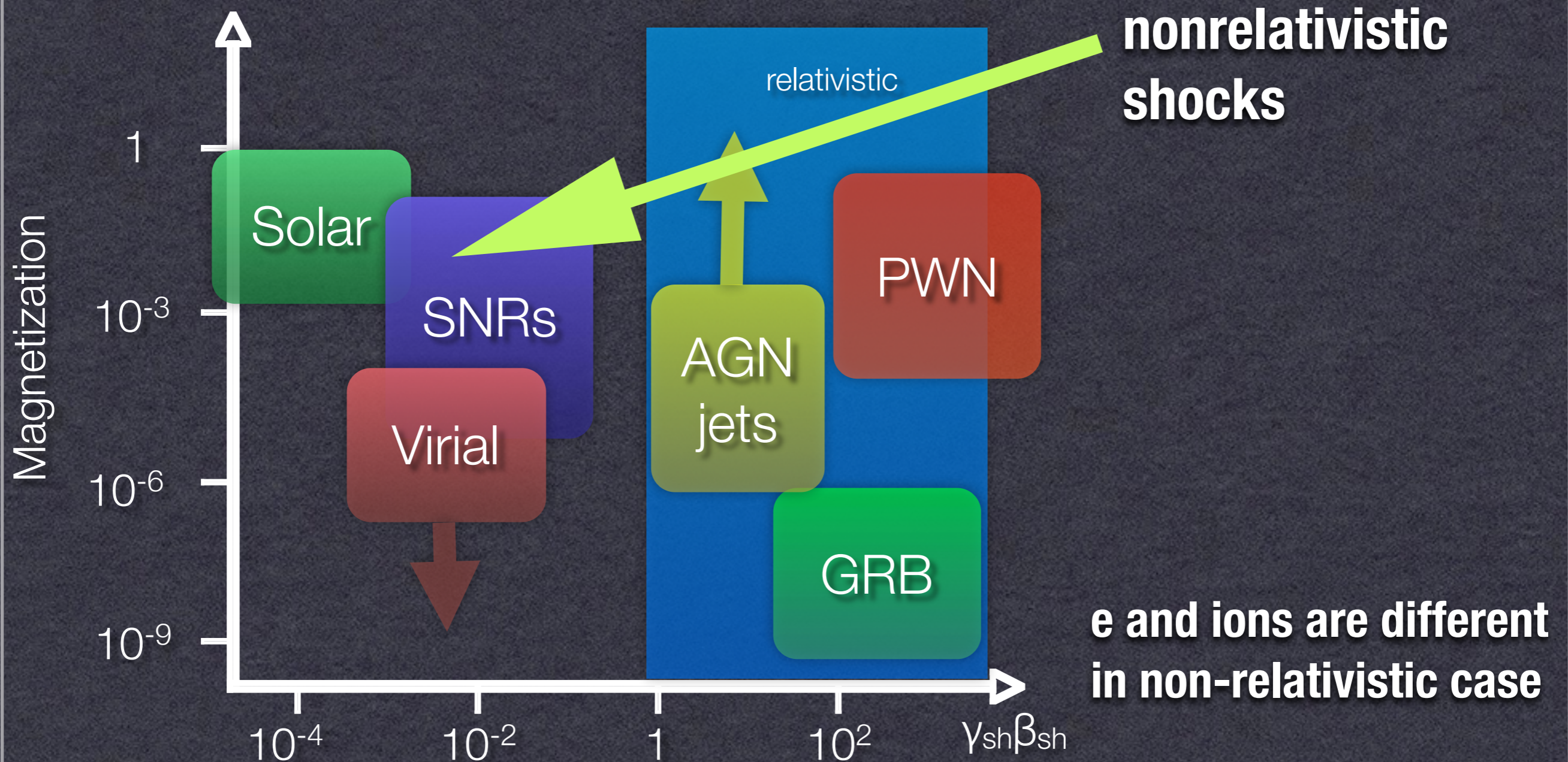
Low magnetization external shocks can work; Field survival?

Efficient electron heating explains high energy fraction in electrons



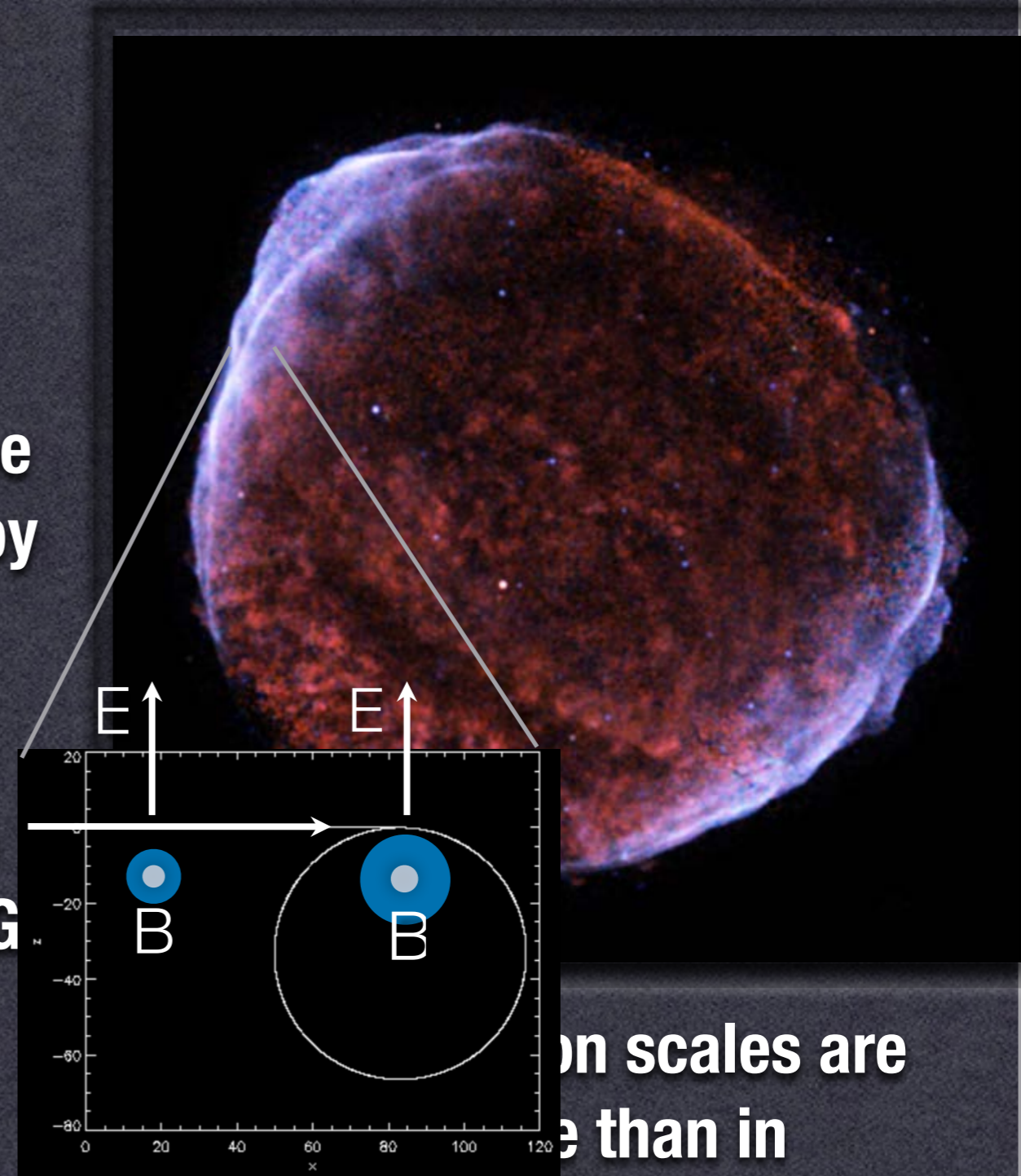
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Nonrelativistic shocks

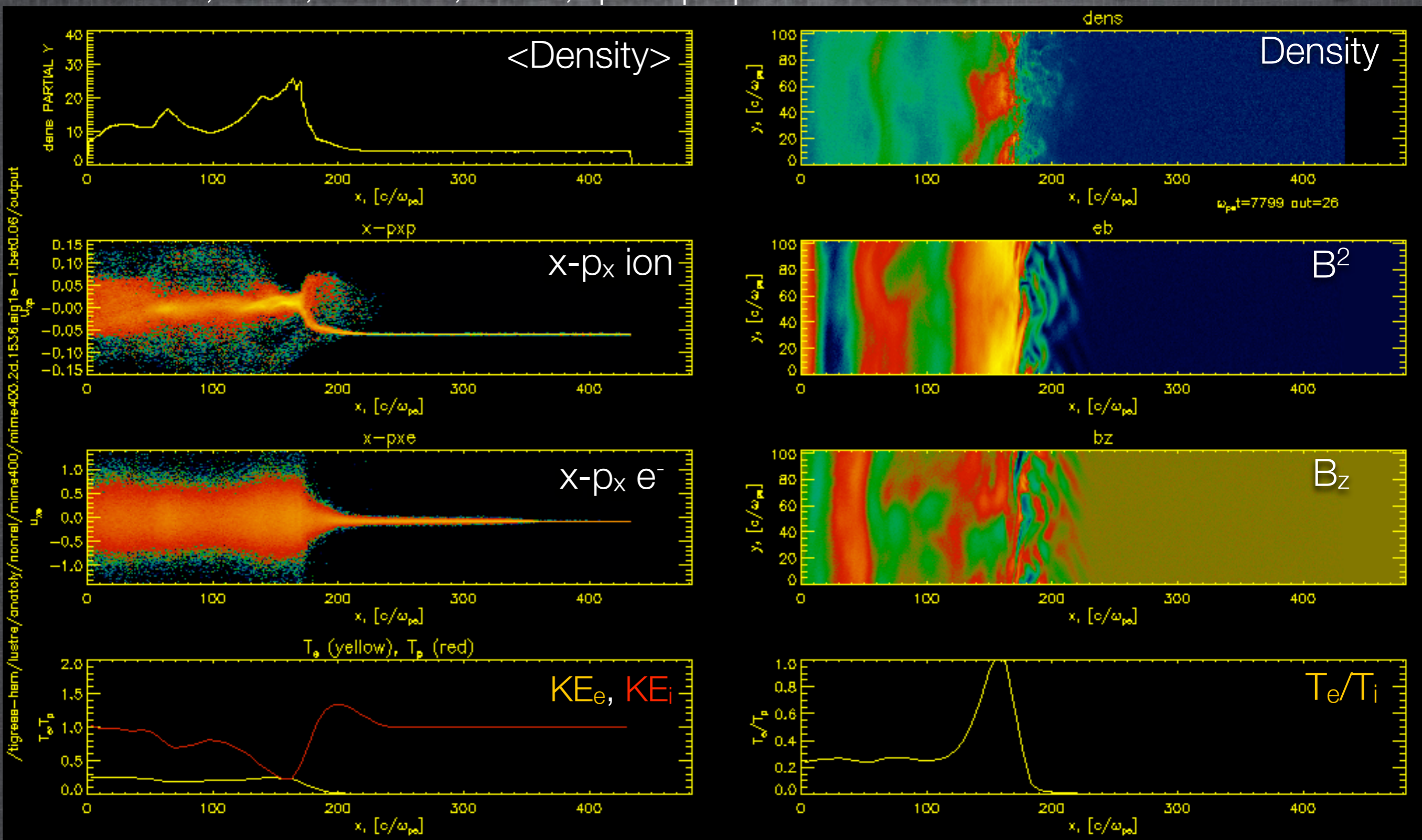
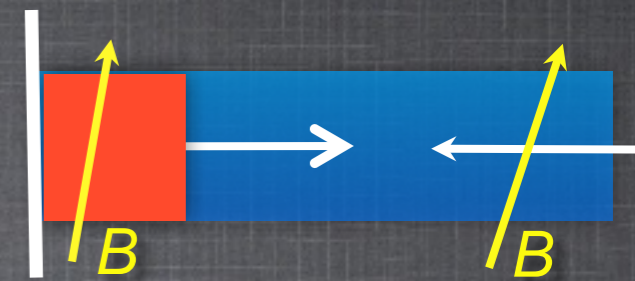
- ✦ Thin synchrotron-emitting rims observed in supernove remnants (SNRs)
- ✦ Electrons are accelerated to 100 TeV energies
- ✦ Cosmic Ray protons are inferred to be accelerated efficiently too (10-40% by energy, up to 10^{16} (?) eV)
- ✦ Magnetic field is inferred to be amplified by more than compression at the shock (100 microG vs 3 microG in the ISM)
- ✦ Electrons and ions equilibrate post-shock (Te/Ti much larger than 1/1840)



on scales are
e than in
relativistic shocks

Nonrelativistic shocks: shock structure

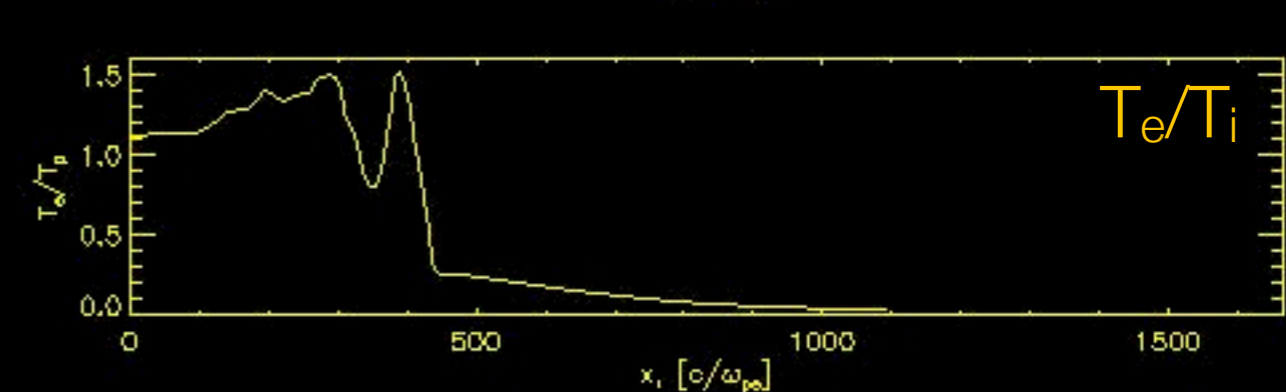
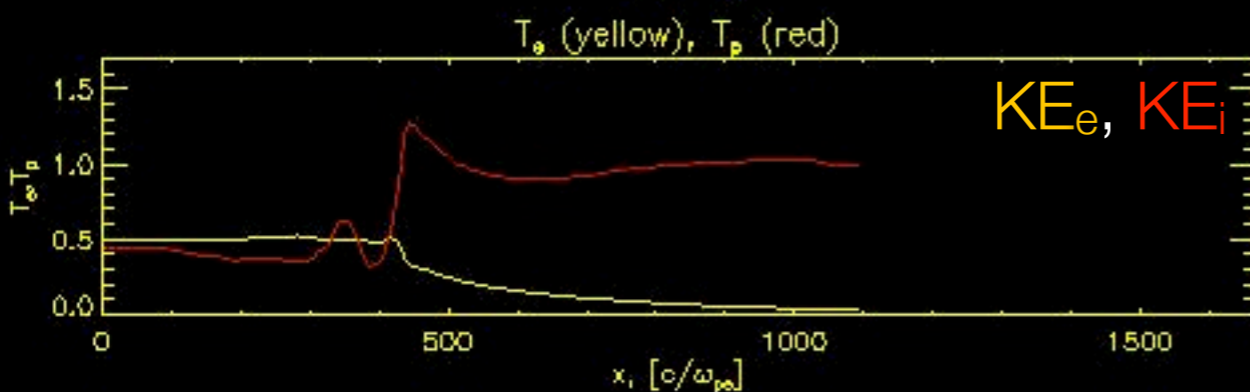
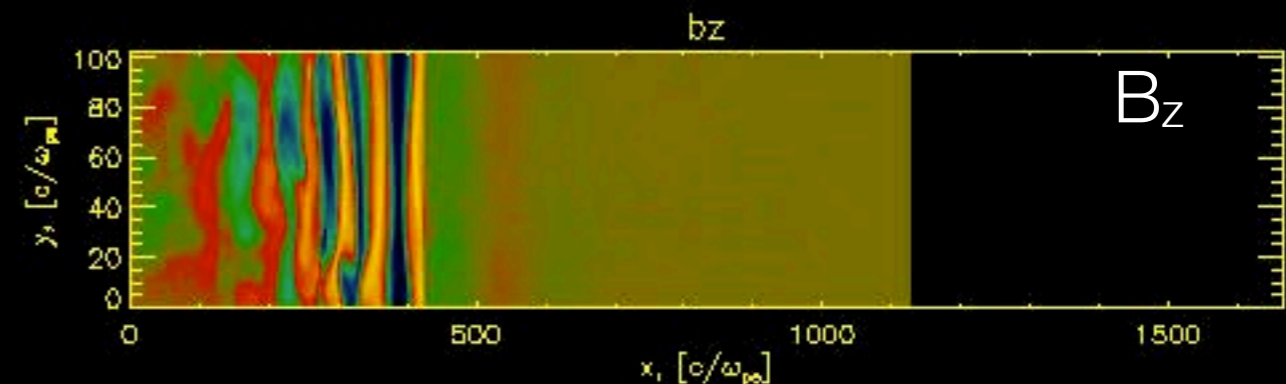
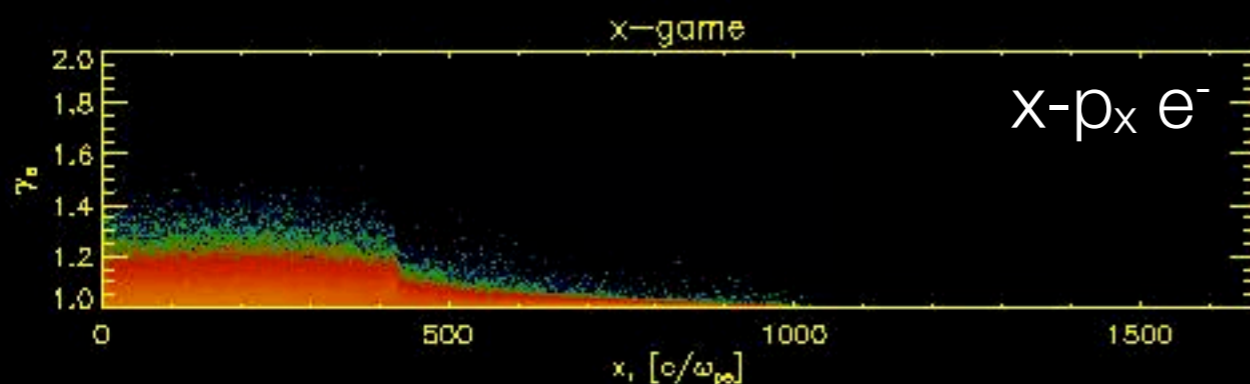
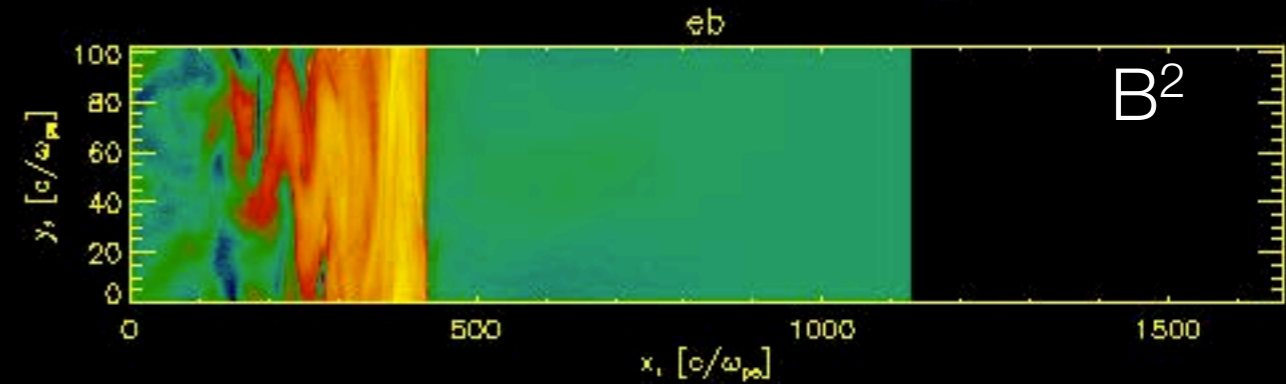
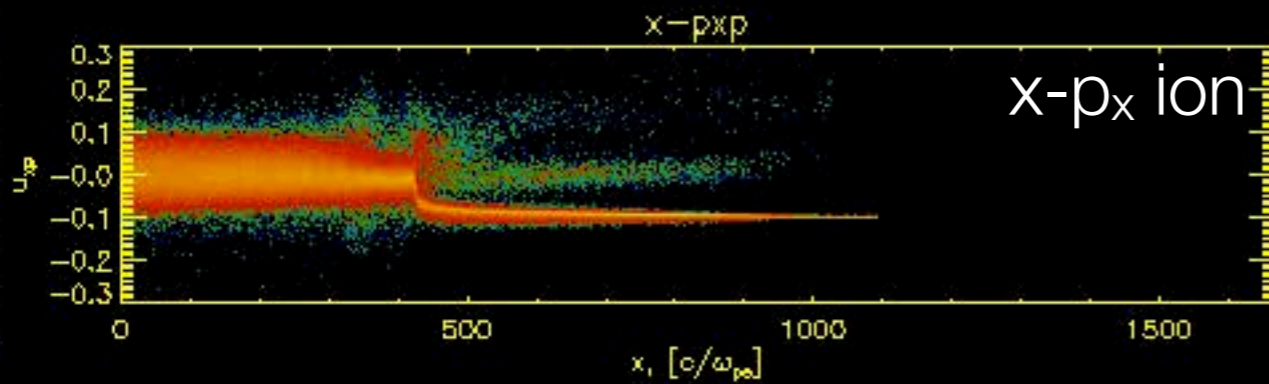
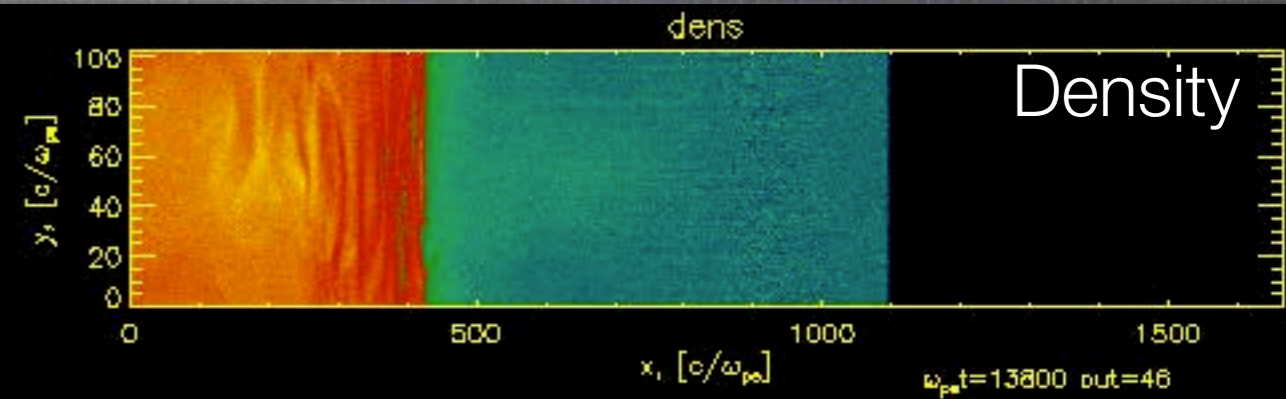
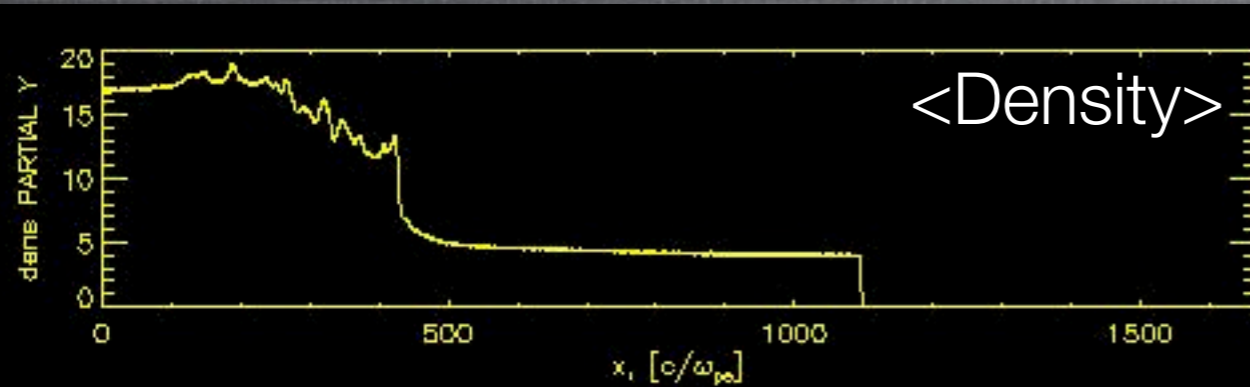
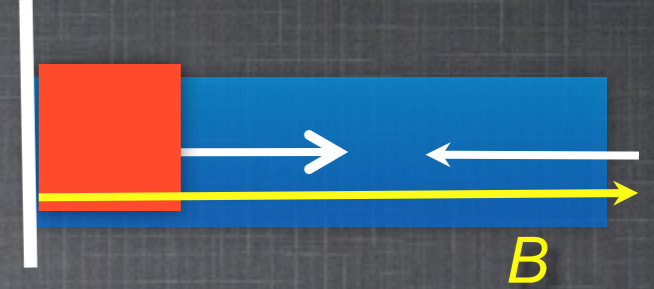
$m_i/m_e=400$, $v=18,000\text{km/s}$, $\text{Ma}=5$, quasi-perp 75° inclination



PIC simulation: Shock foot, ramp, overshoot, returning ions, electron heating, whistlers

Nonrelativistic shocks: quasiparallel shock

$m_i/m_e=30$, $v=30,000\text{km/s}$, $\text{Ma}=5$ parallel 0° inclination

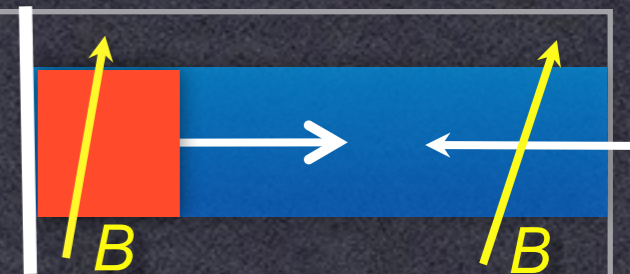


PIC simulation: returning ions, reorientation of B field, shock reformations

Electron acceleration

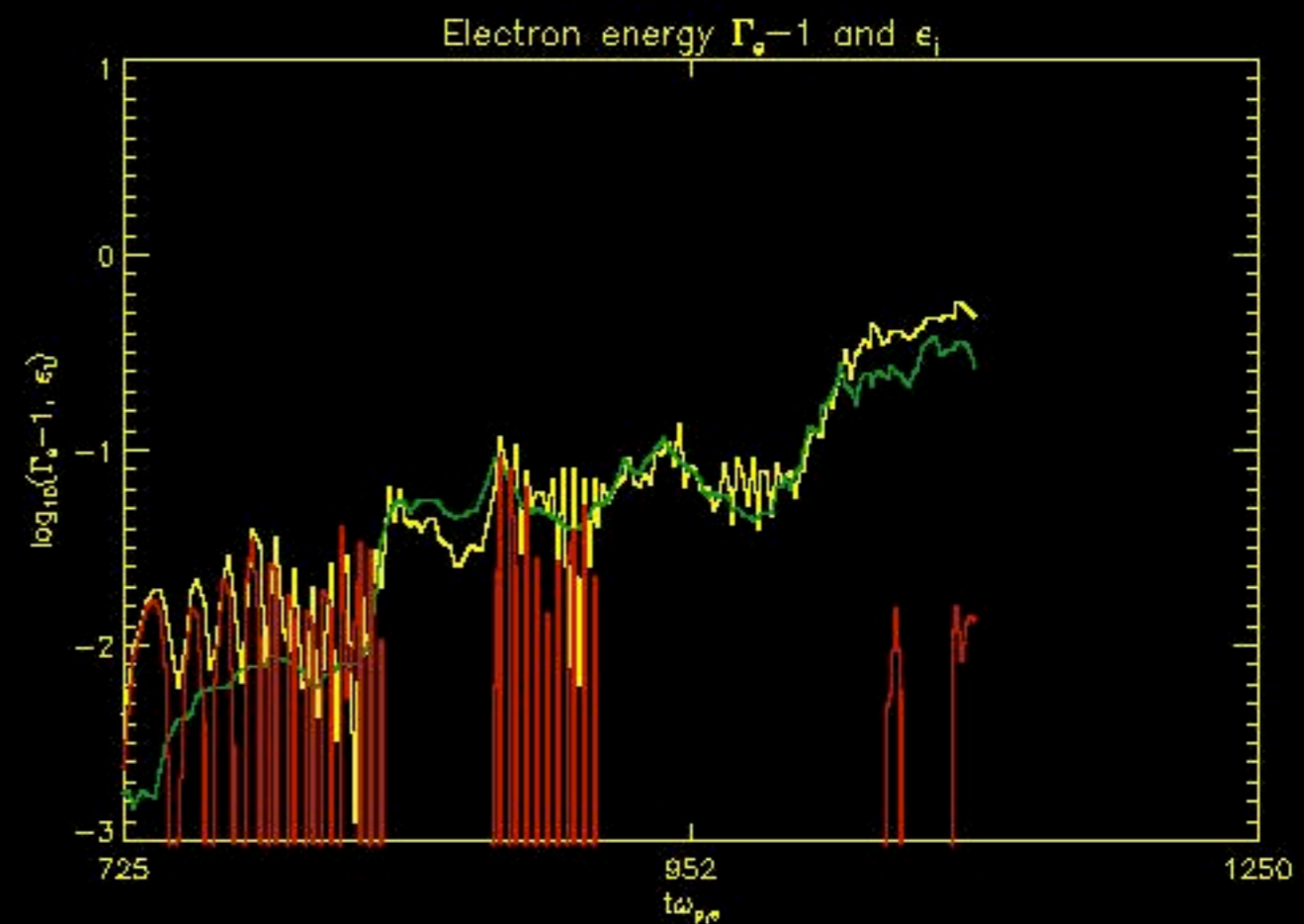
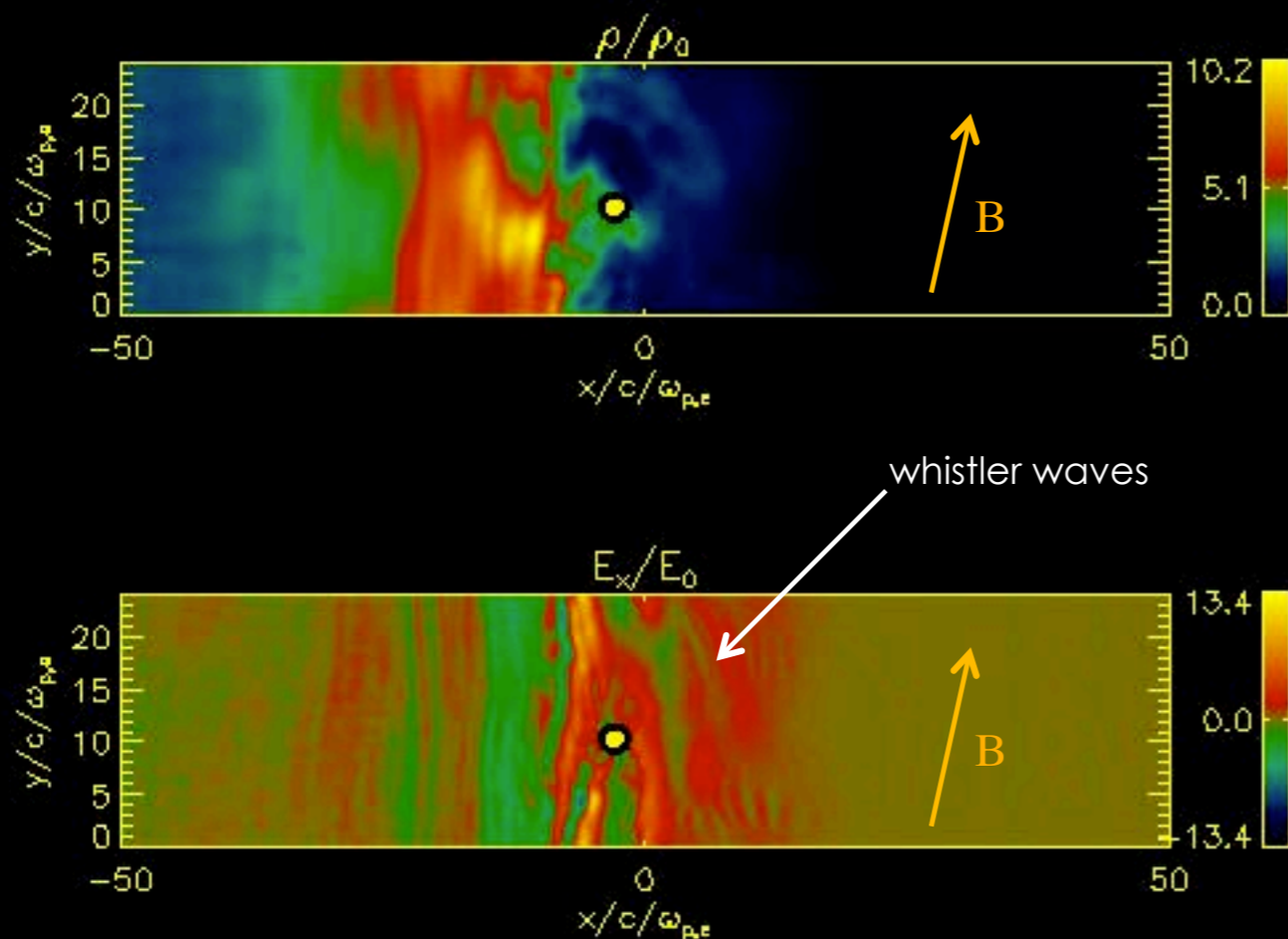
Quasi-perpendicular shock

Whistler waves in the shock foot cause $E \parallel B$.



$$\epsilon_i \equiv \int \frac{e}{m_e c^2} v_i E_i dt$$

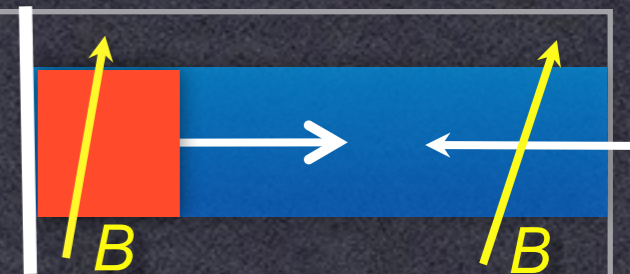
Γ_{e-1} (yellow line), $\epsilon_{\text{parallel}}$ (green line), and $\epsilon_{\text{perpendicular}}$ (red line)



Electron acceleration

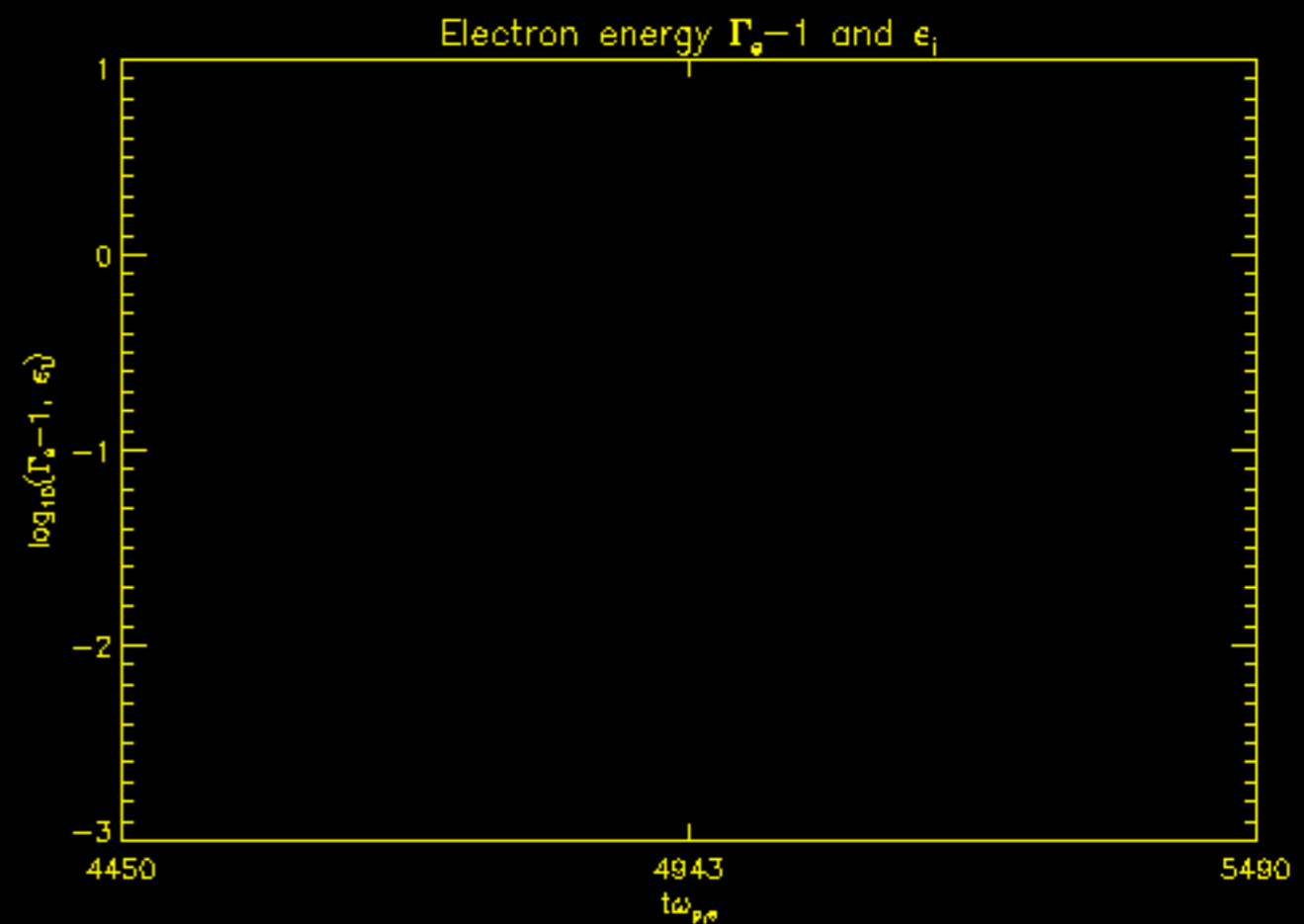
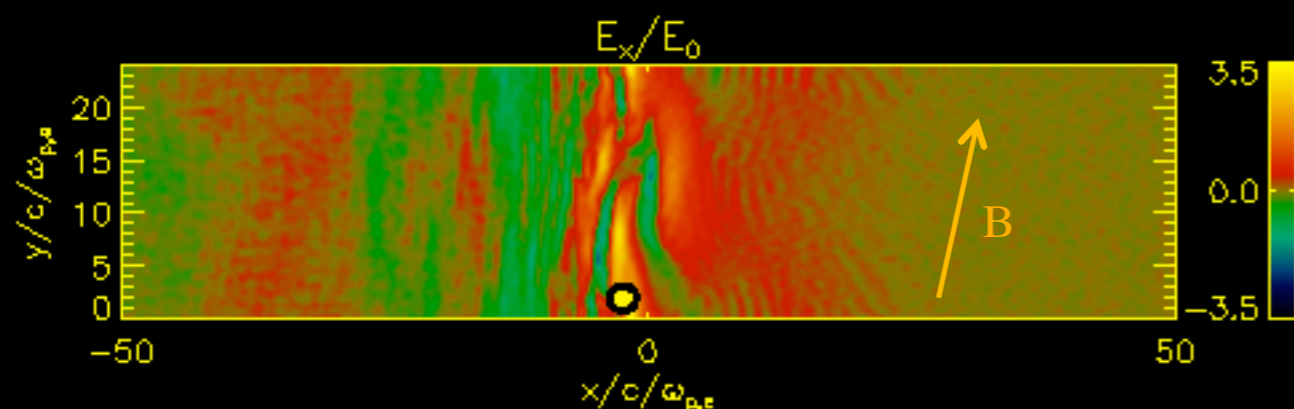
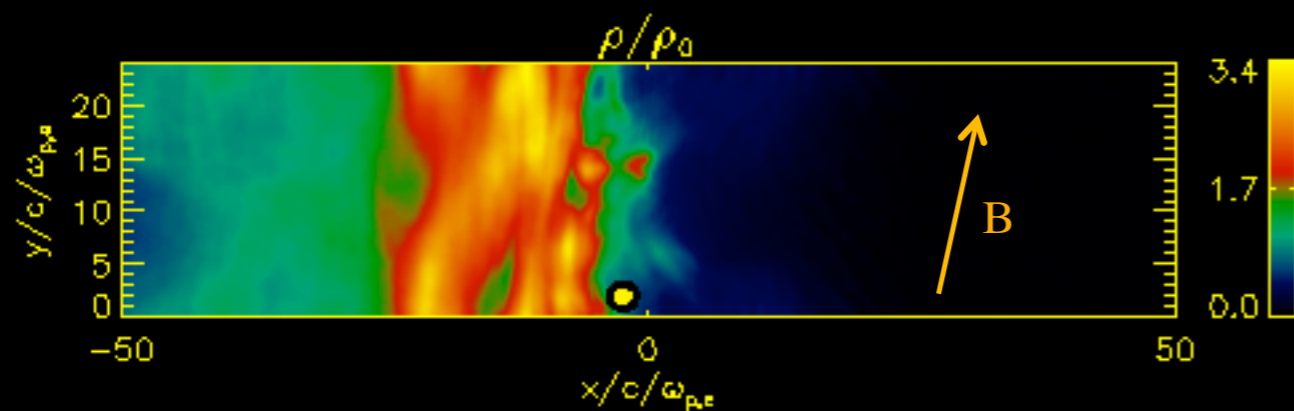
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Γ_{e-1} (yellow line), $\epsilon_{\text{parallel}}$ (green line), and $\epsilon_{\text{perpendicular}}$ (red line)



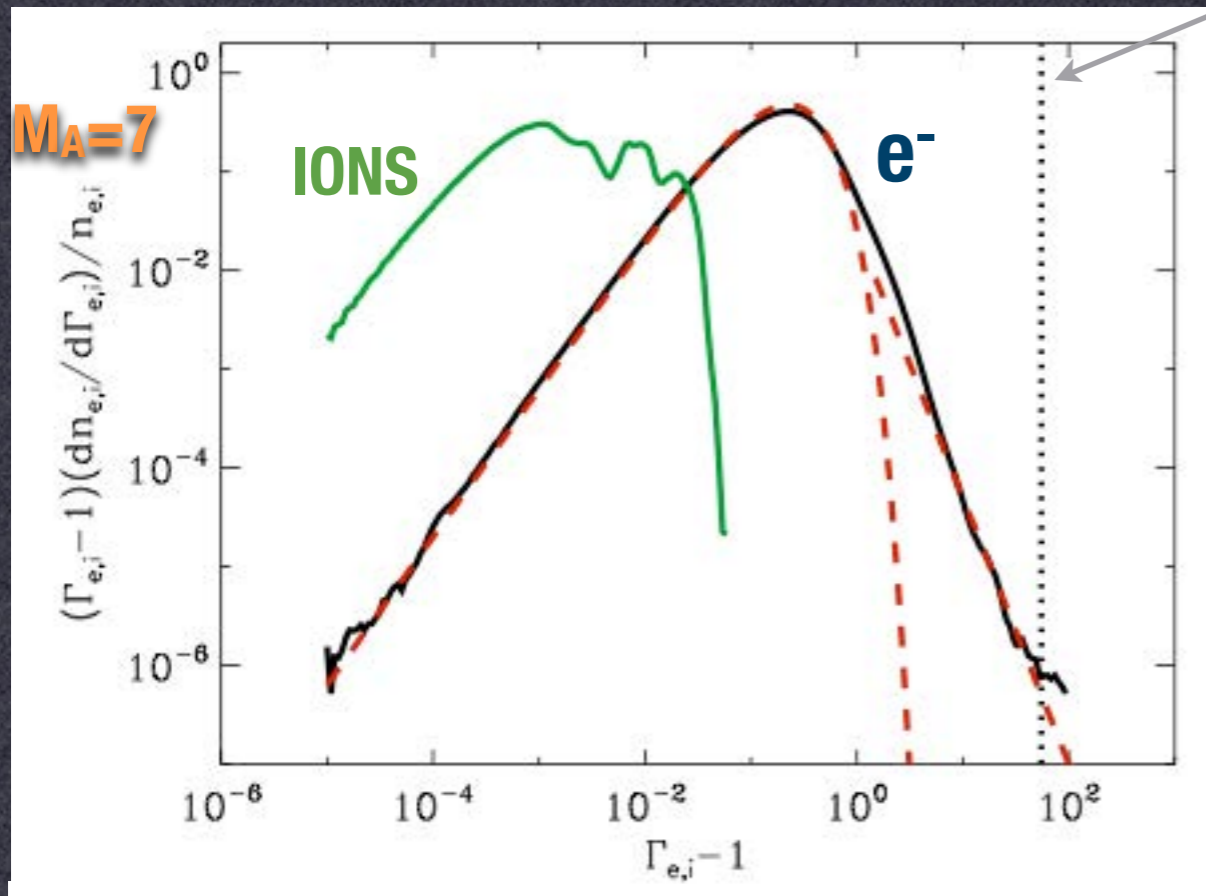
We observe pre-acceleration of electrons to energies comparable to ion energies (injection)

Parameter dependence

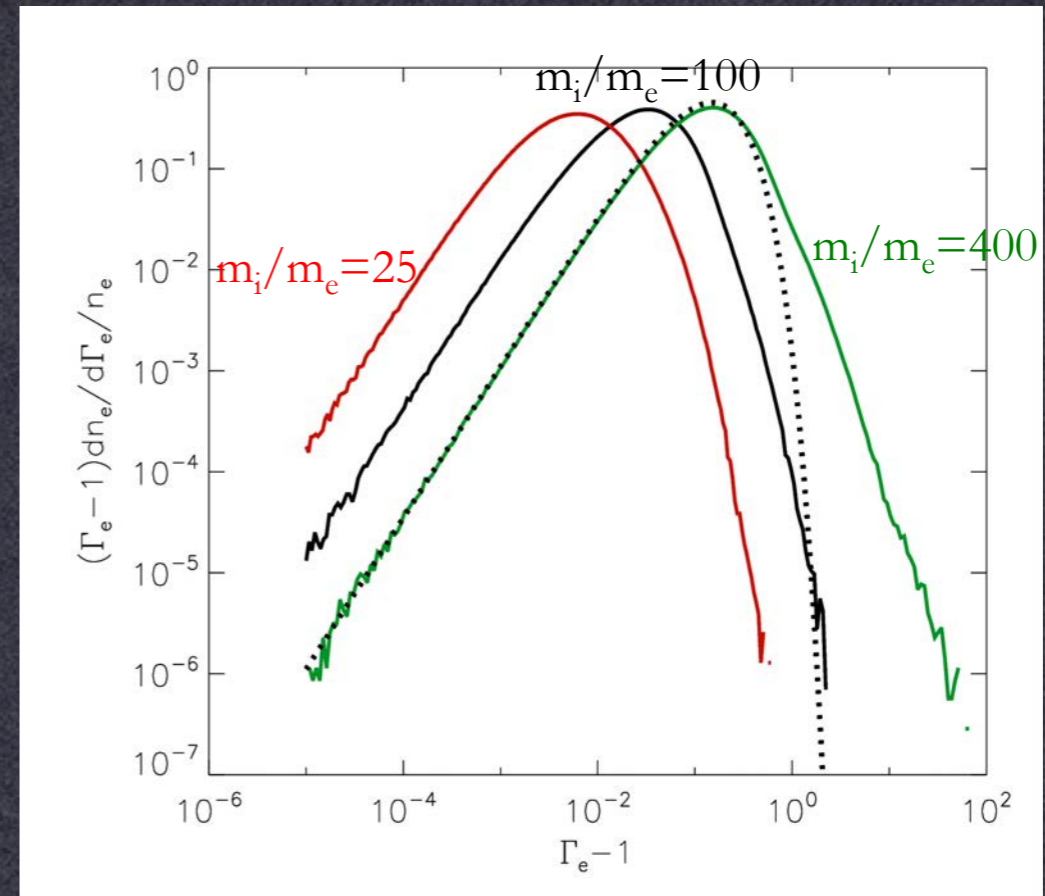
Spectrum of ions (green) & electrons (red)

Mass ratio

ion Larmor scale



$m_i/m_e=400$



Riquelme & AS, '11

Electron injection needs:

Quasi-perpendicular shocks, $45^\circ < \theta_{Bn} < 90^\circ$

Lower Alfvénic Mach numbers (to create whistlers): $M_A < (m_i/m_e)^{1/2}$

long-term evolution still unclear

Shock acceleration

Two crucial ingredients:

1) ability of a shock to reflect particles back into the upstream (injection)

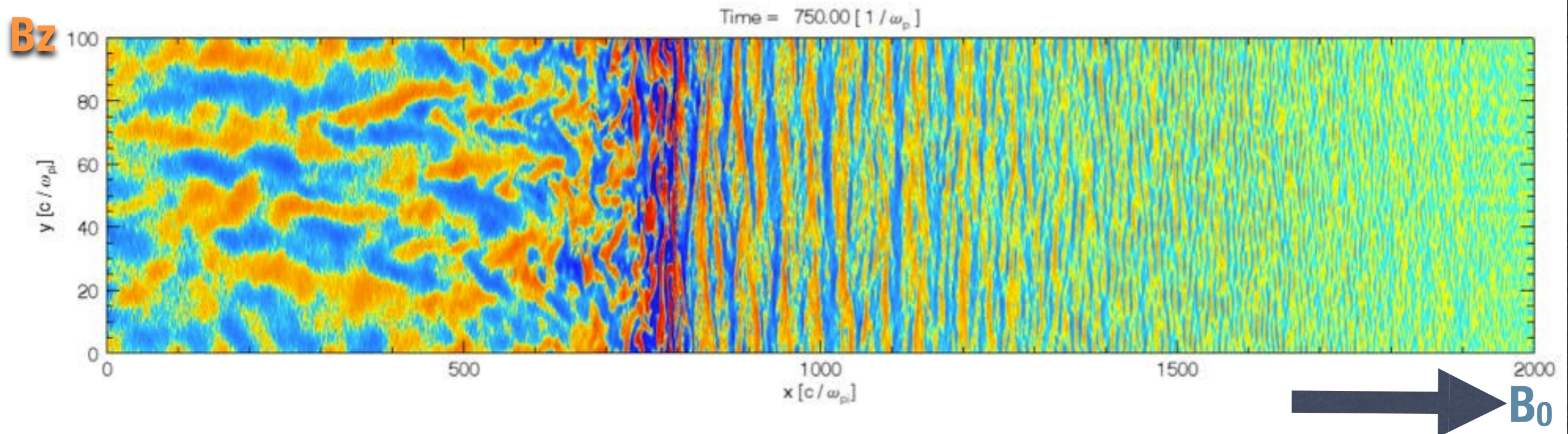
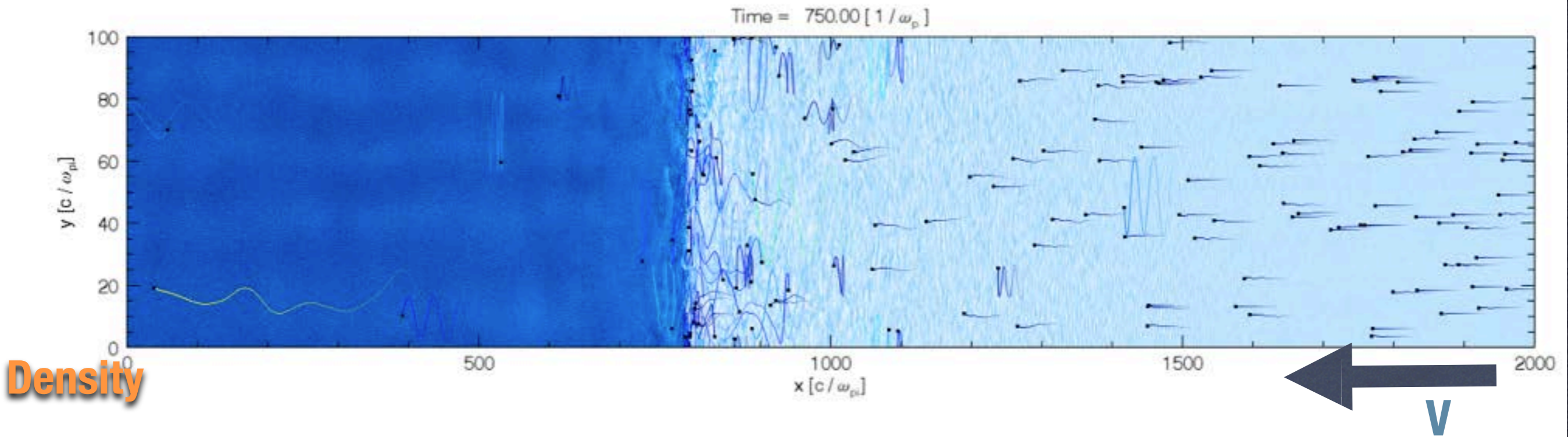
2) ability of these particles to scatter and return to the shock (pre-existing or generated turbulence)

Generically, parallel shocks are good for ion and electron acceleration, while perpendicular shocks mainly accelerate electrons.

Ion acceleration

dHYBRID

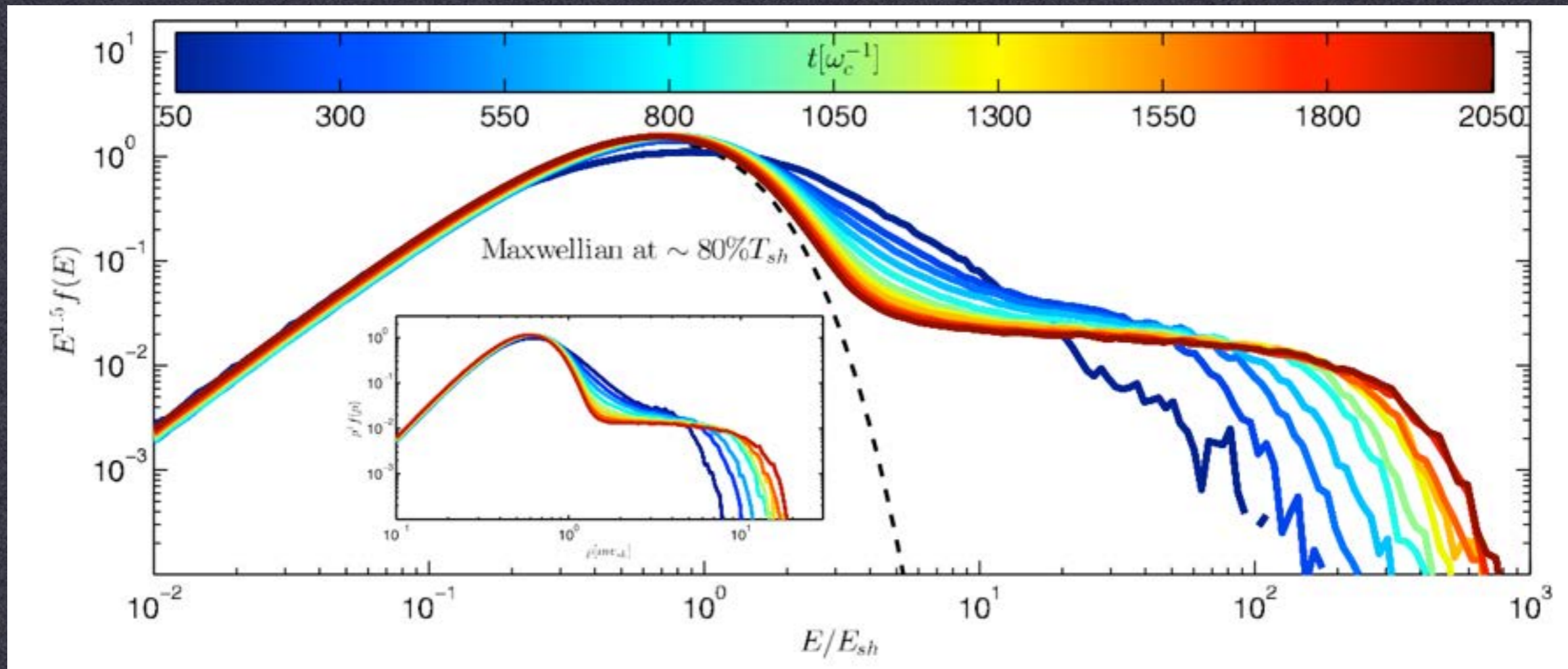
$M_A=3$, parallel shock; hybrid simulation. Quasi-parallel shocks accelerate ions and produce self-generated waves in the upstream.



Ion spectrum

dHYBRID

Long term evolution: Diffusive Shock Acceleration spectrum recovered



First-order Fermi acceleration: $f(p) \propto p^{-4}$ $4\pi p^2 f(p) dp = f(E) dE$
 $f(E) \propto E^{-2}$ (relativistic) $f(E) \propto E^{-1.5}$ (non-relativistic)

CR backreaction is affecting downstream temperature

B field amplification

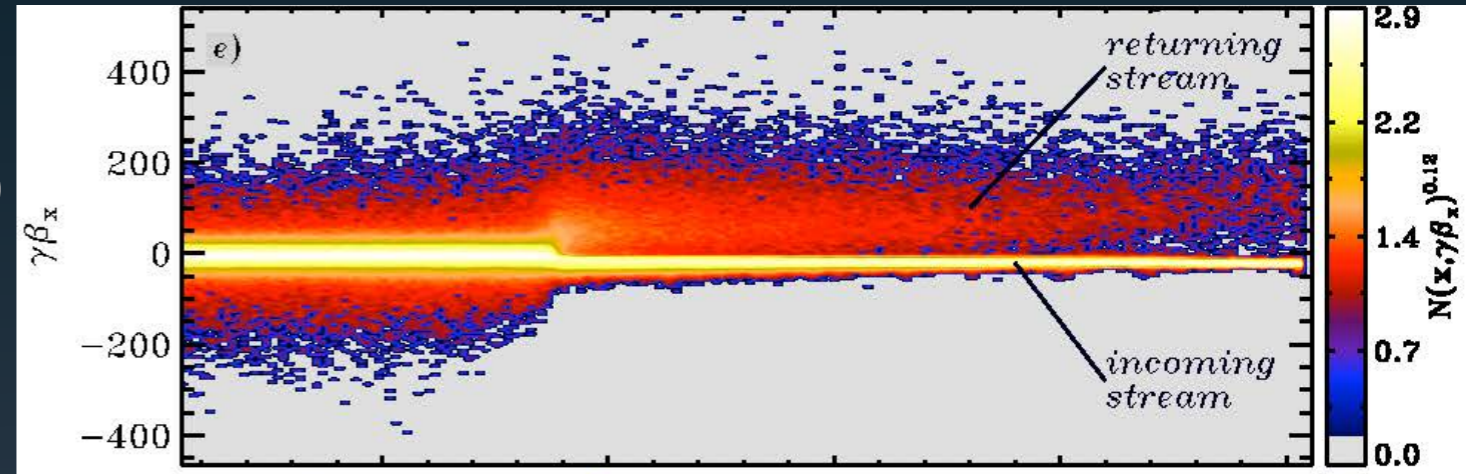
CR accelerating shocks can cause a current of protons to propagate through the upstream. Bell (04, 05) found an MHD instability of CRs flying through magnetized plasma.

The interaction is nonresonant at wavelength \ll Larmor radius of CRs.

We simulated this instability with PIC in 2D and 3D (Riquelme and A.S. 08)

Saturation is due to CR deflection; for SNR conditions expect ~ 10 - 40 x field increase.

Bell's nonresonant CR instability



$$\text{Cosmic ray current } J_{\text{cr}} = en_{\text{cr}}v_{\text{sh}}$$

B field amplification

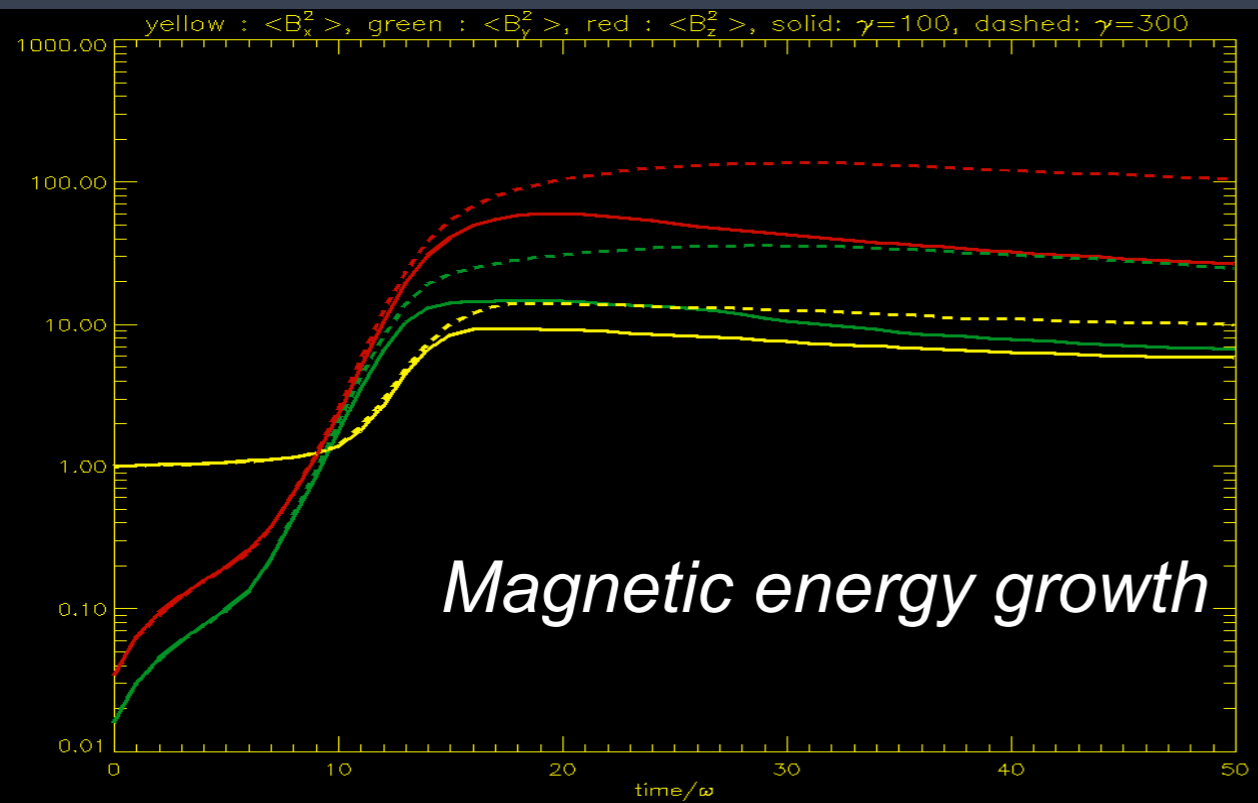
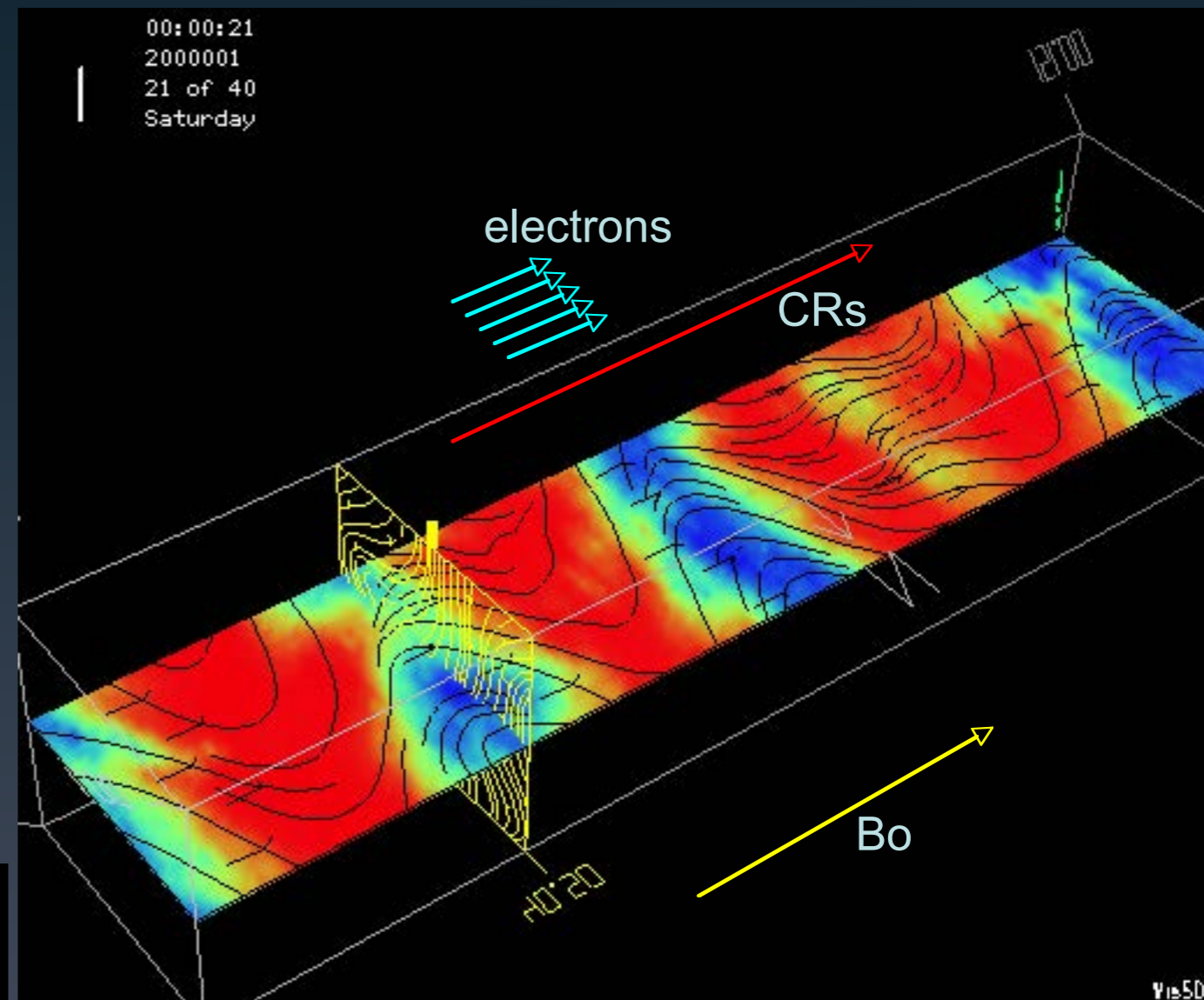
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Bell's nonresonant CR instability



$$k_{\max} c = 2\pi J_{\text{cr}} / B_0$$

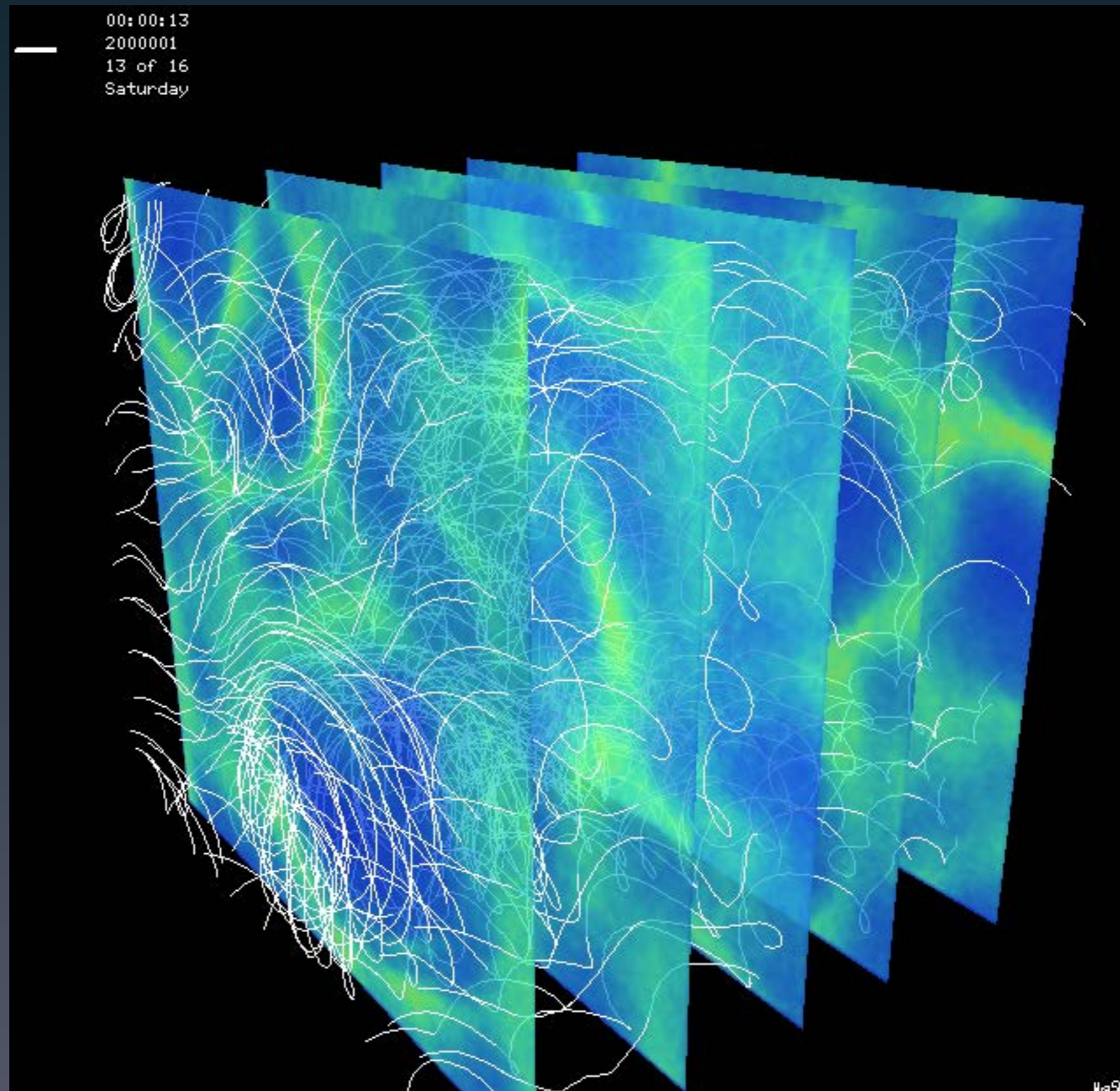
$$\gamma_{\max} = k_{\max} V_{\text{Alfven},0}$$

Need magnetized plasma: $\omega_{ci} \gg \gamma_{\max}$

B field amplification: 3D runs

Bell's nonresonant CR instability

(Riquelme and A.S. arXiv:0810.4565)



Field amplification of ~ 10 in SNRs can be due to Bell's instability

Field amplification

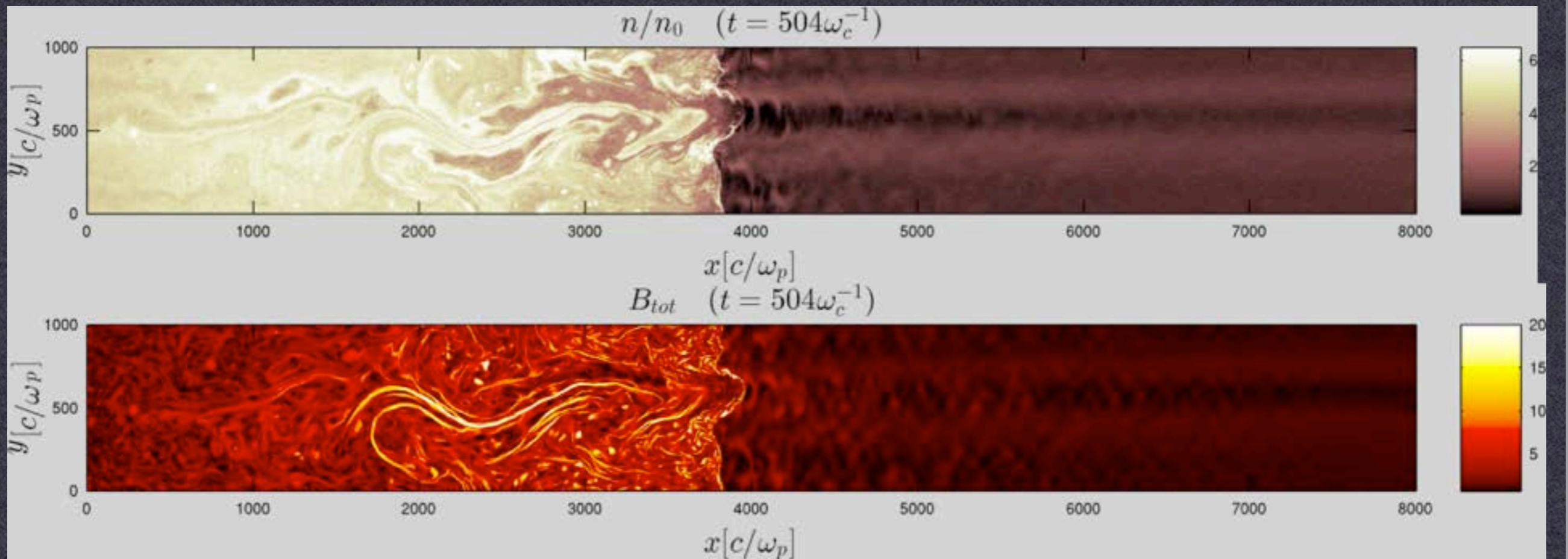
We see evidence of CR effect on upstream.

This will lead to “turbulent” shock with effectively lower Alfvénic Mach number with locally 45 degree inclined fields.

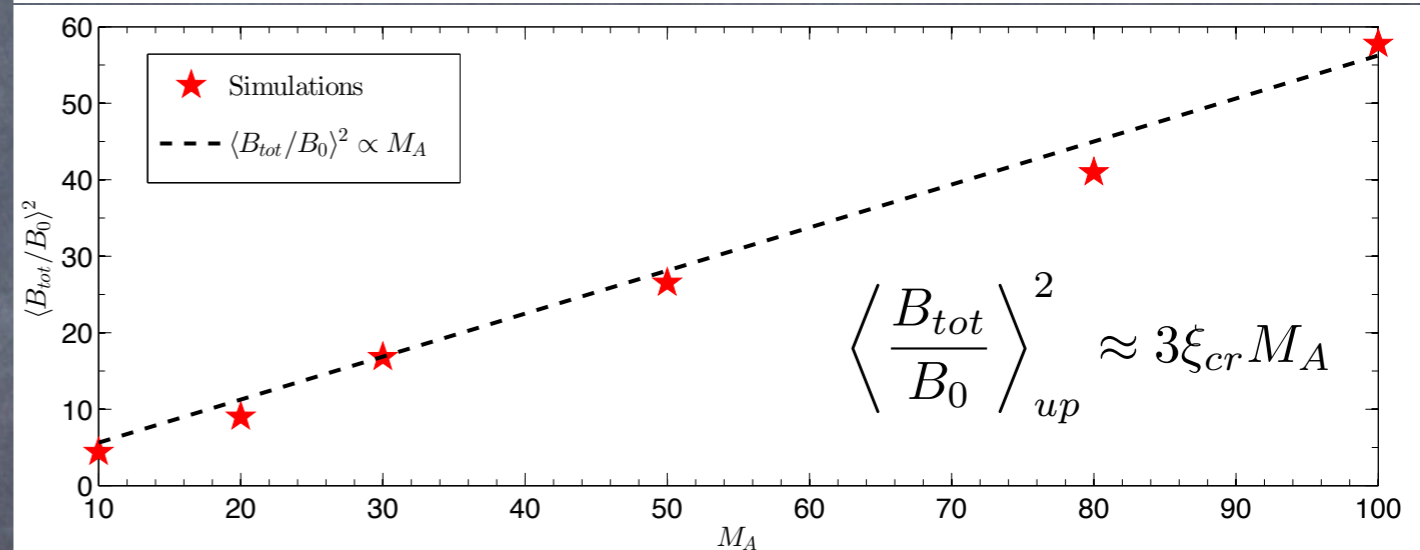
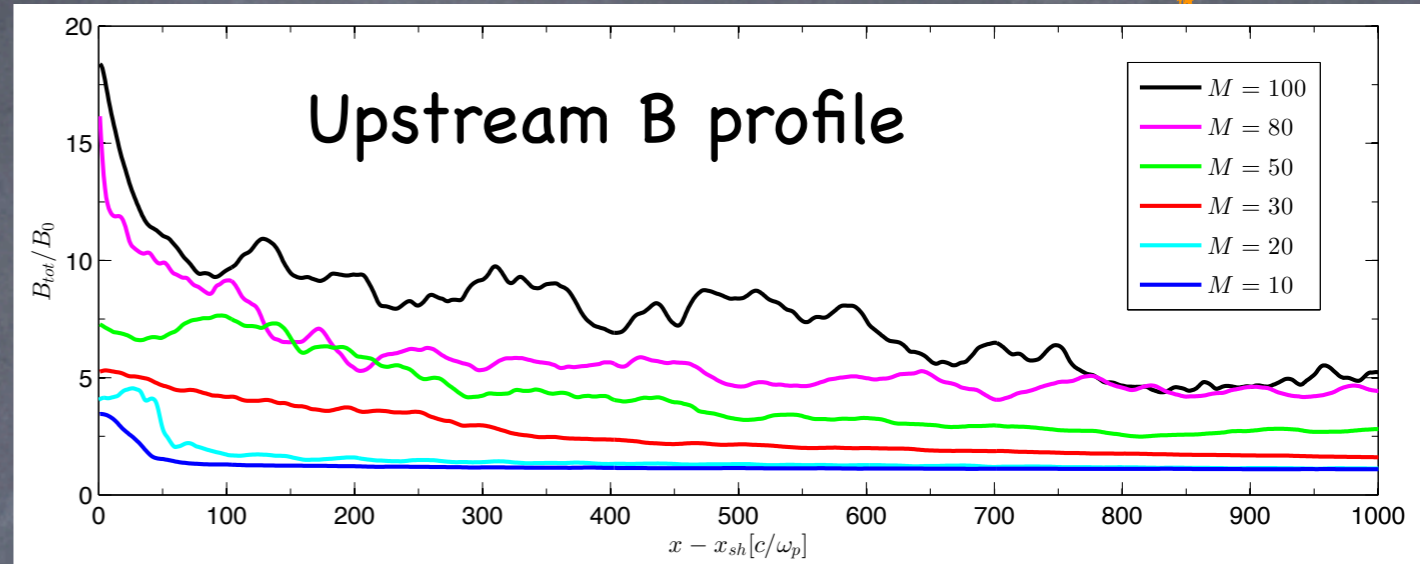
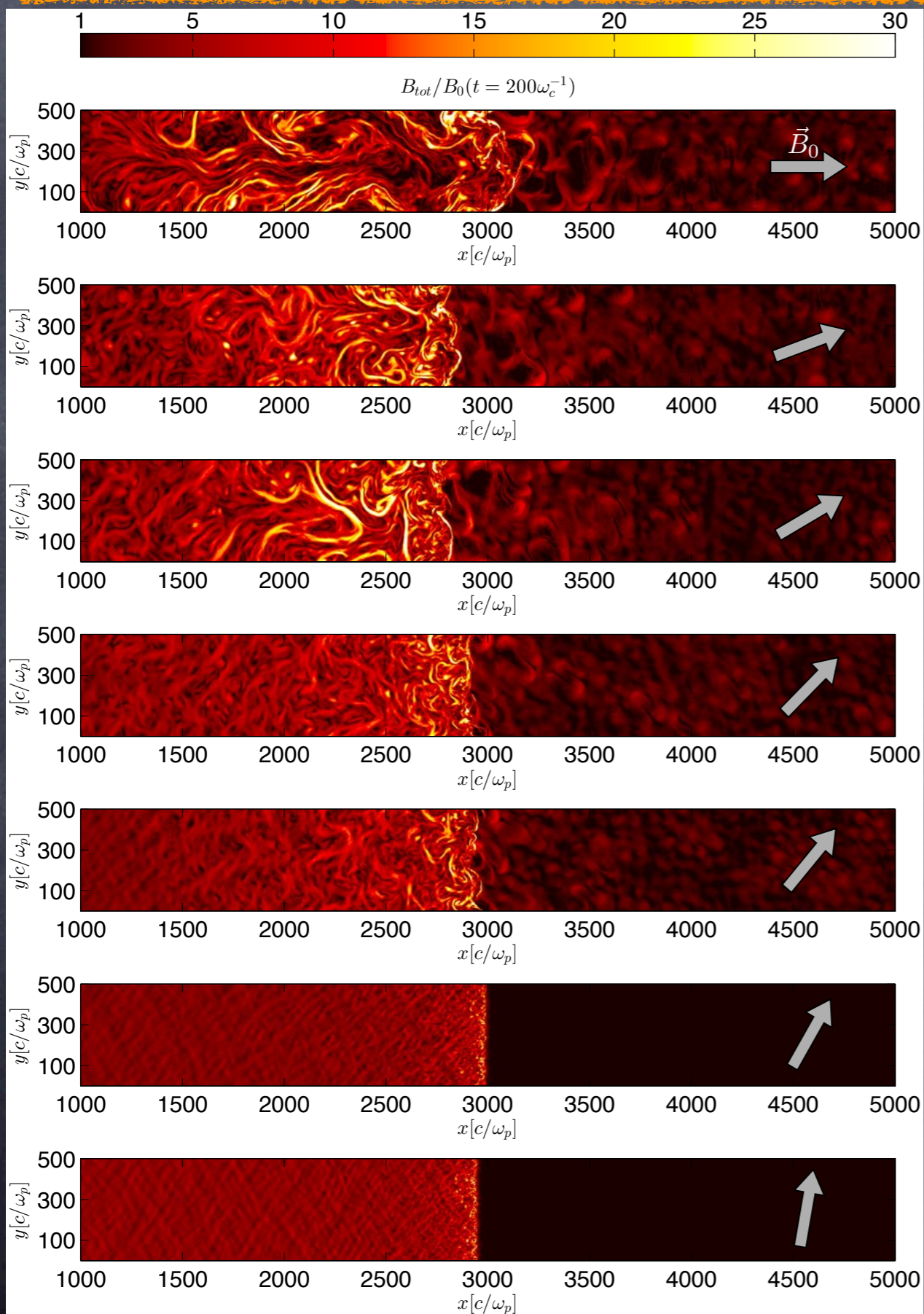


Cosmic ray current $J_{cr} = en_{cr}v_{sh}$

Combination of nonresonant (Bell), resonant, and firehose instabilities + CR filamentation



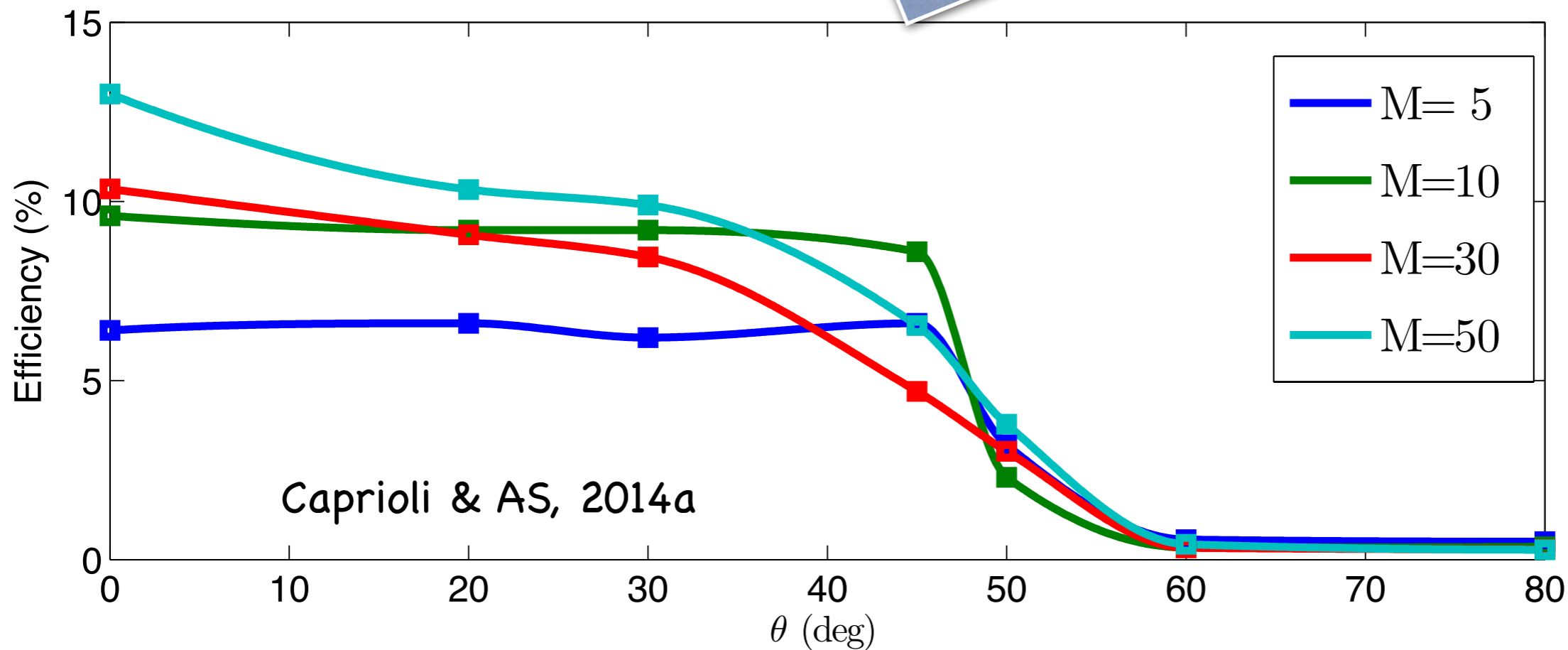
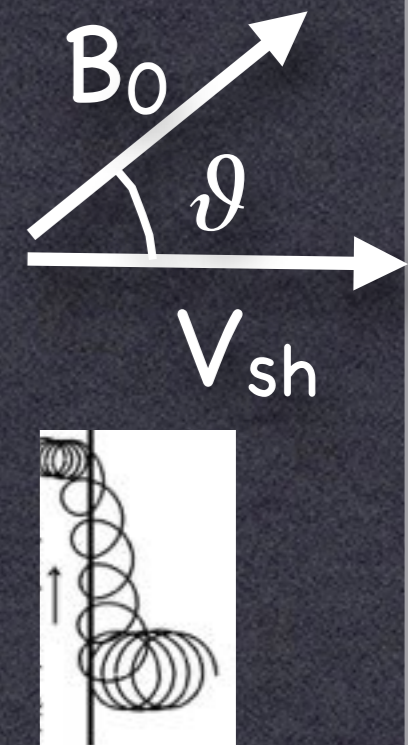
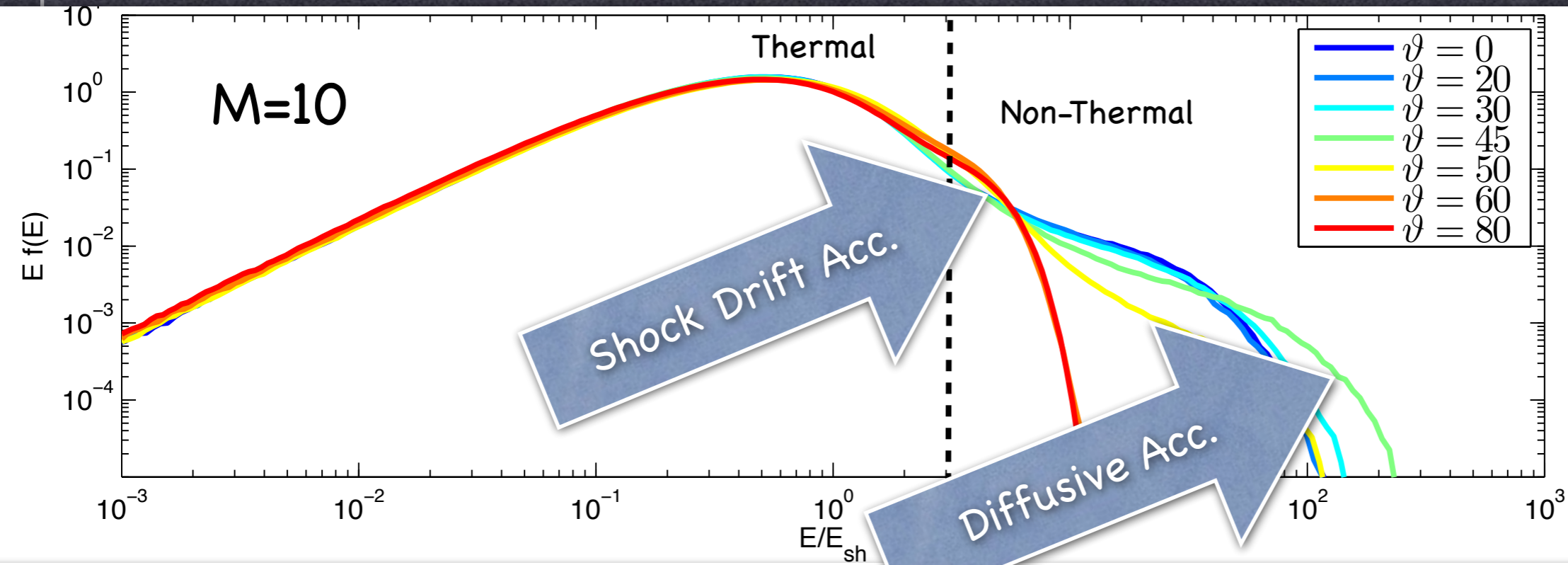
Dependence of field amplif. on inclination and M



In agreement with the prediction of **resonant streaming instability**

More B-field amplification for stronger shocks!

Acceleration in parallel vs oblique shocks

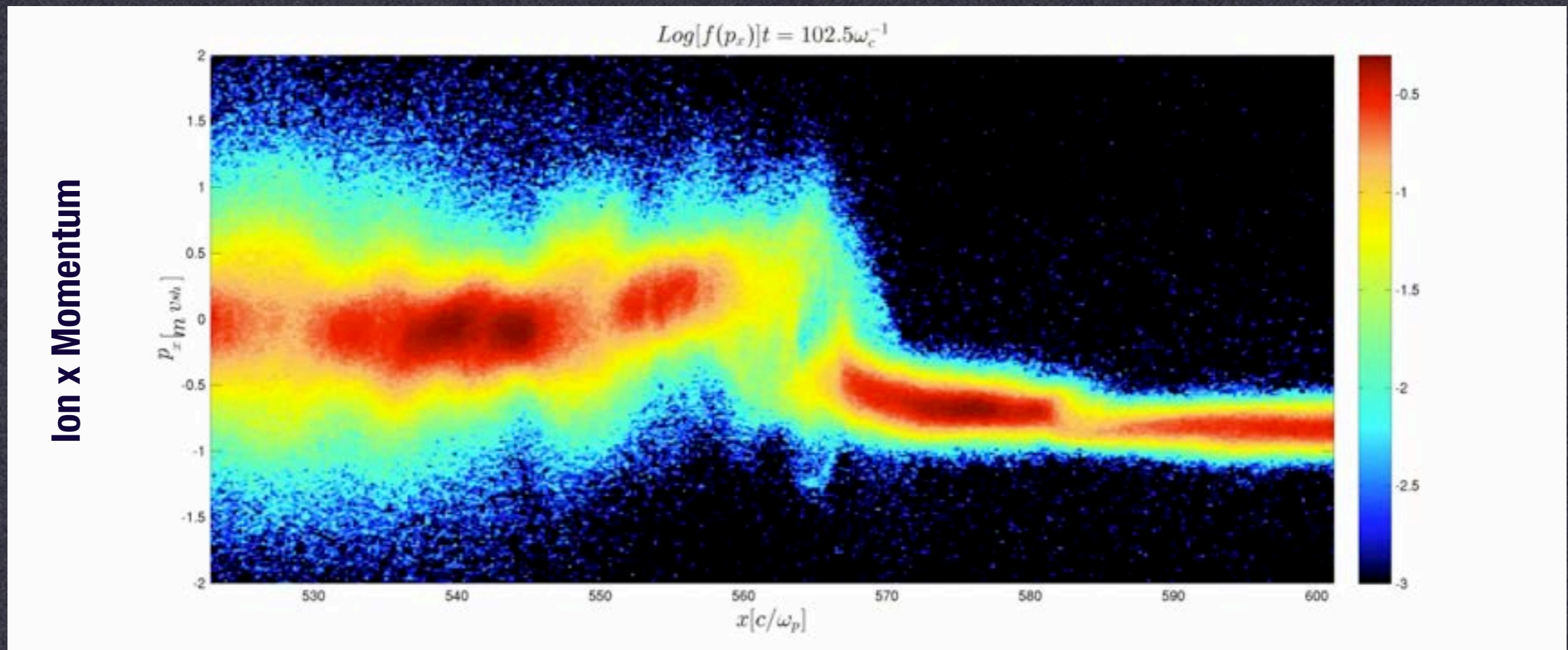


About 1% accelerated ions by number, what is causing that?

Shock structure & injection



Quasiparallel shocks look like intermittent quasiperp shocks

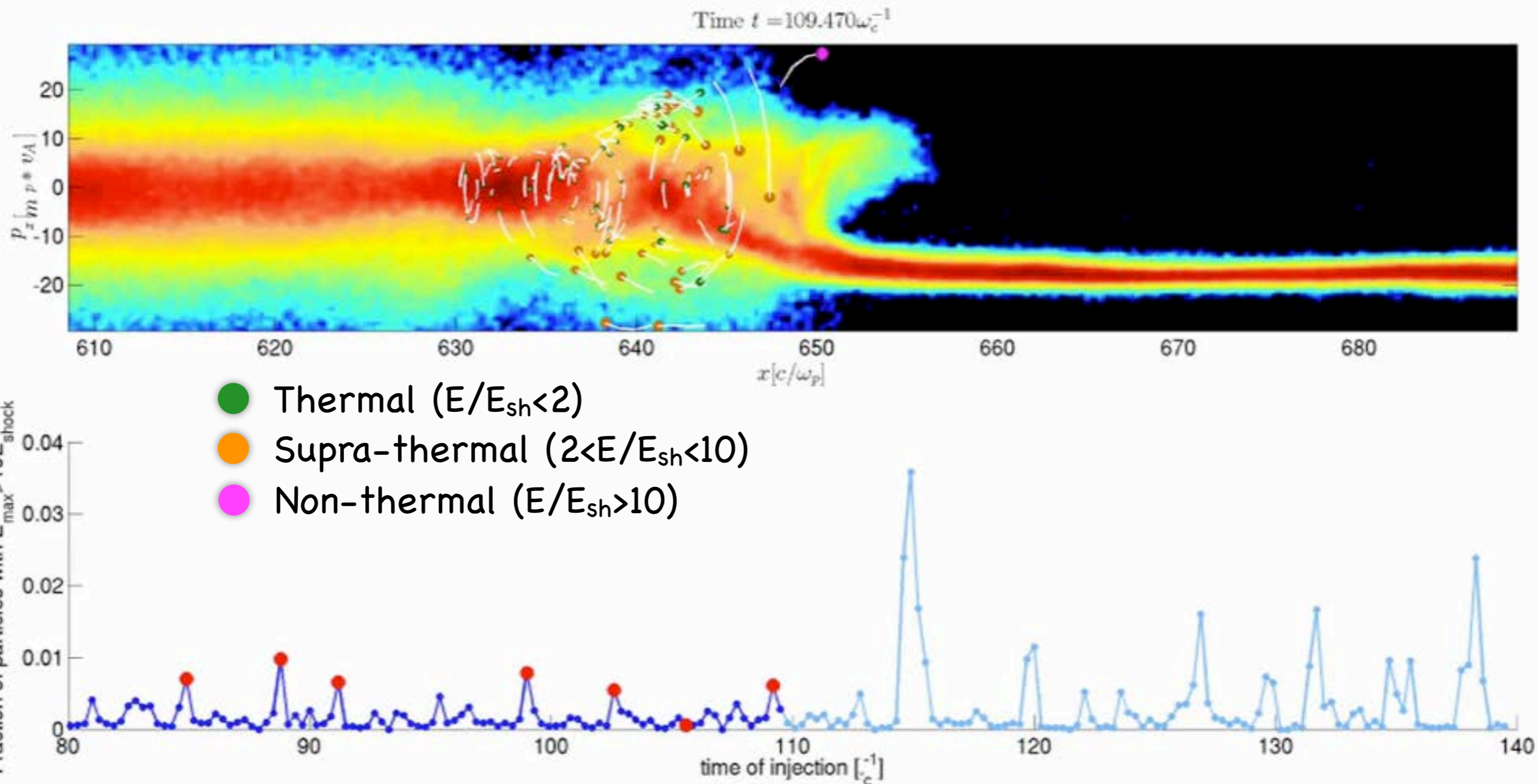


Injection of ions happens on first crossing due to specular reflection from reforming magnetic and electric barrier and shock-drift acceleration.

Multiple cycles in a time-dependent shock structure result in injection into DSA; no “thermal leakage” from downstream.

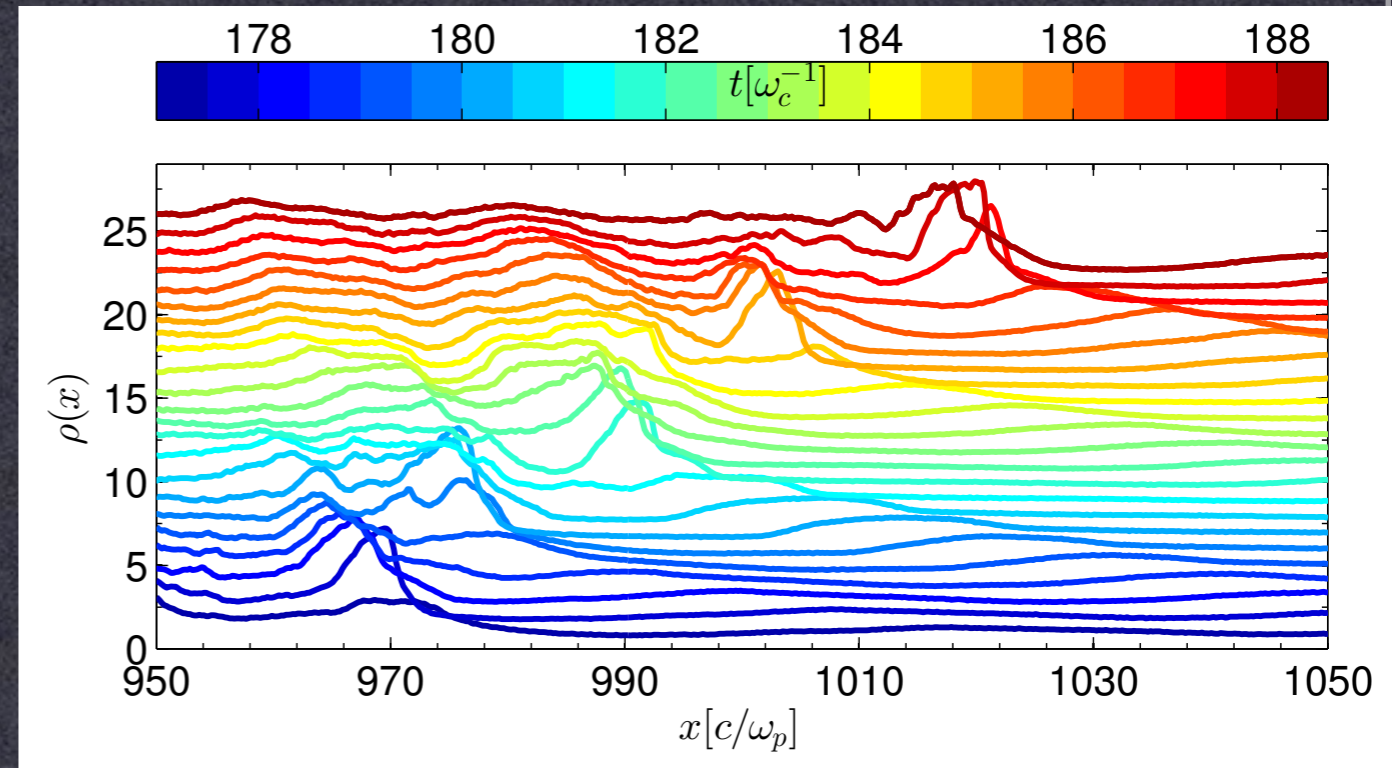
Injection mechanism: importance of timing

Caprioli, Pop & AS 2015

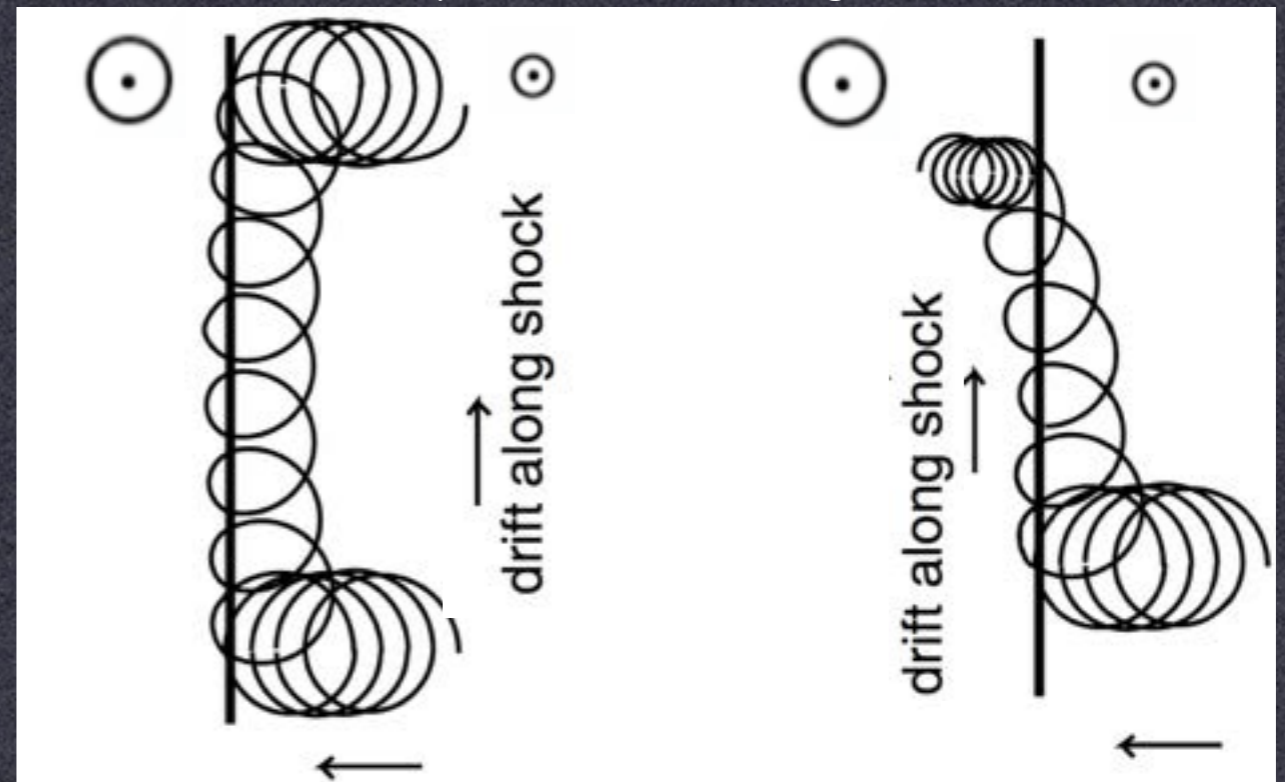


Ion injection: theory

- **Reflection** off the shock potential barrier (stationary in the **downstream** frame)
- For reflection into upstream, particle needs certain minimal energy for given shock inclination;
- Particles first gain energy via shock-drift acceleration (SDA)
- Several cycles are required for higher shock obliquities
- Each cycle is "leaky", not everyone comes back for more
- Higher obliquities less likely to get injected



Shock-drift acceleration:
 downstream upstream Larger B Smaller B



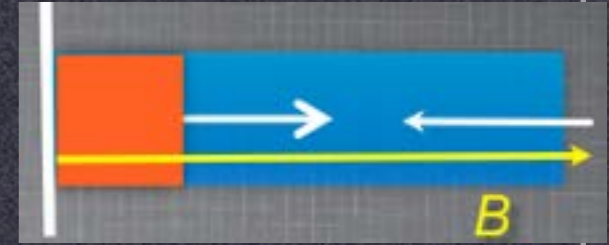
Path of incoming particle

What accelerates electrons?

results of full PIC simulations simulations

Electron acceleration at parallel shocks

Recent evidence of electron acceleration in quasi parallel shocks.
PIC simulation of quasiparallel shock. Very long simulation in 1D.



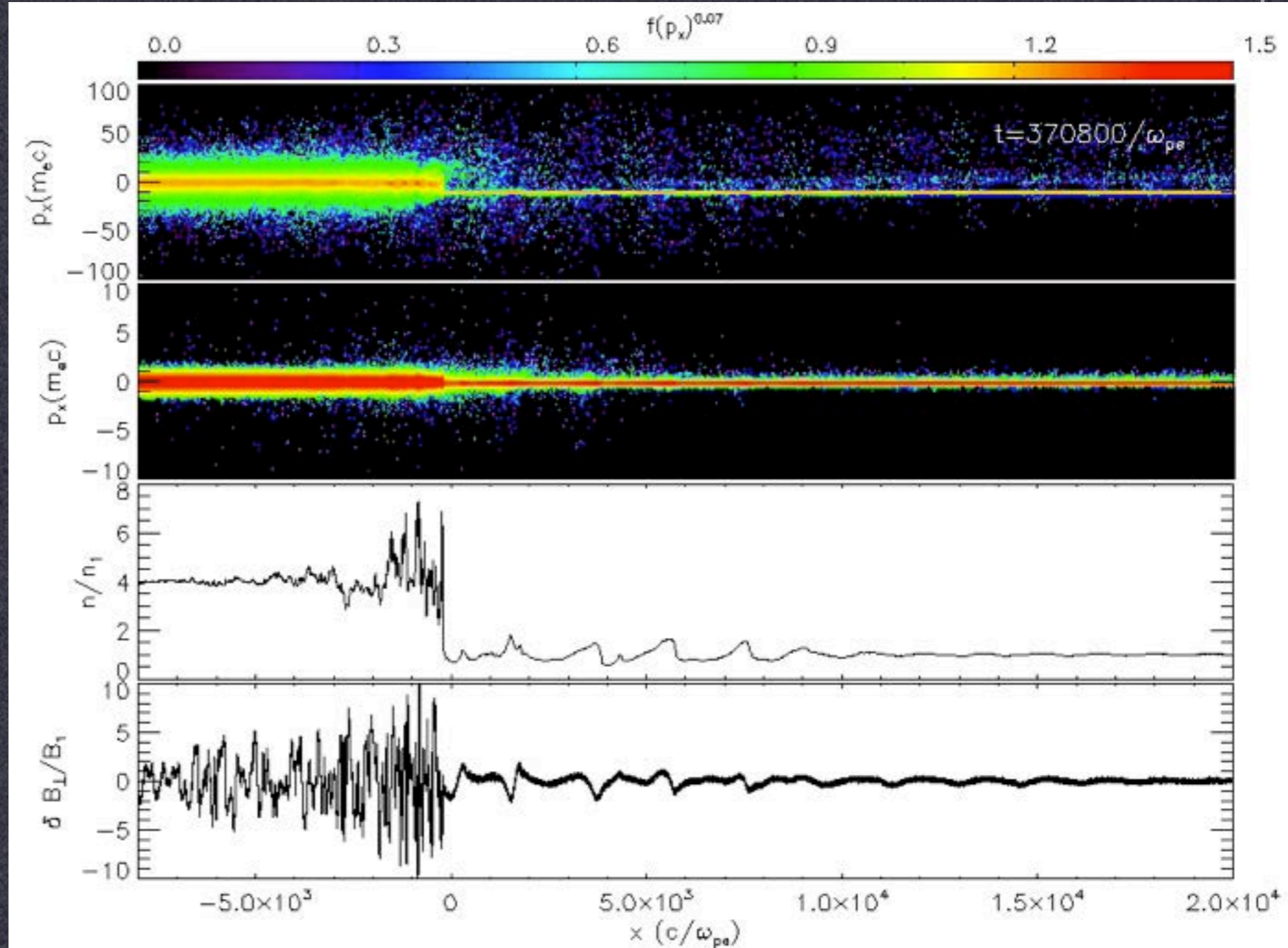
Ion-driven Bell waves drive electron acceleration: correct polarization

Ion phase space

Electron phase space

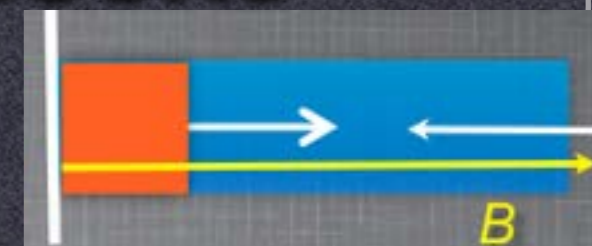
Density

Transverse Magnetic field

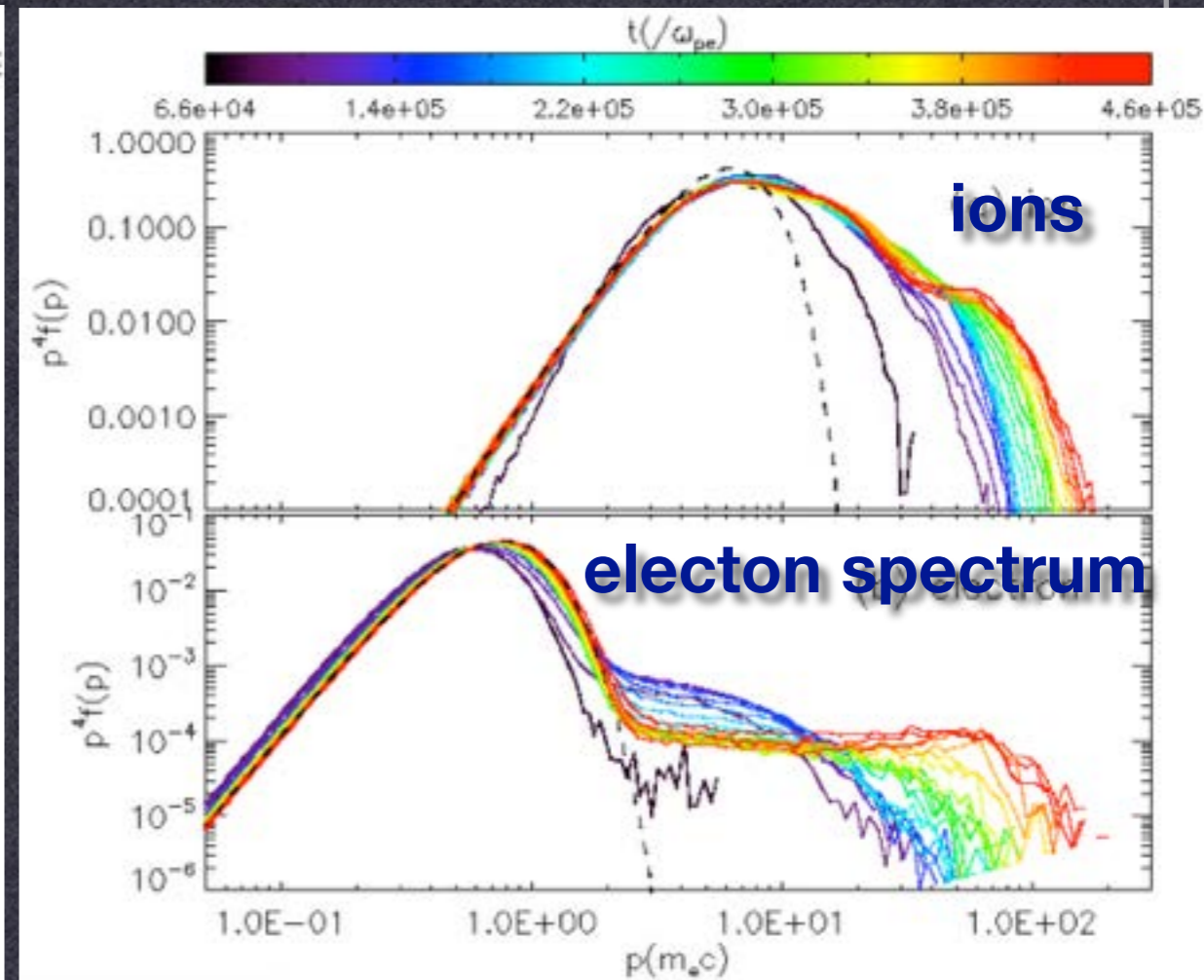
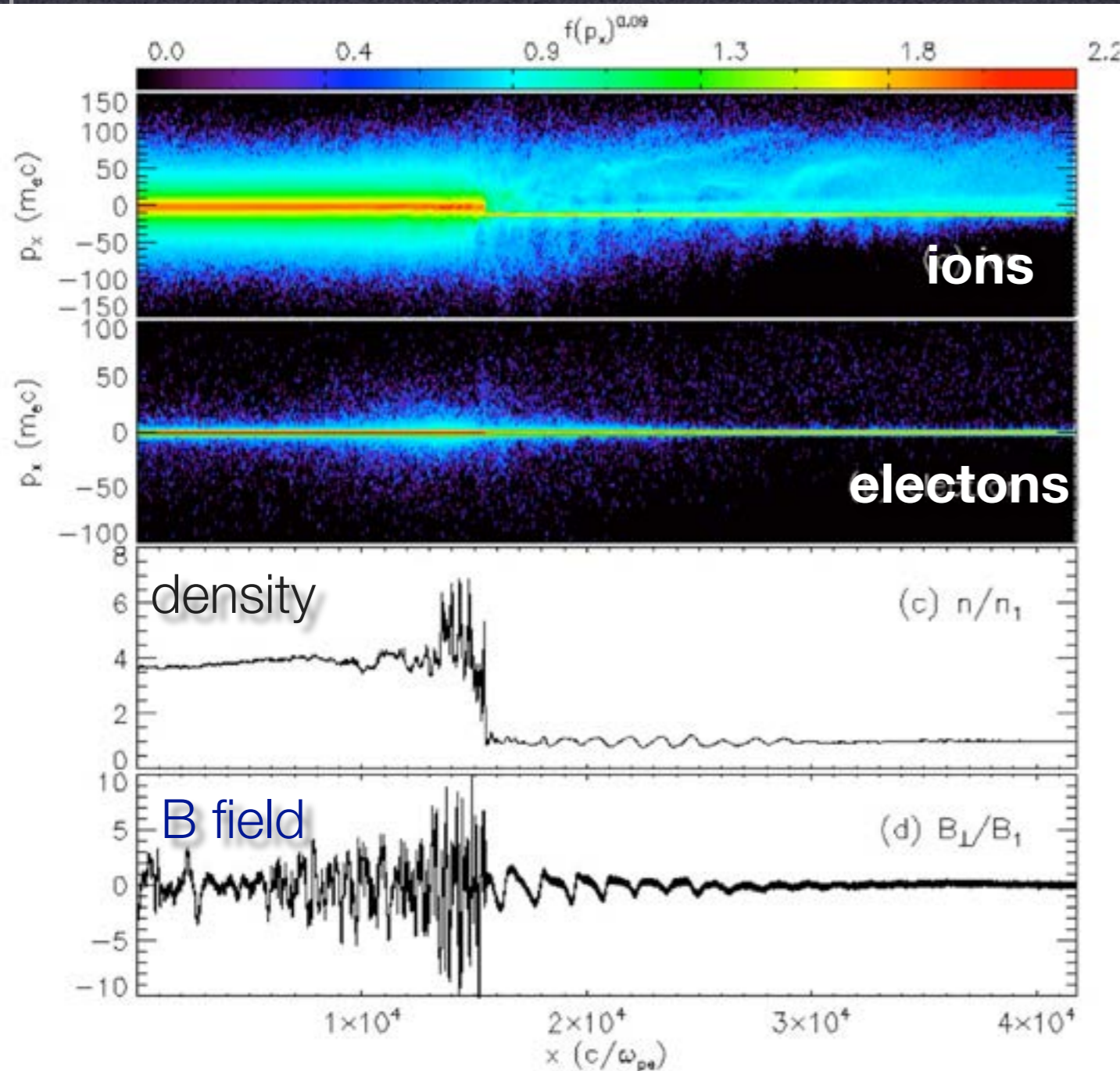


Electron acceleration at parallel shocks

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Ion-driven Bell waves drive electron acceleration: correct polarization

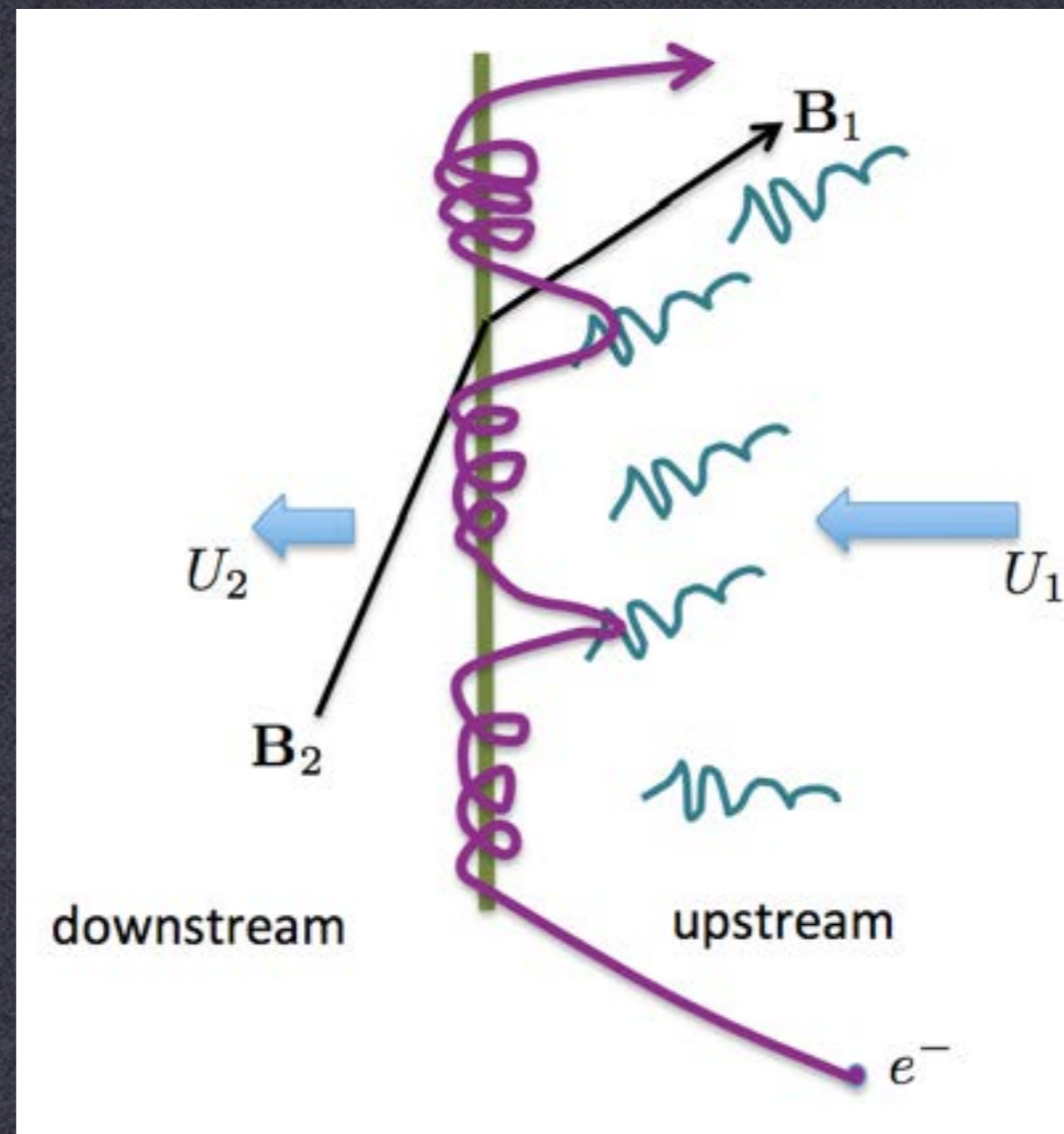


DSA spectrum recovered in both
electrons and ions
Electron-proton ratio can be
measured!

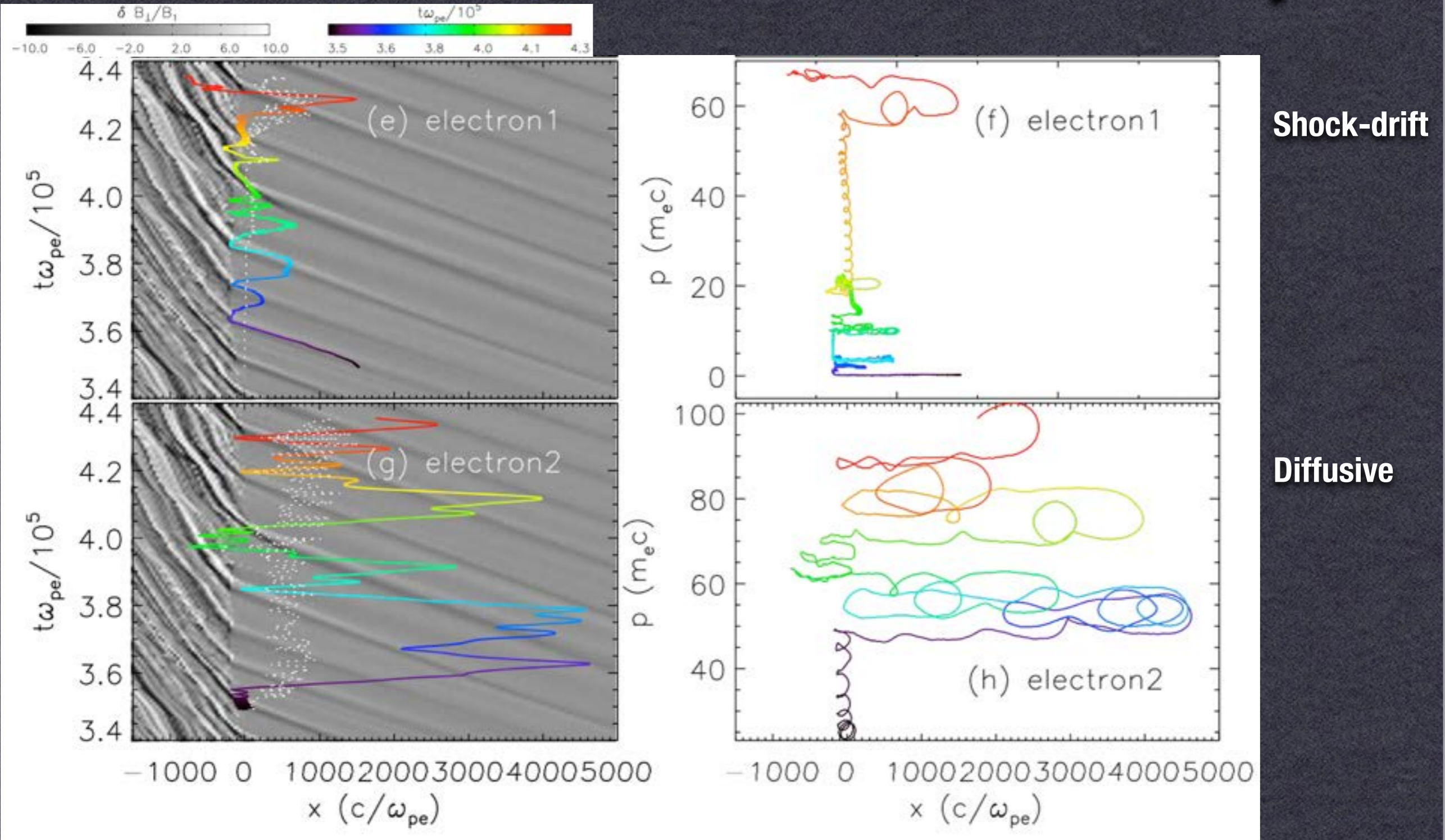
Park, Caprioli, AS (2015)

Electron acceleration at parallel shocks

Multi-cycle shock-drift acceleration, with electrons returning back due to upstream ion-generated waves.

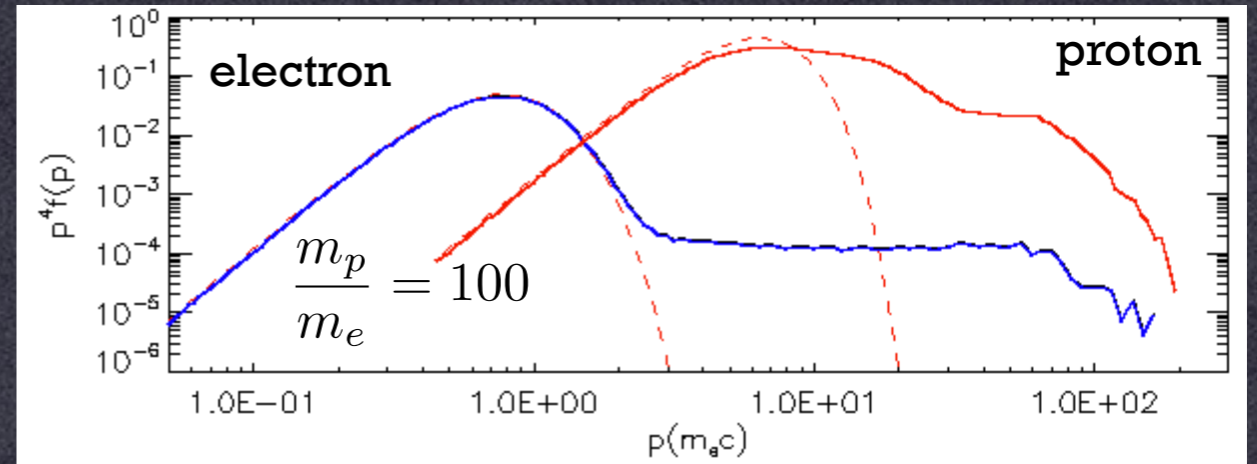
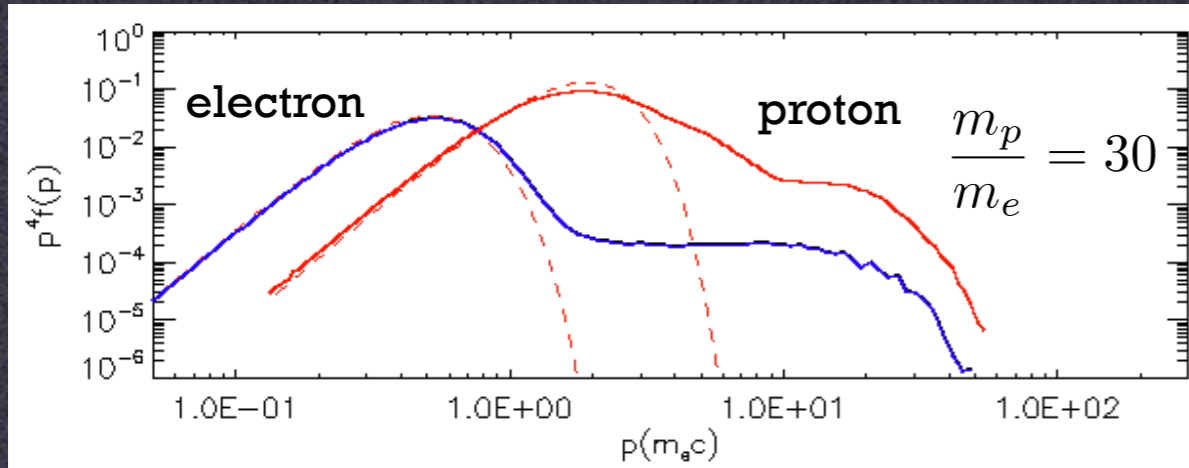


Electron acceleration mechanism: shock drift cycles

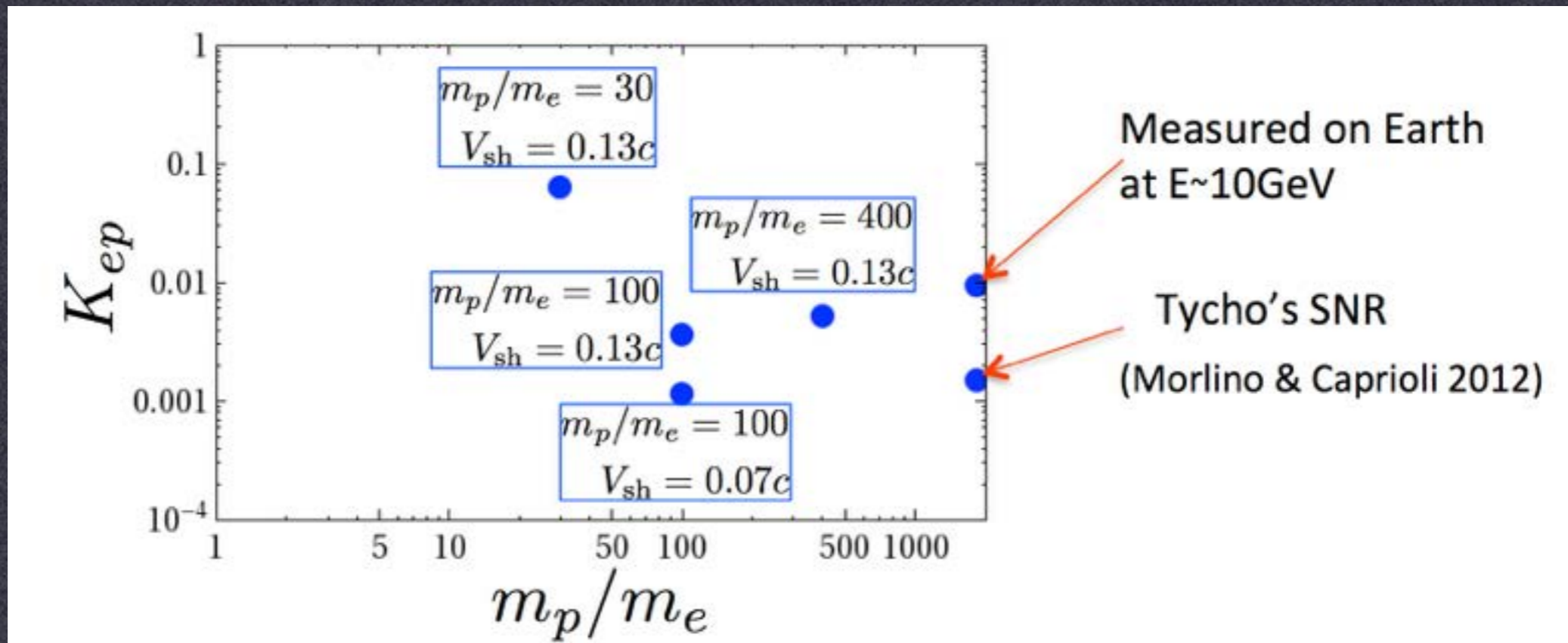


Electron track from PIC simulation.

Electron-proton ratio K_{ep} :



$$K_{ep} \equiv \frac{f_e(p)}{f_p(p)} = \text{const for } p > p_{inj} \quad K_{ep} \approx 3.8 \times 10^{-3} \text{ for } \frac{m_p}{m_e} = 100$$



Shock acceleration: emerging picture

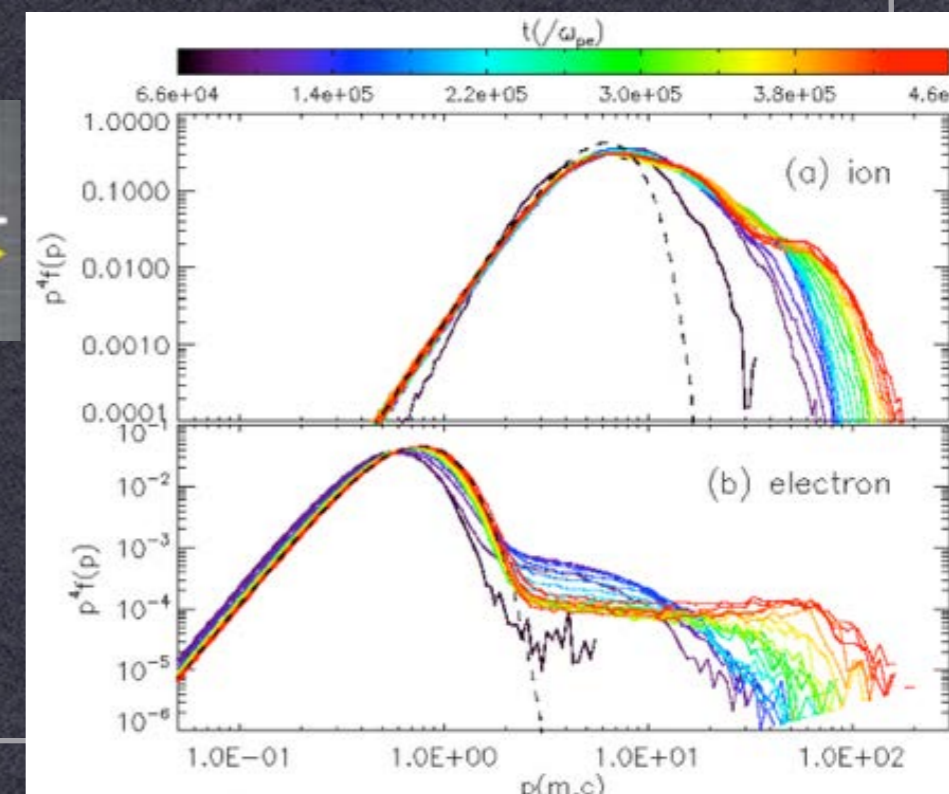
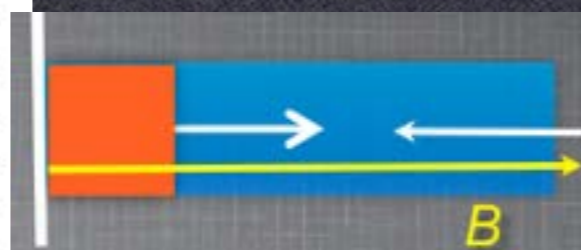
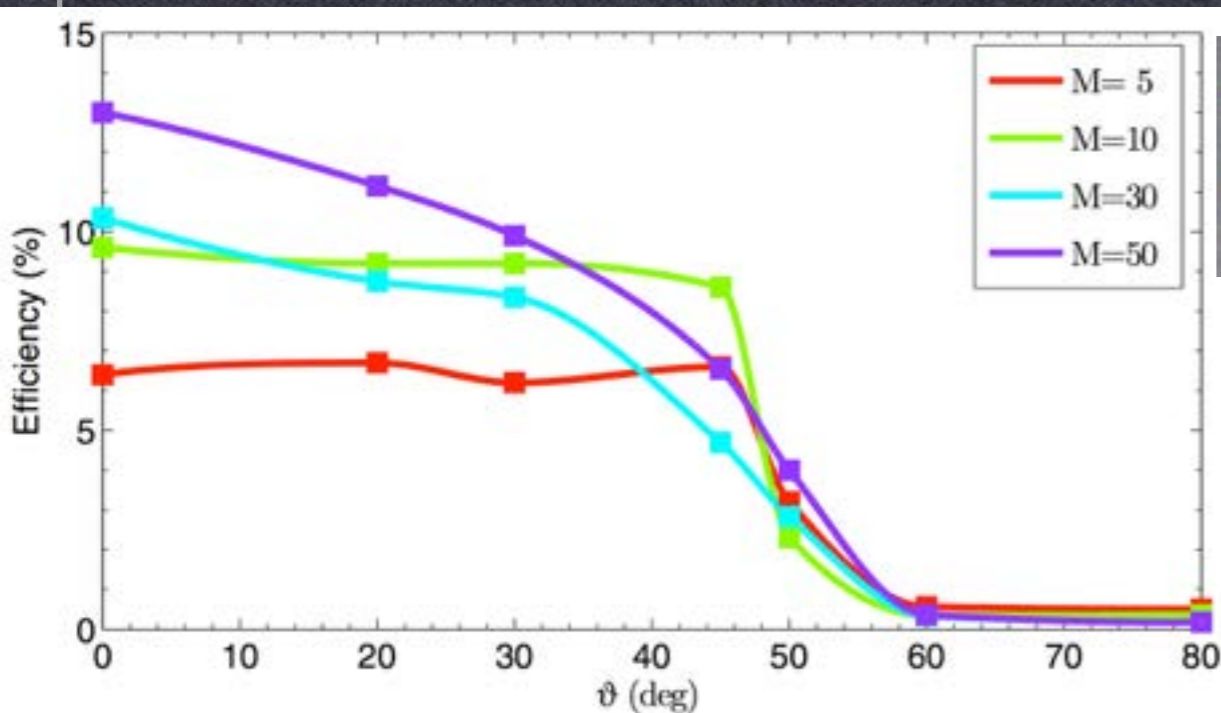
Acceleration in laminar field:

quasi-parallel -- accelerate both ions and electrons

(Caprioli & AS, 2014abc; Park, Caprioli, AS 2015)

quasi-perpendicular -- accelerate mostly electrons

(Guo, Sironi & Narayan 2014; Caprioli, Park, AS in prep)



Shock acceleration: emerging picture

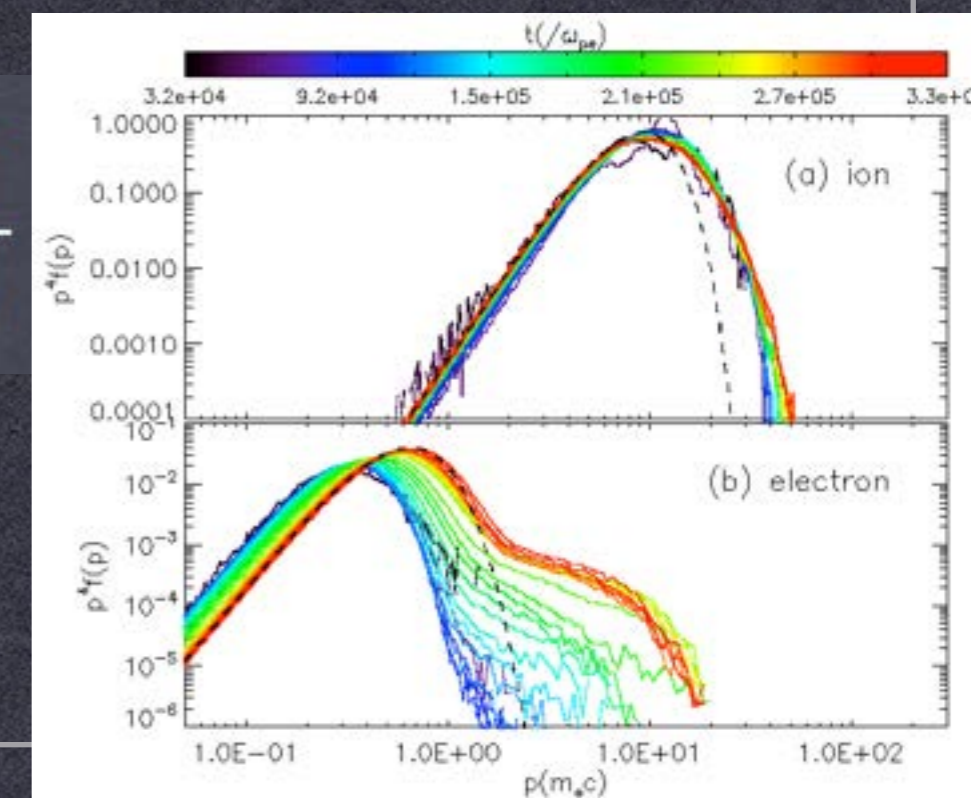
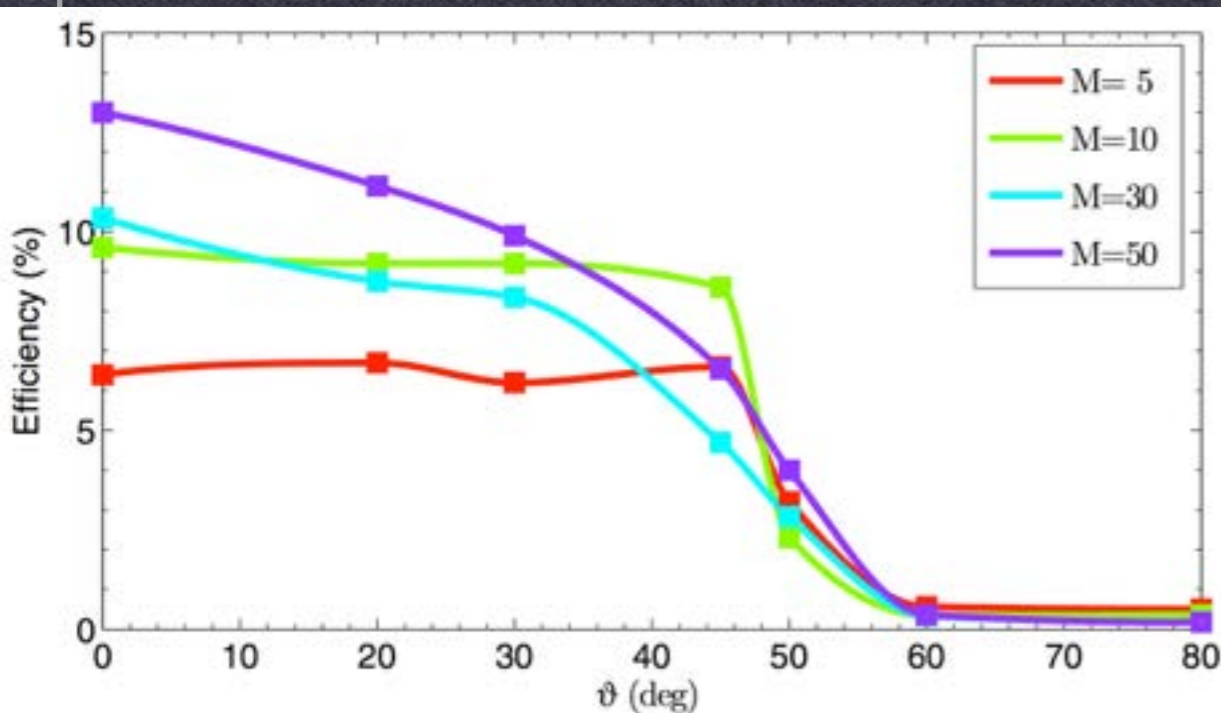
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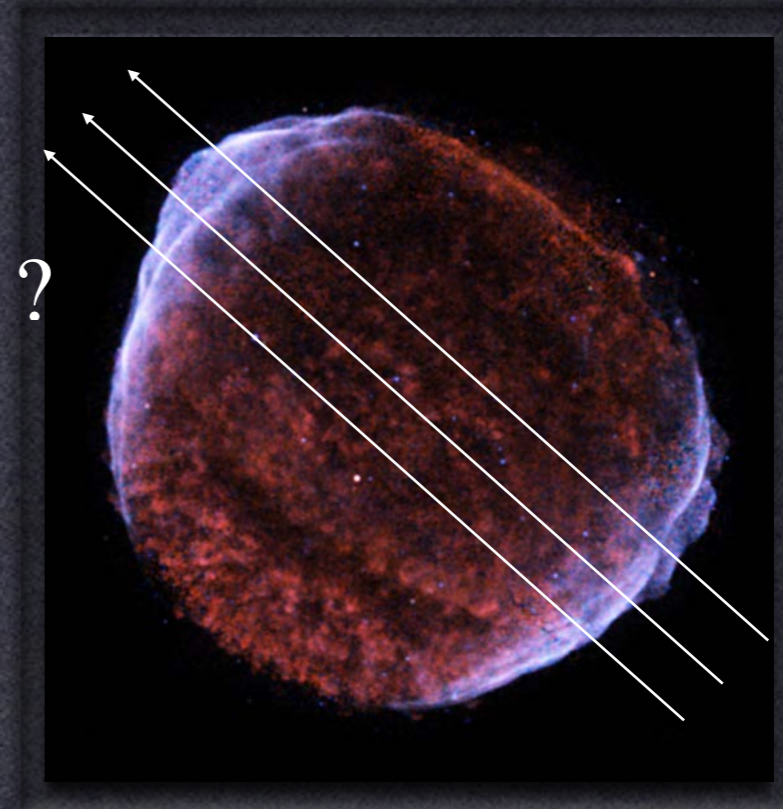
SNR story

Nonthermally-emitting SNRs likely have large scale parallel magnetic field (radial). This leads to CR acceleration and field amplification.

Locally-transverse field enters the shock, and causes electron injection and DSA.

This favors large-scale **radial B fields in young SNRs. Polarization in “polar caps” should be small -- field is random**

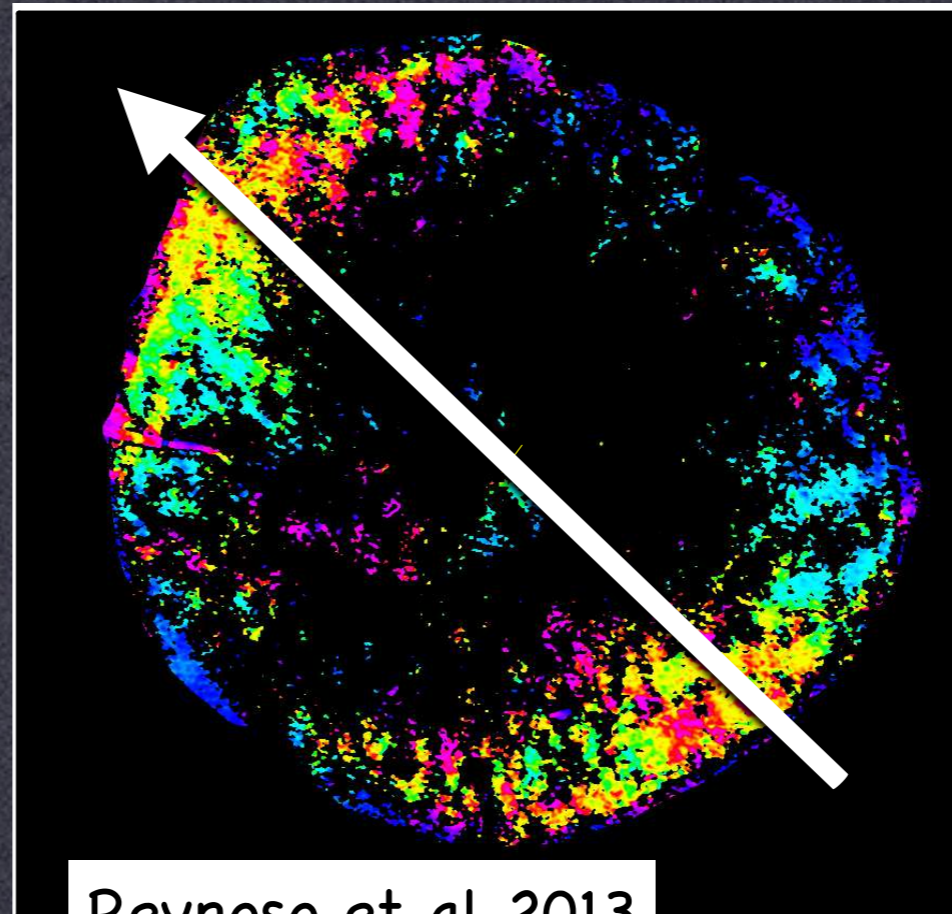
Ab-initio plasma results allow to put constraints on the large-scale picture!



SN1006: a parallel accelerator

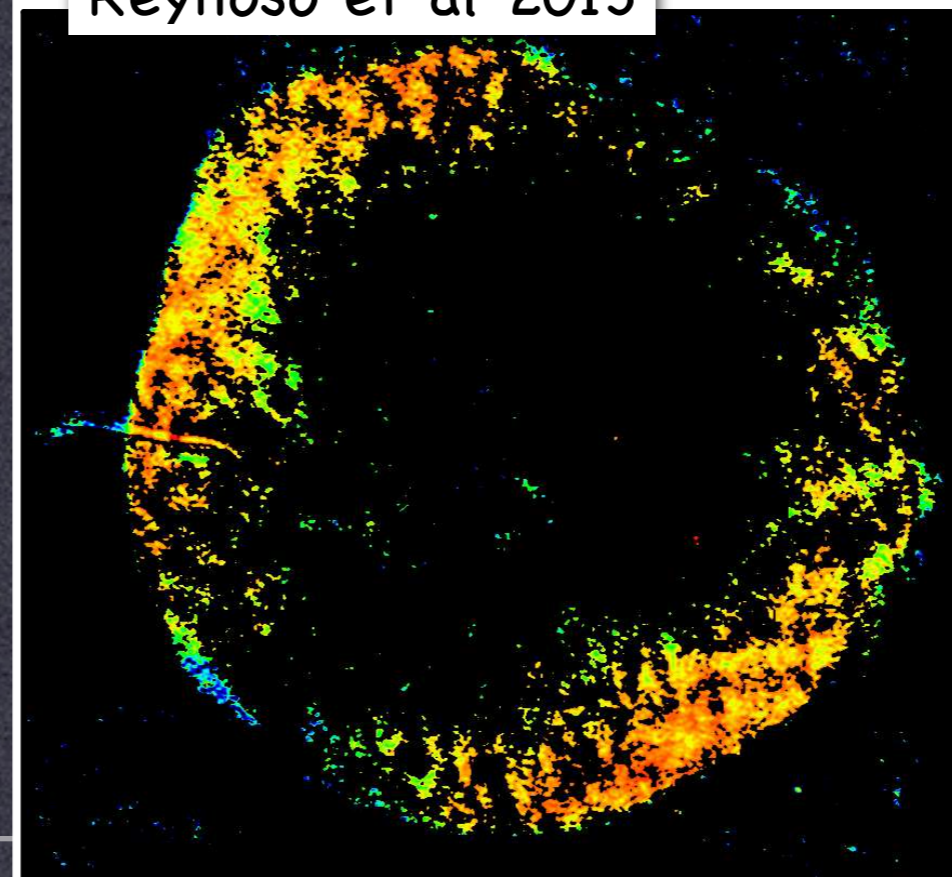


X-ray emission
(red=thermal
white=synchrotron)



Reynoso et al 2013

Inclination of
the B field
wrt to the
shock normal



Polarization
(low=turbulent
high=ordered)

Magnetic field
amplification and
particle acceleration
where the shock is
parallel

Shocking astrophysics

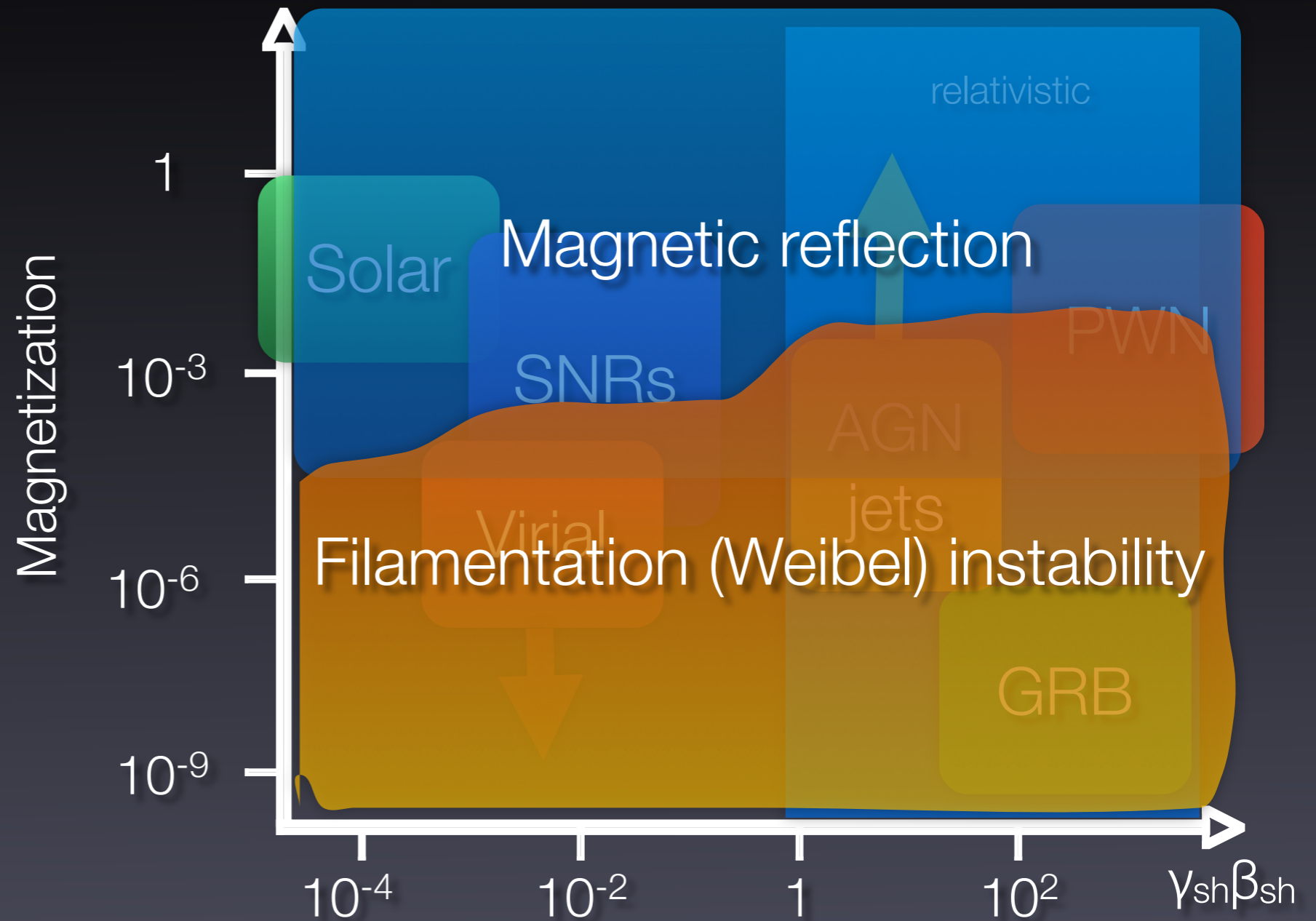
Open issues:

What is the structure of collisionless shocks? Do they exist? How do you collide without collisions?

Particle acceleration -- Fermi mechanism? Other? Efficiency?

Equilibration between ions and electrons?

Generation of magnetic fields? GRB/SNR shocks, primordial fields?



Shocking astrophysics

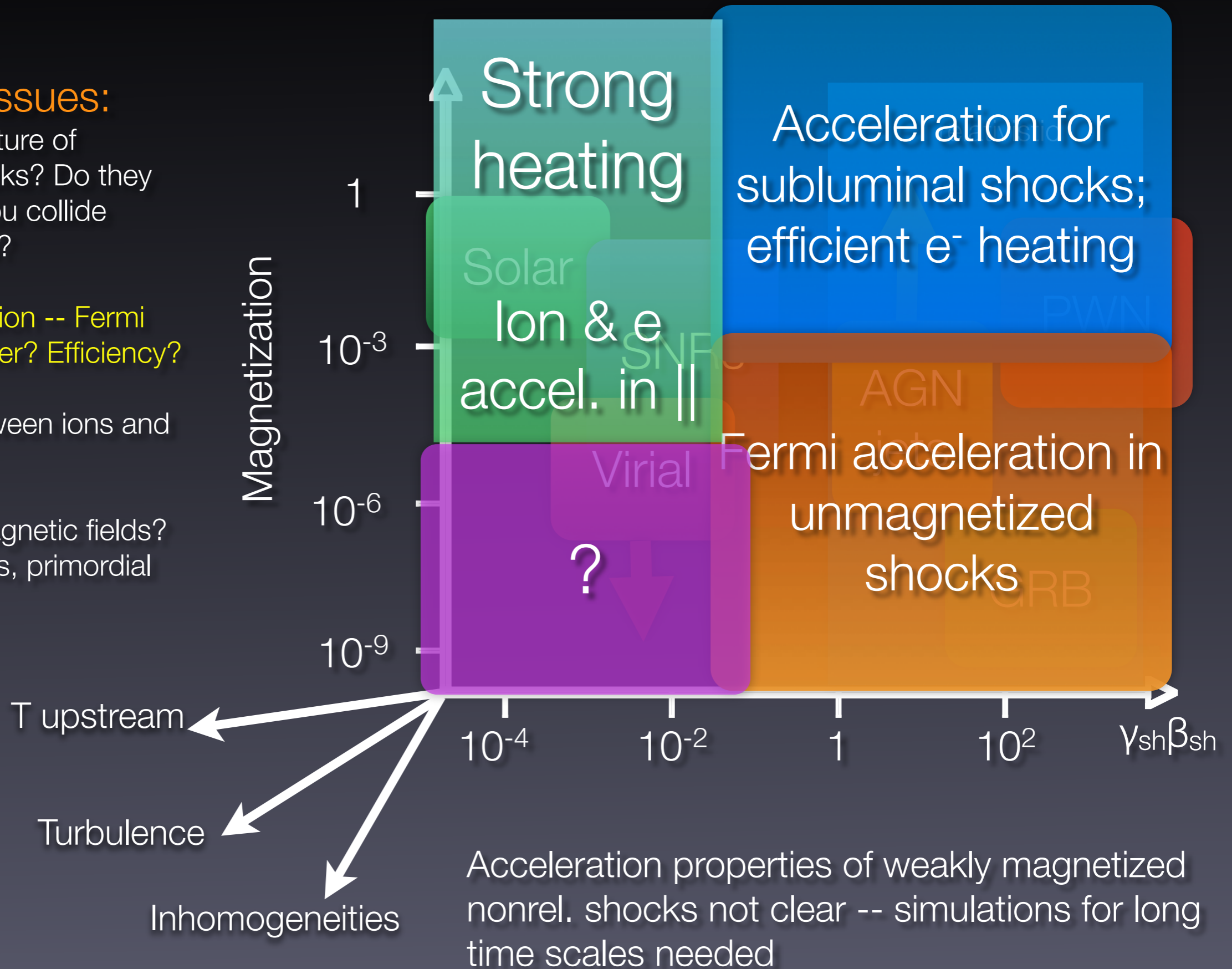
Open issues:

What is the structure of collisionless shocks? Do they exist? How do you collide without collisions?

Particle acceleration -- Fermi mechanism? Other? Efficiency?

Equilibration between ions and electrons?

Generation of magnetic fields? GRB/SNR shocks, primordial fields?



Relativistic magnetospheres

with X. Bai, M. Belyaev, J. Li, A. Philippov, A. Tchekhovskoy

Pulsars

- **Pulsars are neutron stars, born in supernova explosions**

W.P. Blair (JHU),
K. Davidson (U. Minnesota) and
The Hubble Heritage Team:
K. Noll, H. Bond,
C. Christian, J. English,
L. Frattare, F. Hamilton,
and Z. Levay (STScI)

Green: F502N [O III]
Blue: F547M Strömgren y
Orange: F656W H α
Red: F668N [N II]
Pink: F673W [S II]

10"

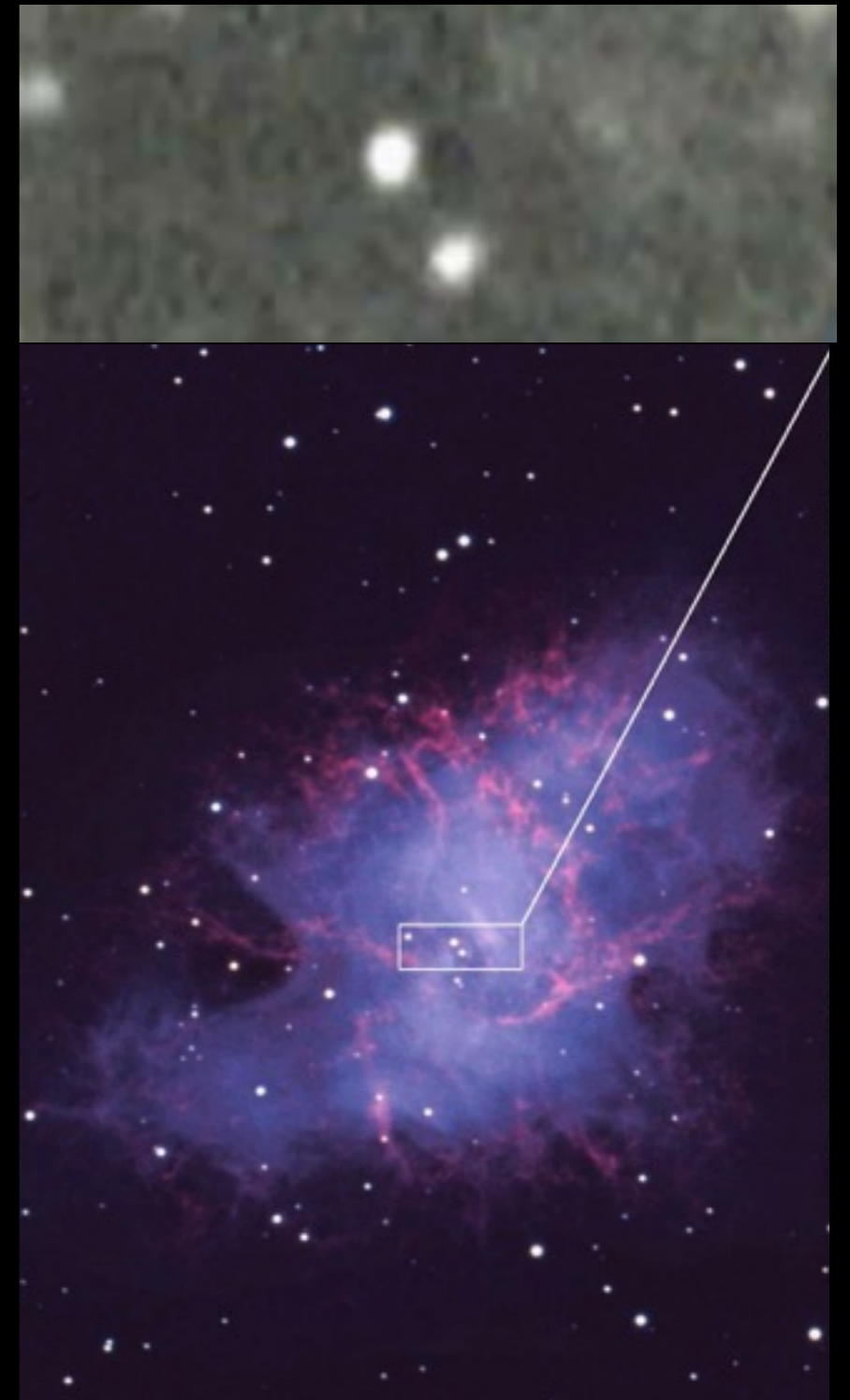
N
E

HST • WFPC2

VIT

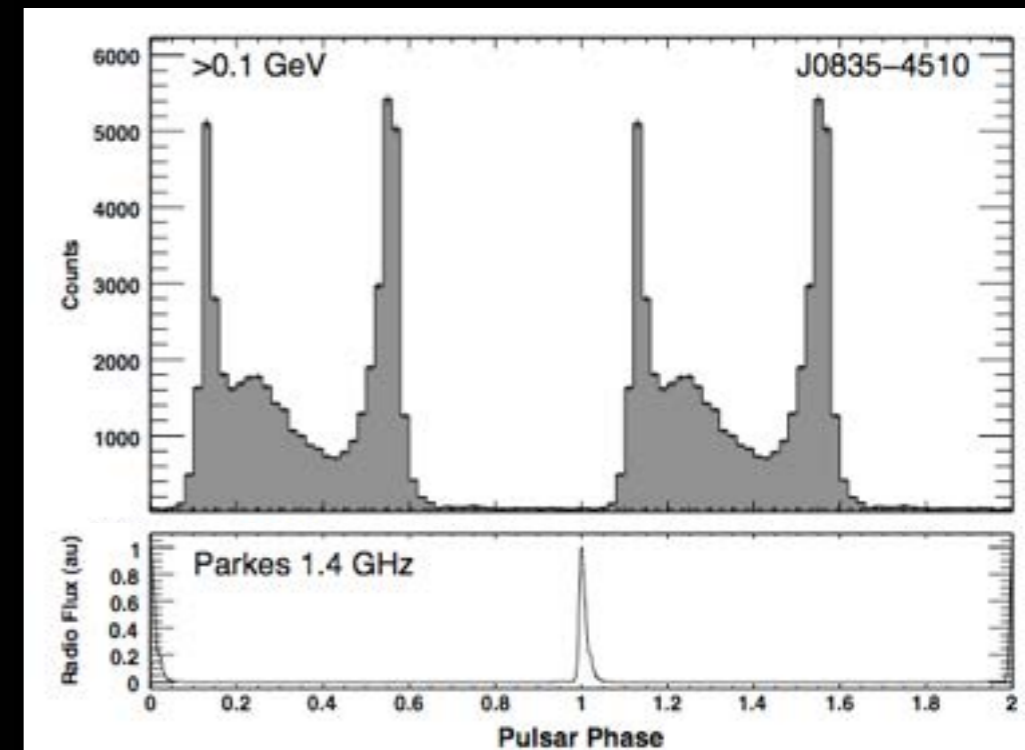
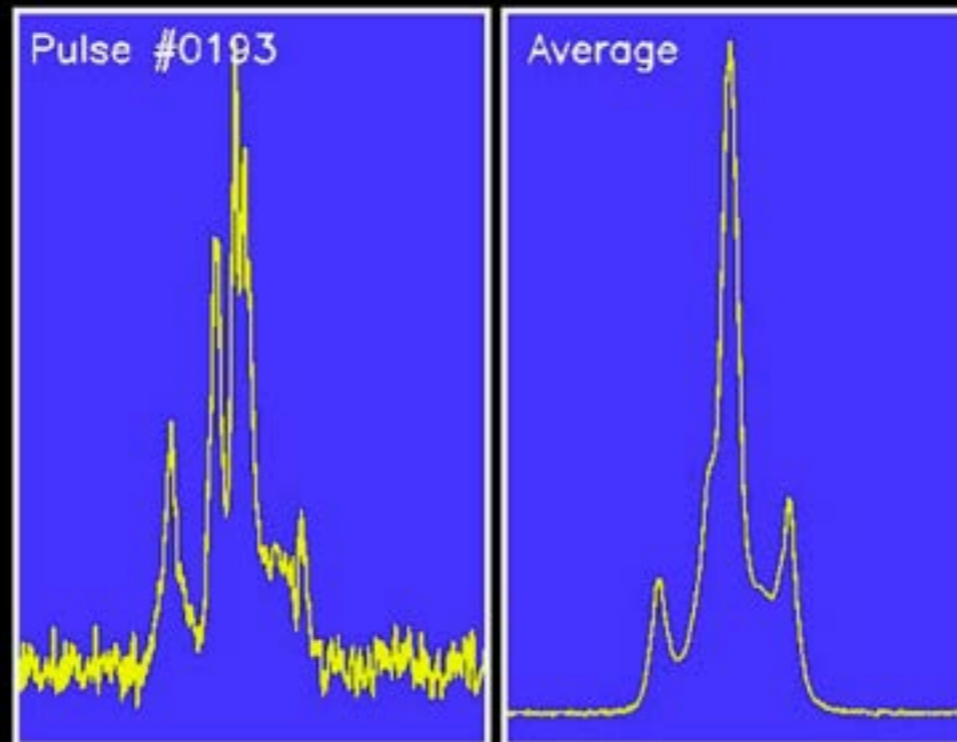
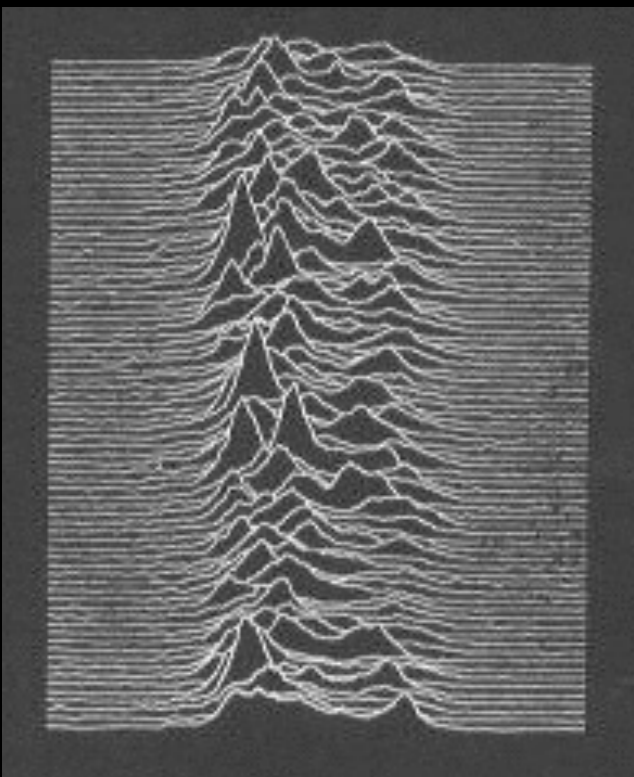
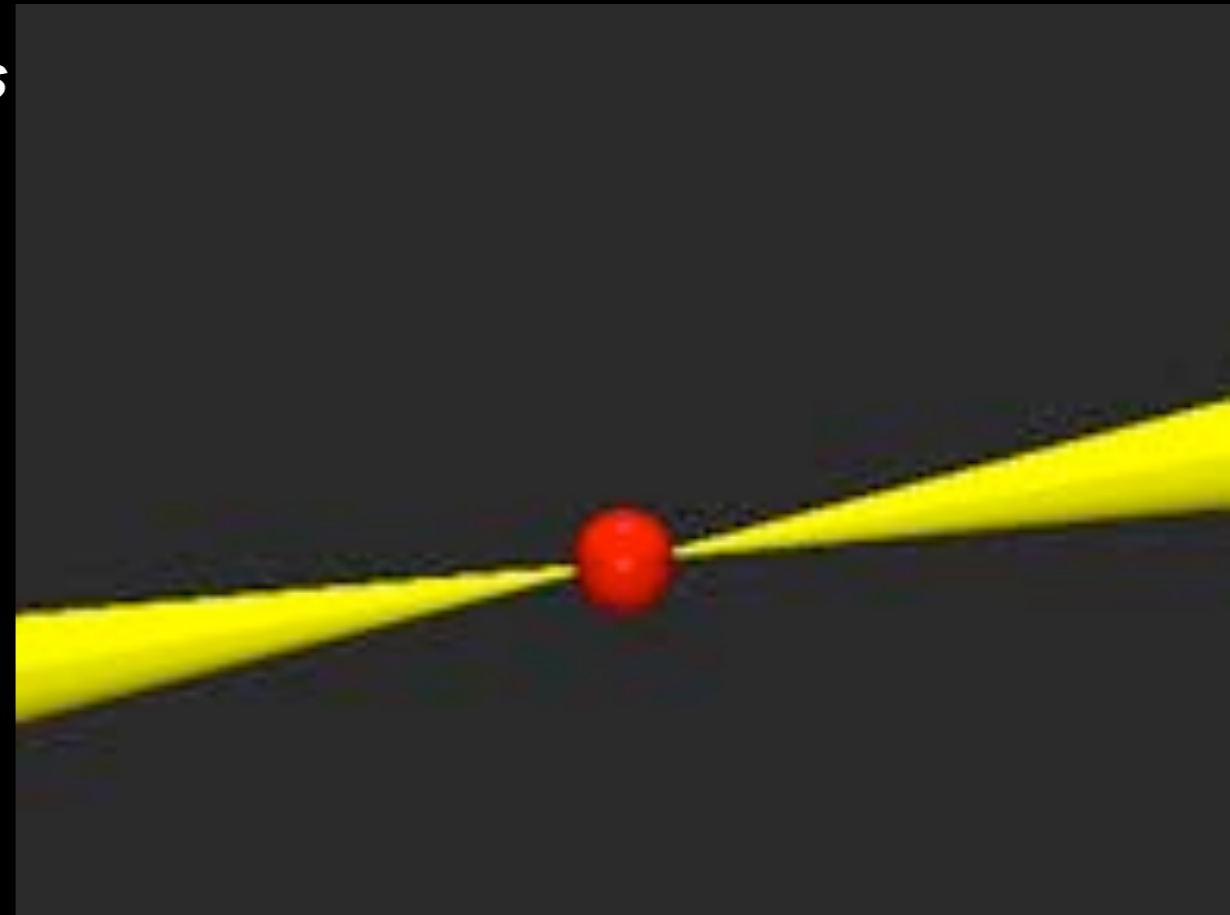
Blair, W. P., Davidson, K., Fesen, R. A., Uomoto, A., MacAlpine, G. M., & Henry, R. B. C., "HST/WFPC2 Imaging of the Crab Nebula. I. Observational Overview," 1997, *ApJS*, **109**, 473

<http://heritage.stsci.edu>

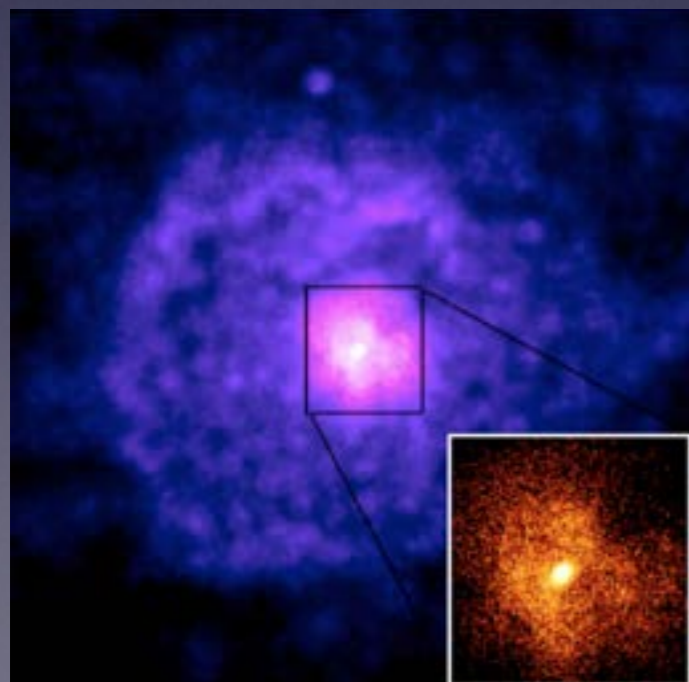
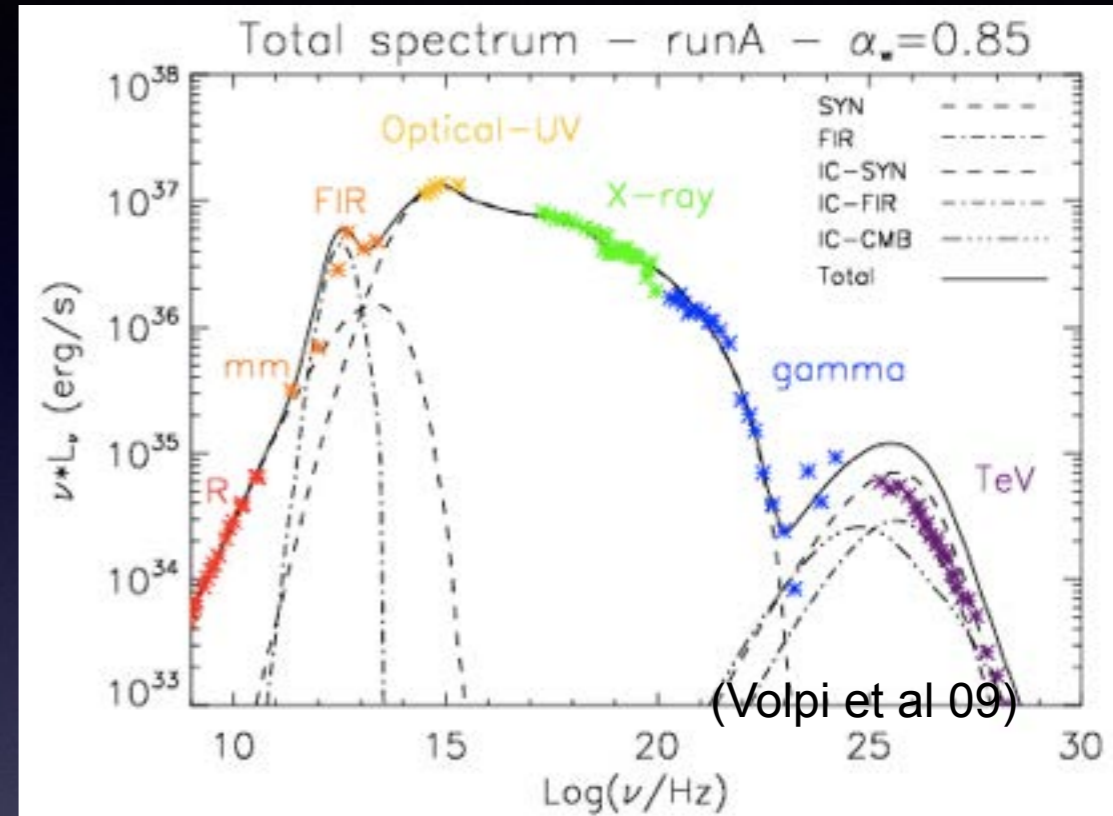
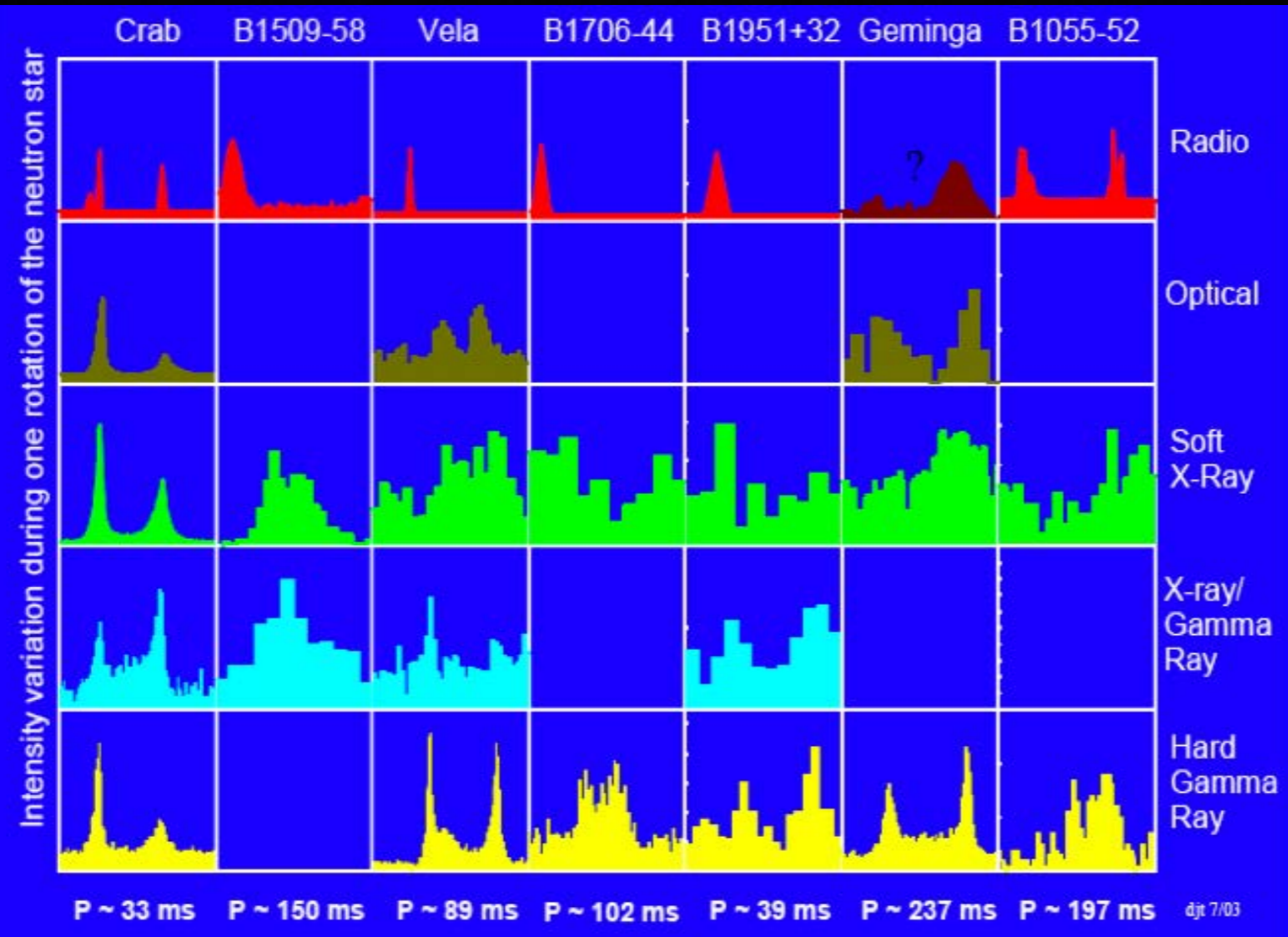


Pulsars: cosmic lighthouses

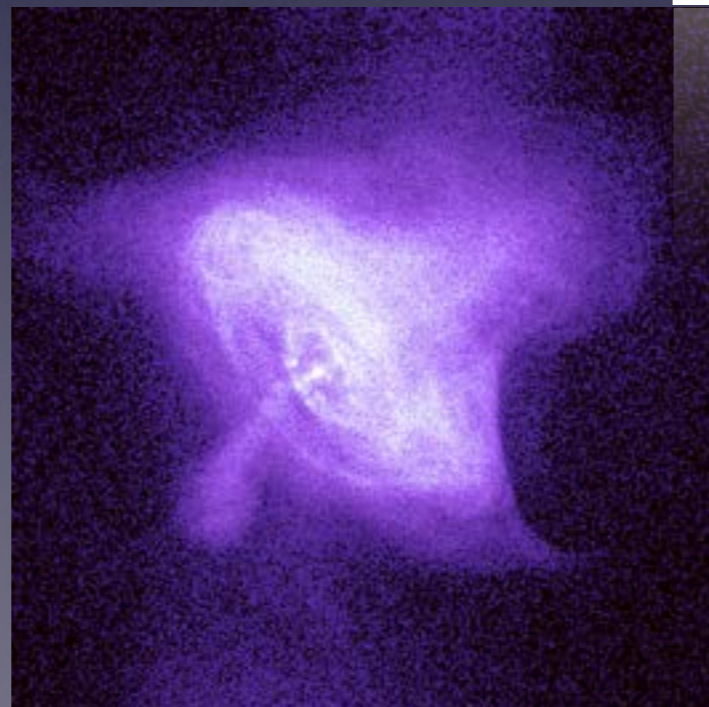
- **Neutron Star -- 10km in radius, 1.4 Solar Mass**
- **Central densities -- density of nuclei**
- **Gravity is 100 billion times Earth gravity**
- **Pulsars emit from radio to gamma ray**
- **Spin periods -- from 1.5 ms (700 Hz!) to 8 sec**
- **Individual pulses quite different, but average profile is very stable (geometry)**
- **Sweeping dipole magnetic field**
- **Pulsars spin down -- inferred B field $10^{12}G$**



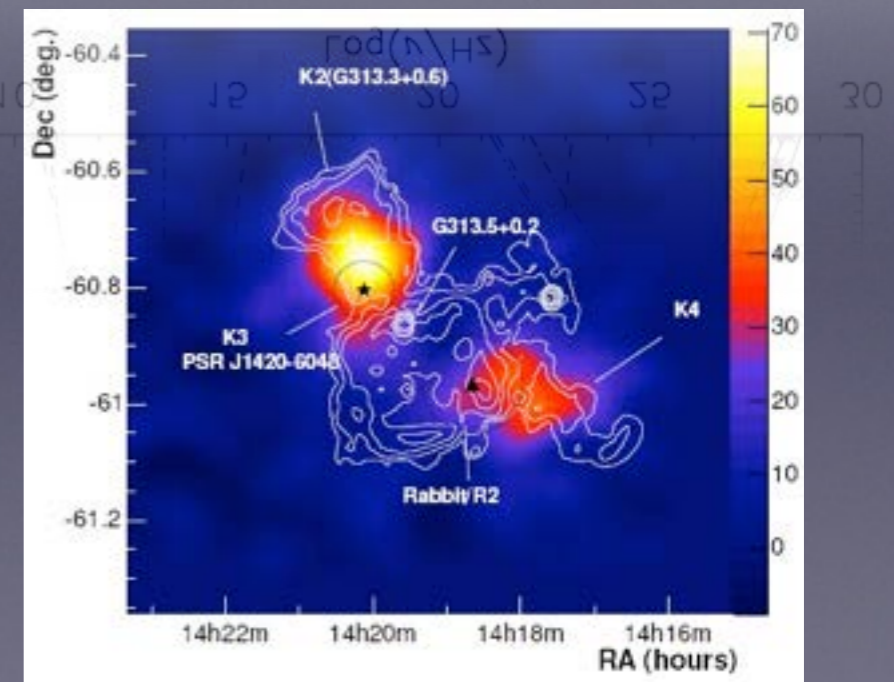
- Broadband pulsed emission, now > 100 GeV (Veritas).
- PWNe: radio-TeV. 10^{40} pairs/sec. Also, flares!



G21.9 (Safi-Harb et al 2004)



Crab (Weisskopf et al 2000)



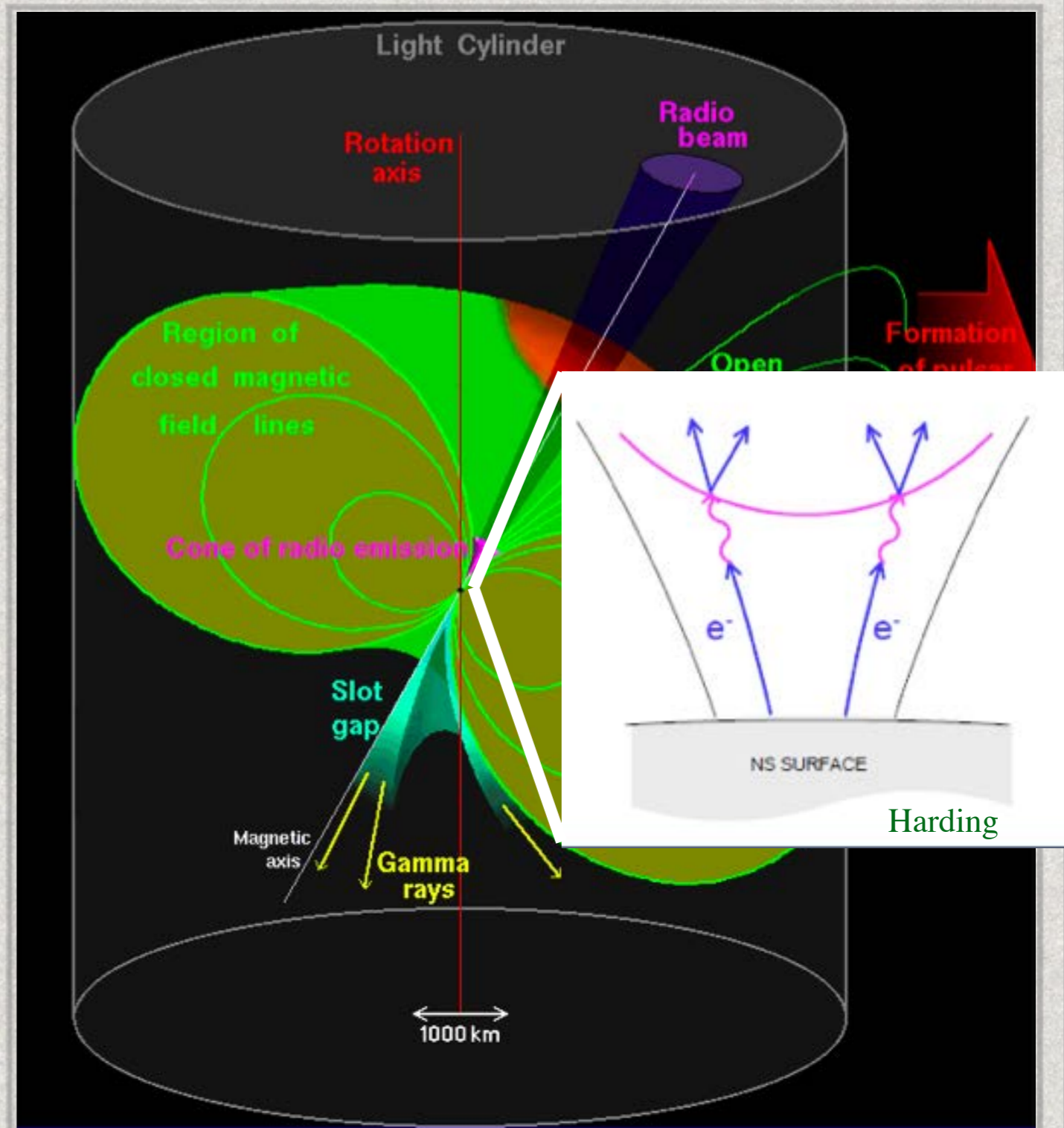
HESS J1420 (Aharonian et al 2006)

Open questions:

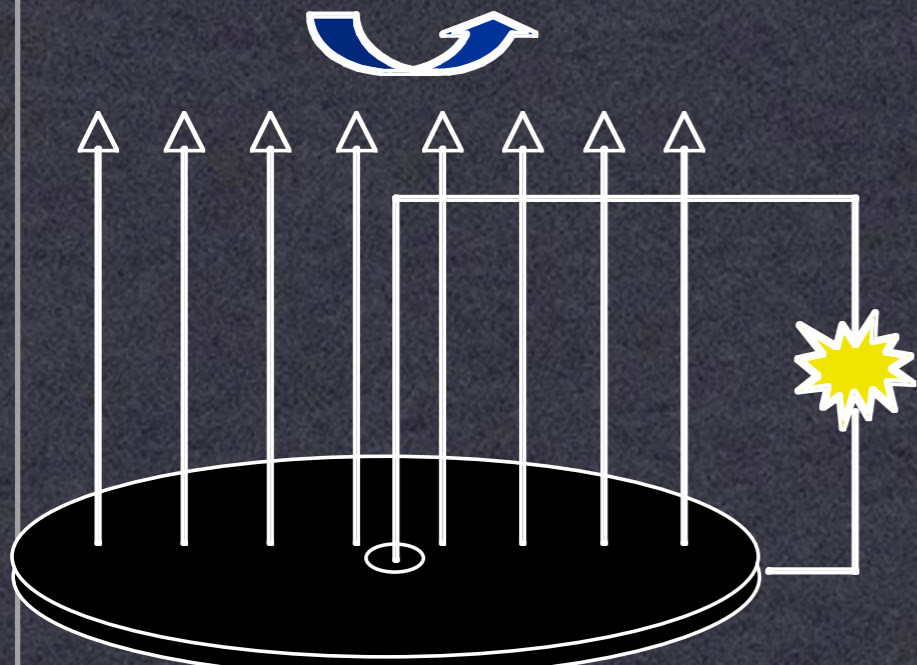
- * What is the structure of pulsar magnetosphere and how do pulsars spin down?
- * What are the properties of the wind near pulsar? In the nebula?
- * What causes pulsed emission?
- * How are observed spectra generated? (how particles are accelerated?)

Magnetospheric cartoon

- * Open & closed (corotating) zones.
- * Light cylinder
- * Sweepback
- * Plasma is born in discharges
- * Minimal (Goldreich-Julian) charge density

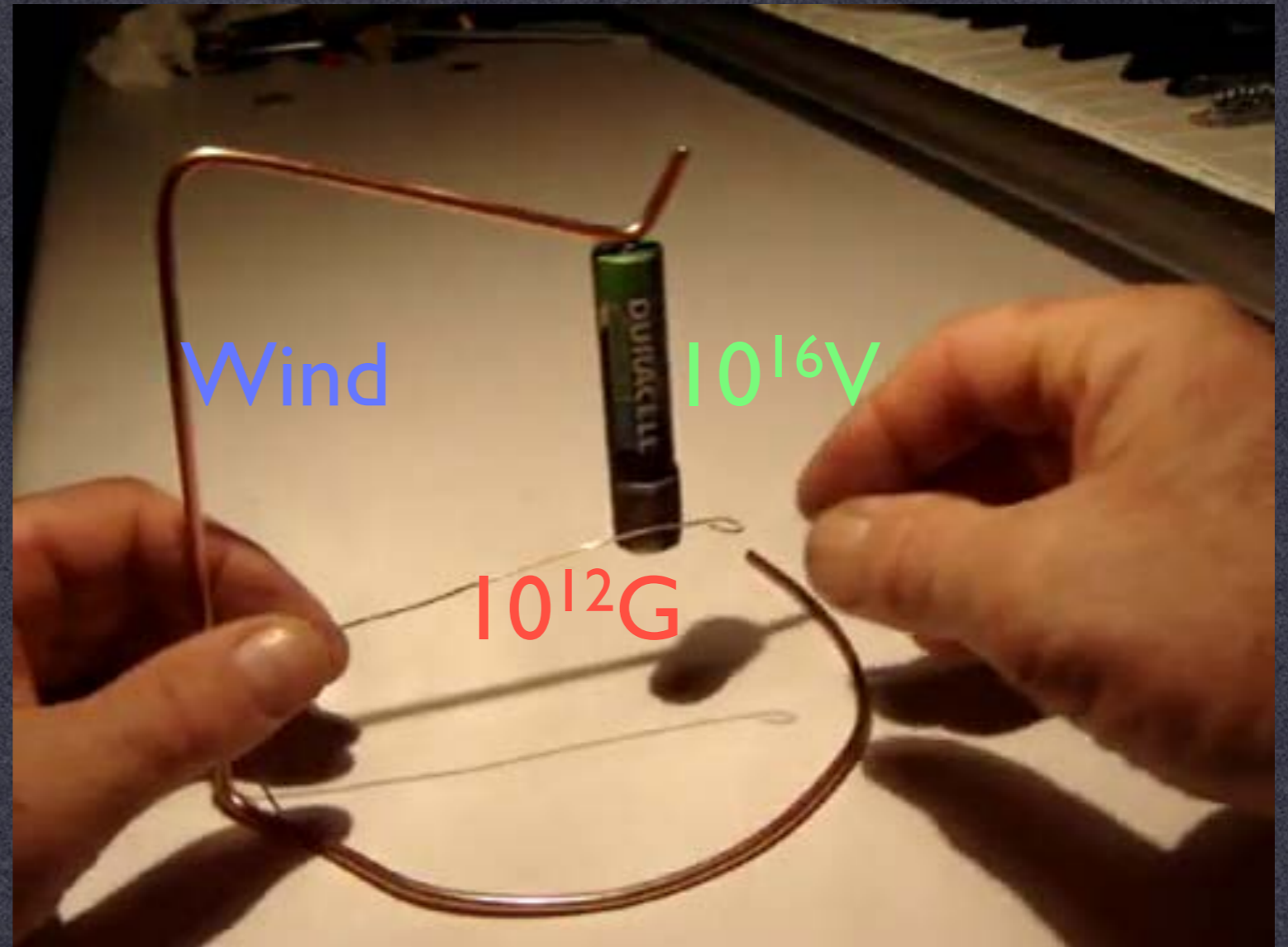


Pulsar physics: unipolar induction



Faraday disk

$$\phi_0 = \Omega B a^2 / c$$

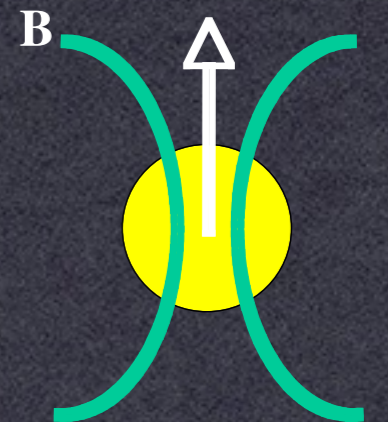


Pulsar "in reverse"

Rule of thumb: $V \sim \Omega \Phi$; $P \sim V^2 / Z_0 = I V$

Crab: $B \sim 10^{12}$ G, $\Omega \sim 200$ rad s⁻¹, $R \sim 10$ km

Voltage $\sim 3 \times 10^{16}$ V; $I \sim 3 \times 10^{14}$ A; Power $\sim 10^{38}$ erg/s



And yet it spins down...

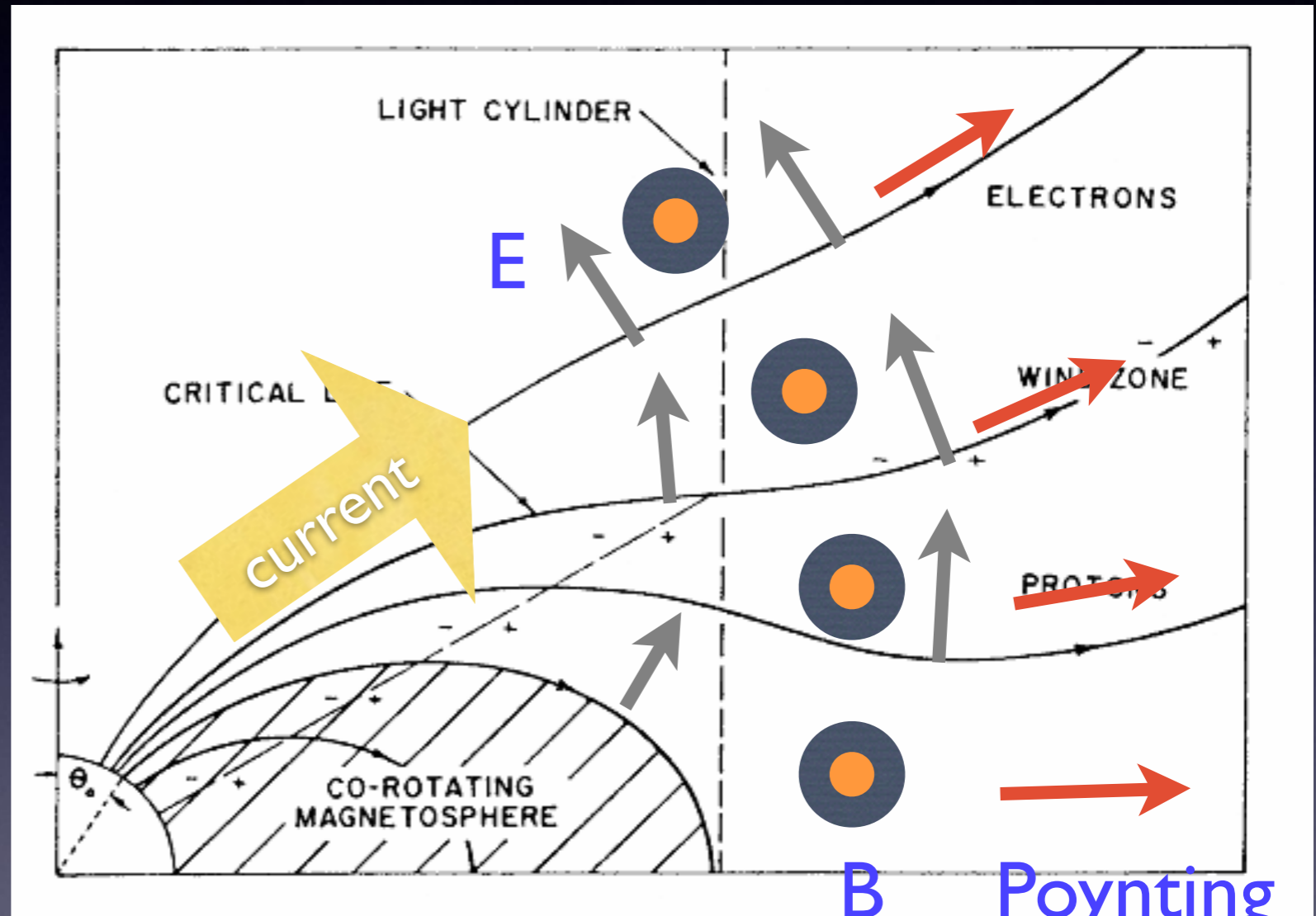


$$j_{GJ} = \rho_{GJ}c = -\frac{\vec{\Omega} \cdot \vec{B}}{2\pi}$$

$$\frac{1}{4\pi} \nabla \cdot \vec{E} = \rho_{GJ} = -\frac{\vec{\Omega} \cdot \vec{B}}{2\pi c}$$

$$\rho_{GJ} = -\frac{\vec{\Omega} \cdot \vec{B}}{2\pi c}$$

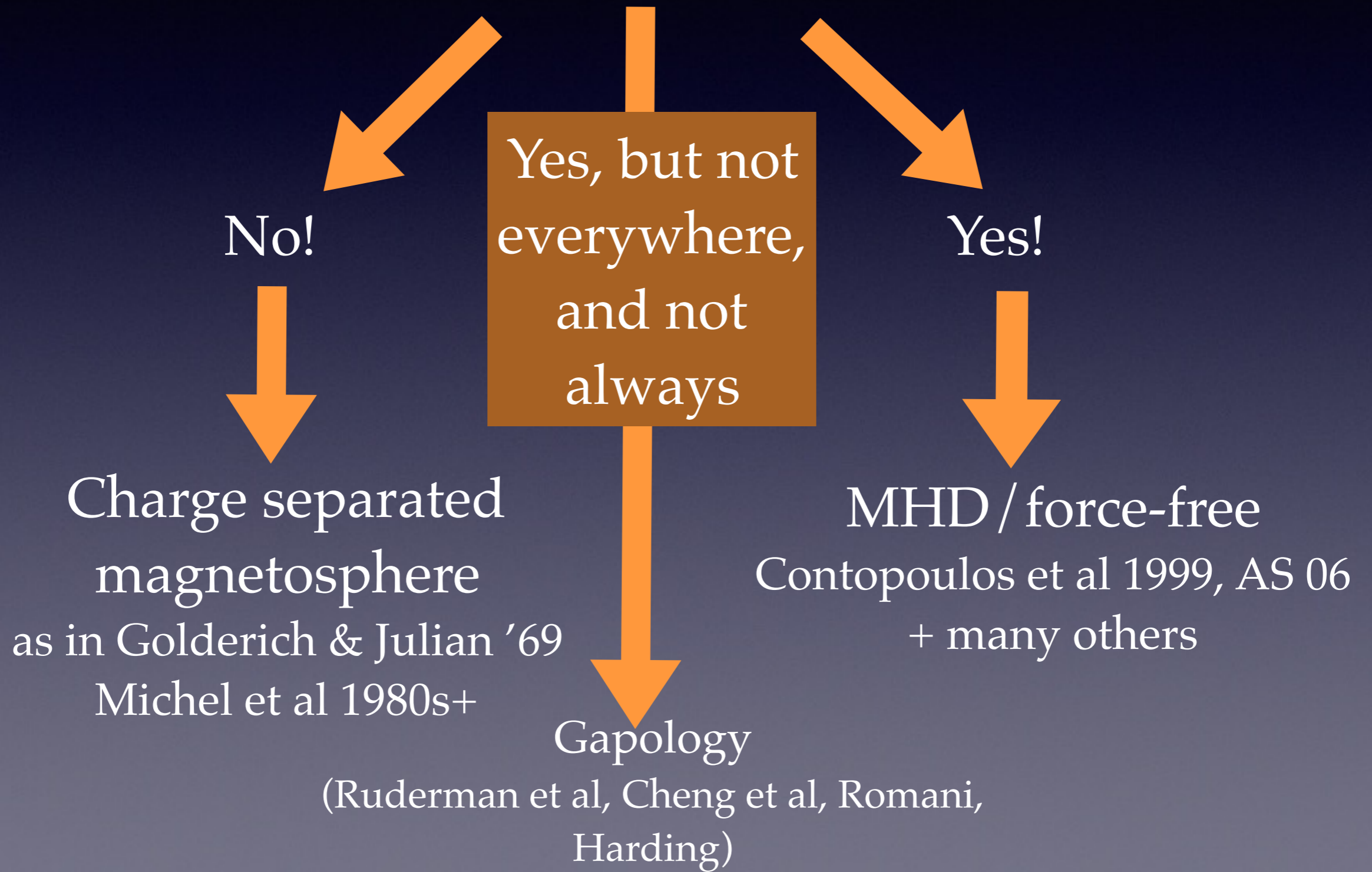
- Corotation electric field
- Sweepback of B field due to poloidal current
- $\mathbf{E} \times \mathbf{B} \rightarrow$ Poynting flux
- Electromagnetic energy loss



Goldreich & Julian 1969

MODELING: TWO PATHS

Is there dense ($n \gg n_{GJ}$) plasma in the magnetosphere?



Aligned rotator: plasma magnetosphere



$$mn \frac{\partial \gamma \vec{v}}{\partial t} = \rho \vec{E} + \frac{\vec{j}}{c} \times \vec{B} \approx 0$$

$$\frac{1}{c} \frac{\partial \vec{E}}{\partial t} = \nabla \times \vec{B} - \frac{4\pi}{c} \vec{j}$$

$$\frac{1}{c} \frac{\partial \vec{B}}{\partial t} = -\nabla \times \vec{E}$$

$$\rho \vec{E} + \frac{\vec{j}}{c} \times \vec{B} = 0$$

$$\frac{\partial}{\partial t} \vec{E} \cdot \vec{B} = 0$$

$$\vec{j} = \frac{c}{4\pi} (\nabla \cdot \vec{E}) \frac{\vec{E} \times \vec{B}}{B^2} + \frac{c \vec{B} (\vec{B} \cdot \nabla \times \vec{B} - \vec{E} \cdot \nabla \times \vec{E})}{4\pi B^2}$$

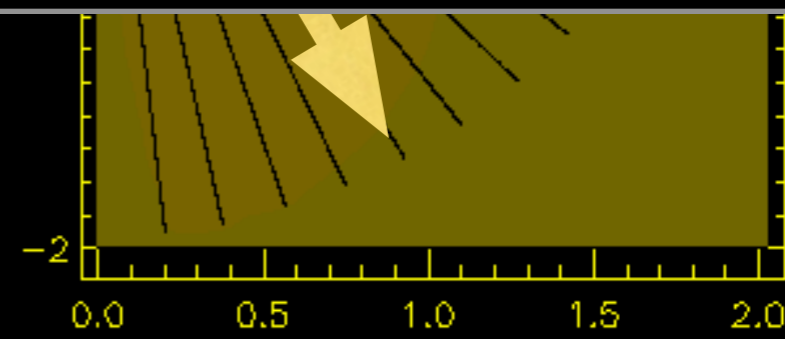
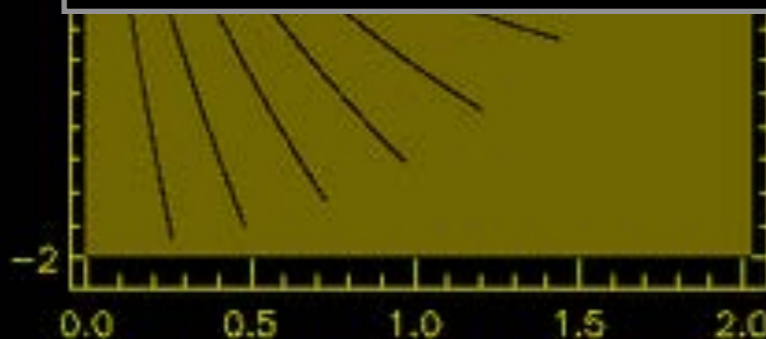
Perpendicular
current

Parallel
current

Gruzinov 99, Blandford 01

Toroidal
field

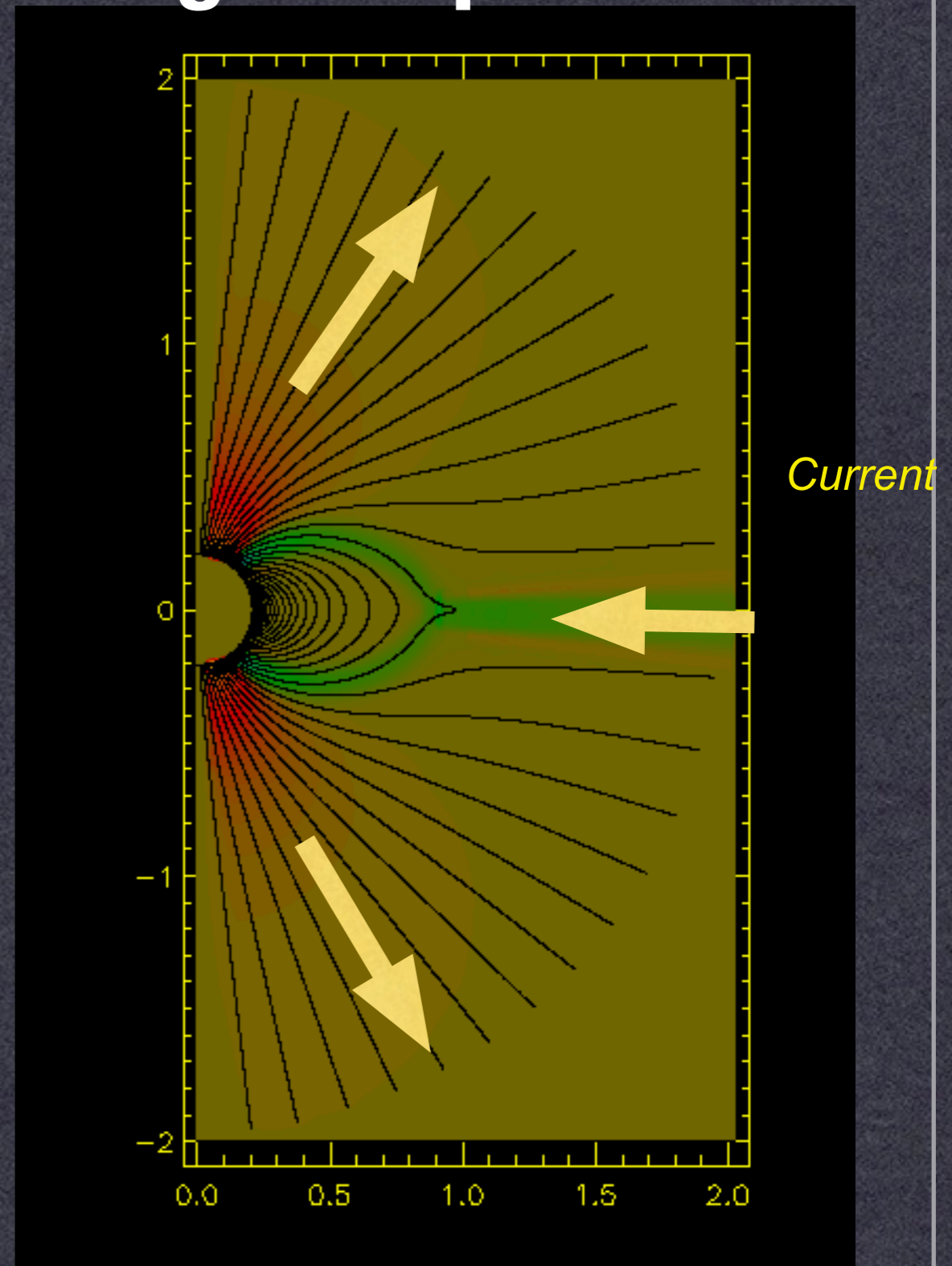
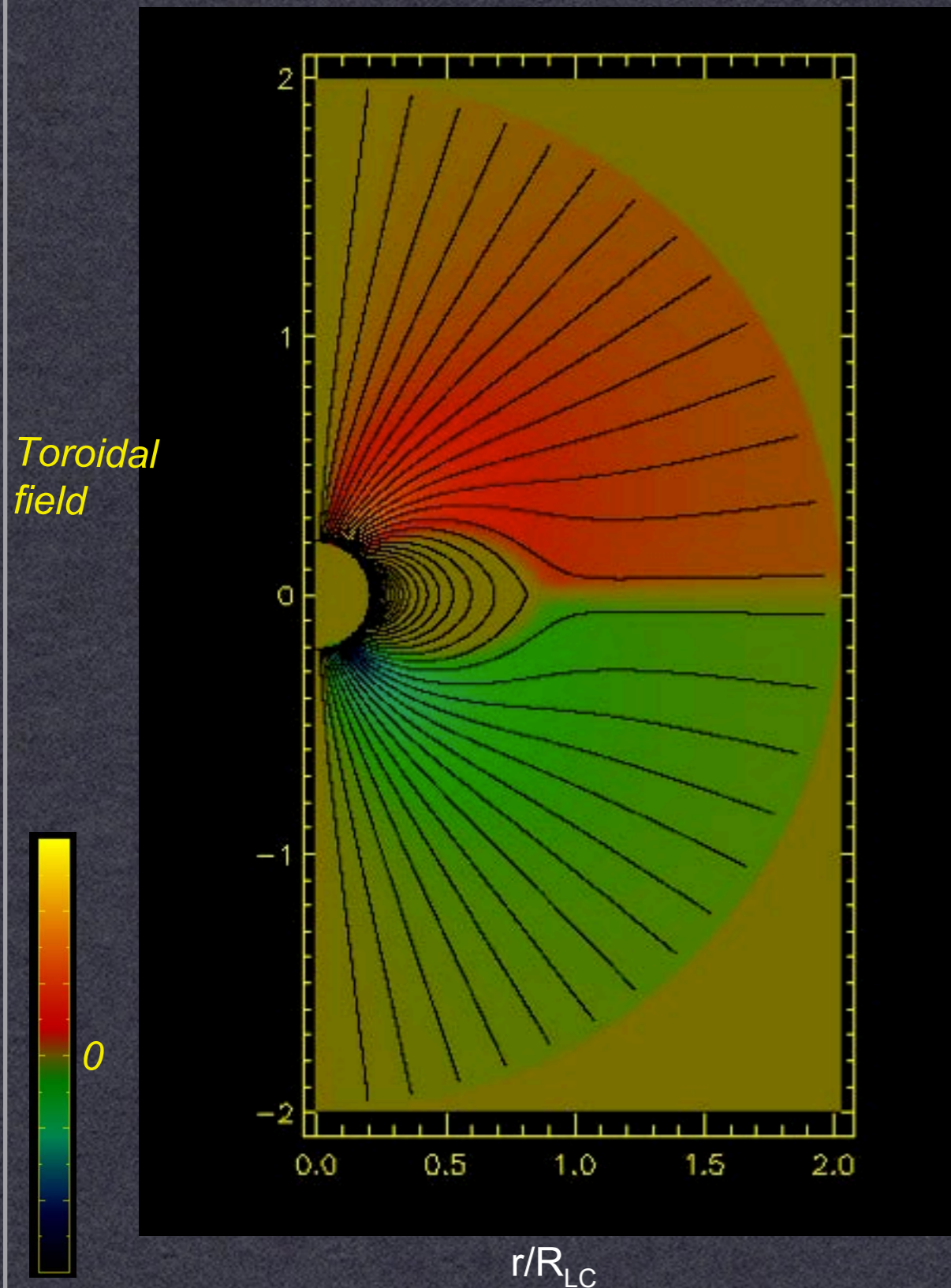
Current



r/R_{LC}

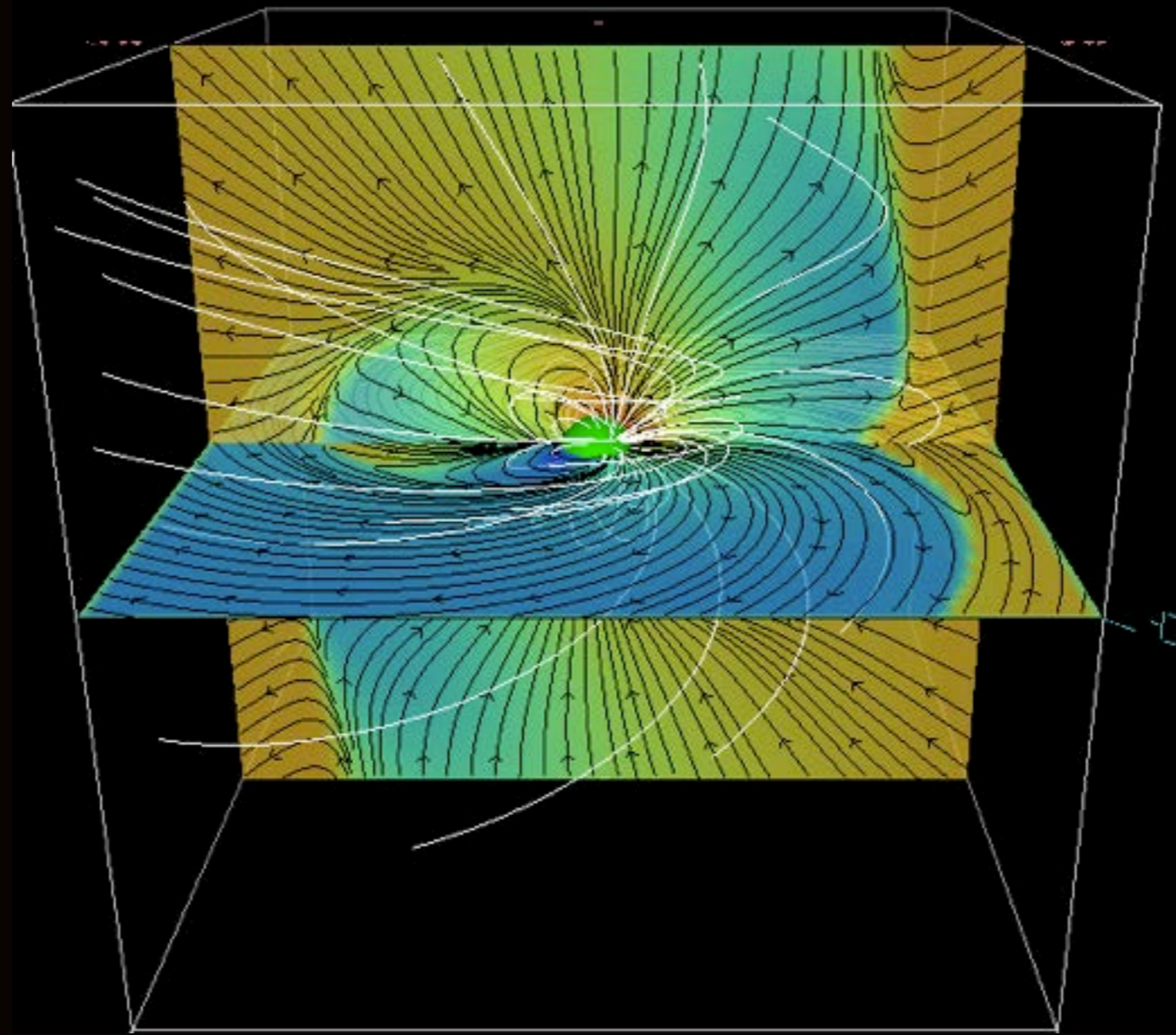
**Force-free approximation: plasma energy density \ll field, but plasma currents included.
Properties: current sheet, split-monopolar asymptotics; closed-open lines; Y-point**

Aligned rotator: plasma magnetosphere



Force-free approximation: plasma energy density \ll field, but plasma currents included.
Properties: current sheet, split-monopolar asymptotics; closed-open lines; Y-point

Oblique rotator: force-free



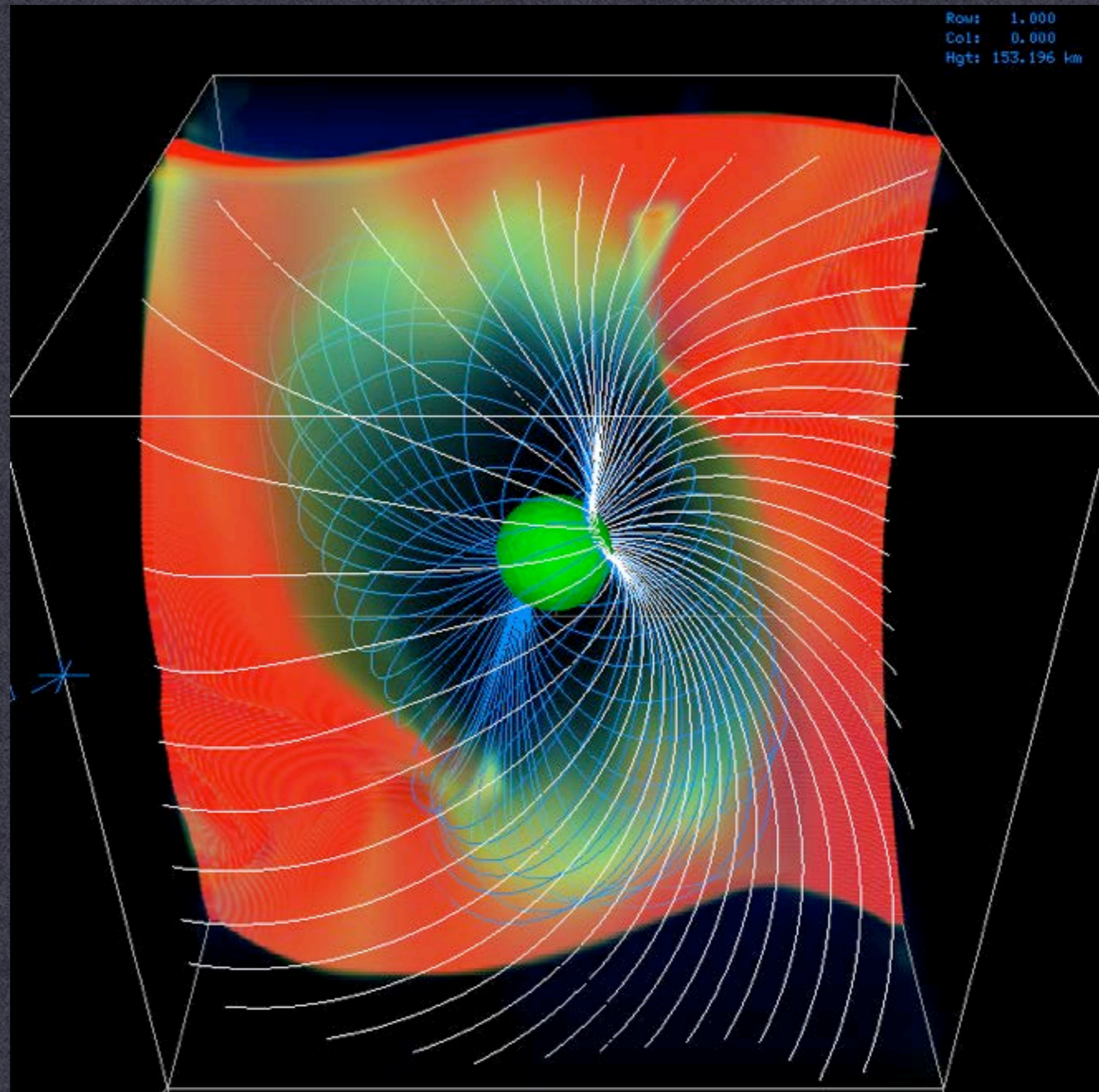
Current sheet emission results in double peaked pulses

Color -> current

Field lines that produce best force-free caustics seem to “hug” the current sheet at and beyond the LC.

Significant fraction of emission comes from beyond the light cylinder.

Best place to put a resistor in the circuit!



Abundant plasma models

Pros:

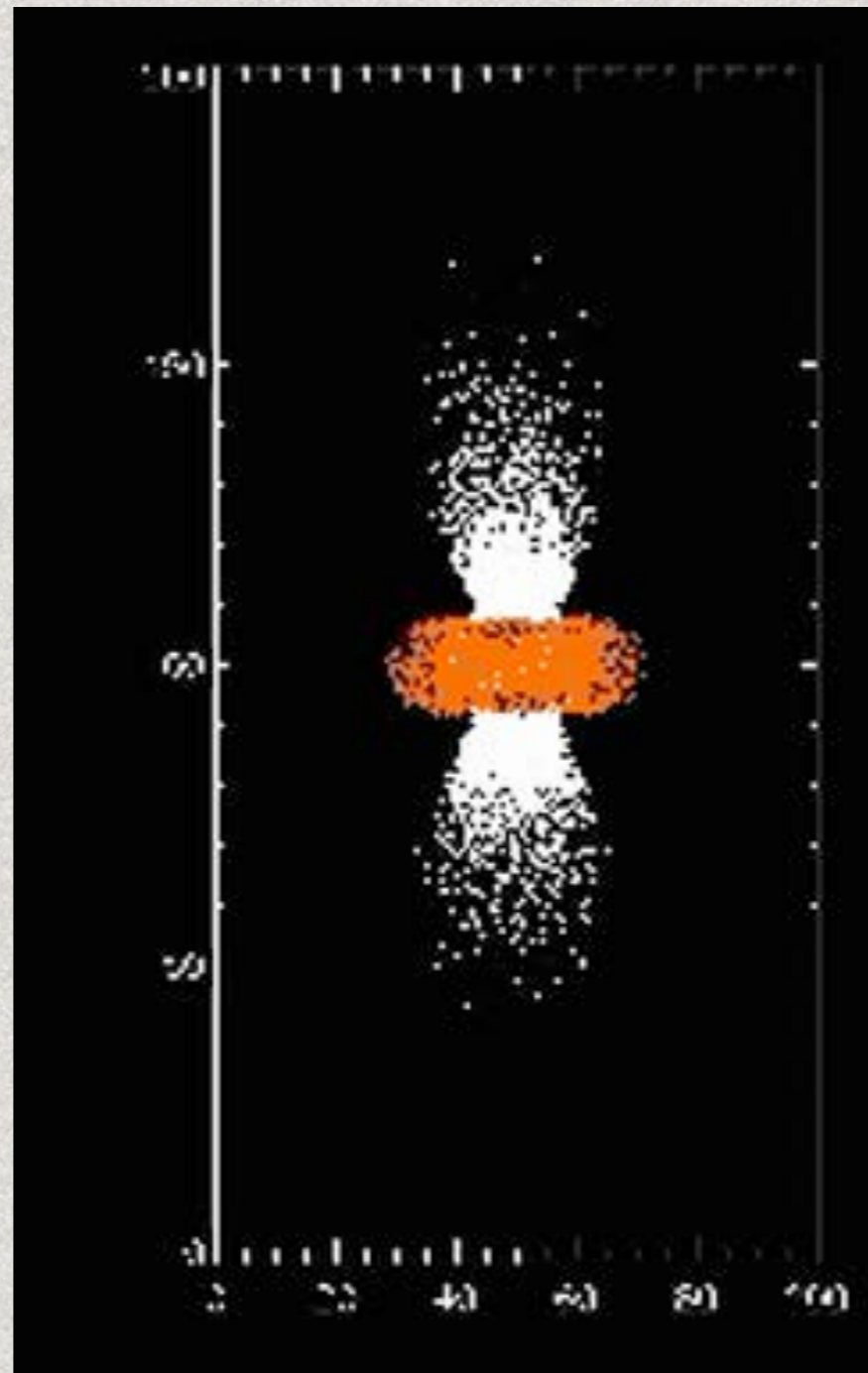
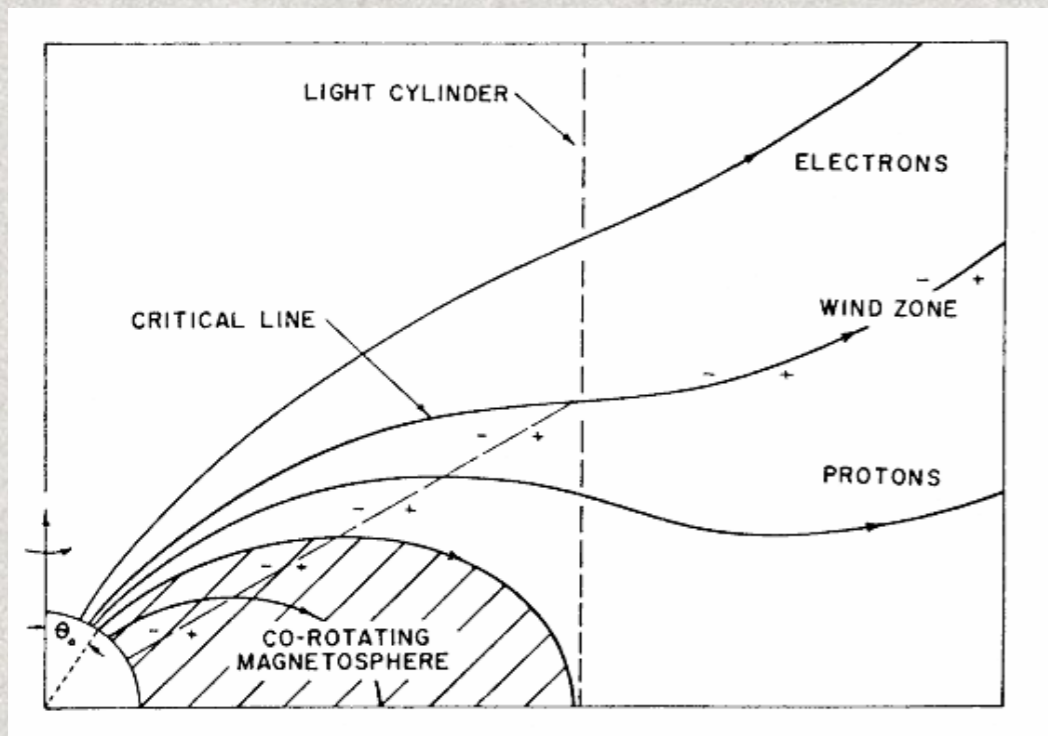
- * Allow us to compute global structure of the magnetosphere
- * Spin-down power
- * Geometry of emission

Cons:

- * No acceleration; dissipation is artificial
- * No radiation
- * Are these solutions unique?

Charge-separated models

Is this the right cartoon?



AS & Arons 02;
Michel et al 84, 01;
Philippov & AS '14

**Disk+dome
electrospheres**

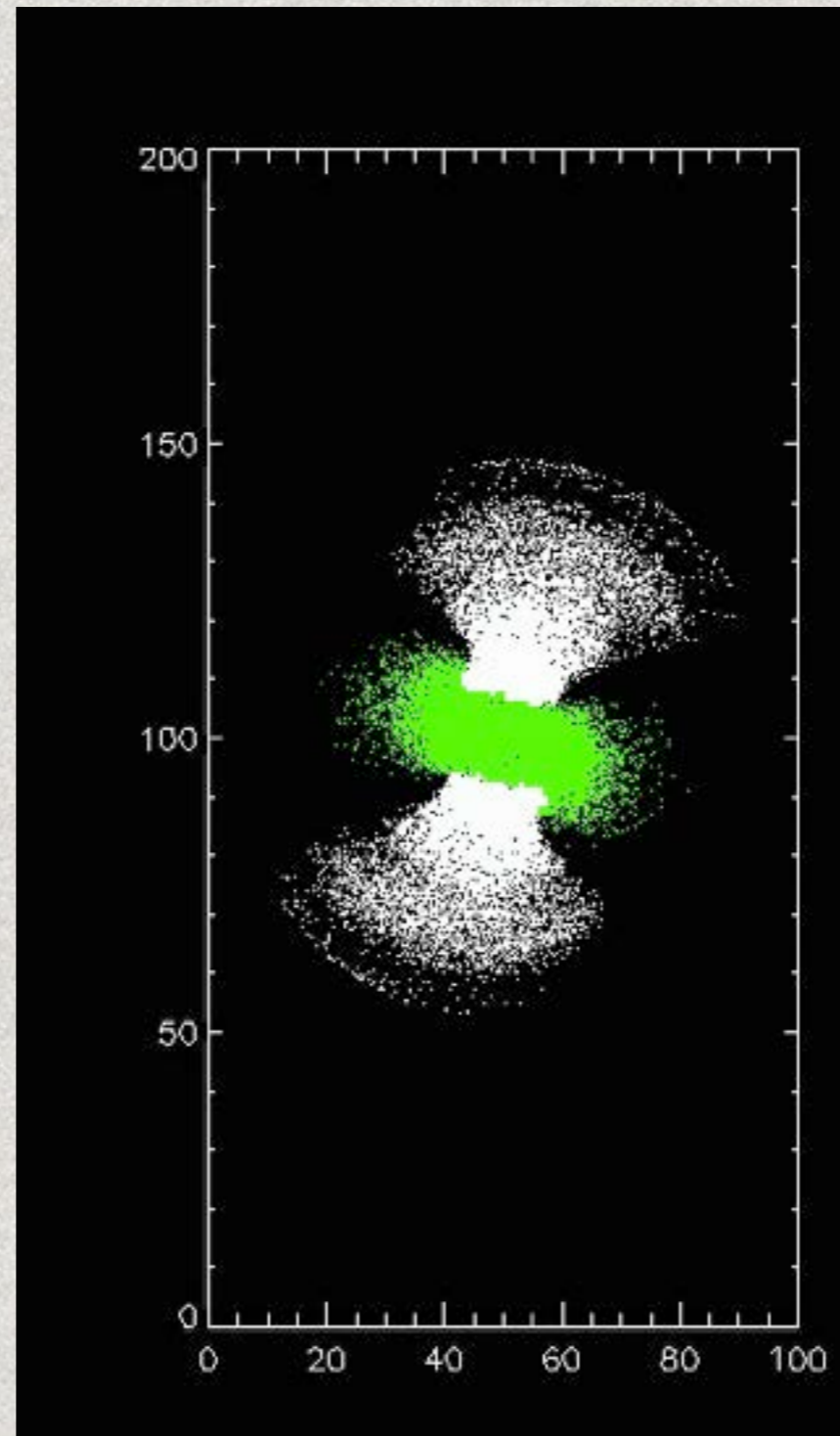
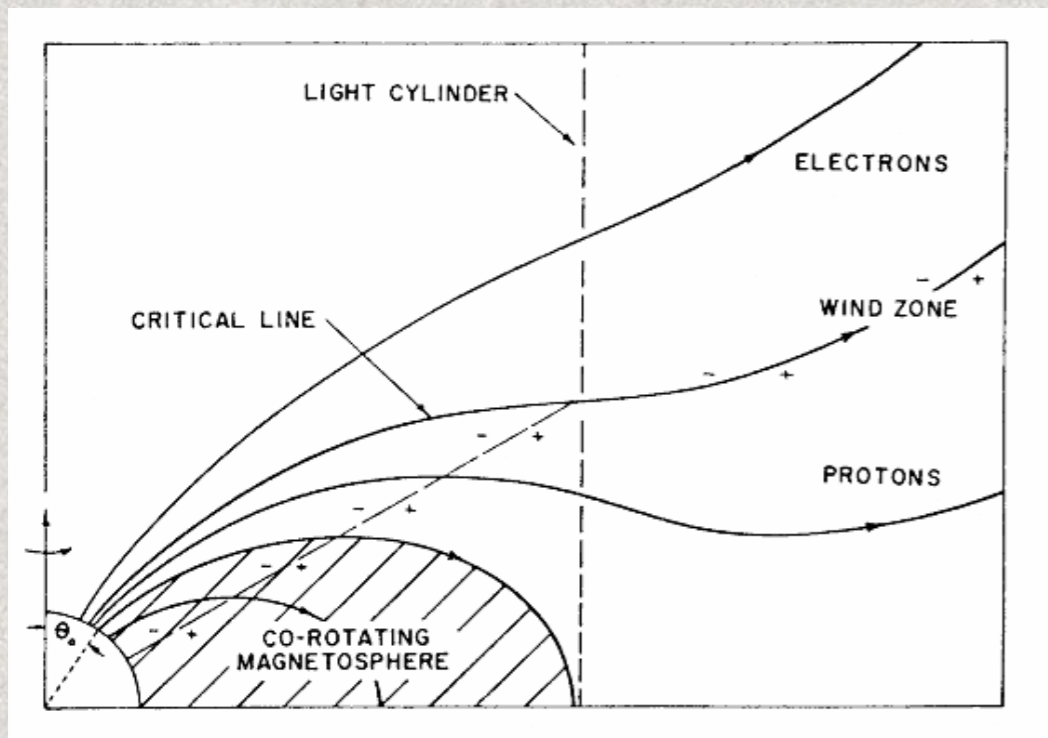
No spin-down

**Are these the
dead pulsars
after pair
production
ends?**

**Free escape from the
surface, plasma density \sim
GJ.**

**Use particle-in-cell
simulations**

Charge-separated models



AS & Arons 02;
Michel et al 84, 01;
Philippov & AS '14

**Disk+dome
electrospheres**

No spin-down

**Are these the
dead pulsars
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production
ends?**

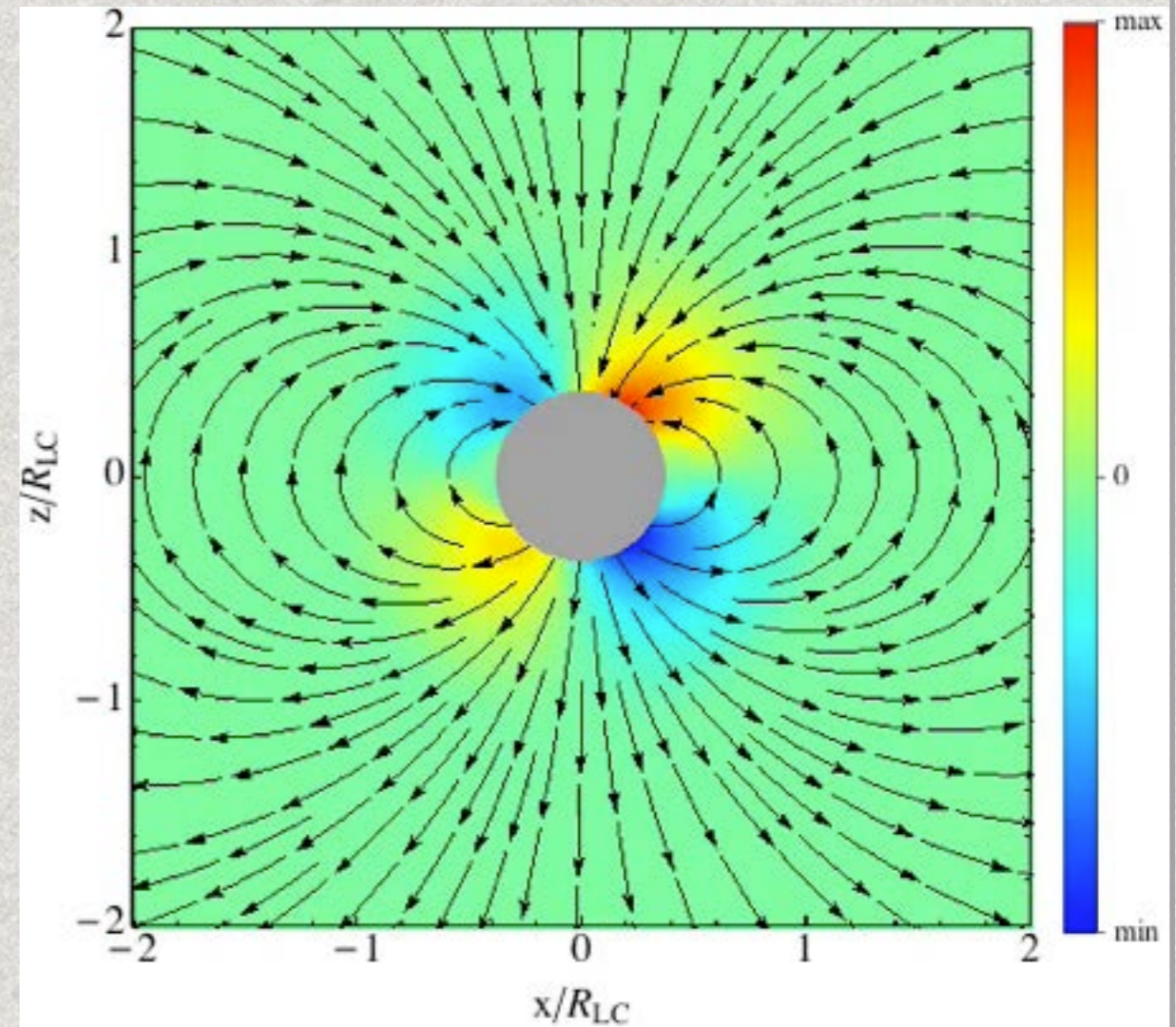
**Free escape from the
surface, plasma density \sim
GJ.**

**Use particle-in-cell
simulations**

Abundant plasma solution w/PIC

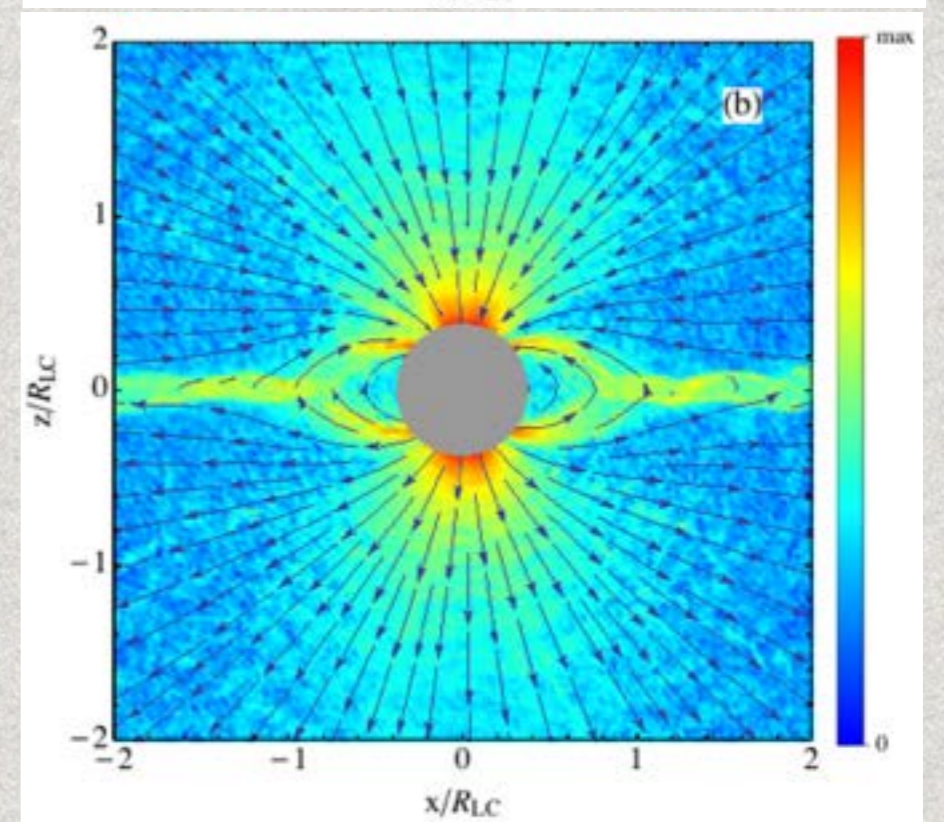
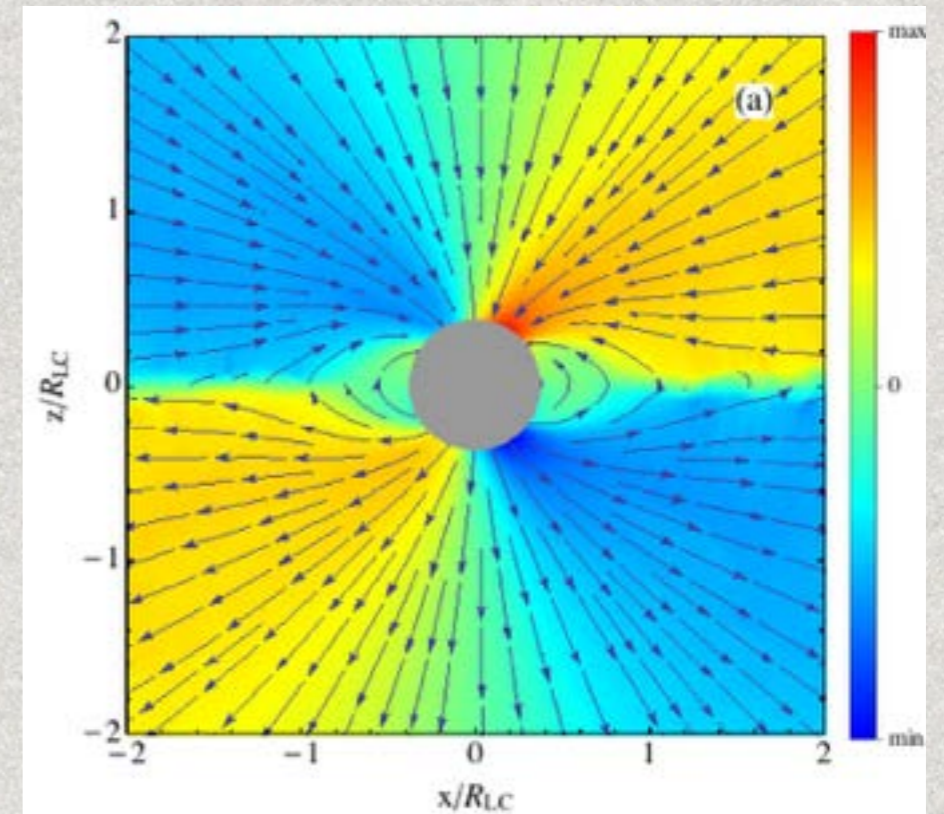
Philippov + AS 2014

- * BC on the star: space-charge limited flow, particle escape, good spherical conductor (challenge on Cartesian grid).
- * We used “plasma sphere” BC.
- * Dump plasma throughout magnetosphere: faking abundant pair formation throughout LC



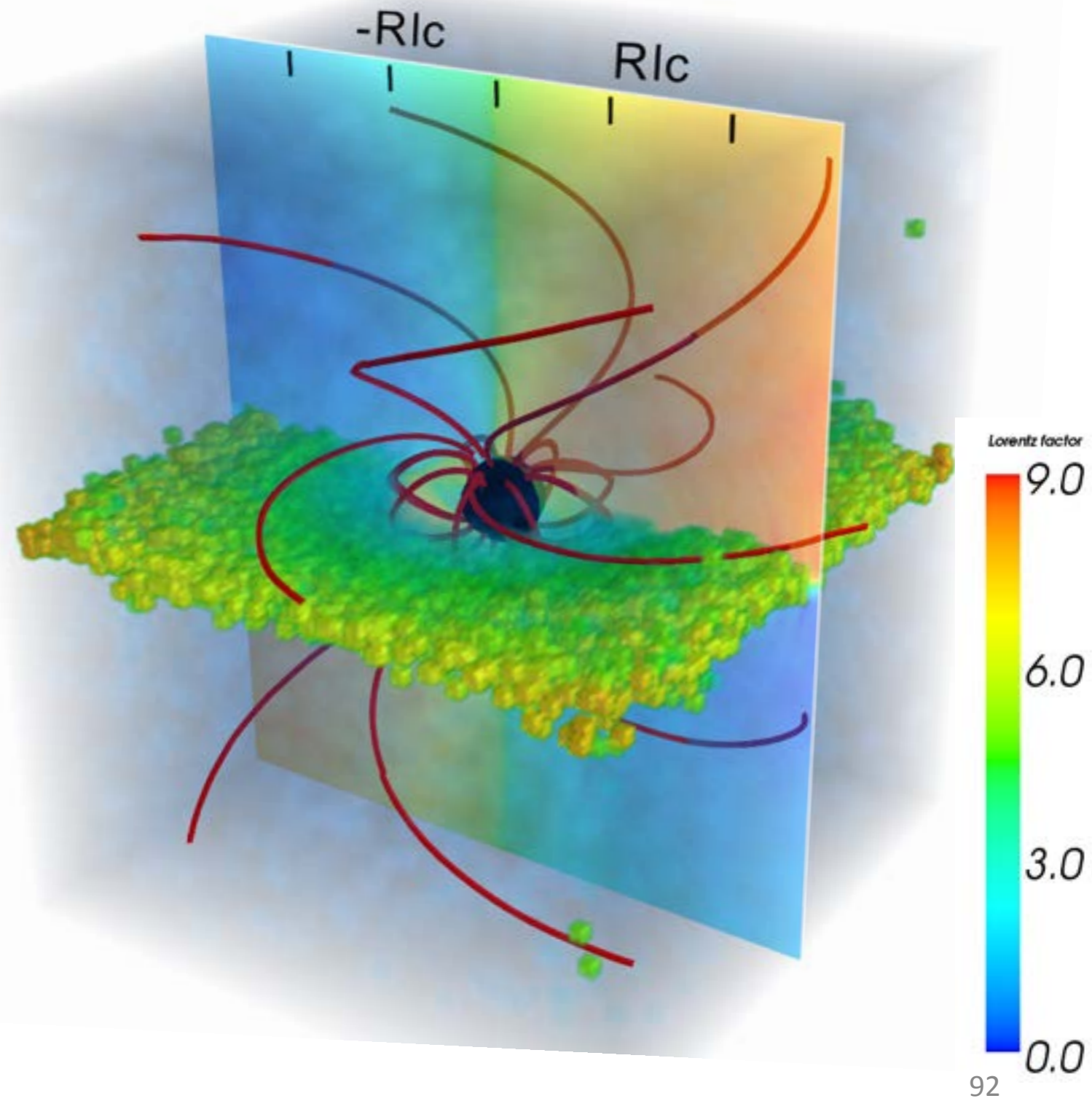
Abundant plasma solution w/PIC

- * Abundant pair plasma with PIC reproduces force-free
- * Small dissipation ($\sim 10\%$ in current sheet)
- * Particle acceleration mainly in the sheet
- * Drift-kink instability of the sheet



Volumetric pair supply in the aligned magnetosphere

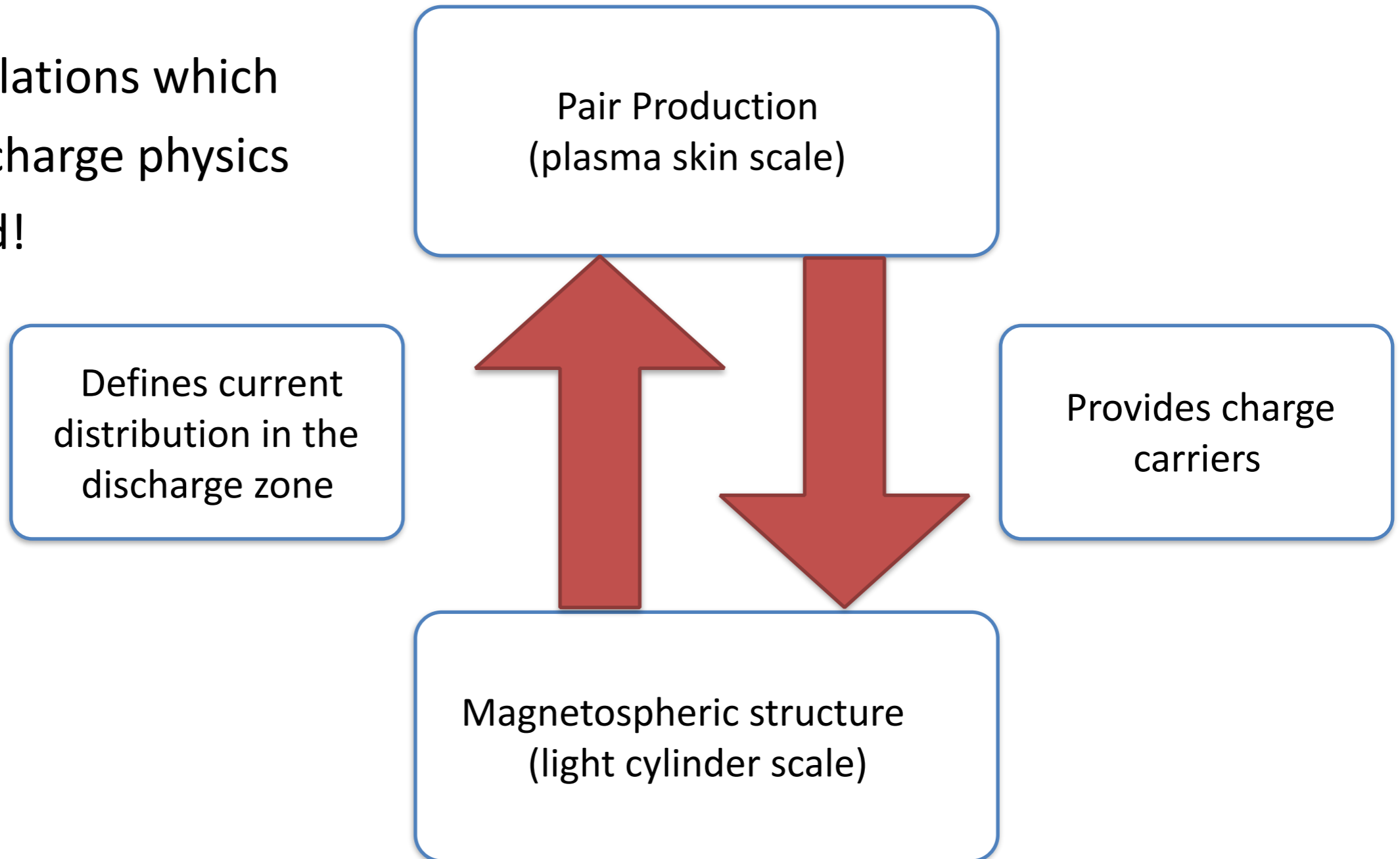
- Approaches force-free
- Self-consistent current sheet
- 10% of Poynting flux is dissipated within $2R_{LC}$.
- Observed drift-kink instability of the current sheet.
- Particles are accelerated up to energies limited by magnetization.



Philippov & Spitkovsky, ApJ, 2014

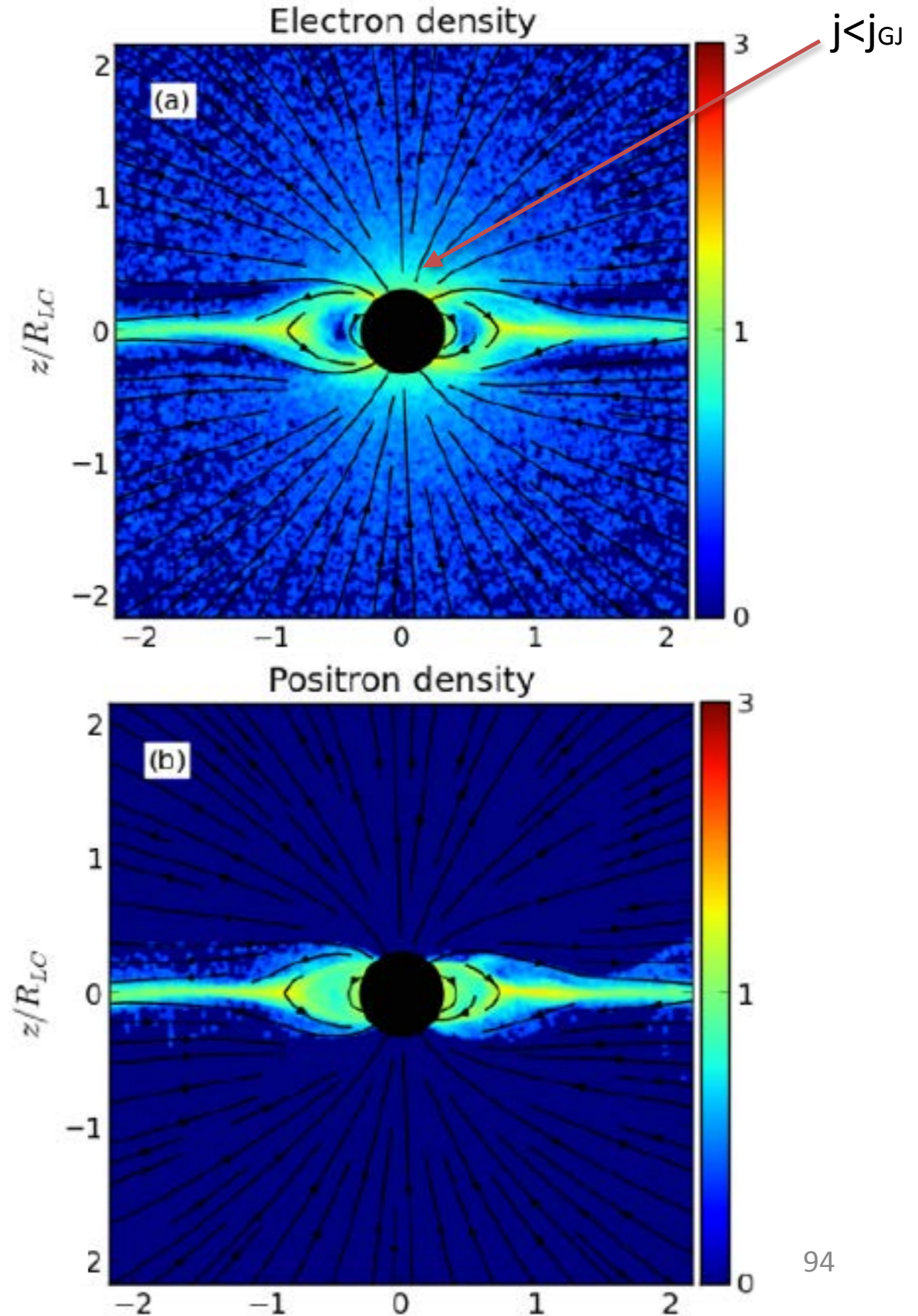
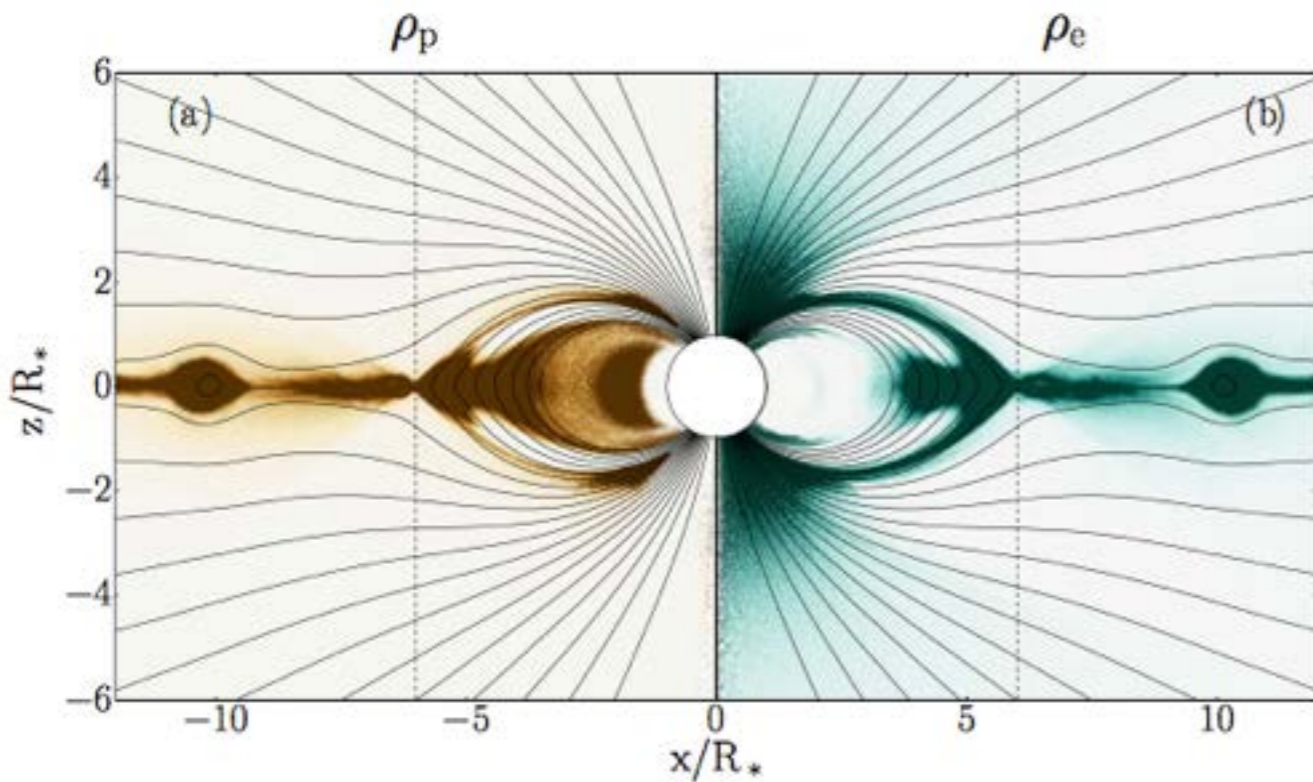
Magnetosphere is a self-regulated system

Global simulations which capture discharge physics are required!



Aligned pulsar **with pair production**: no dense solutions!

Approaches force-free like solution,
but no pair production in the polar region,
where the space-charge limited flow does not
lead to particle acceleration.

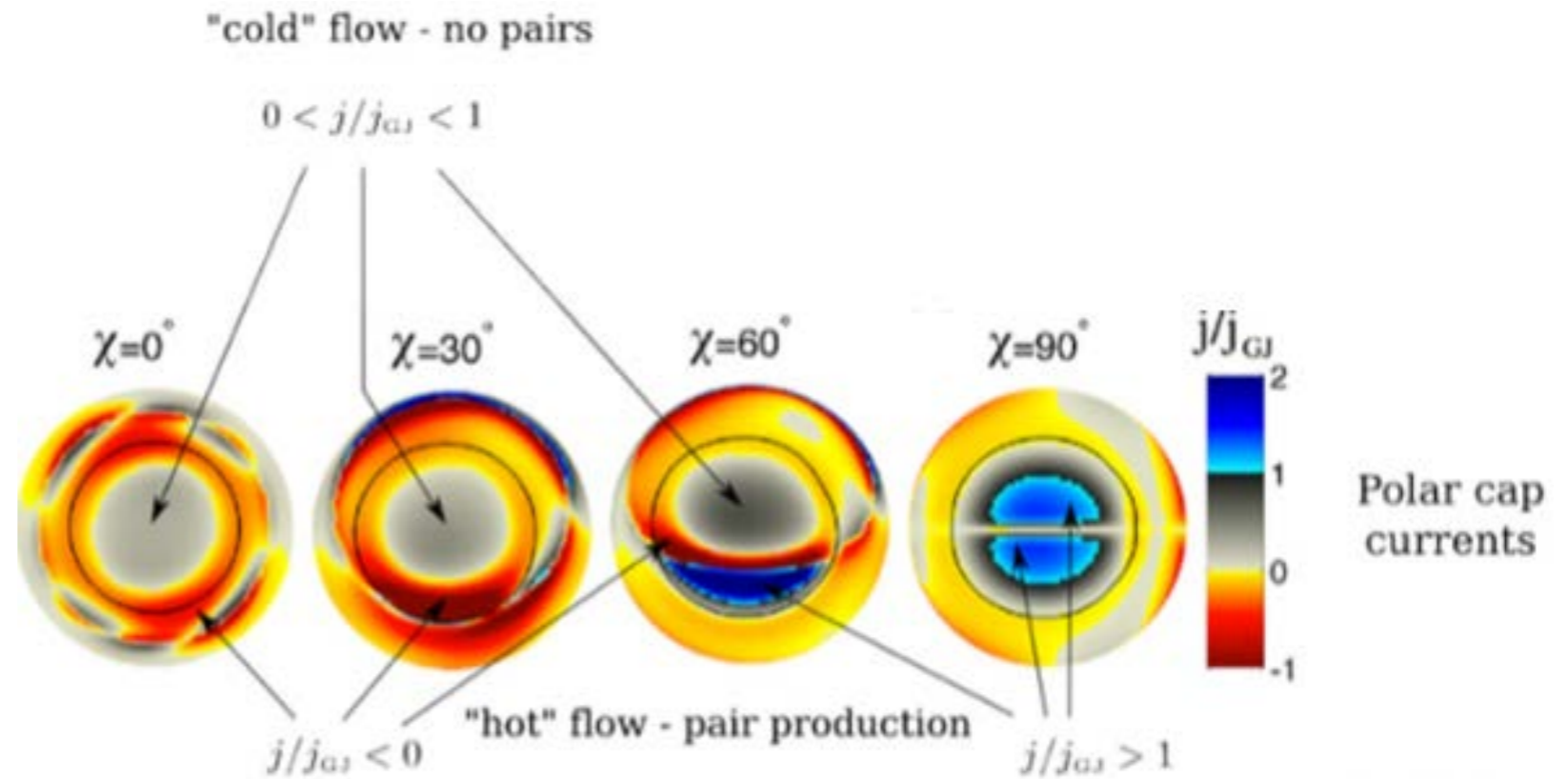


Chen, Beloborodov, ApJ, 2014

Philippov et al., ApJ, 2015a

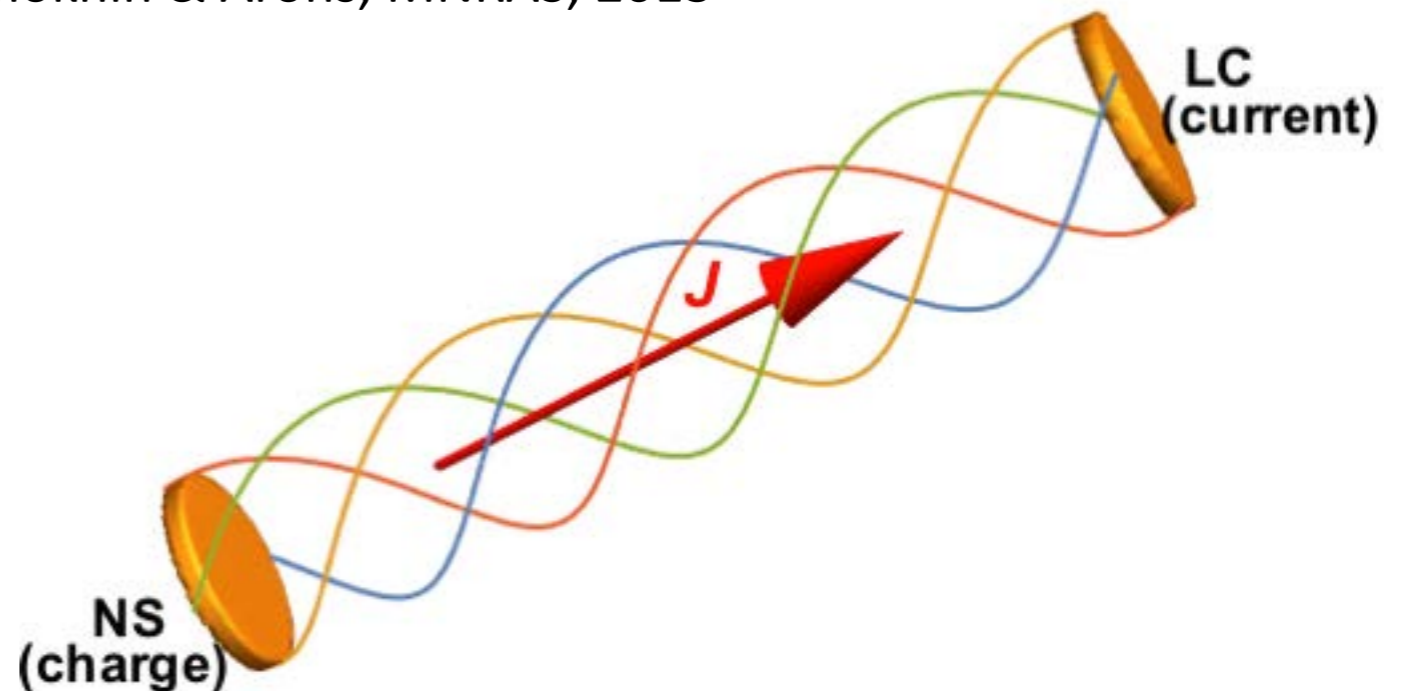
Why is acceleration weak?

- Need to sustain both charge and current density. Key quantity is $j/c\rho_{\text{GJ}}$
- If $j < \text{charge density} * c$, charges are advected with non-relativistic velocity
- Current is set by twist of the field lines at LC



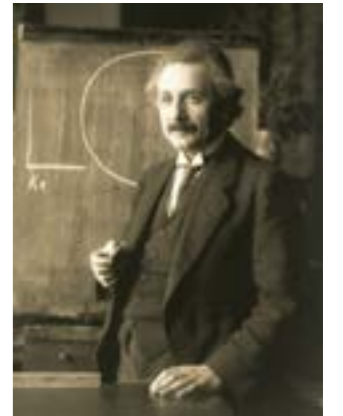
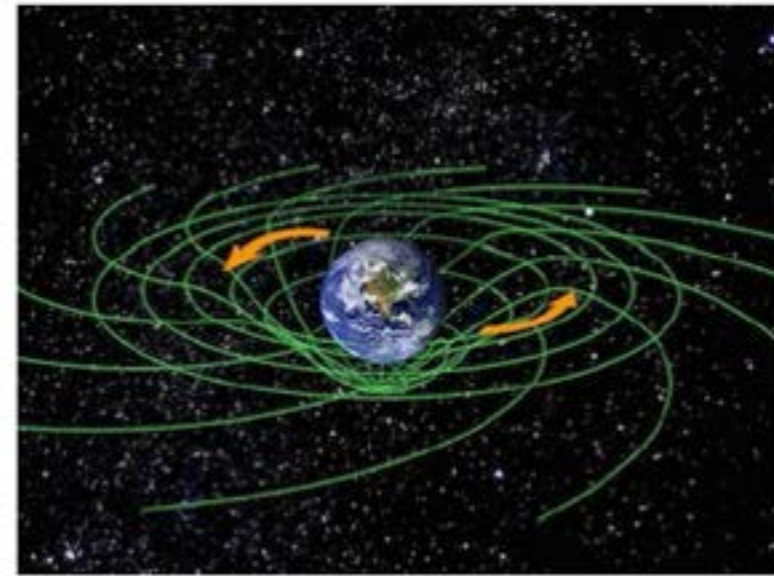
Timokhin & Arons, MNRAS, 2013

When realistic currents set by global magnetosphere are included in the simulation of polar cap discharge, we find that abundant pair production may not happen for aligned and most oblique pulsars! Is this really possible?



Prof. Einstein saves the day (1915-2015)!

Problem:
High multiplicity solutions possible only for high inclinations, but radio is observed from pulsars of all obliquities.



Lense-Thirring frame dragging

$$\omega_{LT} = \frac{2}{5} \Omega_* \frac{r_s}{R_*} \quad \vec{g}_0 = \vec{\beta} = \frac{1}{c} \vec{\omega}_{LT} \times \vec{r}$$

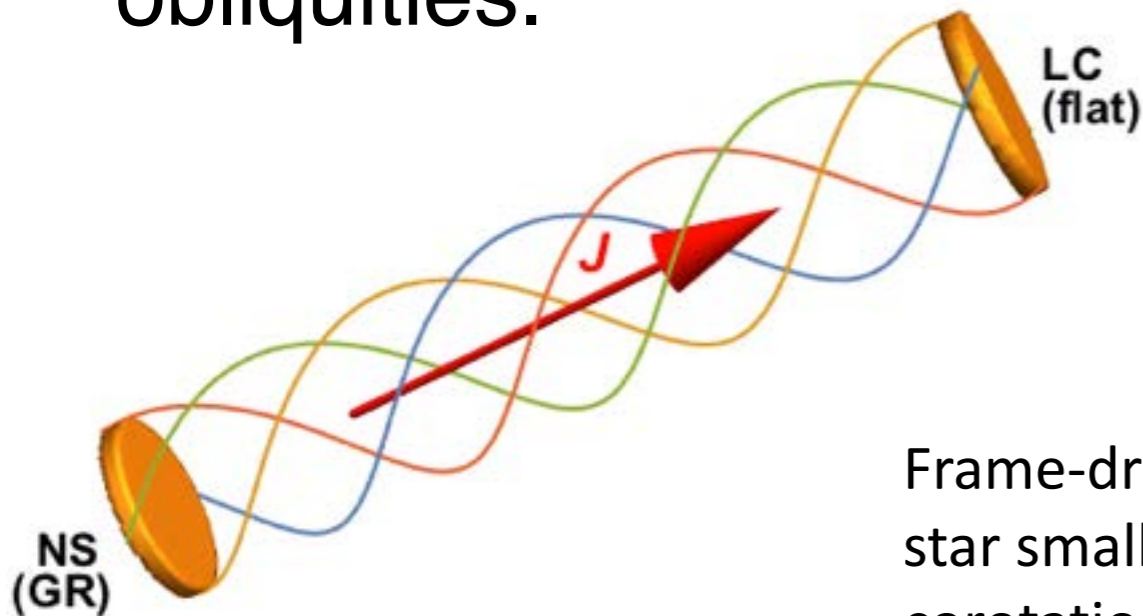
$$\nabla \times \left(\alpha \vec{E} + \frac{\vec{\beta}}{c} \times \vec{B} \right) = -\frac{1}{c} \frac{\partial \vec{B}}{\partial t},$$

$$\nabla \times \left(\alpha \vec{B} - \frac{\vec{\beta}}{c} \times \vec{E} \right) = \frac{1}{c} \frac{\partial \vec{E}}{\partial t} + \alpha \vec{j} - \rho \vec{\beta}.$$

Frame-dragging makes effective rotation frequency of the star smaller close to the star (this lowers the necessary corotation charge), but the rotation is still the same far from the star (this keeps the current the same).

Beskin 1990, Muslimov & Tsygan 1992

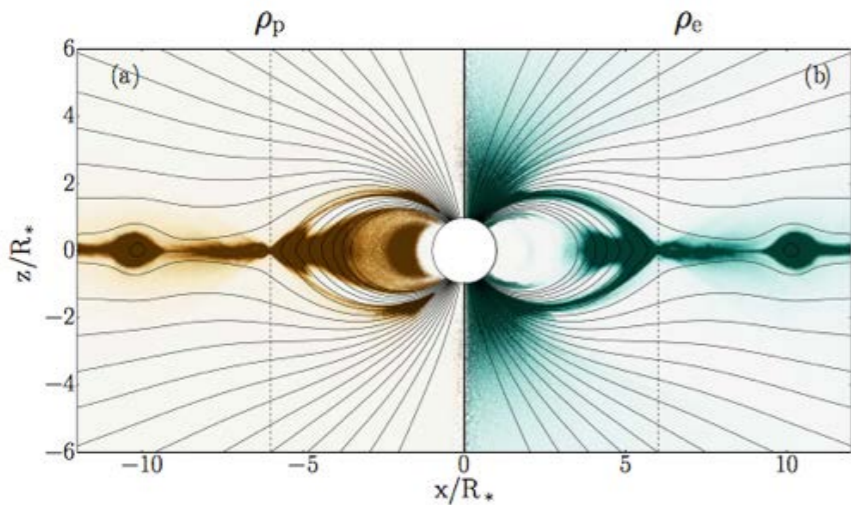
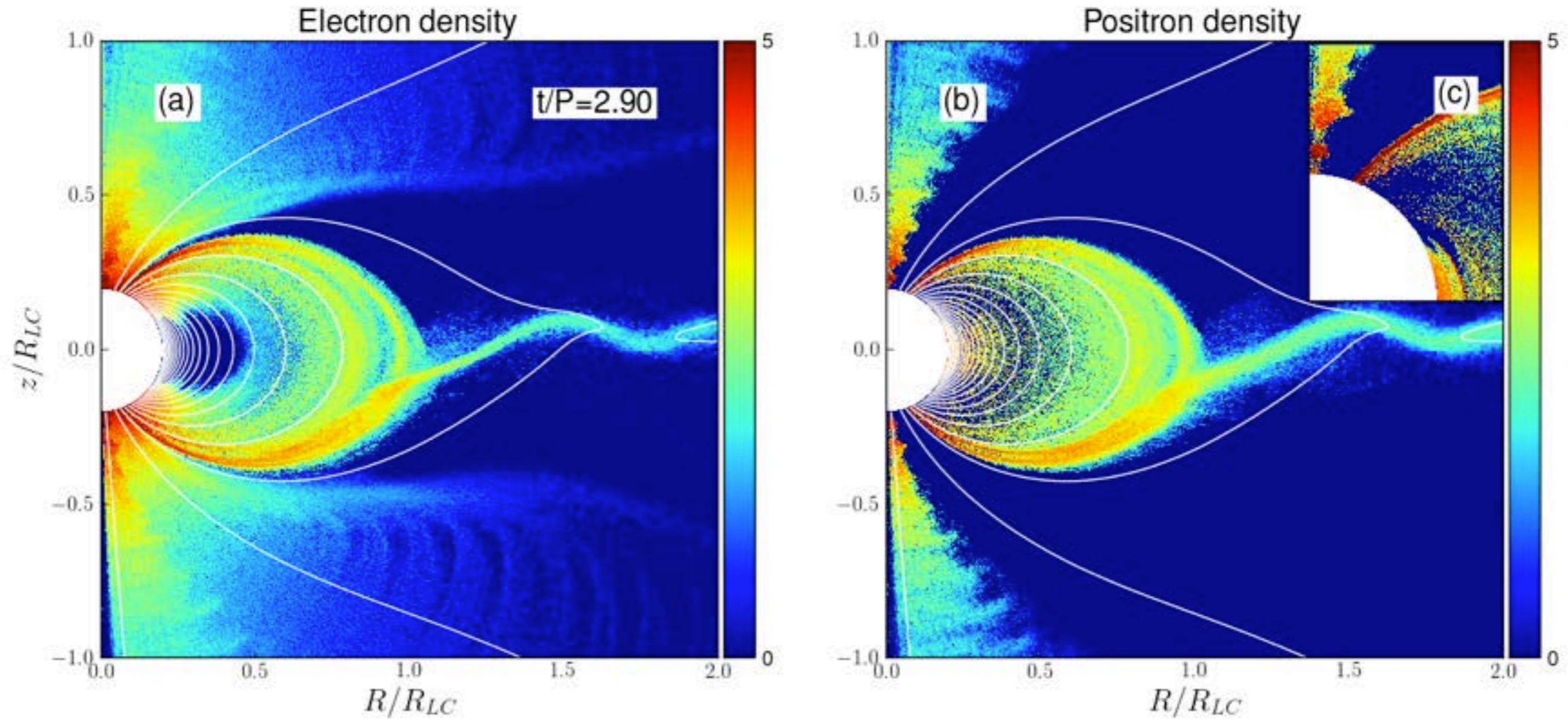
$$\frac{d\vec{p}}{dt} = \alpha q \left(\vec{E} + \frac{\vec{v}}{c} \times \vec{B} \right) + \alpha m \gamma \vec{g} + \alpha H \vec{p} \quad \frac{dx^i}{dt} = \alpha v^i - \beta^i$$



$$\frac{J_{\hat{r}}}{\rho G J C} \approx \left(\frac{J_{\hat{r}}}{\rho G J C} \right)_{\text{flat}} \frac{1}{1 - \omega_{LT} / \Omega_*}$$

Philippov et al. (2015b)

GR aligned rotator



Chen & Beloborodov, ApJ, 2014

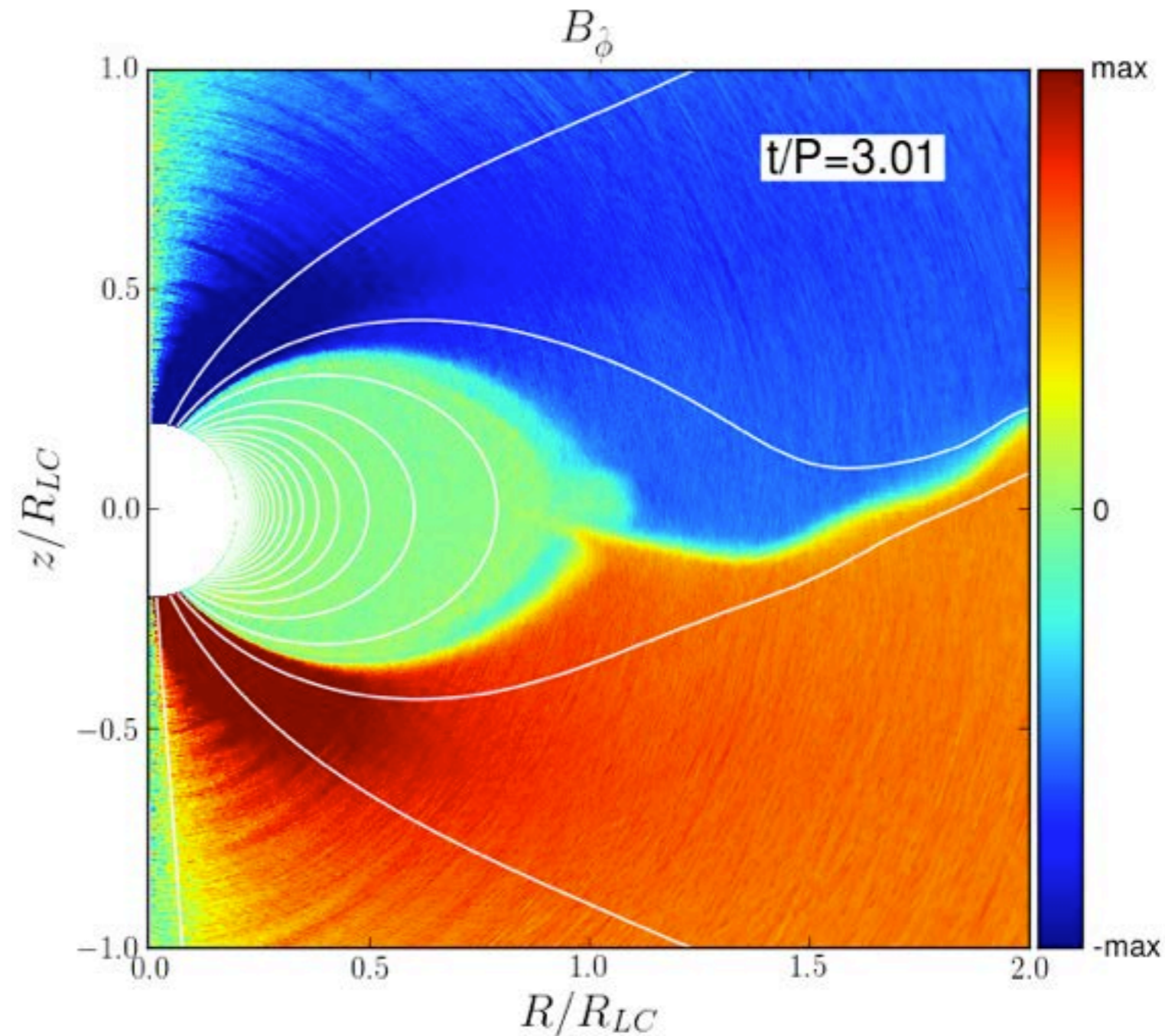
Philippov et al., 2015 ApJ

Feedback from the current sheet on polar cap pair production - implications for the radio variability?

Flat space solution, no pair production

Implications for radio emission

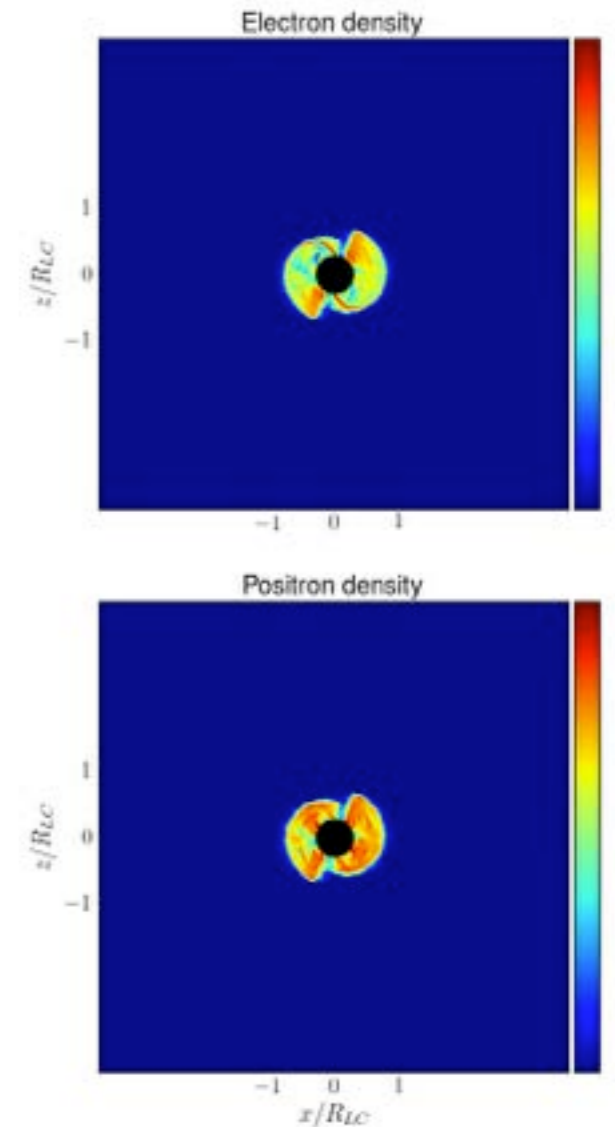
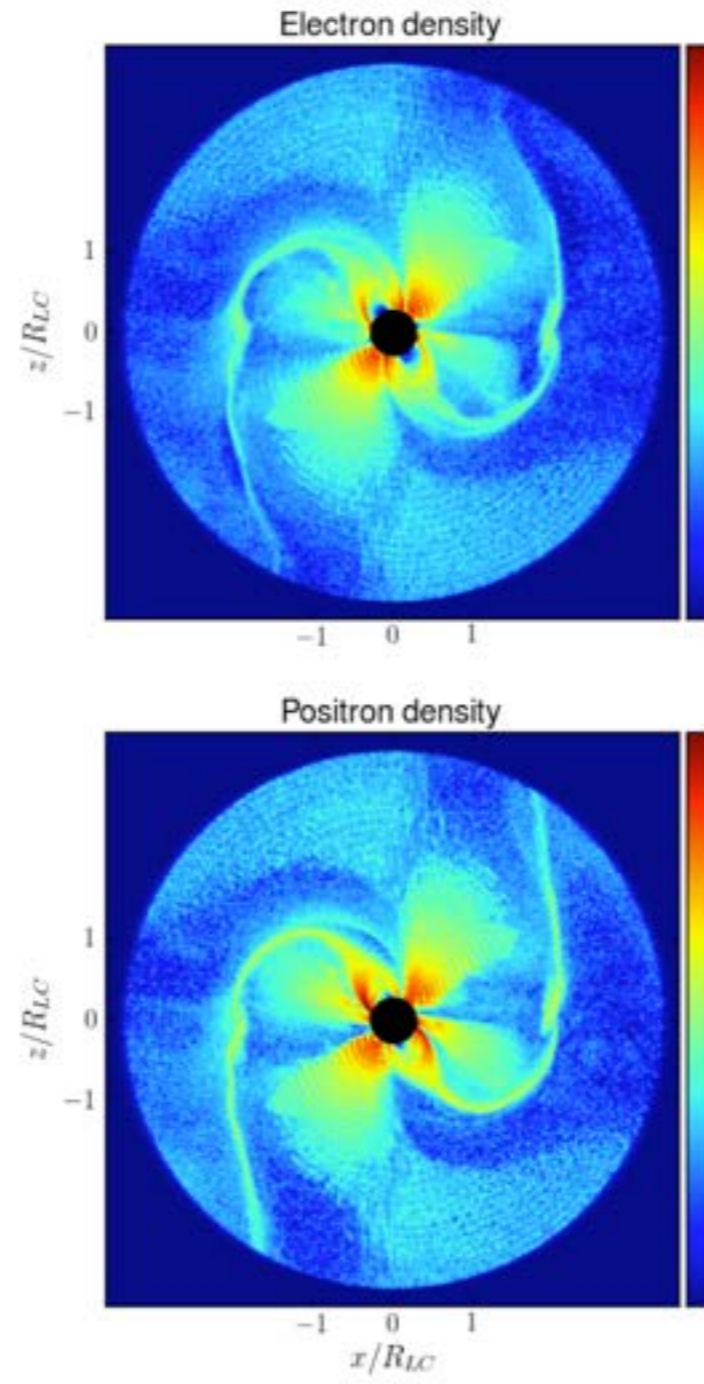
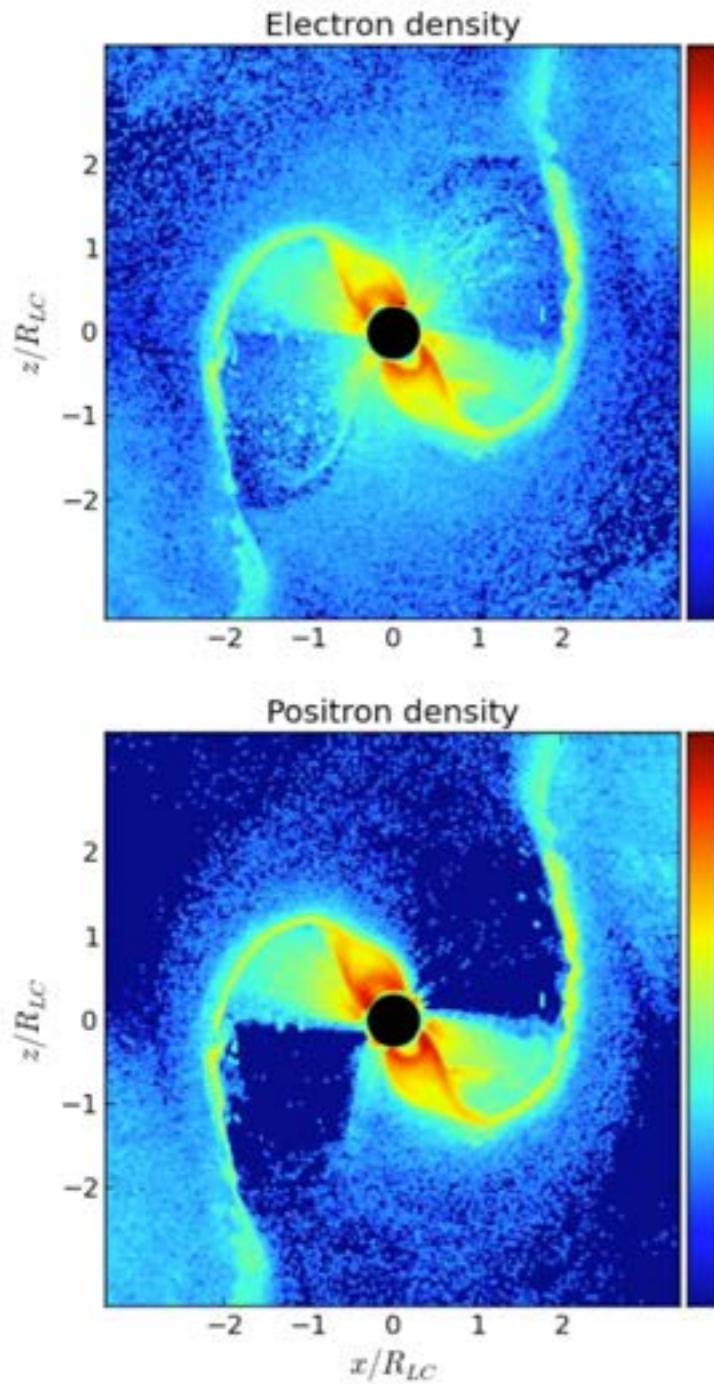
- Non-stationary discharge drives waves in the open field zone.
- Waves are generated in the process of electric field screening by plasma clouds. They are driven by collective plasma motions, thus, coherent (see also Beloborodov 2008, Timokhin & Arons 2013)



Flat space vs GR: oblique models

GR helps to establish polar pair cascade for inclined rotators!

GR, radiative cooling, extraction of ions and photon propagation is included now!



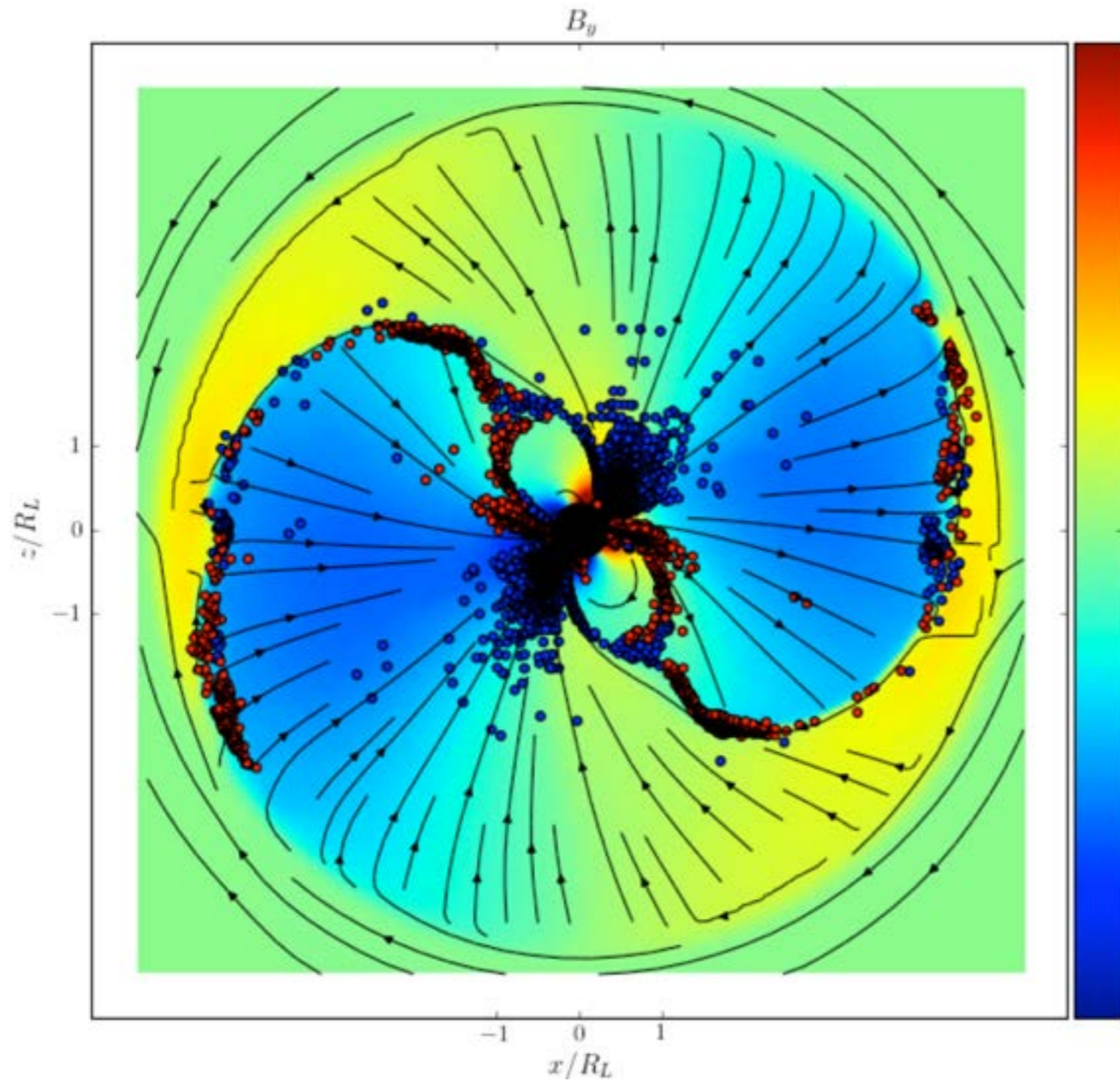
Philippov et al., ApJ, 2015

Philippov & AS, in preparation
 $\text{photon mfp}(r = R_{LC}) < R_{LC}$

flat space

GR

GR oblique models: where pair formation happens?



Highlights polar cap, return current layers and the current sheet. Pairs injected into the vacuum gap above the current sheet do not launch an avalanche.

Philippov & Spitkovsky, in preparation

PIC simulation of magnetospheres II

- Core - EM PIC codes TRISTAN-MP (Spitkovsky 2008) and Zeltron (Cerutti et. al., 2014).
- Conducting BC at the stellar surface, “absorbing layer” BC at the outer edge. Provide free escape of particles (both electrons and ions) from the surface.
- Radiative cooling is implemented for particle motion. To get correct cooling rates, need to resolve Larmor gyrations in time.

$$\mathbf{g} = \frac{2}{3} r_e^2 [(\mathbf{E} + \boldsymbol{\beta} \times \mathbf{B}) \times \mathbf{B} + (\boldsymbol{\beta} \cdot \mathbf{E}) \mathbf{E}] - \frac{2}{3} r_e^2 \gamma^2 [(\mathbf{E} + \boldsymbol{\beta} \times \mathbf{B})^2 - (\boldsymbol{\beta} \cdot \mathbf{E})^2] \boldsymbol{\beta}$$

- Pair creation with the threshold based on particle energy. Recently added tracking of photons and the pair formation threshold based on photon energy.
- Effects of GR: simulations in slowly rotating metric.
- Scales approached:

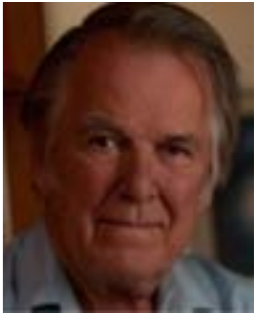
$$R_*/(c/\omega_p) \approx 30 - 40 \gg 1 \quad R_{LC}/R_* = 3 - 5$$

$$\Phi_{PC} = \mu\Omega^2/c^2 \approx 500 \gg \gamma_{\text{threshold}} = 40$$

Jump-starting the pulsar: regimes of plasma supply

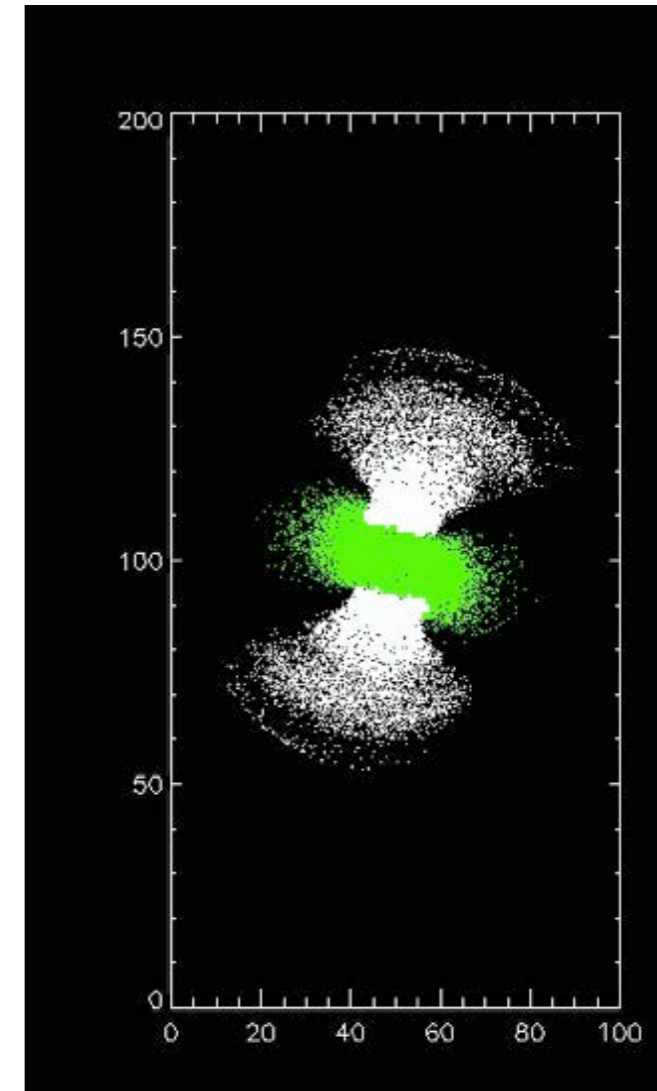
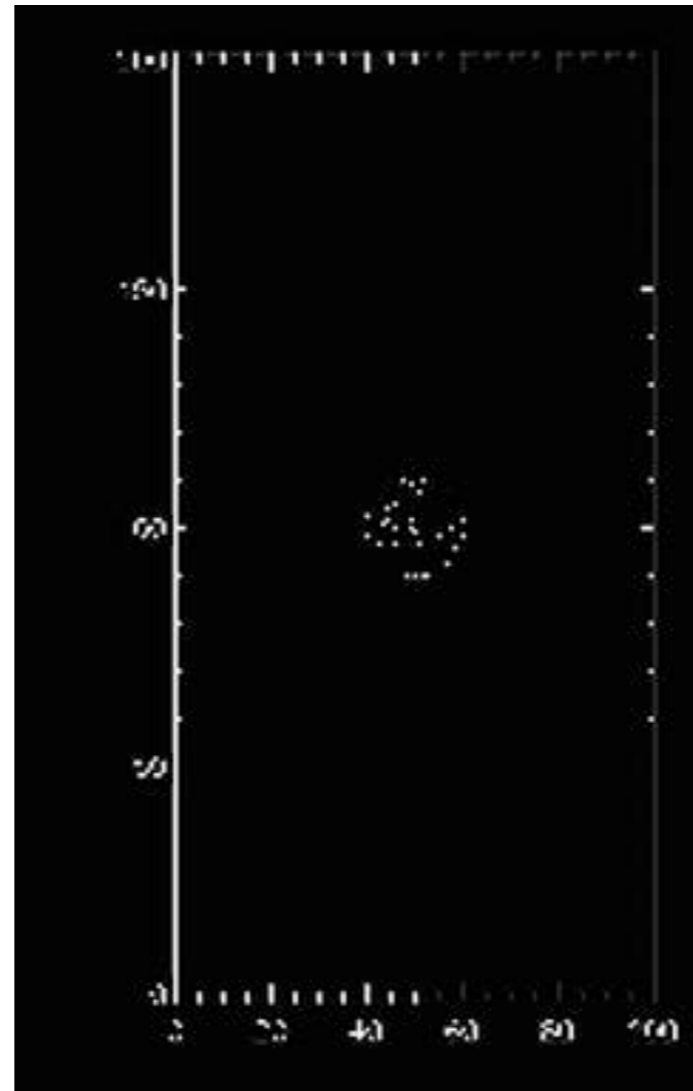
- Availability of plasma supply and whether magnetosphere is filled with plasma can determine the properties of spin-down and radiation. We tried:
 - Free particle escape from the surface without pair production.
 - Free escape with pair production: aligned and oblique rotators.
 - Modifications of pair supply in GR.

Electrostatically trapped solution



C. Michel

- Only free escape from the surface
- Disk-dome solution
- Almost no outflow and spin-down

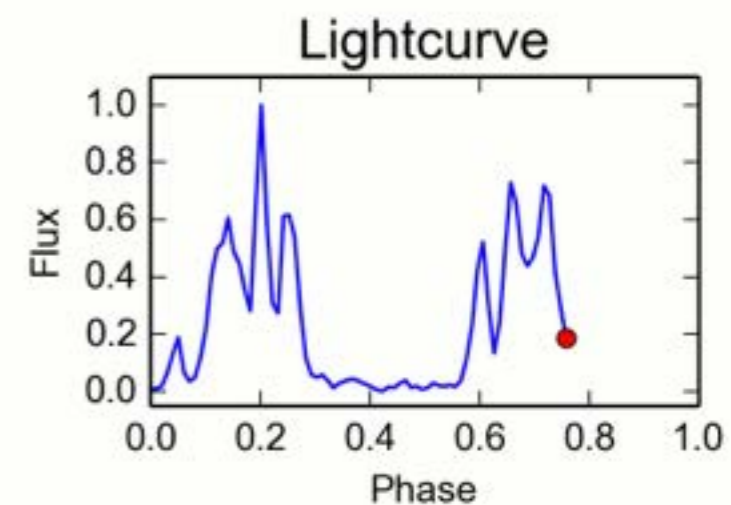
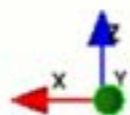
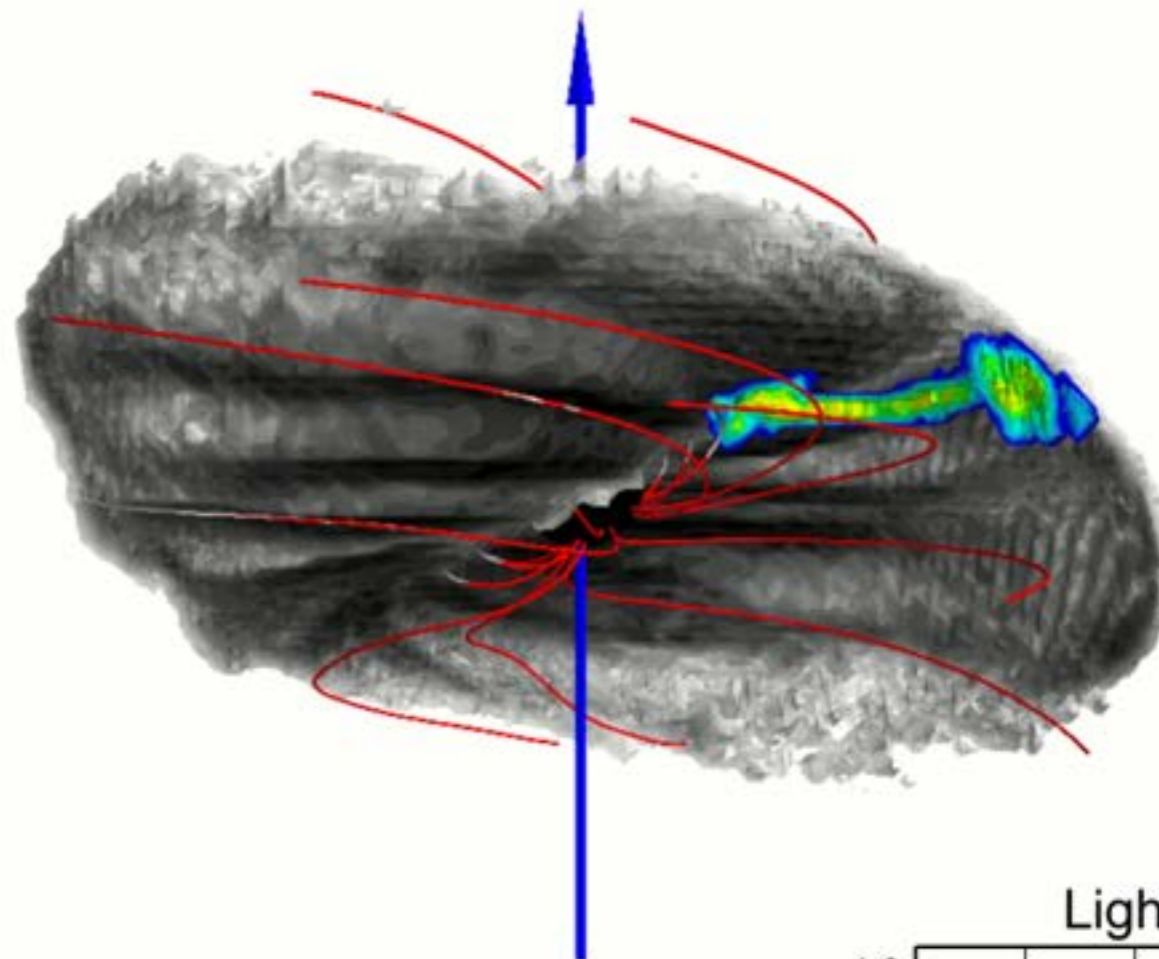


Kraus-Polstorff & Michel, 1985; Spitkovsky & Arons, 2002; Petri et al., 2002; Philippov & Spitkovsky, 2014

Gamma-ray modeling

$i=30$ - Phase=0.76 - Positrons -

- Simulations prefer current sheet as a particle accelerator. Particles radiate synchrotron radiation.
- We apply radiative cooling on particles and collect photons.
- Observe caustic emission.
- Neutral injection at the surface.
- Predict gamma-ray efficiencies 1-20% depending on the inclination angle. Higher inclinations are much less dissipative.



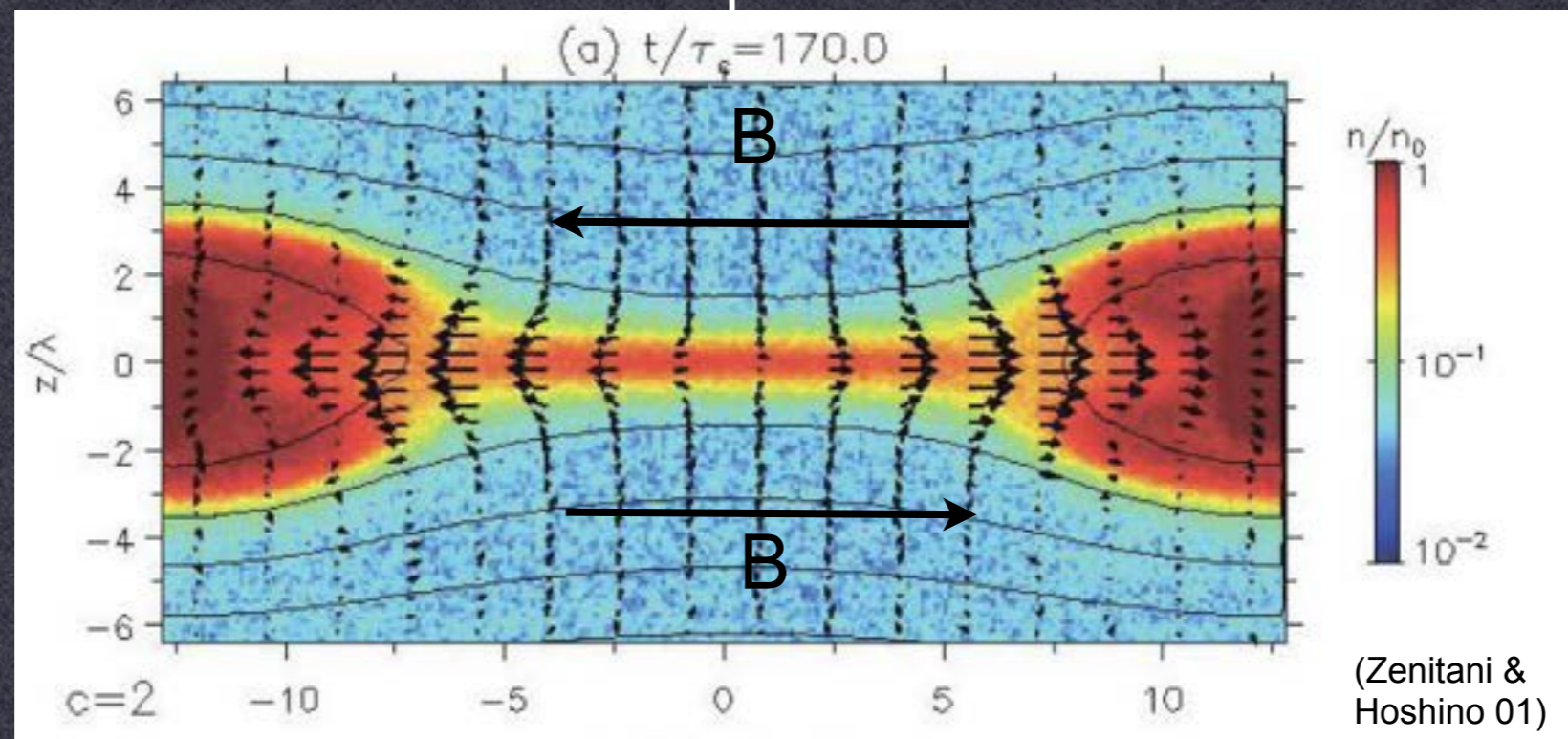
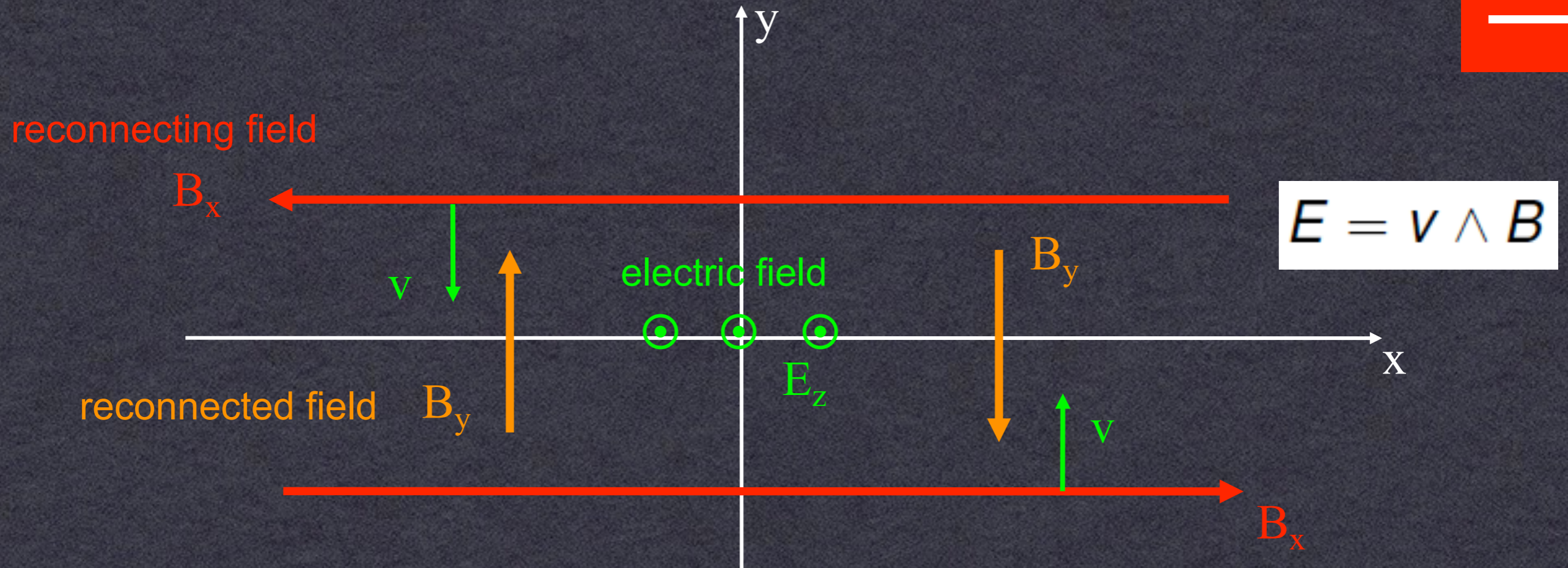
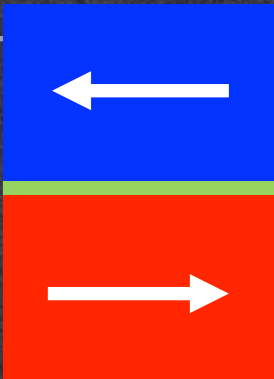
Pulsars:

- Origin of pulsar emission has been a puzzle since 1967 - full kinetic simulations are finally addressing this from first principles.
- In flat space, self-consistent kinetic models show that pair cascade does not operate in the polar region for small obliquities, works for >40 degrees.
- General relativity effects are essential in producing discharges in low obliquity pulsars.
- Current sheet is an effective particle accelerator. Particles in the sheet emit powerful gamma-rays mainly via synchrotron mechanism.
- Radio emission is likely caused by the non-stationary discharge at the polar cap.

Relativistic reconnection

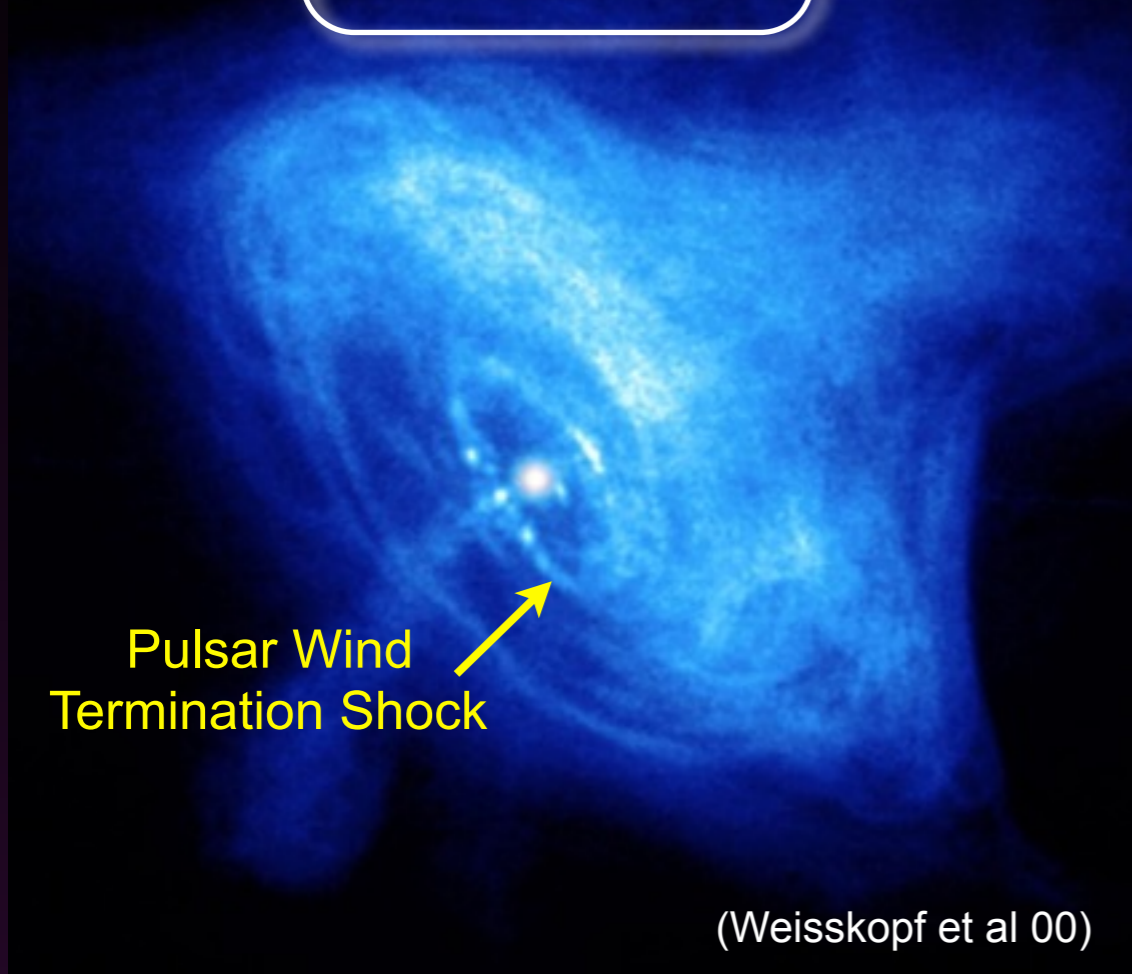
with Lorenzo Sironi

Magnetic reconnection



Dissipation in relativistic outflows

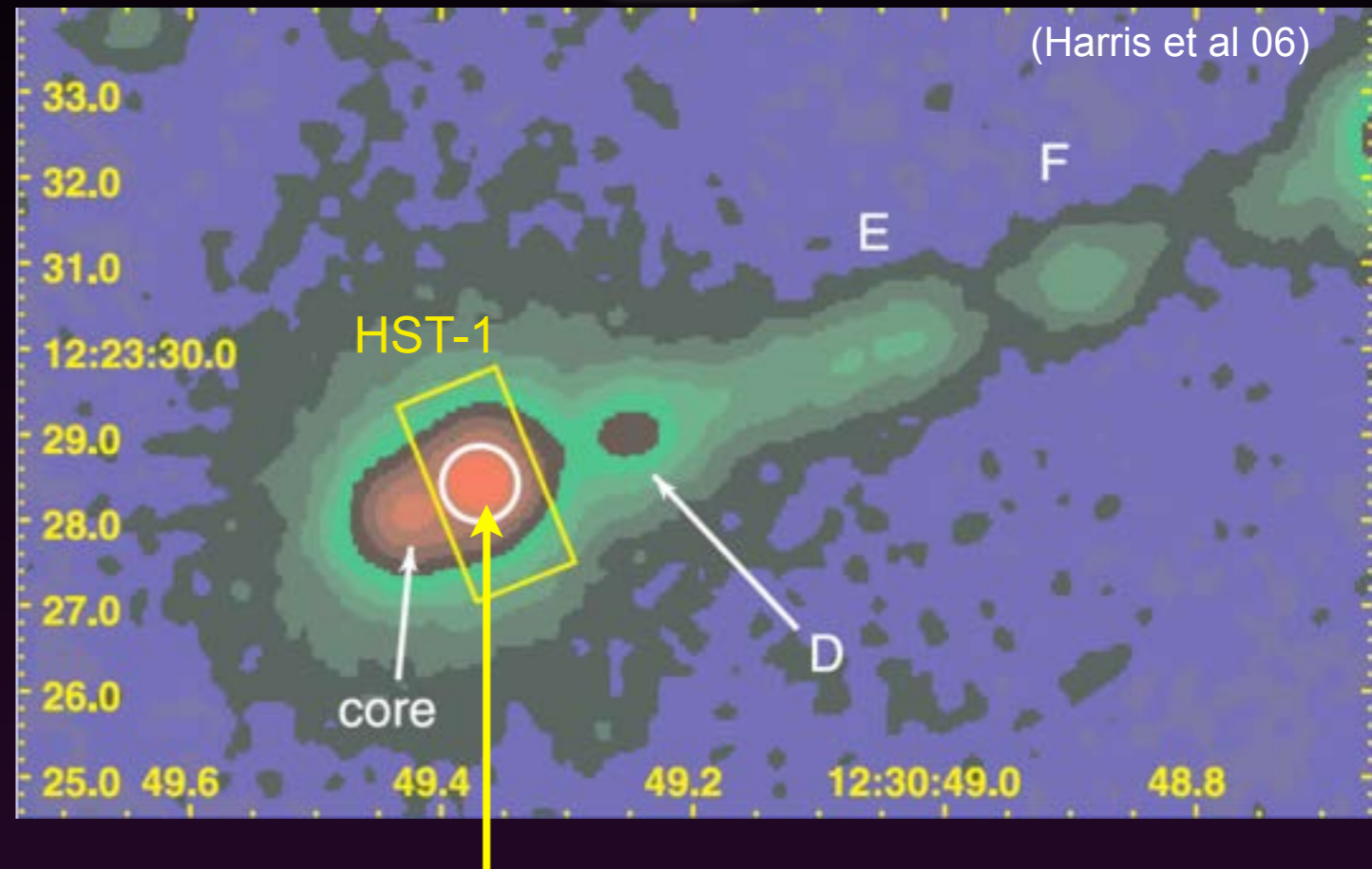
Crab Nebula



(Weisskopf et al 00)

Shocks or Reconnection?

M87



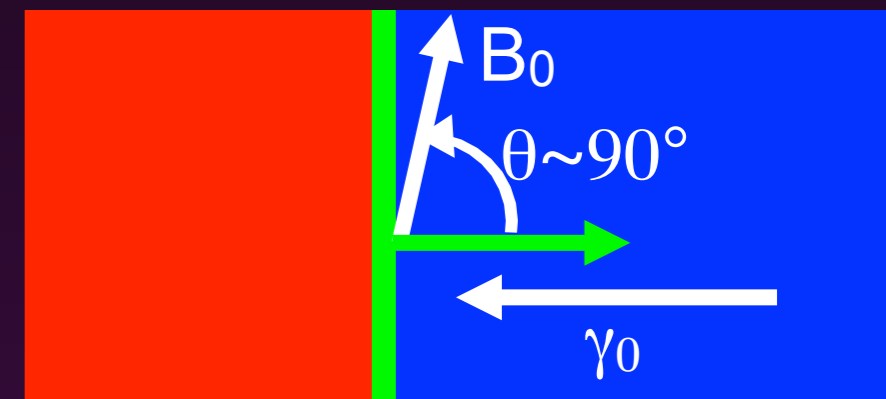
Internal Dissipation: Shocks or Reconnection?

Relativistic outflows: $\gamma_0 \gg 1$

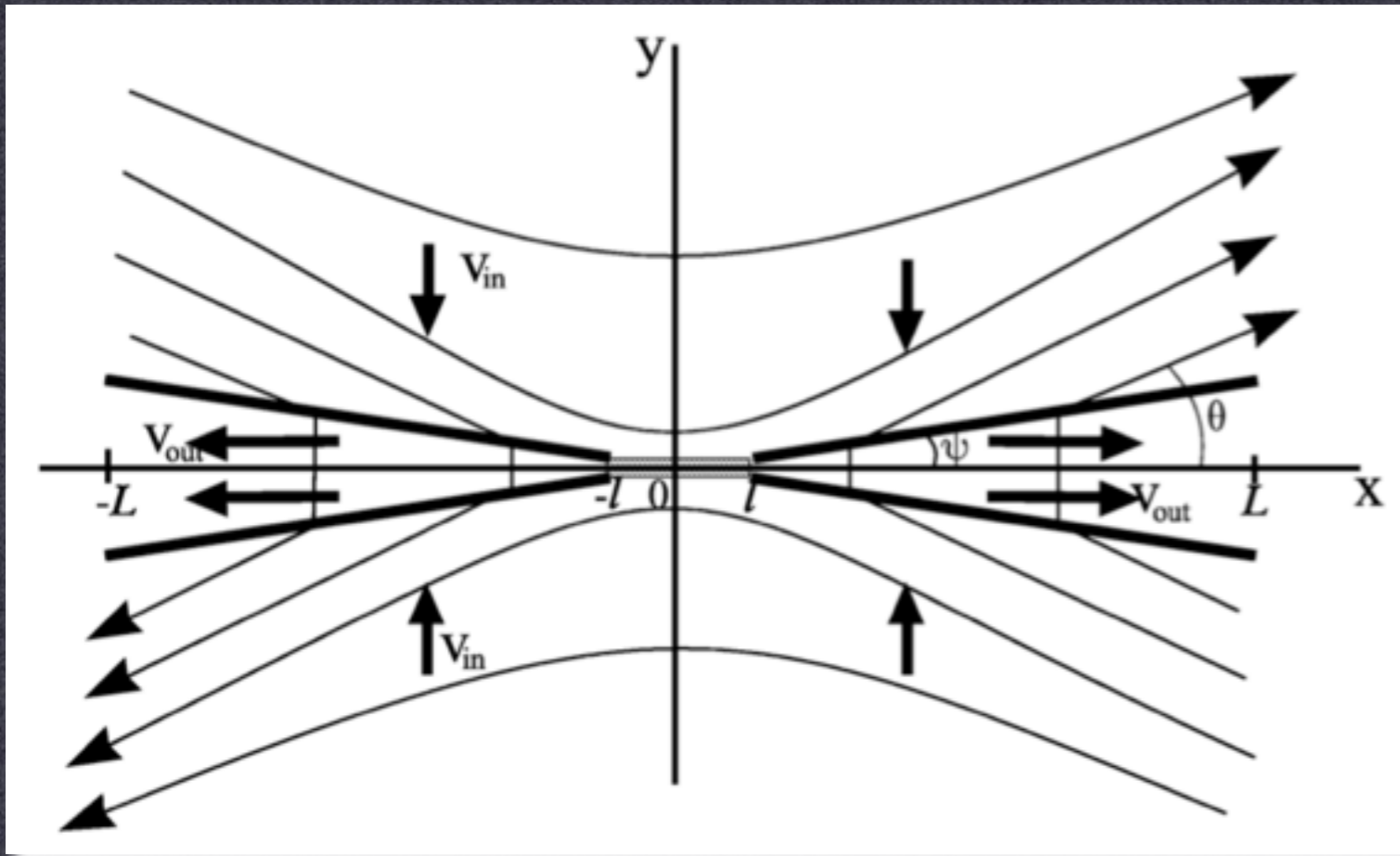
Magnetized: $\sigma = 0.01 - 0.1$

If shocks, then the field is \perp to the shock normal

$$\sigma = \frac{B_0^2}{4\pi\gamma_0 n_0 m_p c^2}$$



Open questions:



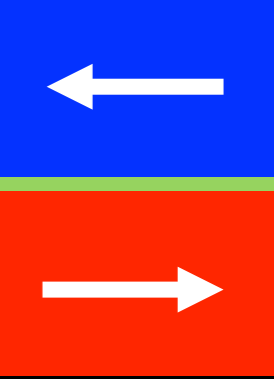
$$\sigma = \frac{B_0^2}{4\pi n_0 m_p c^2}$$

Relativistic magnetic
reconnection: $\sigma \gg 1$

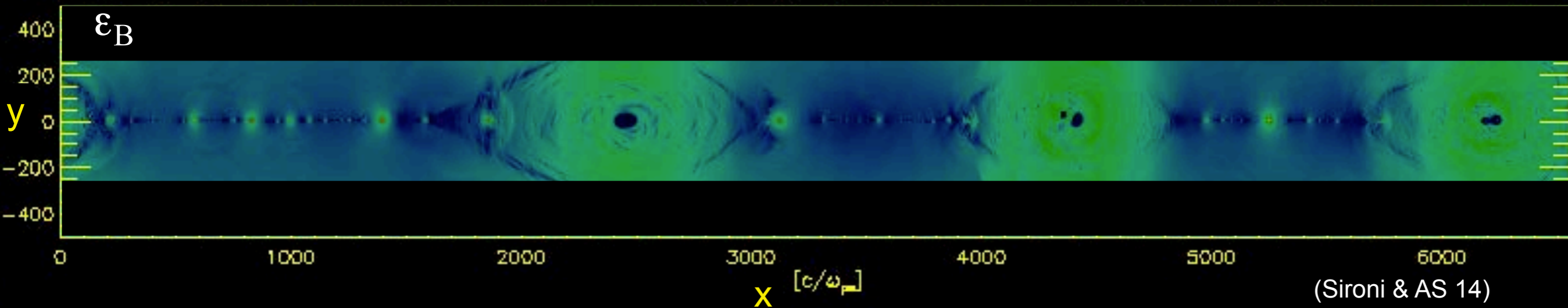
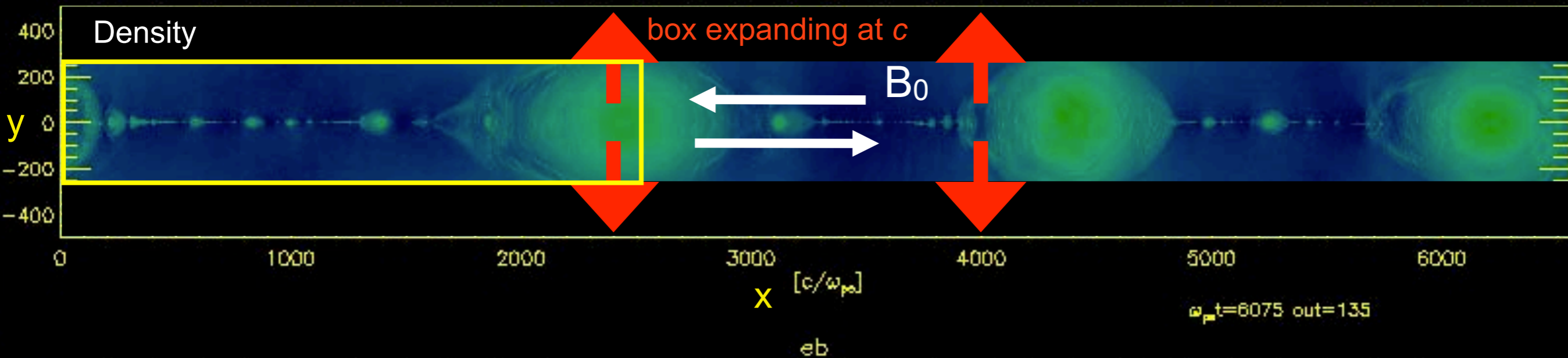
(Lyubarsky 05, Lyutikov
& Uzdensky 03)

- ✦ Does relativistic magnetic reconnection accelerate nonthermal particles?
- ✦ How fast is it?
- ✦ What is the mechanism? How reconnection works in a large system?

Hierarchical reconnection



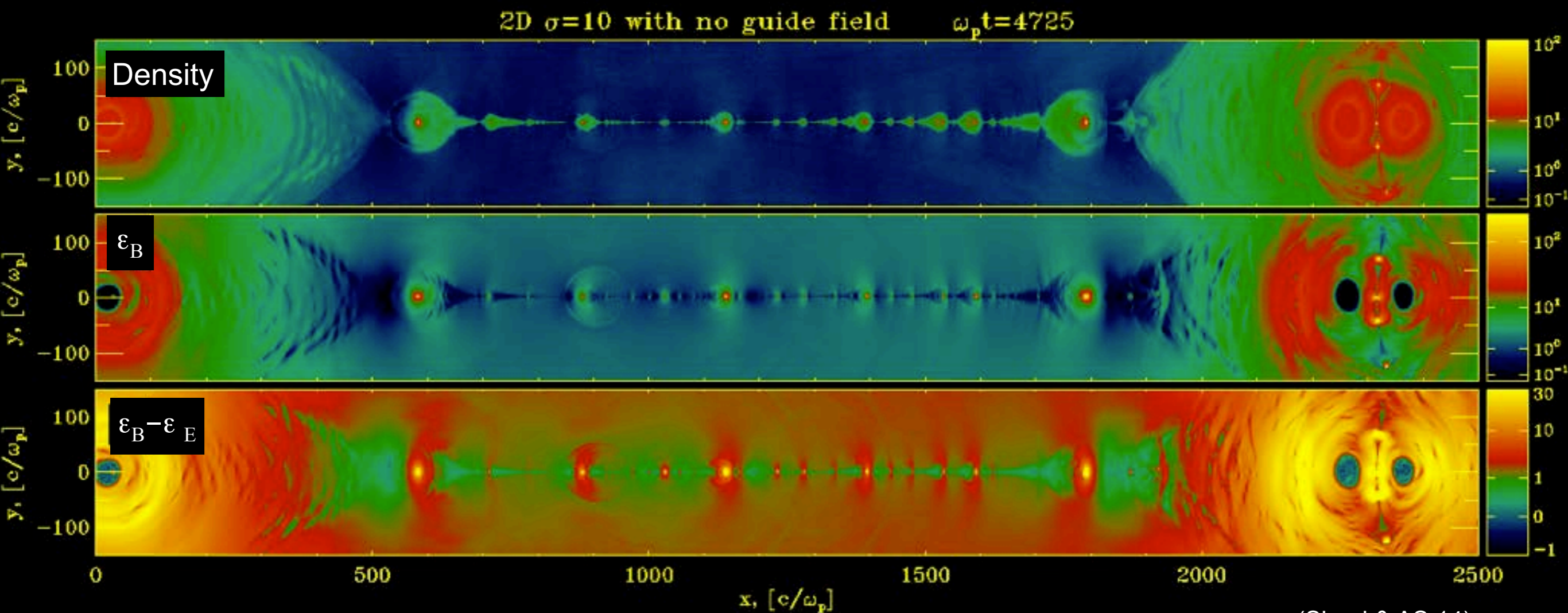
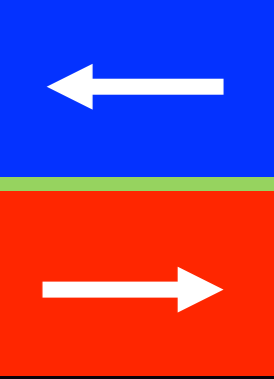
$\sigma=10$ electron-positron



- Reconnection is a hierarchical process of island formation and merging.
- The field energy is transferred to the particles at the X-points, in-between magnetic islands.

Hierarchical reconnection

$\sigma=10$ electron-positron

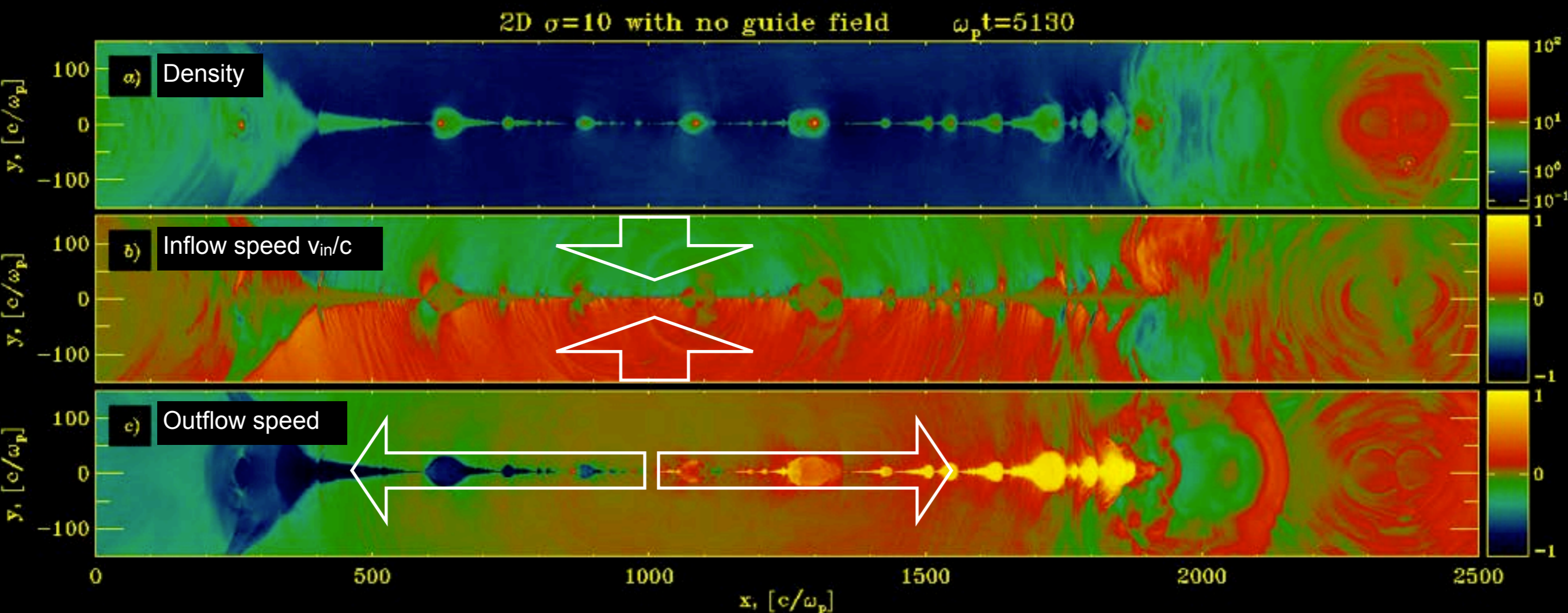
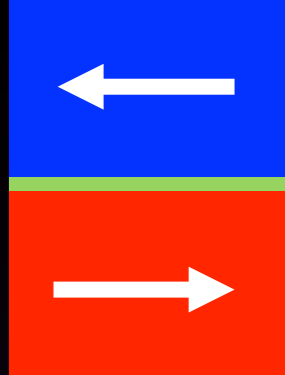


(Sironi & AS 14)

- Reconnection is a hierarchical process of island formation and merging.
- The field energy is transferred to the particles at the X-points, in-between magnetic islands.
- Anti-reconnection occurs at the interface between two merging islands.

Inflows and outflows

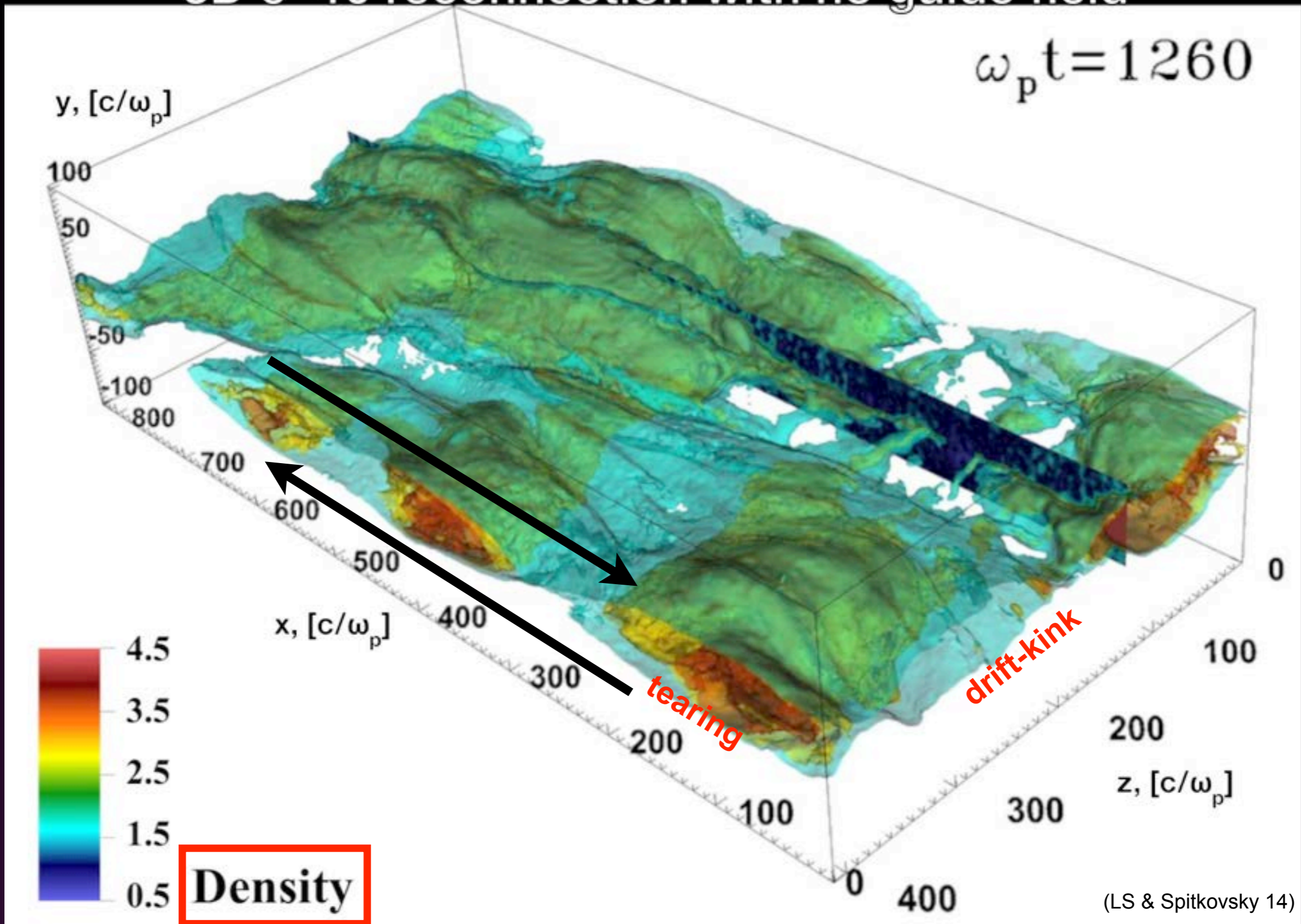
$\sigma=10$ electron-positron



- Inflow into the X-line is non-relativistic, $v_{in} \sim 0.1 c$ (so, the reconnection rate $r \sim 0.1$).

- Outflow into the islands is ultra-relativistic, at the Alfvén speed
$$v_A = c \sqrt{\frac{\sigma}{1 + \sigma}}$$

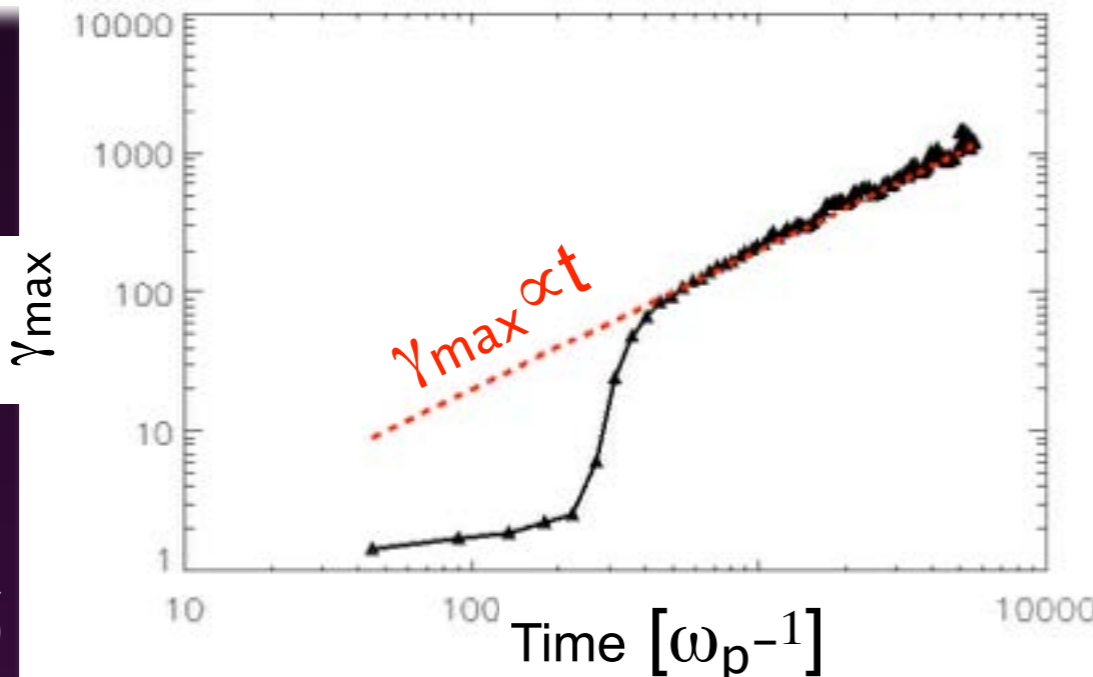
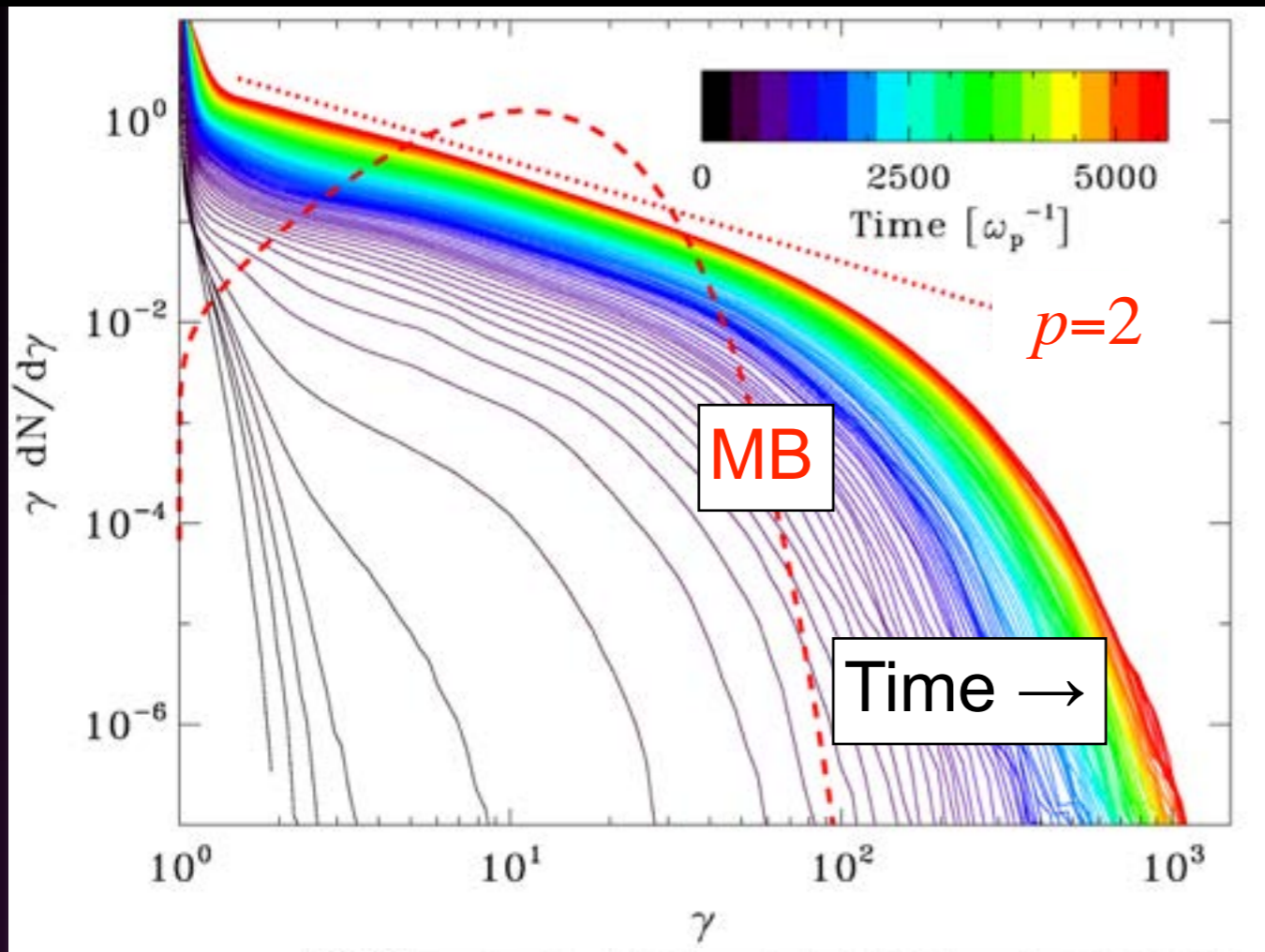
3D $\sigma=10$ reconnection with no guide field



- In 3D, the in-plane tearing mode and the out-of-plane drift-kink mode coexist.
- The drift-kink mode is the fastest to grow, but the physics at late times is governed by the tearing mode, as in 2D.

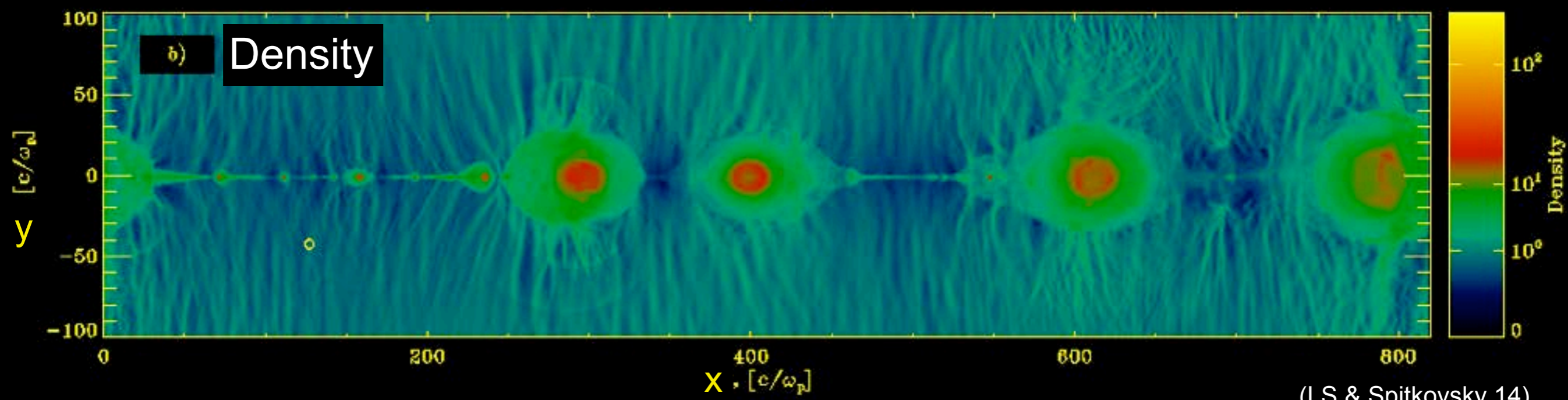
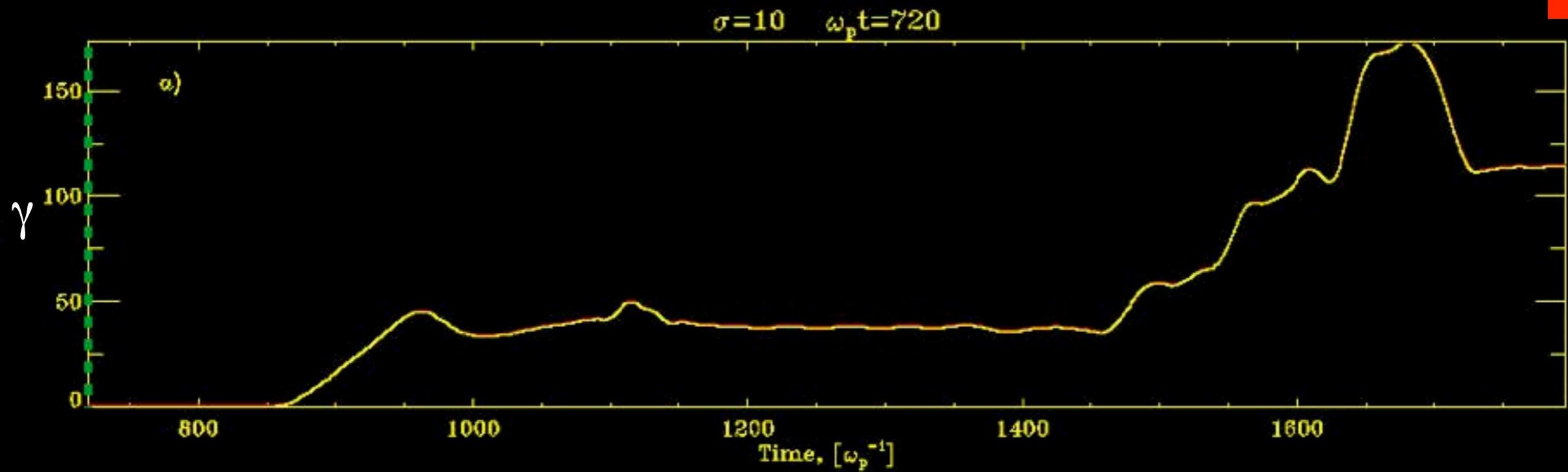
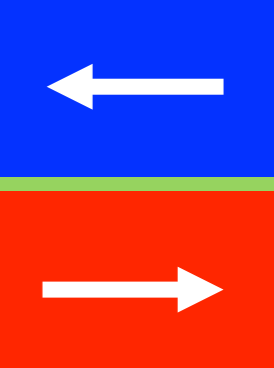
The particle energy spectrum

$\sigma=10$ electron-positron



- At late times, the particle spectrum in the current sheet approaches a power law $dn/d\gamma \propto \gamma^{-p}$ of slope $p \sim 2$.
- The normalization increases, as more and more particles enter the current sheet.
- The mean particle energy in the current sheet is $\sim \sigma/2$
→ energy equipartition
- The max energy grows as $\gamma_{\max} \propto t$ (compare to $\gamma_{\max} \propto t^{1/2}$ in shocks).

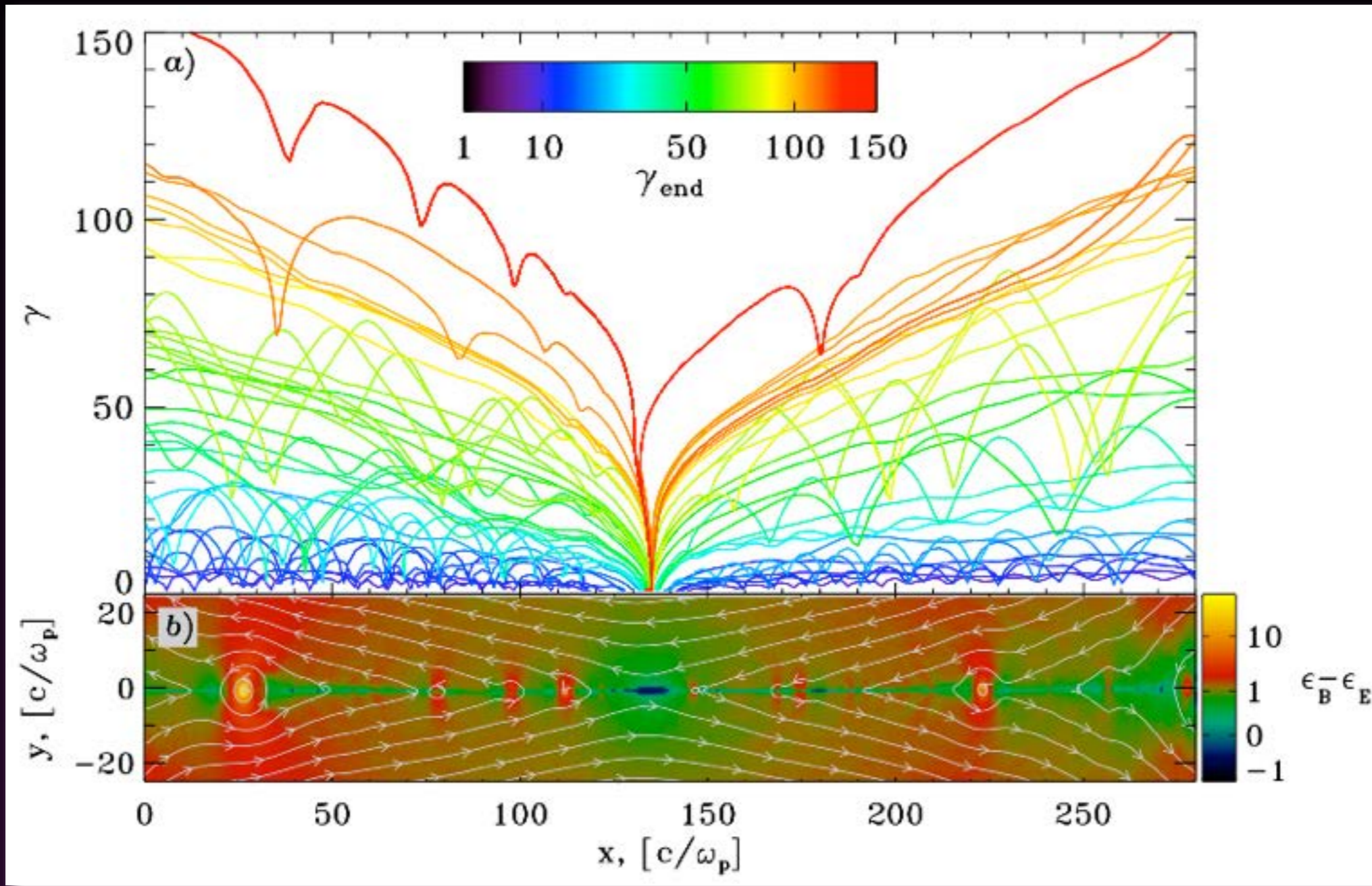
The highest energy particles



(LS & Spitkovsky 14)

Two acceleration phases: 1) at the X-point; 2) in between merging islands

(1) Acceleration at X-points

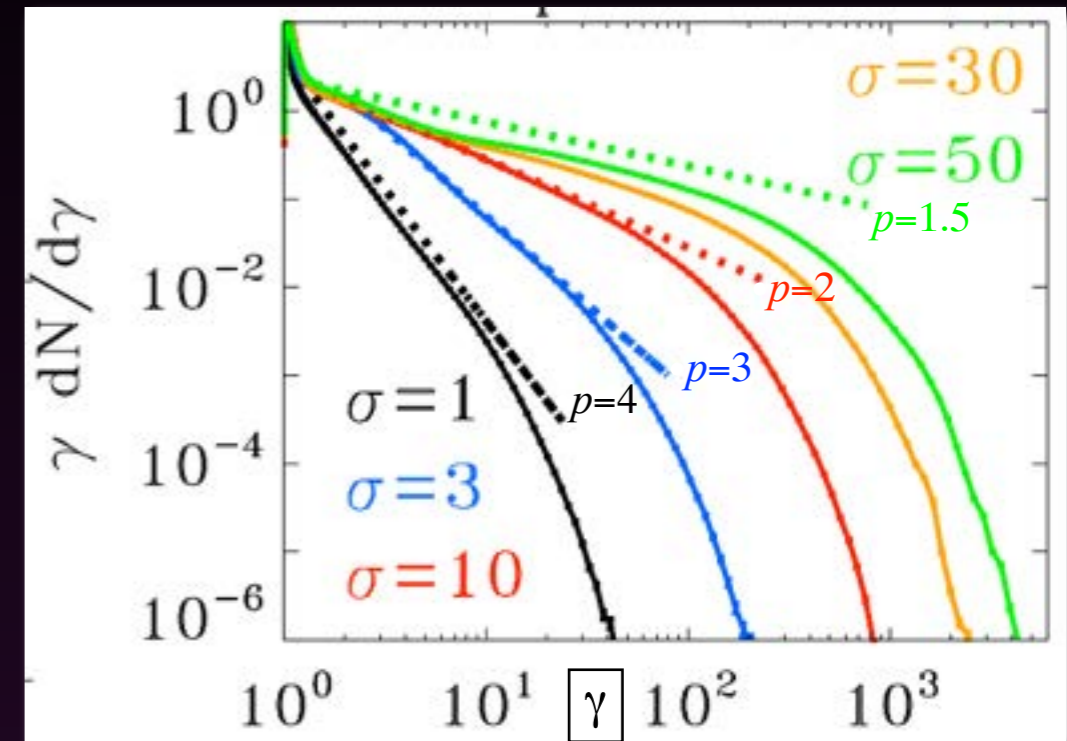


(LS & Spitkovsky
14)

- In cold plasmas, the particles are tied to field lines and they go through X-points.
- The particles are accelerated by the reconnection electric field at the X-points, and then advected into the nearest magnetic island.
- The energy gain can vary, depending on where the particles interact with the sheet.

Reconnection conclusions

- ✦ Relativistic reconnection is fast (0.1c inflows)
- ✦ Can generate robust nonthermal spectra, flatter than shock-acceleration; also, broad “multi-temperature” distributions.
- ✦ Acceleration mechanism is X-point boost and subsequent island merger.
- ✦ Can occur in many scenarios, e.g., striped winds in pulsars, GRB jets, etc.
- ✦ Complements shock acceleration nicely as another nonthermal generation process.



(LS & Spitkovsky 14, confirmed by Guo et al. 14, Werner et al. 14)

Relativistic reconnection produces extended non-thermal tails of accelerated particles, whose power-law slope is harder than $p=2$ for high magnetizations ($\sigma > 10$)

**Earthly connections:
laboratory astrophysics**

Plasma astrophysics in the lab

- ✦ Astrophysically relevant microscopic conditions can be obtained in the laboratory

Low collisinality

High speeds

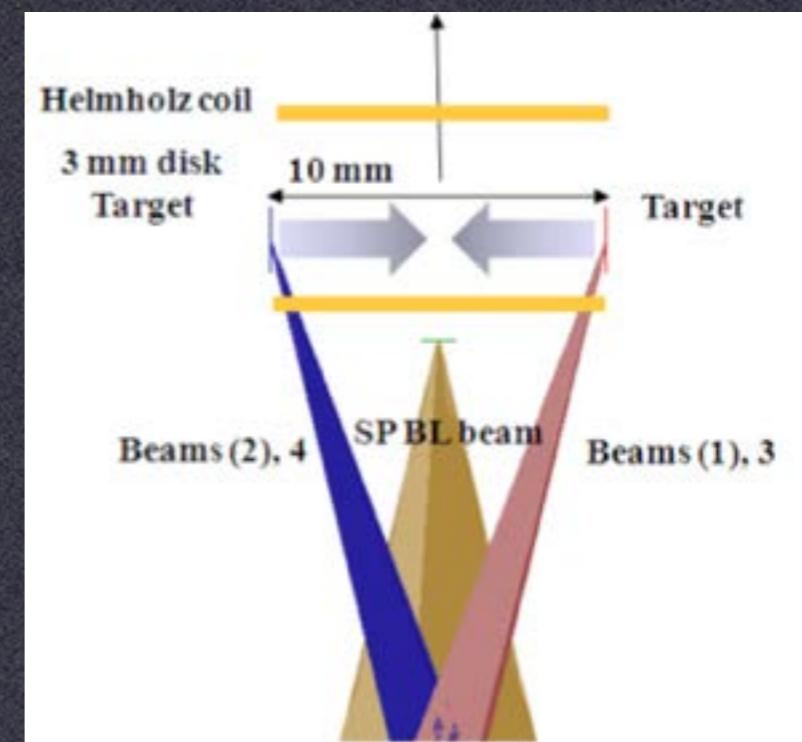
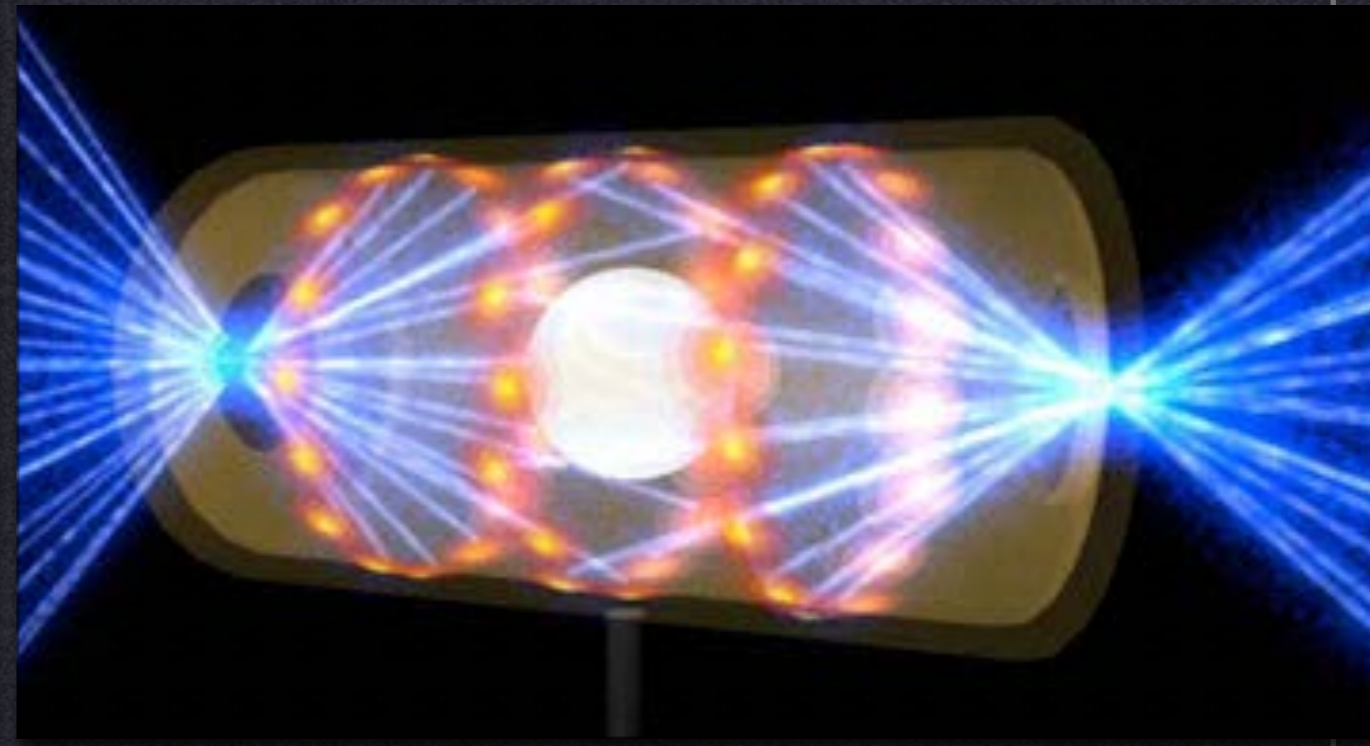
Large energy densities and fields

- ✦ Laser-plasma experiments can achieve interesting conditions to test microphysics

Current & planned experiments:

Omega EP (Rochester), NIF (LLNL)

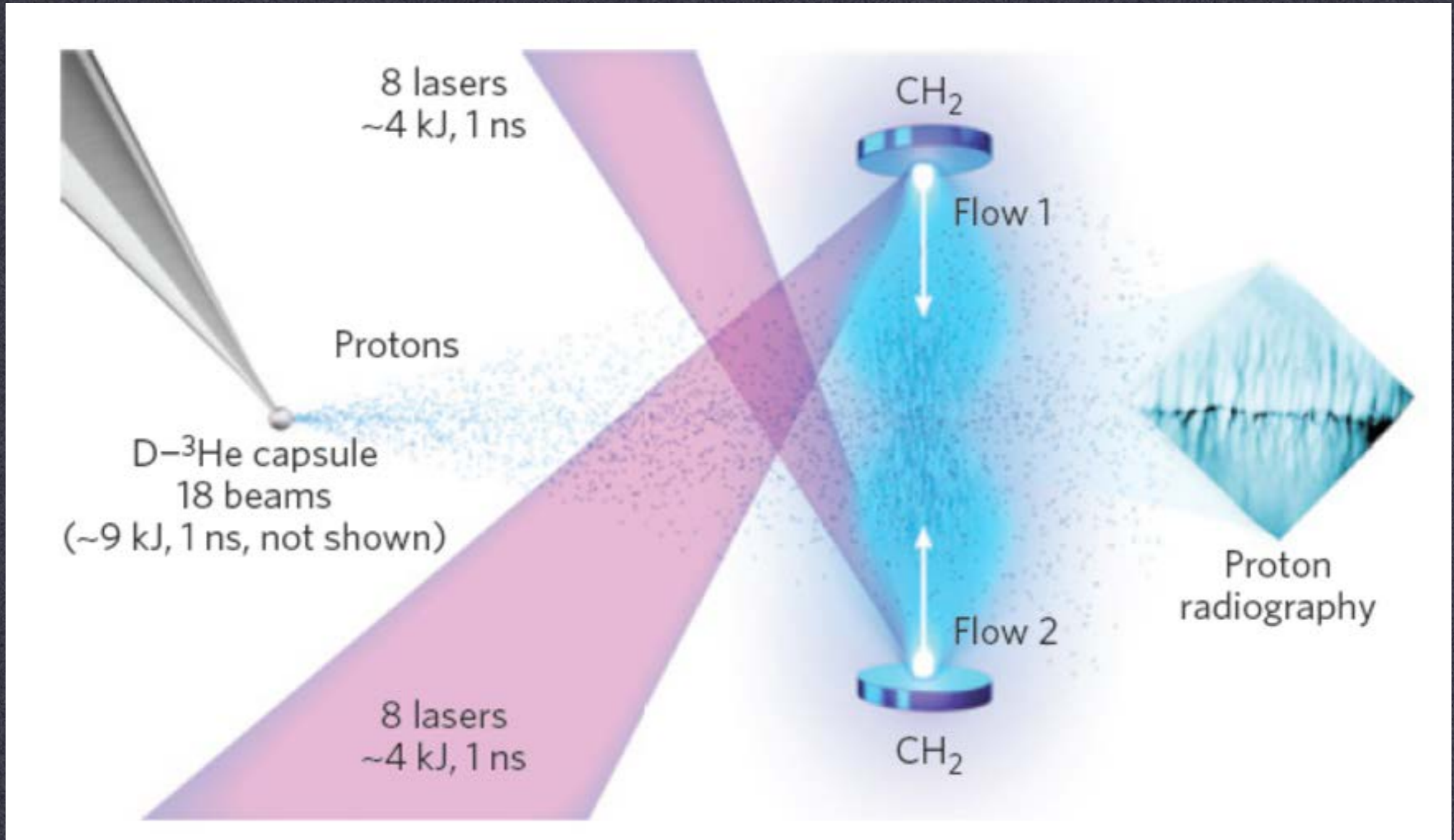
- ✦ Other experiments: UCLA, LANL



Does this actually happen?

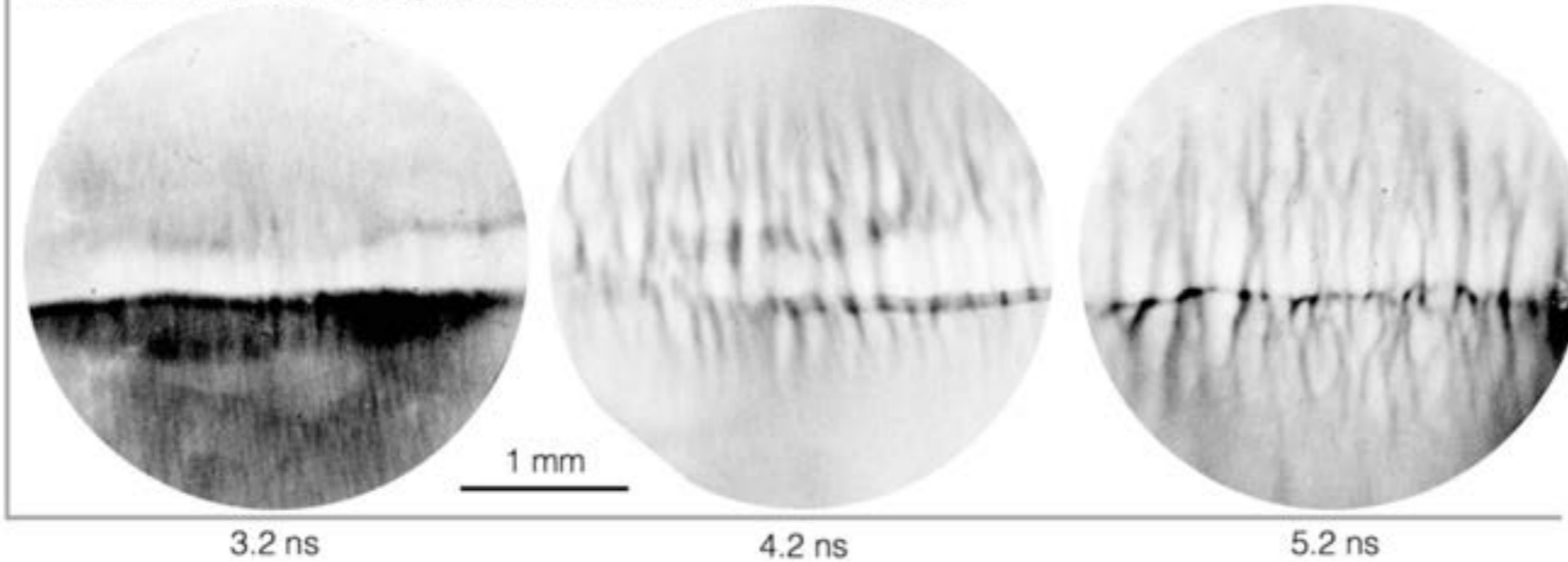
Shock formation experiments on Omega Laser

ACSEL collaboration (Astrophysical Collisionless Shock Experiments with Lasers) Princeton, Livermore, Oxford, Ecole Polytechnique, Osaka

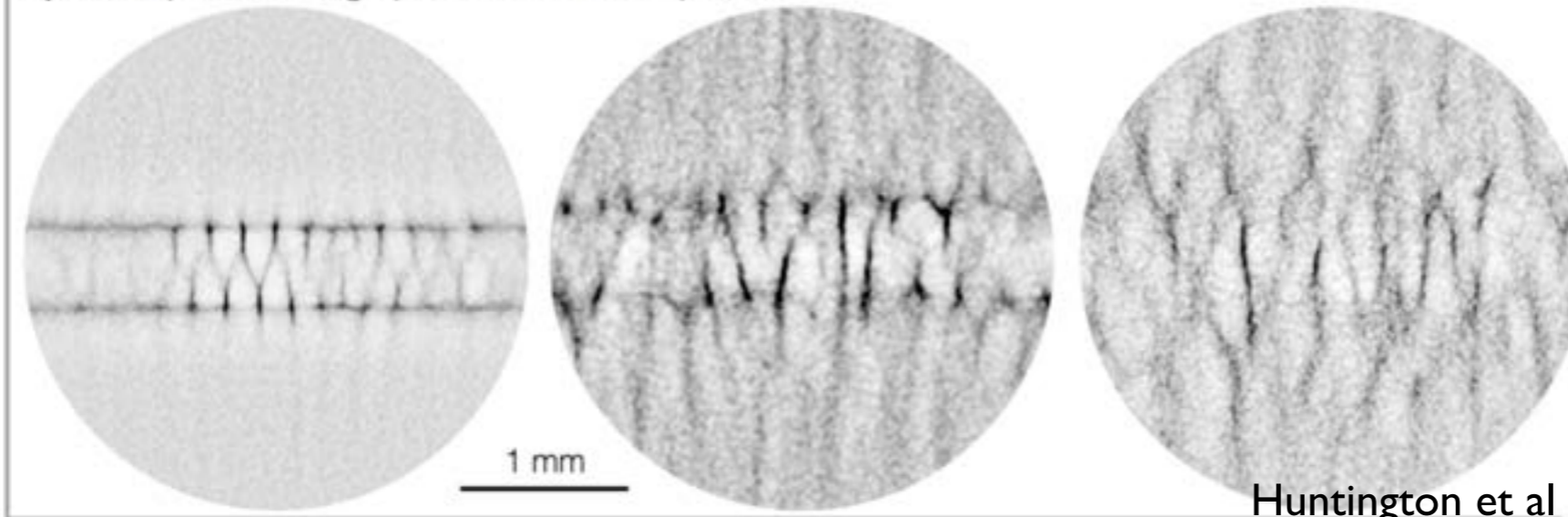


Proton radiography of colliding flows

Experimental proton radiographs from 14.7 MeV (D^3He) protons

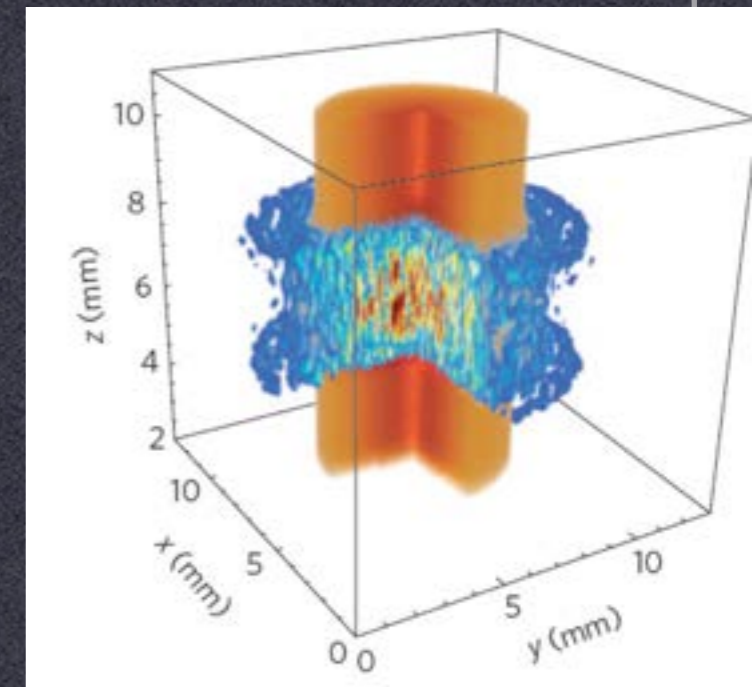


Synthetic proton radiographs from 14.7 MeV protons



Huntington et al 2015

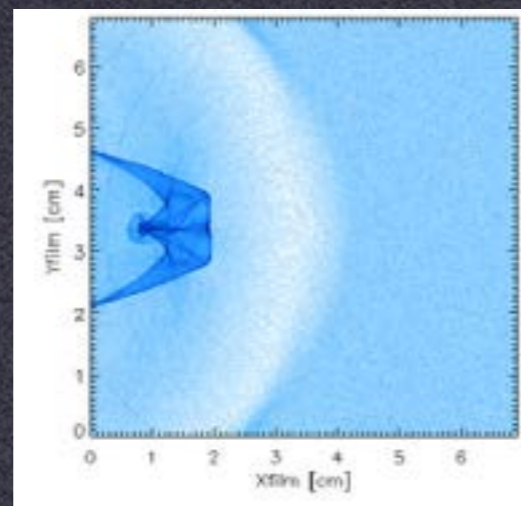
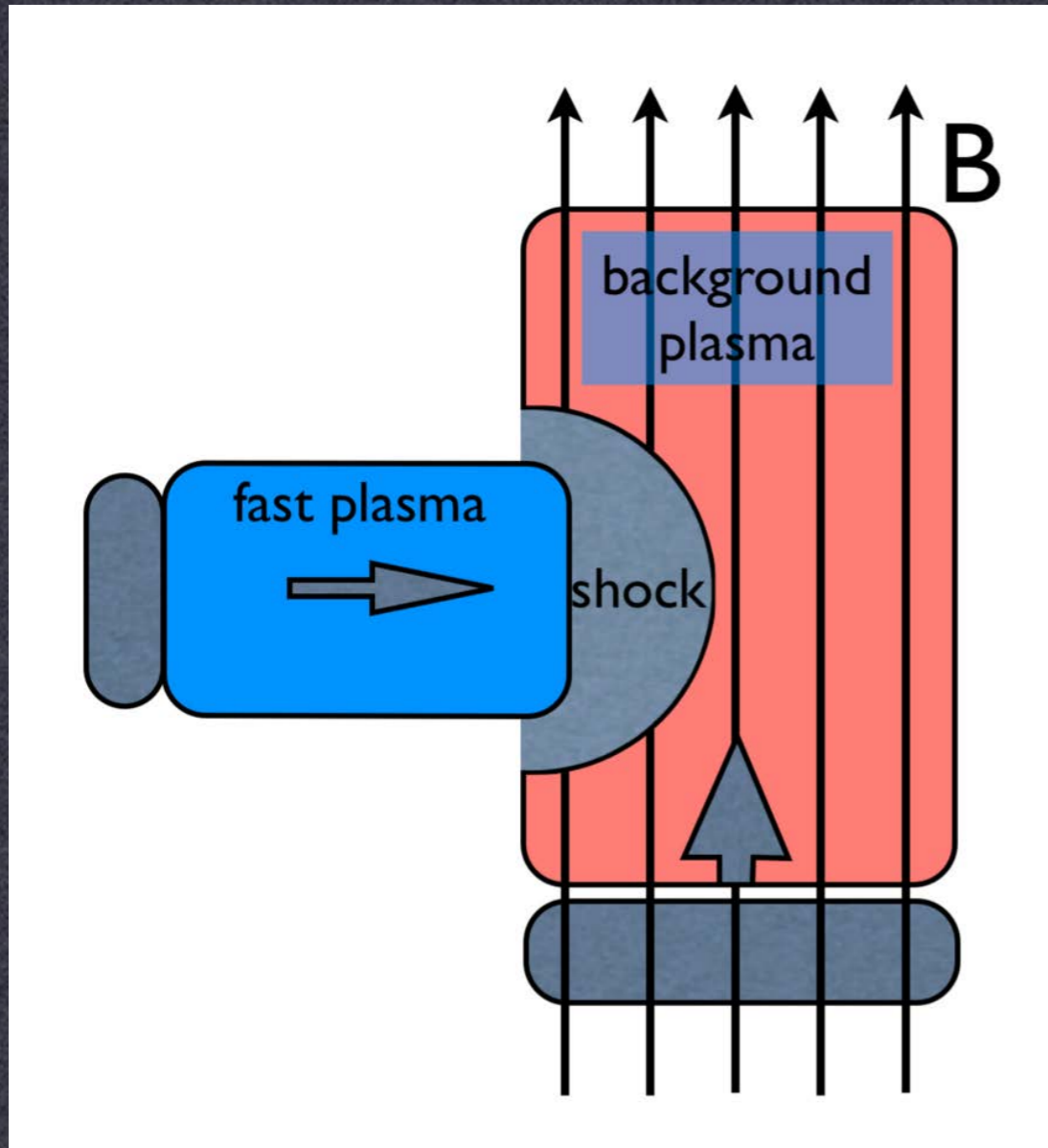
Experiment



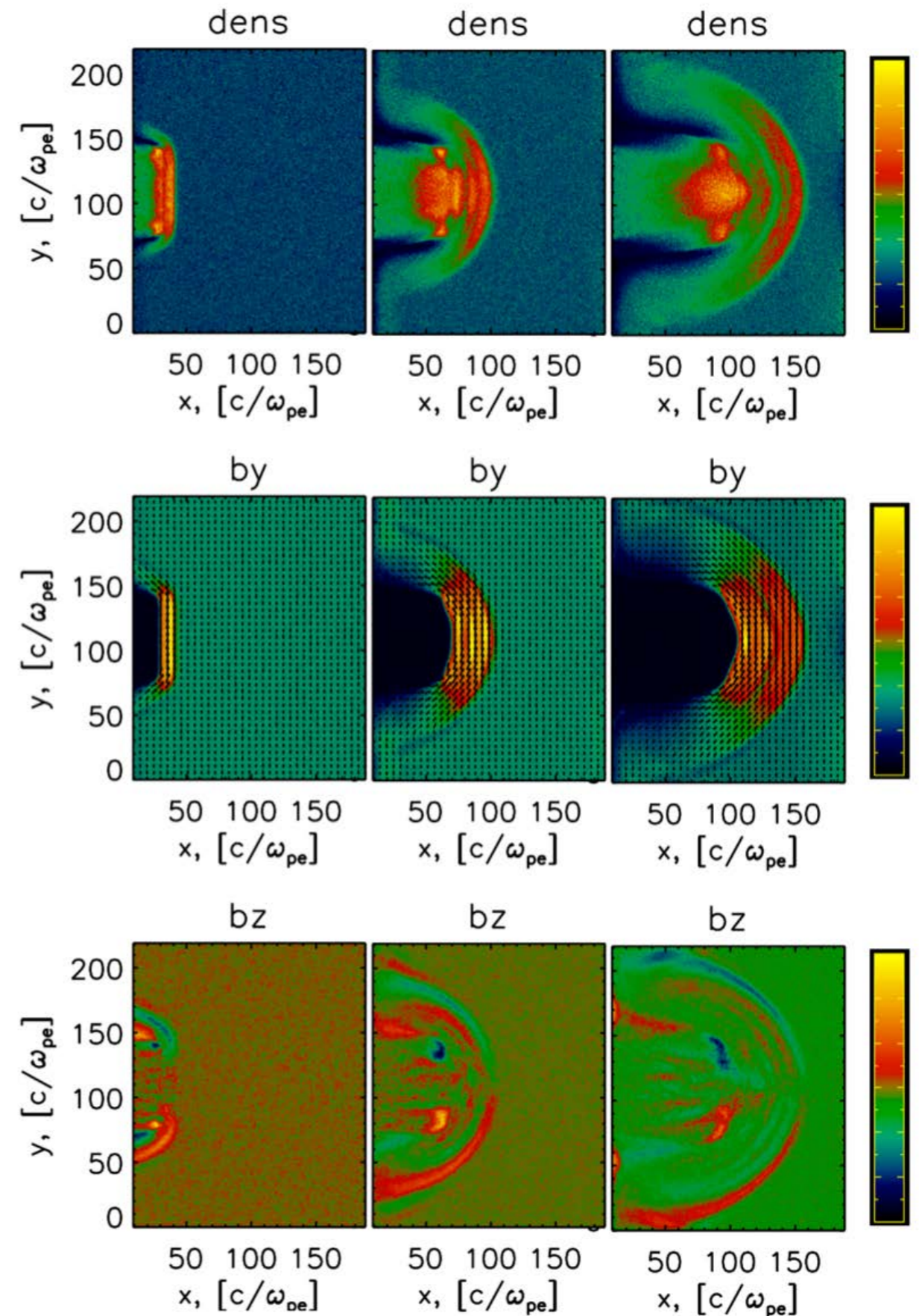
Simulation

Weibel filamentation is observed in the lab!

Towards magnetized shocks

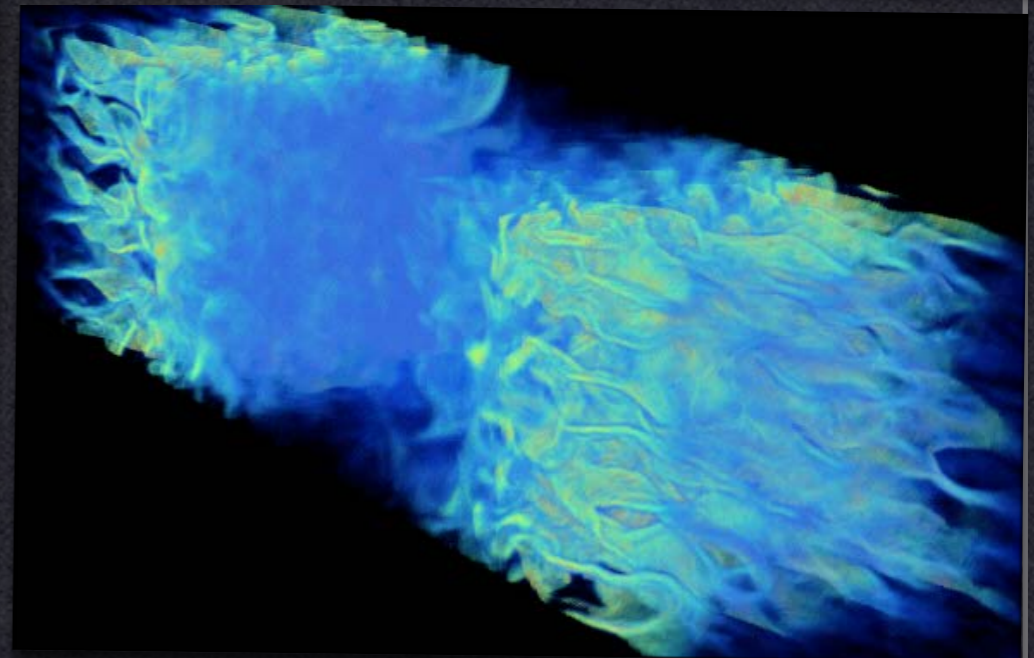


proton image



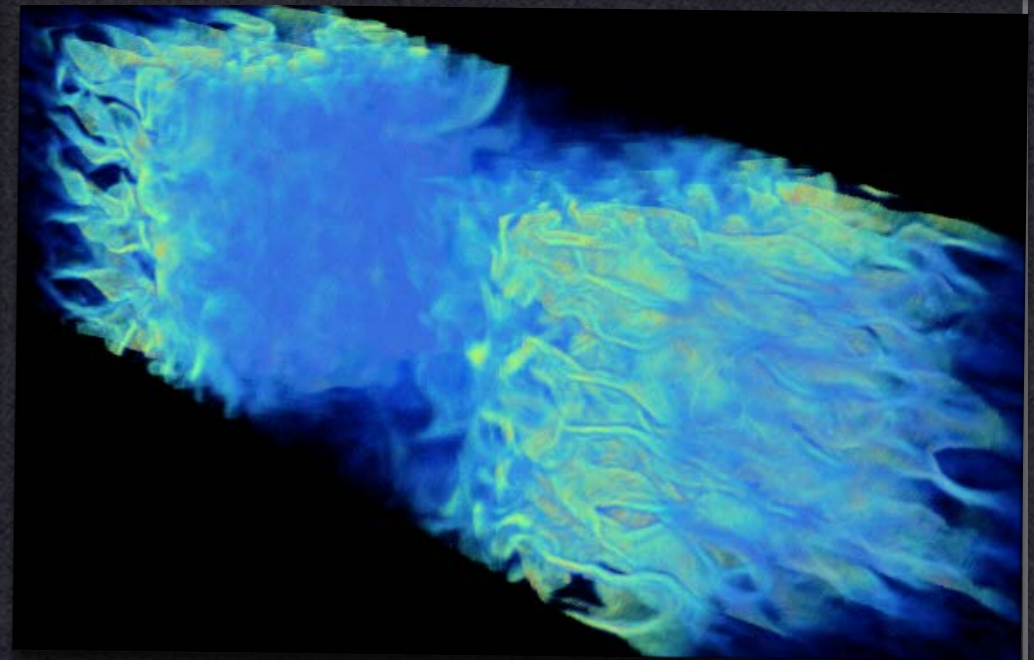
Conclusions and outlook

- ✦ Plasma astrophysics is an emerging field that has the potential to answer many long-standing questions in astrophysics.
- ✦ Some results:
 - ✦ Particle acceleration and shocks from first principles; self-consistent injection process efficiency
 - ✦ Importance of relativistic reconnection for pulsars
 - ✦ Reconnection accelerates particles
 - ✦ Shock (and reconnection) physics can be studied in the lab



Conclusions and outlook

- ✦ Plasma astrophysics is an emerging field that has the potential to answer many long-standing questions in astrophysics.
- ✦ Open questions:
 - ✦ How the microphysics of reconnection, acceleration, and heating work
 - ✦ How to connect the scales in a convincing astrophysical way



Conclusions and outlook

Combination of high-performance computing and analytic theory with code verification by laboratory experiments will lead to significant advances in our understanding of cosmic plasmas.